

Abstract

Introduction

Controls on litter decomposition

Key flux into soils and the atmosphere

Need to understand drivers at global scale

-Alternate models should be considered

No global-scale synthesis of litter turnover rate exists

Need global benchmarks for ESMs

Global maps with uncertainties are needed for ESM testing

Bayesian approaches/model averaging are needed to scale up observations and quantify uncertainty

Hypothesize that contribution of temperature model to explaining global observations is small

Precipitation model increases explanatory power

Precip/PET model should explain observations the best and most simple model

Adding temperature to the above model should result in a marginal increase in model power

Methods

Results

Discussion

Global map of litter turnover times using one-pool or multi-pool models

Based on LIDET and other large-scale datasets

Interpolate using CDI, but need to choose CDI function. Current functions are in dispute; need to choose some.

$k_i = k_0 * f(M, T, \text{Chemistry, interactions})$

Build up from simple to more complex

Use Bayesian inversion to extract parameters

Iterate through all possible models

Model averaging

Vary model weights by biome? Bin by temperature?

Model fit index for each site

Start with one model; add complexity; compare fits; evaluate if different models apply to different sites. If not, then conduct Bayesian assimilation on single model. If so, then pursue model fit index and combination of multiple model.

LIDET data with site met data

Four alternative models that include combinations of litter quality, precip, and temperature drivers

Fit models to dataset

In Bayesian framework, weight the different models at each observational site

Test for varying importance of drivers across sites

Extract parameters from model fitting and use them to generate a global map based on climate reanalysis data and CLM litter quality data. Do this for roots and leaves.

-Predictions of turnover generated for each model, then the maps get averaged

Models:

$$\frac{dC}{dt} = A * C * f(L, P, T)$$

$$A = \begin{bmatrix} k_1 & \cdots & a_{1n} \\ \vdots & \ddots & \vdots \\ a_{1n} & \cdots & k_n \end{bmatrix}$$

$$f(T) = e^{-\frac{E_a}{RT}}$$

$$f(P) = \frac{1}{1 + a * e^{b*P}}$$

$$f(P, T) = (1 - e^{-\alpha|T-273|}; T < 273 | 1 - e^{-\beta P(T-273)}; T \geq 273)$$

$$f(L) = e^{-g*L_N}$$

$$\frac{dC}{dt} = A * C * f(L) * f(T)$$

$$\frac{dC}{dt} = A * C * f(L) * f(P)$$

$$\frac{dC}{dt} = A * C * f(L) * f(P, T)$$

$$\frac{dC}{dt} = A * C * f(L) * (P) * f(T)$$