

Encryption

```
def gen (Pt, Key):
```

```
    if len(Pt) == len(Key):
```

```
        return Key
```

```
    else:
```

```
        Key = list(Key)
```

```
        for i in range(len(Pt) - len(Key)):
```

```
            Key.append(Key[i % len(Key)])
```

```
    return "".join(Key)
```

```
def en (Pt, Key):
```

```
    ct = [] # Cipher text
```

```
    for i in range(len(Pt)):
```

```
        x = (ord(Key[i]) + ord(Pt[i])) % 26  
            + ord('A')
```

```
        ct.append(x)
```

```
        ct.append(chr(x))
```

```
    return "".join(ct)
```

```
def dec(ct, key):
```

```
    Pt = []
```

```
    for i in range(len(key):
```

```
        x = (ord(ct[i]) - ord(key[i])) % 26 + ord('A')
```

```
        Pt.append(chr(x))
```

```
    return ''.join(Pt)
```

Q1

$$q = 17$$

$$p = 5$$

Let Alice & Bob's Key (Private) be x_s and x_r respectively

$$x_s = 4, x_r = 6$$

Let Y_s & Y_r be the Public Key of Alice & Bob respectively

$$Y_s = (p)^{x_s} \gamma q$$

$$= (5)^4 \gamma 17$$

$$= 13$$

$$Y_r = (p)^{x_r} \gamma q$$

$$= 5^6 \gamma 17$$

$$= 2$$

Now Y_s & Y_r will be exchanged & let K_a and K_r be secret keys

$$K_a = (Y_r)^{x_s} \gamma q$$

$$K_a = (2)^4 \gamma 17$$

$$K_a = 18$$

$$K_r = (Y_s)^{x_r} \gamma q$$

$$= (13)^6 \gamma 17$$

$$= 18$$

$$\therefore K_a = K_r$$