

THE ISOPERIMETRIC PROBLEM

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by

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Declaration

All sentences or passages quoted in this project dissertation from other people's work have been specifically acknowledged by clear cross referencing to author, work and page(s). I understand that failure to do this amounts to plagiarism and will be considered grounds for failure in this module and the degree examination as a whole.

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Abstract

In general, we want the maximum area whose boundary has a specific length.

For the 2-dimensional case.

For the 3-dimensional.

For the n -dimensional.

Manifolds?

Introduction

The isoperimetric problem,

Historical Notes

Something about historical notes. In the 2 dimensional case, a proof was given by Jakob Steiner, who was Riemann's teacher.

Important Preliminaries

imp prelims

The Isoperimetric Theorems for 2D, 3D and n D Cases

1.1 2 Dimensional Case (Plane)

1.2 3 Dimensional Case (Sphere)

1.3 n Dimensional Case (\mathbb{R}^n)

Manifolds