MATH 373 Numerical Analysis Homework #1

Assigned: January 24, 2018 Due: February 2, 2018

1. Develop an M-file for the Bisection Method. Command-line usage is

[root,func_val,error_approx,num_iterations] =
bisection(func,x_min,x_max,error_desired,max_iterations)

Program the default values error_desired = 0.0001 and max_iterations = 50. Be sure to follow the template on the website for your code. Your code should be submitted on the MCS website using the **Submit It!** feature.

2. Develop an M-file for the False Position Method. You will need to read §5.5 in order to understand this method. Command-line usage is

[root,func_val,error_approx,num_iterations] =
false_position(func,x_min,x_max,error_desired,max_iterations)

Program the default values error_desired = 0.0001 and max_iterations = 50. Be sure to follow the template on the website for your code. Your code should be submitted on the MCS website using the **Submit It!** feature.

3. The secant formula, used to calculate the load that a column can withstand before buckling, is given by

 $\sigma_{max} = \frac{P}{A} \left[1 + \varepsilon_r \sec \left(\left(\frac{L}{2k} \right) \sqrt{\frac{P}{EA}} \right) \right].$

If $\sigma_{max} = 200,000 \text{ MPa/m}^2$ is the maximum stress for the material used to make the column, $\varepsilon_r = 0.25$ is the eccentricity ratio, E = 150,000 MPa is the modulus of elasticity, and L/k = 30 is the slenderness ratio, then determine the smallest stress, P/A, that satisfies the secant formula. I recommend using MPa as your units, instead of Pascals, as a way of keeping the numbers smaller. Also, you will probably need to graph this problem in order to determine where the roots are. Finding an interval with a sign change does take a bit of thought.

Use both Bisection and False Position to solve this problem. Report the outputs for the two methods in a properly formatted table. You do not need to include a plot for this report, but if you do not include a plot, then make sure you address how you determined an interval for your methods. This solution must be typeset using LATEX and a hard copy should be submitted in class. Be sure to follow the template for homework on the course website.