3.1 One Qubit

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           from qutip import *
In [1]: from scipy import *
           h_p = (1./2.) + (1./2.) * sigmaz()
In [2]: h_p
                 Quantum object: dims = [[2], [2]], shape = [2, 2], type = oper, isHerm = True
                                                                                                    (1)
Out [2]:
                                                                                       0.0 - 0.0
          h_b = (1./2.) - (1./2.) * sigmax()
In [3]: h_b
Out [3]:
              Quantum object: dims = [[2], [2]], shape = [2, 2], type = oper, isHerm = True
                                                                                                    (2)
          # increase taumax to get make the sweep more adiabatic
           taumax = 5.0
In [4]:
           taulist = linspace(0, taumax, 100)
           \label{eq:h_t} \begin{array}{lll} \textbf{h_t} = & \texttt{[[h_b, lambda t, t_max : (t_max-t)/t_max],} \\ & & \texttt{[h_p, lambda t, t_max : t/t_max]]} \end{array}
In [5]:
           h t
           [[Quantum object: dims = [[2], [2]], shape = [2, 2], type = oper,
Out [5]: isherm = True
          Qobj data =
           [[0.5 - 0.5]
            [-0.5 \quad 0.5]],
             <function __main__.<lambda>>],
            [Quantum object: dims = [[2], [2]], shape = [2, 2], type = oper,
           isherm = True
           Qobj data =
           [[ 1. 0.]
            [ 0. 0.]],
             <function __main__.<lambda>>]]
           psi0 = basis(2,0)
           psi0
In [6]:
                           Quantum object: dims = [[2], [1]], shape = [2, 1], type = ket \begin{pmatrix} 1.0 \\ 0.0 \end{pmatrix}
                                                                                                    (3)
Out [6]:
           evals_mat = zeros((len(taulist), 2))
           P_mat = zeros((len(taulist), 2))
In [7]:
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idx = [0]
        def process_rho(tau, psi):
            H = qobj_list_evaluate(h_t, tau, taumax)
            evals, ekets = H.eigenstates()
            evals_mat[idx[0],:] = real(evals)
            # find the overlap between the eigenstates and psi
            for n, eket in enumerate(ekets):
               P_{\text{mat}}[idx[0],n] = abs((eket.dag().data * psi.data)[0,0])**2
            idx[0] += 1
        Out [7]:
        states = True, expect = True
        num_expect = 0, num_collapse = 0
        plot(evals_mat)
In [8]: [<matplotlib.lines.Line2D at 0x43d5b50>,
Out [8]: <matplotlib.lines.Line2D at 0x43d5dd0>]
            0.8
            0.6
            0.4
            0.2
            0.0
                          20
                                     40
                                                60
                                                           80
                                                                      100
       plot(P_mat)
In [9]: [<matplotlib.lines.Line2D at 0x45d0890>,
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Out [9]: <matplotlib.lines.Line2D at 0x45d0b10>]

