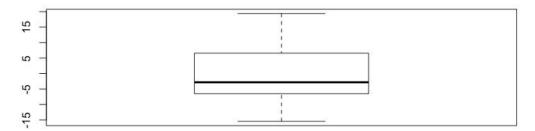
Problem 3

3.b

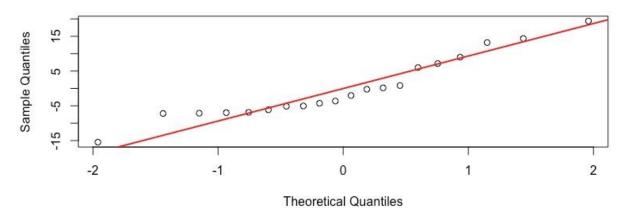
```
sl=read.table("SleepRem.txt", header = TRUE)
anova(aov(sl$values~sl$ind))
Analysis of Variance Table
Response: sl$values
        Df Sum Sq Mean Sq F value
                                    Pr(>F)
sl$ind 3 5881.7 1960.58 21.093 8.322e-06 ***
Residuals 16 1487.1 92.95
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## From the resulting table we see that the P-value of 8.3222 x 10^-6 is far less than the .05 level
of significance, therefore we conclude that we should reject the null hypothesis.
##3 c
rem aov<-aov(sl$values~sl$ind)</pre>
resids<-rem aov$resid
shapiro.test(resids)
       Shapiro-Wilk normality test
data: resids
N = 0.92585, p-value = 0.1285
## Here, we can see that the p-value of 0.1285 is greater than the .05 level of significance.
## This implies that our normality assumption is not disproved by the data.
##Boxplot and Q-Q plot:
boxplot(resids, main = "Box Plot of Residuals")
```

Box Plot of Residuals



qqnorm(resids, main = "Normal Q-Q Plot")
qqline(resids, col = "RED", lwd = 2)

Normal Q-Q Plot



From the above two graphs, we can reasonably conclude that the normality assumption is satisfied to a usable extent.

6.b

```
pc = read.table("PorousCarbon.txt", header = T)
carbon_aov = aov(pc$values~as.factor(pc$temp))
anova(carbon_aov)
```

Analysis of Variance Table Response: pc\$values Df Sum Sq Mean Sq F value as.factor(pc\$temp) 3 4.4474 1.48246 11.437 Residuals Pr(>F) as.factor(pc\$temp) 0.0002958 *** Residuals Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1

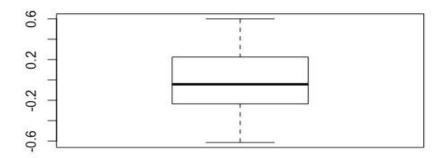
From the resulting table we see that the p-value of .0002958 is less than the .05 level of significance, therefore we conclude that we should reject the null hypothesis. ##Also, the test-statistic given is an F-value of 11.437.

6.c

The resulting p-value of 0.8225 is greater than the significance level of 0.05 implying that our assumption of normality is not disproved by the data.

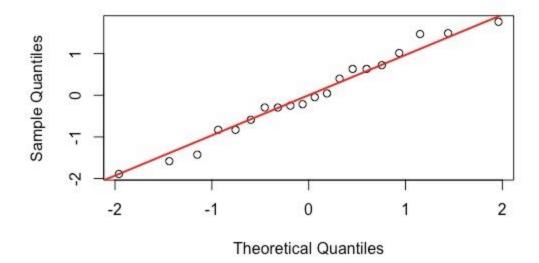
```
boxplot(resids, main = "Box Plot of Residuals")
```

Box Plot of Residuals



stdresids=rstandard(carbon_aov)
qqnorm(stdresids, main = "Normal Q-Q Plot")
qqline(stdresids, col = "RED", lwd = 2)

Normal Q-Q Plot

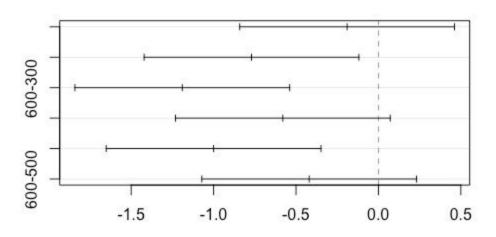


##in addition
fit=fitted.values(carbon_aov)
plot(residuals, fit)

Part B - Problem 4

```
##4.a
pc=read.table("PorousCarbon.txt", header = TRUE)
TukeyHSD(aov(pc$values~as.factor(pc$temp)), conf.level=0.95)
  Tukey multiple comparisons of means
   95% family-wise confidence level
Fit: aov(formula = pc$values ~ as.factor(pc$temp))
$`as.factor(pc$temp)`
        diff
                 lwr
                           upr
                                  p adj
400-300 -0.19 -0.8414712  0.46147124  0.8373903
500-300 -0.77 -1.4214712 -0.11852876 0.0179499
600-300 -1.19 -1.8414712 -0.53852876 0.0004366
500-400 -0.58 -1.2314712 0.07147124 0.0900085
600-400 -1.00 -1.6514712 -0.34852876 0.0023107
600-500 -0.42 -1.0714712 0.23147124 0.2897872
## from the output table, we can see that the 2nd, 3rd and 5th
outputs are significant at the experiment wise level of .05
##From the output of the c
plot(TukeyHSD(aov(pc$values~as.factor(pc$temp)),
conf.level=0.95))
```

95% family-wise confidence level



Differences in mean levels of as.factor(pc\$temp)

```
a=subset(pc, temp=="300")
u1=mean(a$values)
u1

[1]7.43

b=subset(pc, temp == "400")
u2=mean(b$values)
U2

[1]7.24

c=subset(pc, temp == "500")
u3=mean(c$values)
U3

[1] 6.66

d=subset(pc, temp == "600")
u4=mean(d$values)
```

[1] 6.24

in increasing order, we have: u4, u3, u2, and u1
from this ordering, we can infer that u4 does not
significantly differ from u3
and u2 does not significantly differ from u4