

# Hw 1

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## Problem 1

For problem 1 we are asked to use the Matlab commands `rand`, `randn`, `plot`, and `polar` to generate 1000 points and the plot them. In python we will be using the modules `numpy` and `matplotlib.pyplot` (here on referred to as `plt`). From these we will be using `random.normal`, `plt.plot`, `plt.show`, and `plt.polar`.

### A

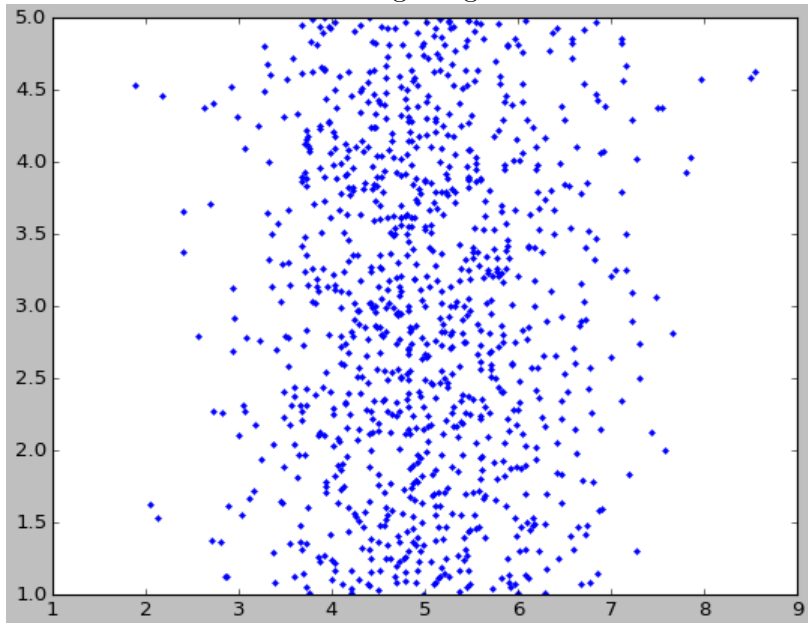
Write a script to plot 1000 points where the x coordinates are randomly chosen from a normal distribution about 5 with a standard deviation of 1. The y coordinate is randomly chosen to form a uniform distribution over the interval (1,5).

The following code is an example of a solution to the problem.

```
# Much of this code will be similar to MatLab since numpy is similar
# to MatLab
from numpy import random as ran # random module will be
                                # called with ran
import matplotlib.pyplot as plt # plot will be called
                                # with plt
mu = 5                          # mu value for normal
                                # distribution
sigma = 1                      # standard deviation
N=1000                         # number of coordinates we are creating
x = ran.normal(mu,sigma,N)     # random numbers created
                                # with normal distribution
y=1+4*ran.random(N)           # random numbers created
                                # between 1 and 5

# Plot is almost exactly the same as MatLab's version of plot
f = plt.plot(x,y, '. ')        # plot the x and y coordinates
                                # with . as a marker
plt.show(f)                   # show the plot that is
                                # generated from above
```

This results in the following image.



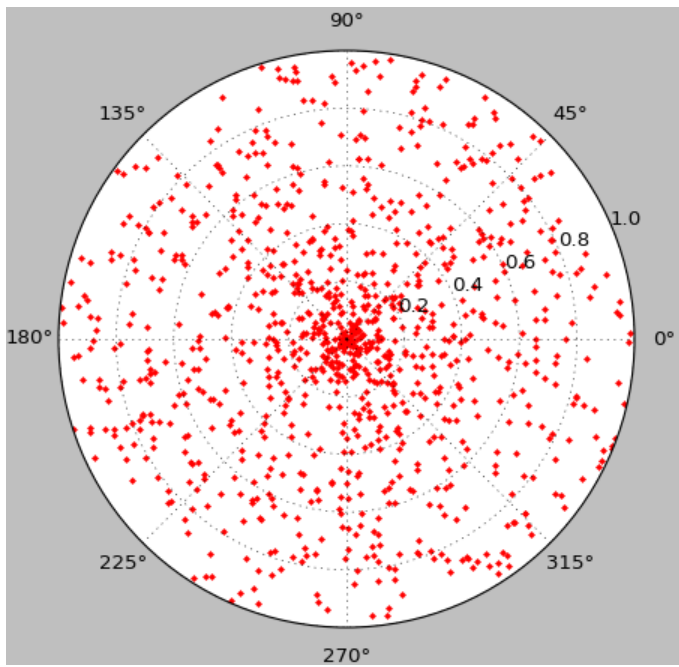
## B

This time we will use radial coordinated with a normal distribution about 0 with width 1 and the angular coordinate theta is randomly chosen from a uniform distribution over the interval  $(0, 2\pi)$

The code should look something like this.

```
## Part 2
# We are asked to plot random points in polar coordinates
from math import pi          # We need pi for our next plot
theta = 2 * pi * ran.random(N) # randomly generated theta value ,
                                # between 0 and 2pi
r = ran.random(N)            # random number generated between 0 and 1
p = plt.polar(theta,r,'r.') # polar plot in red
plt.show(p)                  # shows the plot
```

This results in a figure like the following.



## Problem 2

See solutions by Dr Gretarsson.

## Problem 3

We are given the equations

$$x = (a + b) \cos \phi - h \cos \left( \frac{a + b}{b} \phi \right)$$

$$y = (a + b) \sin \phi - h \sin \left( \frac{a + b}{b} \phi \right)$$

We are asked to set  $a = 2$ ,  $b = h = 1$  and run  $\phi$  from 0 to  $2\pi$ . We use the following code to solve the problem.

```

## Problem 3 ##
# Now we are asked to plot a parametric curve. The equation is given
# for x and y as below. Variables are chosen for consistency and easy
# understanding
from numpy import arange # arange creates a list from the first to the
                          # second with specified step sizes
from math import cos     # import cosine function
from math import sin     # import sine function
# Given variables
a = 2
b = 1
h = 1
step = .01
# We must create empty arrays that will be updated by loop
x3 = [ ]
y3 = [ ]
# We need to create an array in step sizes. Step can be changed
# for accuracy
phi = arange(0, 2*pi, step)

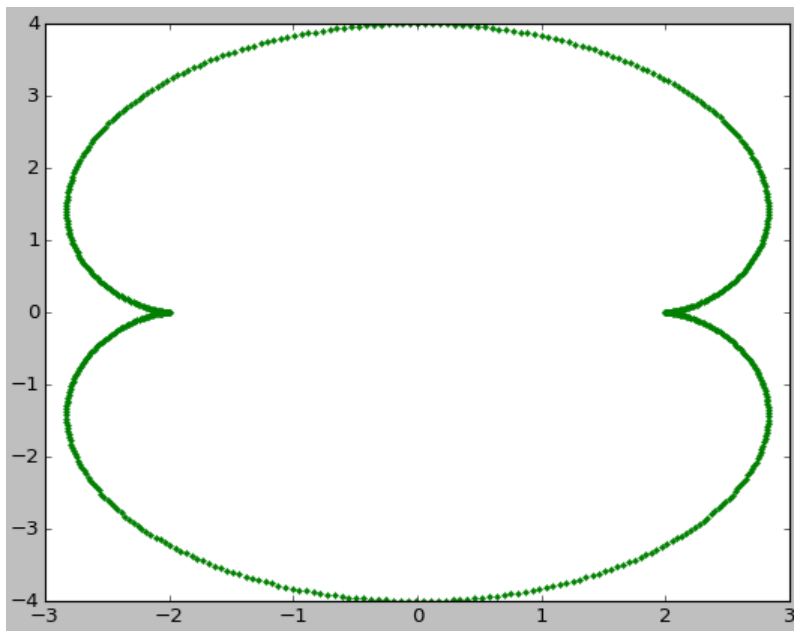
# We must use loops to append the arrays. We will use a for loop
# and keep it in the range of phi, so that when step size changes
# the code does not break.
i = 0 # initialize i to be zero, regardless of previously stored value
for i in range(0, len(phi)):
    x3.append((a + b) * cos(phi[i]) - h * cos(((a + b)/b) * phi[i]))

i = 0 # reinitialization of i
for i in range(0, len(phi)):
    y3.append((a + b) * sin(phi[i]) - h * sin(((a + b)/b) * phi[i]))

q = plt.plot(x3, y3, 'g.') # plot the function
plt.show(q)               # show the function

```

We should get a picture like the following.



We are asked to plot more curves, changing  $a, b$ , and  $h$ . This is left for the student. The pictures will be the same as those in the MatLab solutions.