Theoretische Elektrotechnik Universität Paderborn

# Modeling and Simulation: Matlab Fundamentals

return: 16.04.2015 6:00AM (20 points)

Create a script file (m-file) with the following Matlab commands:

# 1. Vector and matrix manipulations (7P):

- (a) Get help on command "zeros".
- (b) Get help on command "ones".
- (c) Get help on command "rand".
- (d) Define  $1 \times 5$  (1-row and 5-columns) vector a with all elements equal to 0.
- (e) Define  $3 \times 1$  (3-rows and 1-column) vector a with all elements equal to 1.
- (f) Define  $1 \times 5$  vector a with elements equal to  $1, 2, 3, 4, \pi$ , correspondingly.
- (g) Define  $3 \times 1$  vector a with elements equal to 0.1, 0.2, 0.3, correspondingly.
- (h) Define 1-row vector a with the elements' values from 3 to 27 with step 3 by using operator ":".
- (i) Define 1-row vector a of 10 linearly equally spaced points between  $x_1$  and  $x_2$ , where  $x_1$  and  $x_2$  are the first and last numbers of your student id (use *linspace* function).
- (j) Define  $3 \times 3$  matrix a of random number elements.
- (k) Define  $3 \times 2$  matrix  $a = \begin{pmatrix} 1 & 2 \\ 3 & 4 \\ 5 & 6 \end{pmatrix}$ .
- (1) Check the size of the matrix a.
- (m) Define  $3 \times 3$  matrix  $a = \begin{pmatrix} 1 & 20 & 30 \\ 40 & 50 & 60 \\ 70 & 80 & 90 \end{pmatrix}$ .
- (n) Transpose the matrix a.
- (o) Show (print on display) the element  $a_{32}$  of the transposed matrix a.
- (p) Show (print on display) the second row of the transposed matrix a.
- (q) Show (print on display) the third column of the transposed matrix a.
- (r) Define matrix  $a = \begin{pmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{pmatrix}$  and  $b = \begin{pmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{pmatrix}$ .
- (s) Sum matrices a and b, c = a + b.
- (t) Multiply matrices a and b, c = a \* b.
- (u) Multiply matrices a and b element-by-element, i.e.  $c_{ij} = a_{ij} * b_{ij}$ .
- (v) Solve the linear system of equations ax = b by using inv() function, if

$$a = \begin{pmatrix} 3 & 1 & 1 \\ 1 & 3 & 1 \\ 1 & 1 & 3 \end{pmatrix}$$
 and  $b = \begin{pmatrix} 8 \\ 10 \\ 12 \end{pmatrix}$ .

(w) Solve the same system by using operator \.

# 2. Data analysis functions (4P):

- (a) Calculate the square root of your student id.
- (b) Define the 1-row vector  $a(11, 7, 32, 34, 13, your\_student\_id\_number)$ .
- (c) Get the value of the last element of vector a by using the special "end" operator.
- (d) Get the part of array a starting from 3rd index by using ":" and "end" operators.
- (e) Find minimum value of the vector a.
- (f) Find maximum value of the vector a.
- (g) Calculate the mean value of the vector a.
- (h) Make summation of elements of the vector a.
- (i) Calculate the square roots of all elements of the vector a.
- (j) Sort the vector a in the ascending order a.
- (k) Find the roots of the polynomial equation  $x^4 + 4x^3 5x^2 + 6x 9 = 0$ .

## 3. Making complex numbers (1P):

- (a) Make a complex number a = 2 + 3 \* i.
- (b) Get the real part of a.
- (c) Get the imaginary part of a.
- (d) Get the complex conjugate of a.
- (e) Get the value of complex number i.

# 4. Plotting Tools (2P):

- (a) Get help on command "plot".
- (b) Plot the graph of y = exp(x), for  $-2\pi \le x \le 2\pi$ .
- (c) Plot the graph of y = log(x), for  $0 < x \le 2\pi$ .

### 5. Matlab functions (6P):

Write the matlab function (m-file) that a) creates the square matrix a of the size  $n \times n$  with all diagonal elements equal to 3 and all other elements equal to 1 (you may use diag and ones functions) and vector b of size n with elements  $b_i = \sum_{j=1}^n j * a_{ij}$ , b) solve the linear system of equations ax = b. The function takes one input parameter - n, and output is the solution vector - x. Run the code for n equal to last number of your student id, if this number is equal to 0 or 1 use the number before, etc. Copy the code of the program and obtained values of the vector x at the end of the script file (where the commands from sections 1-4 are defined).

#### Instructions for the submission:

1. When submitting your homework, make sure that you have compressed file(s) into a single "zip" or "rar" file with name "ex\_1\_your\_student\_id.rar" or "ex\_1\_your\_student\_id.zip".