

In [1]:

```
import csv
import numpy as np
import matplotlib.pyplot as plt
import matplotlib.cm as cm
from sklearn import linear_model
import pandas as pd

from sklearn.linear_model import Ridge
from sklearn.preprocessing import PolynomialFeatures
from sklearn.pipeline import make_pipeline
```

In [39]:

```
def save_to_csv(file_path, X, Y):
    with open(file_path, 'w', newline='') as csv_file:
        csv_writer = csv.writer(csv_file, delimiter=',', quotechar='"', quoting=csv.QUOTE_M
        for i in range(0, len(X)):
            csv_writer.writerow([X.item(i), Y.item(i)])
```

In [297]:

```
poly_reg_path = "C:\\Users\\Ihor\\GSN\\PUM\\Laboratorium 3\\FlapPyBird\\data\\polynomial_mo
lin_reg_path = "C:\\Users\\Ihor\\GSN\\PUM\\Laboratorium 3\\FlapPyBird\\data\\linear_regresi
lin_reg_impl_path = "C:\\Users\\Ihor\\GSN\\PUM\\Laboratorium 3\\FlapPyBird\\data\\linear_re
```

In [2]:

```
train_df = pd.read_csv('C://Users//Ihor//GSN//PUM//Laboratorium 3//FlapPyBird//outfile.csv')
```

In [3]:

```
train_df.head()
```

Out[3]:

	x	y
0	52	68.518519
1	56	68.518519
2	60	68.518519
3	64	68.518519
4	68	68.518519

In [4]:

```
train_df['x'].head()
```

Out[4]:

```
0    52
1    56
2    60
3    64
4    68
Name: x, dtype: int64
```

In [5]:

```
train_df['y'].head()
```

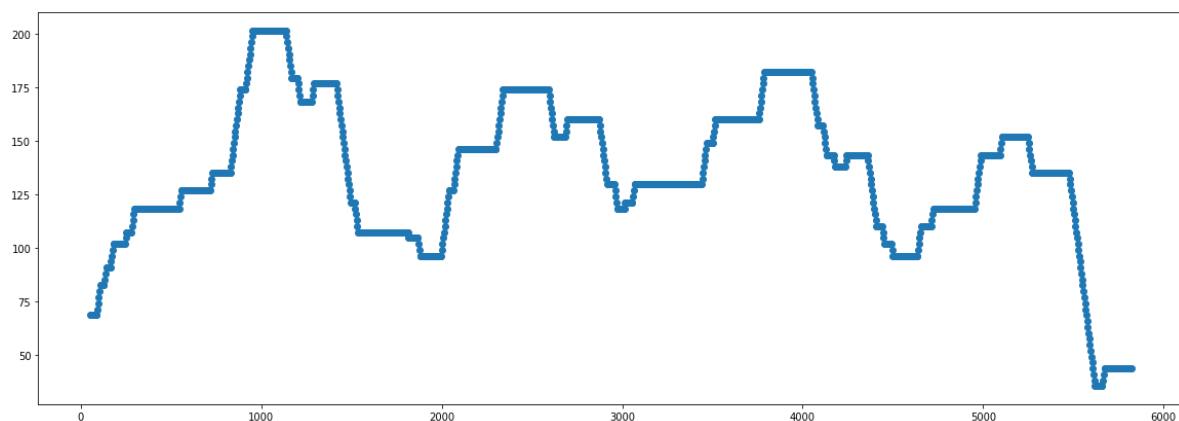
Out[5]:

```
0    68.518519
1    68.518519
2    68.518519
3    68.518519
4    68.518519
Name: y, dtype: float64
```

In [6]:

```
plt.figure(figsize=(20, 7))
plt.scatter(train_df['x'], train_df['y'])

plt.show()
```



Użycie Linear Regression sk-learn

In [7]:

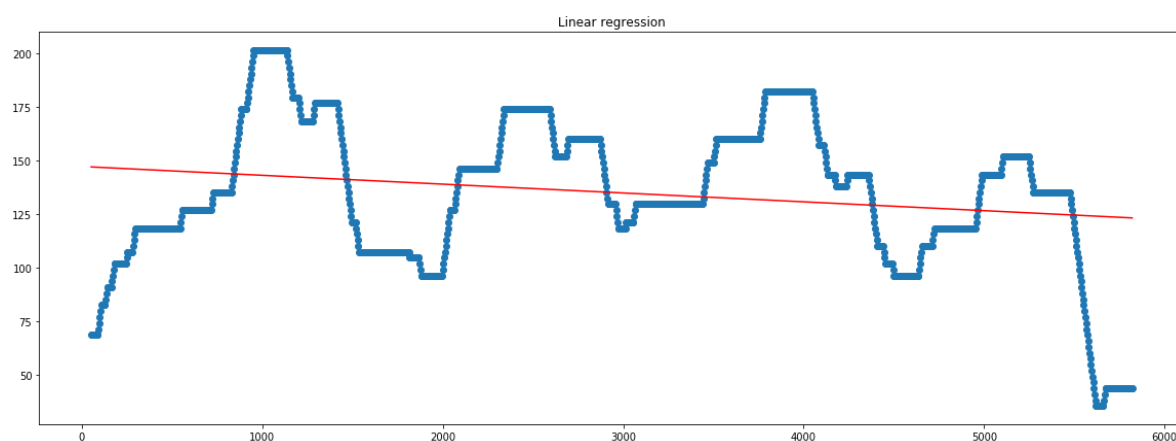
```
X_train = train_df.iloc[:, 0].values.reshape(-1, 1)
Y_train = train_df.iloc[:, 1].values.reshape(-1, 1)
```

In [8]:

```
%%time

sk_linreg = linear_model.LinearRegression()
sk_linreg = linear_model.LinearRegression(fit_intercept=True, normalize=False, copy_X=True,
Y_Pred = sk_linreg.predict(np.array(X_train).reshape(-1, 1))
plt.figure()
plt.figure(figsize=(20, 7))
plt.scatter(X_train, Y_train)
plt.plot(X_train, Y_Pred, color='red')
plt.title('Linear regression')
plt.show()
```

<Figure size 432x288 with 0 Axes>



Wall time: 368 ms

Użycie PolynomialFeatures + PipeLine + LinearRegression sk-learn

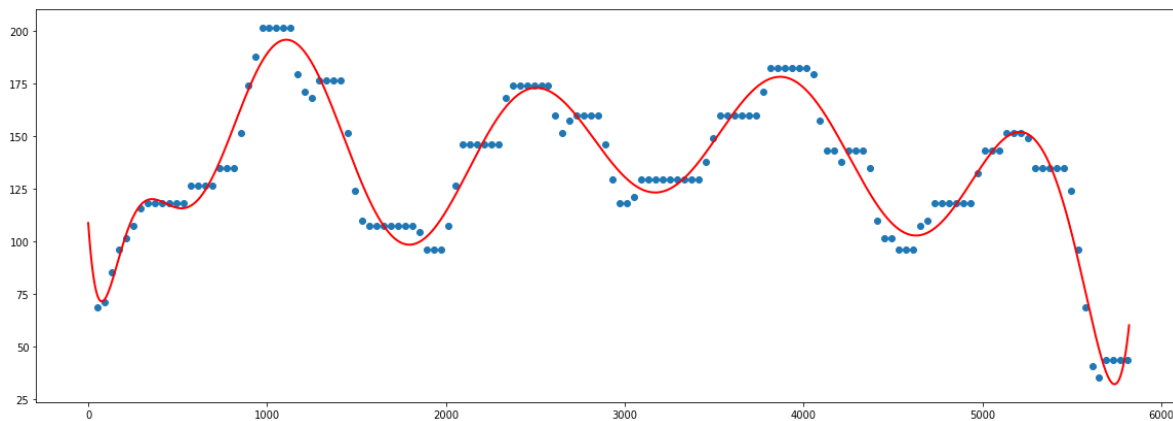
In [62]:

```

lastIntInX = int(X_train[-1])
X_poly_predict = np.arange(lastIntInX)
polynomial_model = make_pipeline(PolynomialFeatures(degree=15), linear_model.LinearRegression)
polynomial_model.fit(X_train, Y_train)
Y_poly_predict = polynomial_model.predict(X_poly_predict.reshape(-1, 1))
plt.figure()
plt.figure(figsize=(20, 7))
plt.scatter(X_train[:10], Y_train[:10])
plt.plot(X_poly_predict, Y_poly_predict, color='red', linewidth=2,
         label="degree 3")
plt.show()

```

<Figure size 432x288 with 0 Axes>



In [64]:

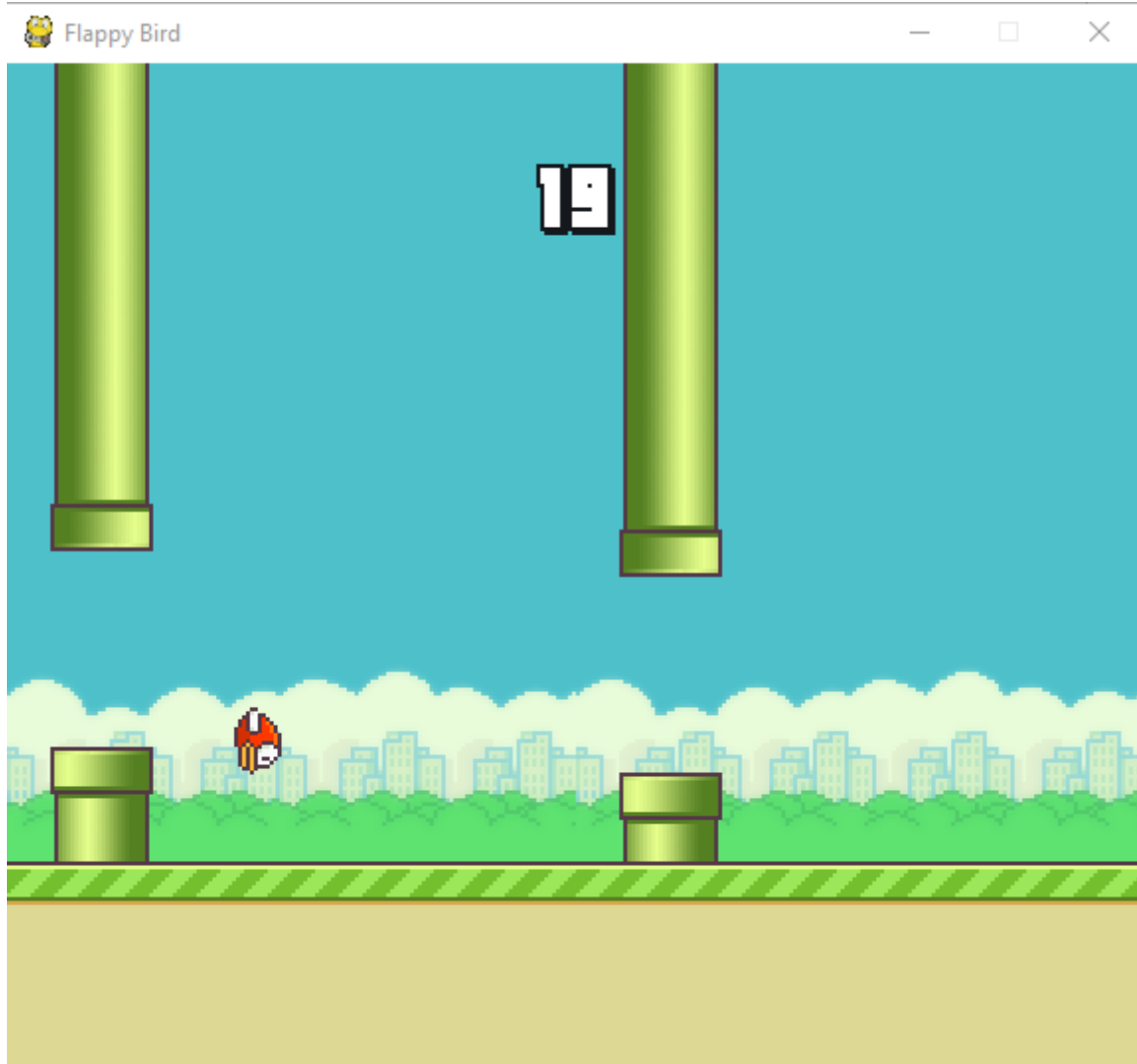
```

save_to_csv(lin_reg_path, X_poly_predict, Y_poly_predict)

```

bez normalizacji flappy mógł przelecieć tylko 3 rury, co oznacza że normalizacja danych ma wielki wpływ na dopasowanie polynomialnej regresji linjowej

z normalizacją dopasowanie jest o wiele lepsze i flappy sprawnie kończy trasę



Użycie PolynomialFeaturesPipeLine sk-learn + Ridge

In [63]:

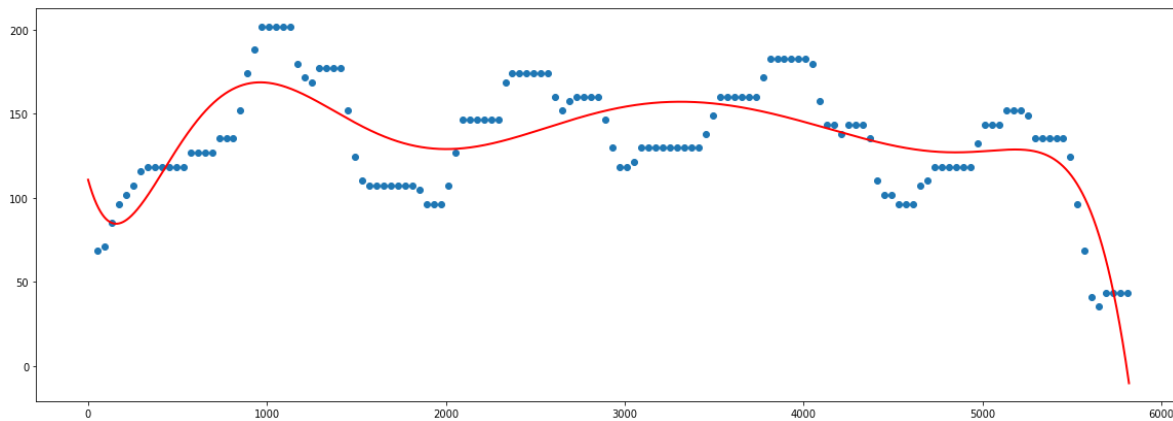
```

lastIntInX = int(X_train[-1])
X_poly_predict = np.arange(lastIntInX)
polynomial_model = make_pipeline(PolynomialFeatures(degree=9), Ridge())
polynomial_model.fit(X_train, Y_train)
Y_poly_predict = polynomial_model.predict(X_poly_predict.reshape(-1, 1))
plt.figure()
plt.figure(figsize=(20, 7))
plt.scatter(X_train[:10], Y_train[:10])
plt.plot(X_poly_predict, Y_poly_predict, color='red', linewidth=2,
         label="degree 9")
plt.show()

```

C:\Users\Ihor\anaconda3\lib\site-packages\sklearn\linear_model_ridge.py:148: LinAlgWarning: Ill-conditioned matrix (rcond=2.73379e-70): result may not be accurate.
 overwrite_a=True).T

<Figure size 432x288 with 0 Axes>



In [41]:

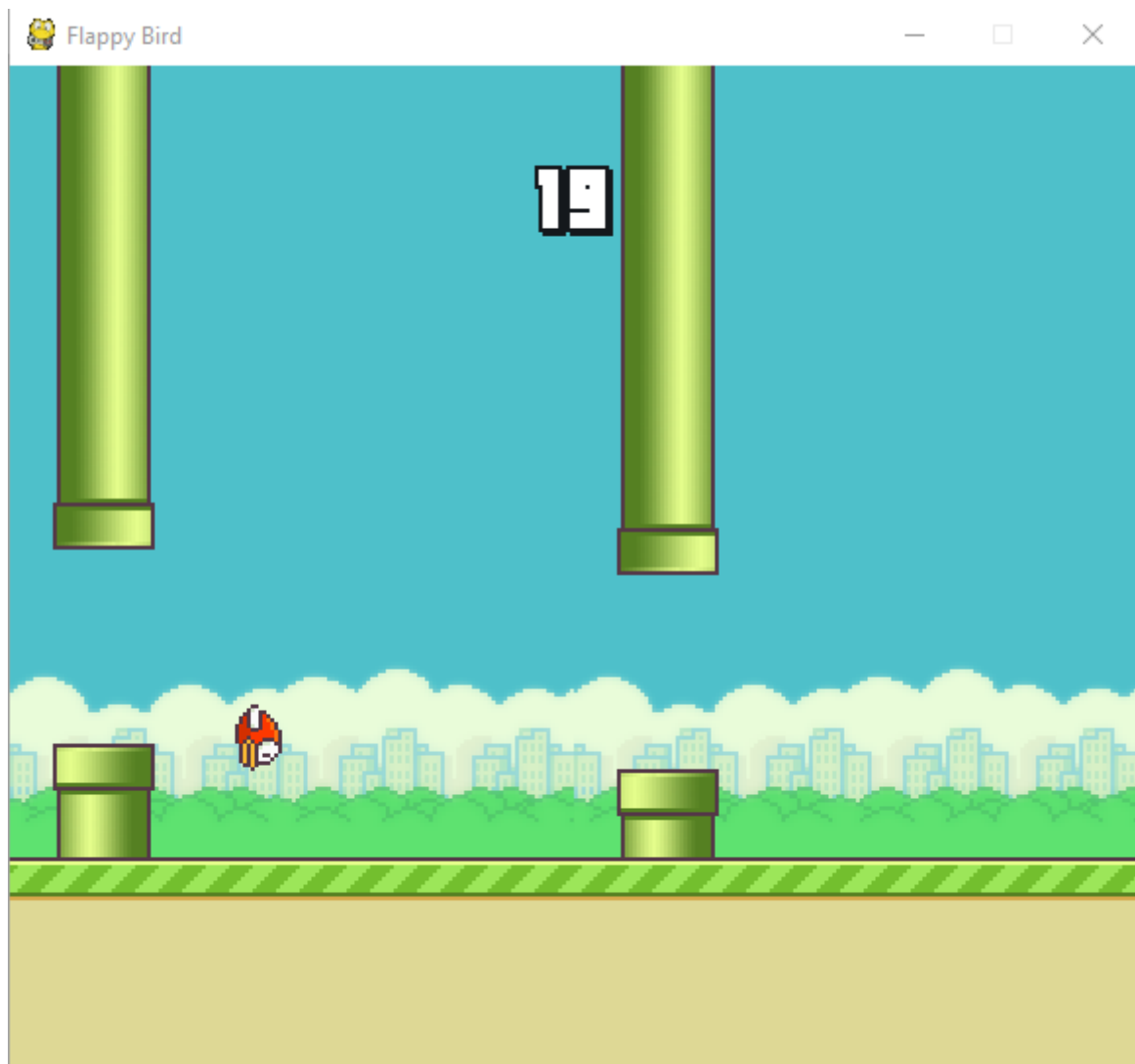
```

save_to_csv(poly_reg_path, X_poly_predict, Y_poly_predict)

```

test funkcji Ridge

Flappy pokonal trasę bez normalizacji



Implementacja Linear Regression

In [278]:

```
from sklearn.preprocessing import MinMaxScaler
```

In [466]:

```

class LinearRegressionImpl:
    def __init__(self, X, y, degree=4):
        self.X = X
        self.y = y
        self.X_ = np.column_stack((np.ones((X.size, 1)), X))
        self.a = a_opt(self.X_, y)
        self.degree = [i for i in range(1, degree+1)]

    def a_opt(X,y) : # linear regression solution  $a = (X'X)^{-1} X'y = \text{pinv}(X)y$ 
        a_opt = np.dot( np.linalg.pinv(X), y)
        return a_opt

    def predict_linear(self, X_predict): #funkcja linearna
        return self.a[0] + self.a[1]*X_predict

    def predict_polynomial(self, xt, degree = 5): # funkcja polynomialna
        polyfit = np.polyfit(self.X, Y_lin_reg, degree)
        polycurve1d = np.poly1d(polyfit)
        return polycurve1d(xt)

```

8.1

In [304]:

```

X_lin_reg = train_df.iloc[:, 0].values
Y_lin_reg = train_df.iloc[:, 1].values

```

In [305]:

```

linreg = LinearRegressionImpl(X_linear_reg, Y_linear_reg)
Y_pred = linreg.predict_linear(X_poly_predict)

```

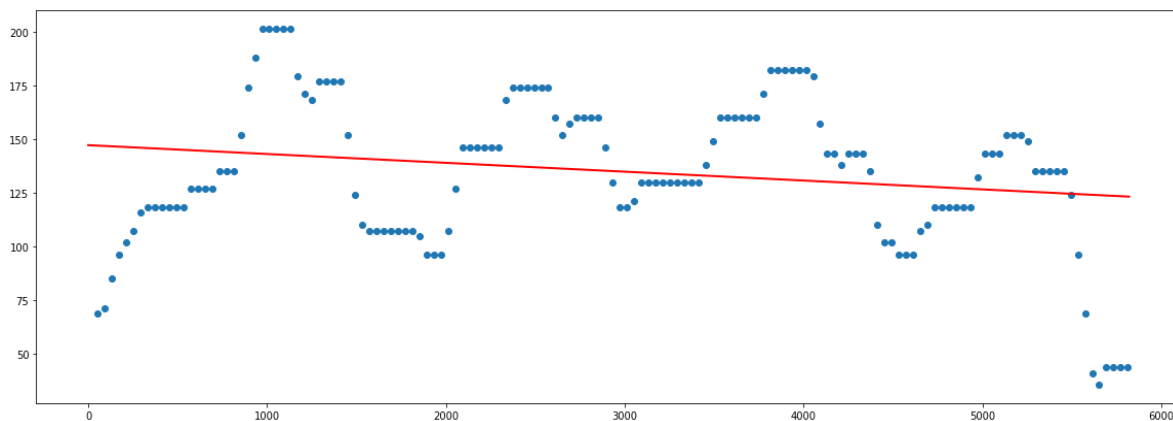
In [306]:

```

plt.figure()
plt.figure(figsize=(20, 7))
plt.scatter(X_train[:,10], Y_train[:,10])
plt.plot(X_poly_predict, Y_pred, color='red', linewidth=2,
         label="degree 9")
plt.show()

```

<Figure size 432x288 with 0 Axes>



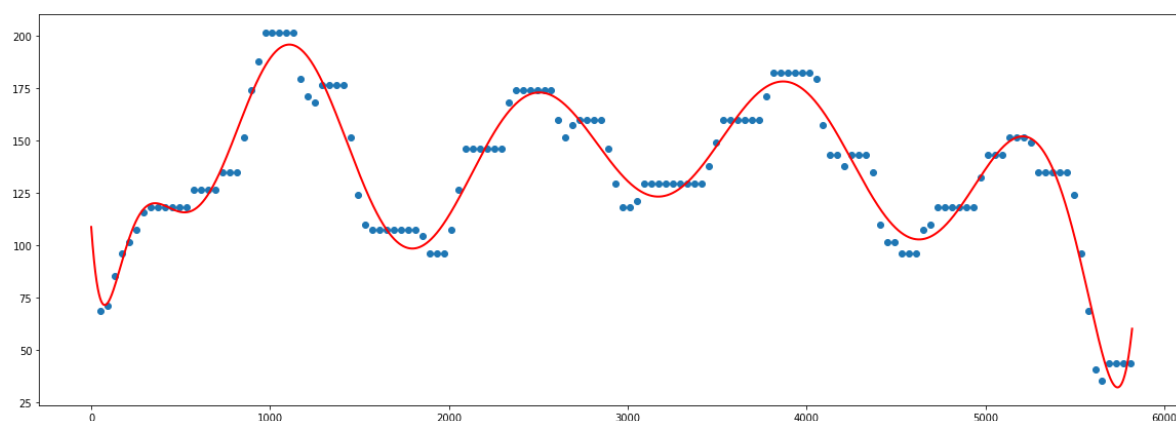
In [307]:

```
linregpoly = LinearRegresionImpl(X_linear_reg, Y_linear_reg)
Y_pred_poly = linregpoly.predict_polynomial(X_poly_predict, degree=15)
```

In [308]:

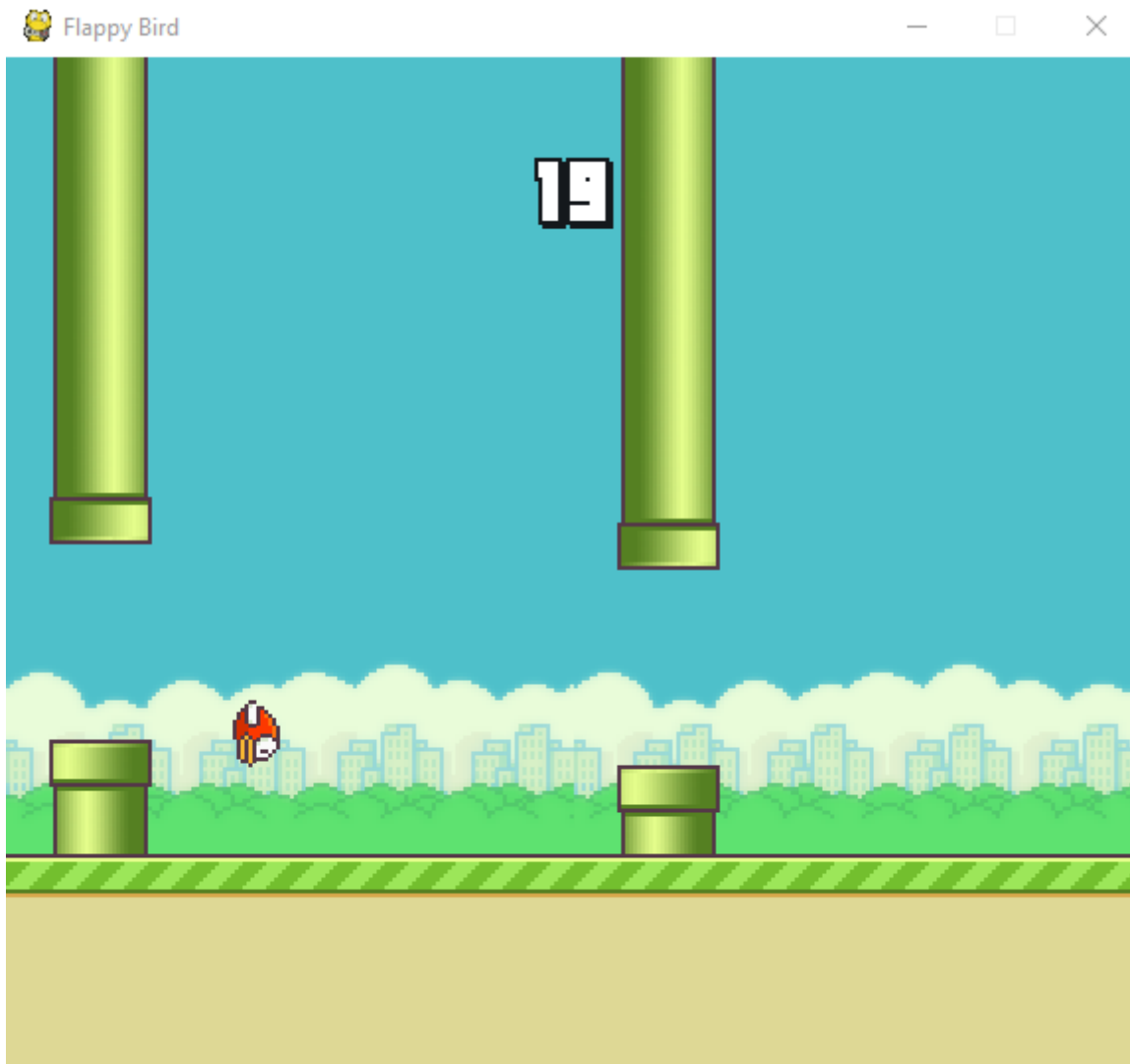
```
plt.figure()
plt.figure(figsize=(20, 7))
plt.scatter(X_train[:,10], Y_train[:,10])
plt.plot(X_poly_predict, Y_pred_poly, color='red', linewidth=2,
         label="degree 9")
plt.show()
```

<Figure size 432x288 with 0 Axes>



In [310]:

```
save_to_csv(lin_reg_impl_path, X_poly_predict, Y_poly_predict)
```



Zaimplementowana Regresja liniowa działa w miarę szybko i pozwala na przejście Flappy przez wszystkie rury, ale nie zawiera normalizacji danych

Była też próba zaimplementowania regresji polimomialnej za pomocą:

```
class LinearRegressionImpl:
    def __init__(self, X, y, degree=4):
        self.X = X
        self.y = y
        self.X_ = np.column_stack((np.ones((X.size, 1)), X))
        self.a = a_opt(self.X_, y)
        self.degree = [i for i in range(1, degree+1)]

    def a_opt(X,y) : # linear regression solution a = (X'X)^-1 X'y = pinv(X)y
        a_opt = np.dot( np.linalg.pinv(X), y)
        return a_opt

    def predict_linear(self, X_predict): #funkcja linearna
        return self.a[0] + self.a[1]*X_predict

    def predict_polyomial(self, xt): # funkcja polyomialna
        X = np.column_stack( (np.ones((self.X.size,1)) , self.X, self.X**2, self.X**3 )) #
        construct the augmented matrix X
        polyfit = np.polyfit(self.X, Y_lin_reg, degree)
        polycurve1d = np.poly1d(polyfit)
```

```
        return self.a[0] + self.a[1]*X_predict + self.a[2]*X_predict**2 +  
self.a[3]*X_predict**3 + self.a[4]*X_predict**4
```

Ale niestety funkcja predict_polynomial nie mogła się dopasować do skomplikowanej ścieżki Flappy przy takiej implementacji

Partje

In [442]:

```
election_df = pd.read_csv('C://Users//Ihor//GSN//PUM//Laboratorium 3//GoesGold//ElectionDat
```

In [443]:

```
election_df = election_df.sort_values(by='time')
```

In [450]:

```
election_df['time_delta'] = (election_df['time'] - election_df['time'].min()) / np.timedelta
```

In [451]:

election_df

Out[451]:

sPercentage	nullVotes	...	pre.subscribedVoters	pre.totalVoters	Party	Mandates	Percentage	va
2.50	8874	...	813743	428546	PS	0	38.29	
1.86	139	...	13766	8489	A	0	0.37	
1.86	139	...	13766	8489	R.I.R.	0	0.41	
1.86	139	...	13766	8489	L	0	0.51	
1.86	139	...	13766	8489	PAN	0	1.25	
...	
2.40	2232	...	181378	104223	MPT	0	0.24	
2.40	2232	...	181378	104223	PNR	0	0.26	
2.40	2232	...	181378	104223	PURP	0	0.29	
3.38	3814	...	390947	220211	CDS-PP	0	3.48	
2.81	3700	...	371931	190712	JPP	0	0.07	

In [610]:

```
parties = list(set(election_df['Party']))
print(parties)
```

```
['PURP', 'PS', 'PPM', 'B.E.', 'CDS-PP', 'JPP', 'CH', 'PCP-PEV', 'PAN', 'A',
'MPT', 'R.I.R.', 'L', 'IL', 'PPD/PSD', 'PDR', 'PTP', 'PCTP/MRPP', 'MAS', 'N
C', 'PNR']
```

In [611]:

```
election_df.loc[election_df['Party'] == 'PS']['Mandates'].sum()
```

Out[611]:

6068

In [612]:

```
time_ = {party:(election_df.loc[election_df['Party'] == party].groupby(['time_delta']).sum(
    election_df.loc[election_df['Party'] == party].groupby(['time_delta']).sum(
        for party in parties }
```

Plot with sk_learn linear regression

In [467]:

```
parties = list(set(election_df['territoryName']))
print(parties)
```

```
['Território Nacional', 'Viana do Castelo', 'Porto', 'Évora', 'Leiria', 'Beja', 'Coimbra', 'Madeira', 'Portalegre', 'Castelo Branco', 'Vila Real', 'Viseu', 'Guarda', 'Setúbal', 'Bragança', 'Lisboa', 'Açores', 'Braga', 'Aveiro', 'Santarém', 'Faro']
```

In [613]:

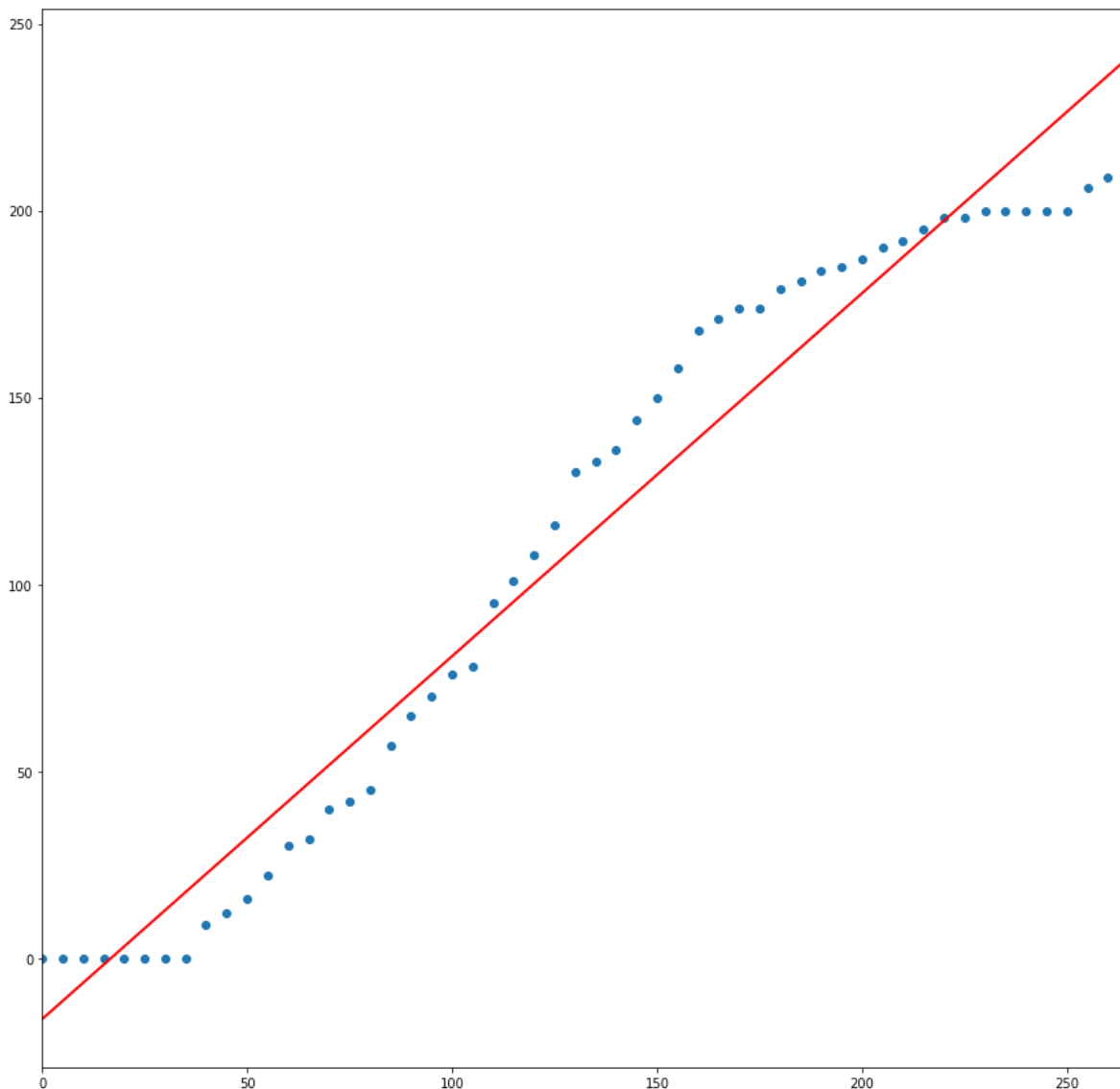
```

sk_linreg = linear_model.LinearRegression()
sk_linreg.fit(time_['PS'][0].reshape(-1, 1), time_['PS'][1].reshape(-1, 1))
prediction = sk_linreg.predict(time_['PS'][0].reshape(-1, 1))

plt.figure()
plt.figure(figsize=(15, 15))
plt.scatter(time_['PS'][0], time_['PS'][1])
plt.plot(time_['PS'][0], prediction, color='red', linewidth=2,
         label="degree 9")
# prediction = polynomial_model.predict(time_['PS'][0].reshape(-1, 1))
plt.xlim(election_df['time_delta'].min(), election_df['time_delta'].max())
plt.show()

```

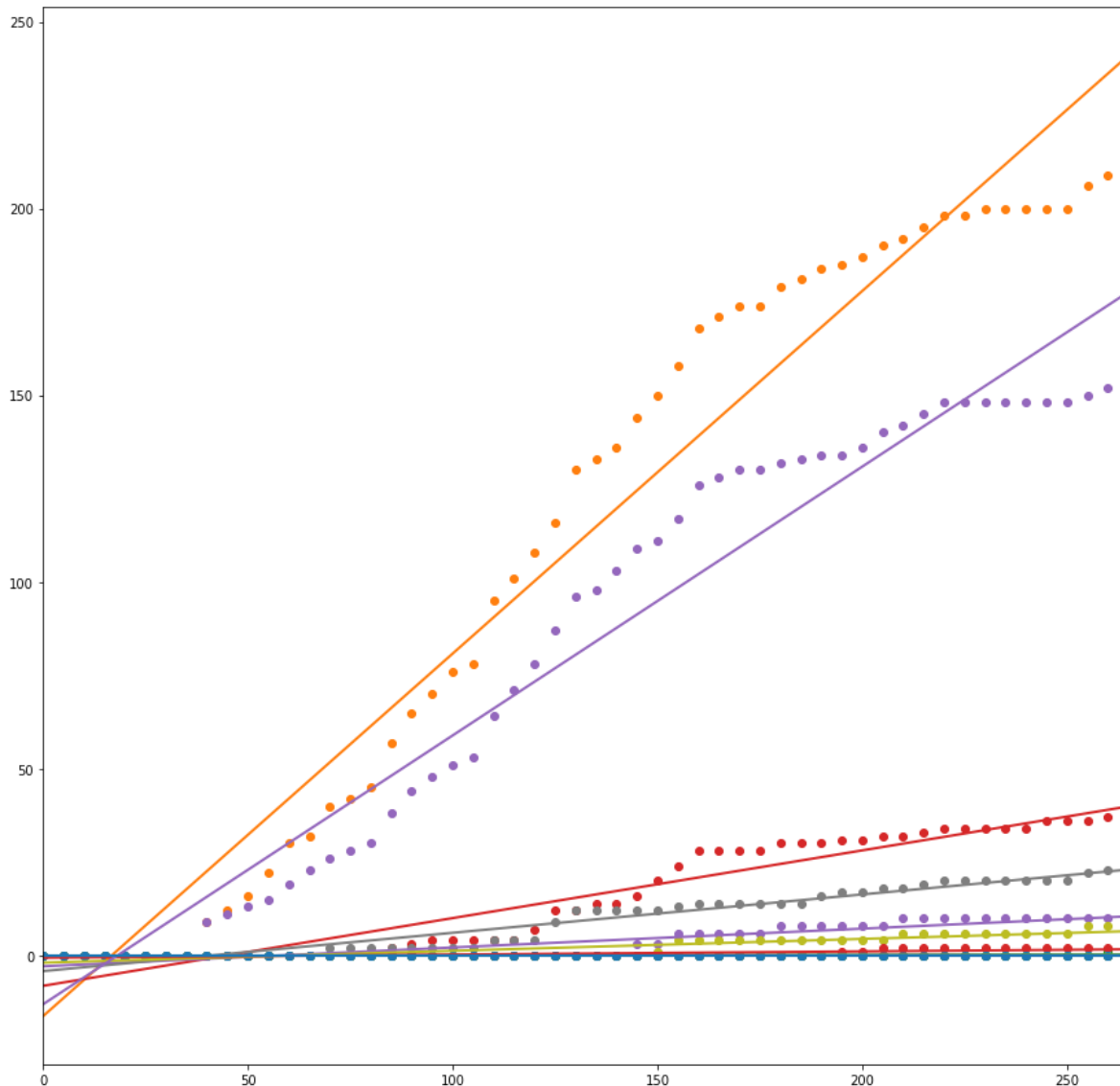
<Figure size 432x288 with 0 Axes>



In [614]:

```
plt.figure()
plt.figure(figsize=(15, 15))
[plt.scatter(time_[party][0], time_[party][1]) for party in parties]
for party in parties:
    sk_linreg.fit(time_[party][0].reshape(-1, 1), time_[party][1].reshape(-1, 1))
    prediction = sk_linreg.predict(time_[party][0].reshape(-1, 1))
    plt.plot(time_[party][0], prediction, linewidth=2)
plt.xlim(election_df['time_delta'].min(), election_df['time_delta'].max())
plt.show()
```

<Figure size 432x288 with 0 Axes>



Plot with Wlasna implementacja

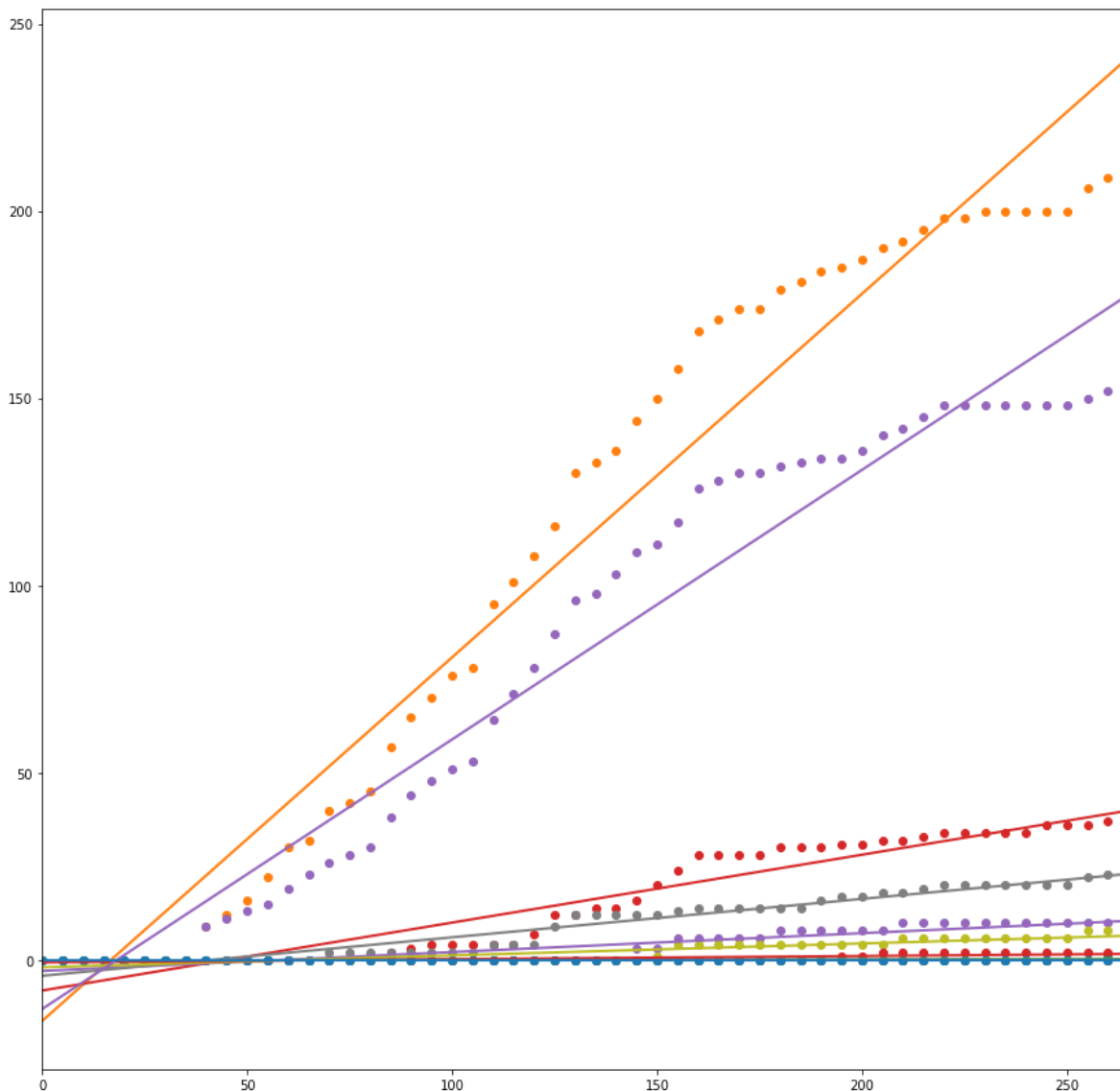
In [615]:

```

plt.figure()
plt.figure(figsize=(15, 15))
[plt.scatter(time_[party][0], time_[party][1]) for party in parties]
for party in parties:
    linreg = LinearRegressionImpl(time_[party][0], time_[party][1])
    prediction = linreg.predict_linear(time_[party][0])
#     sk_linreg.fit(time_[party][0].reshape(-1, 1), time_[party][1].reshape(-1, 1))
#     prediction = sk_linreg.predict(time_[party][0].reshape(-1, 1))
    plt.plot(time_[party][0], prediction, linewidth=2)
plt.xlim(election_df['time_delta'].min(), election_df['time_delta'].max())
plt.show()

```

<Figure size 432x288 with 0 Axes>



In []:

Wyszukiwanie najlepszego czasu dla otrzymania najlepszego wyniku partii sk_learn + bsearch

In [651]:

```
bigest_parties = ['PS', 'PPD/PSD', 'B.E.']
```

In [654]:

```
def binary_search(sequence, item):
    begin_index = 0
    end_index = len(sequence) - 1
    while begin_index <= end_index:
        midpoint = begin_index + (end_index - begin_index)//2
        midpoint_value = sequence[midpoint]
        if midpoint_value in list(range(item-4, item+4)):
            return midpoint
        elif item < midpoint_value:
            end_index = midpoint - 1
        else:
            begin_index = midpoint + 1
    return midpoint_value//2
```

In [655]:

```
for party in biggest_parties:
    sk_linreg.fit(time_[party][1].reshape(-1, 1), time_[party][0].reshape(-1, 1))
    prediction = sk_linreg.predict(time_[party][1].reshape(-1, 1))
    timestamp = time_[party][0][binary_search(list(prediction.flatten(order='C')).astype(int))]
    print(party + "party needs minimum " + str(timestamp) + " time to get " + \
          str(time_[party][1].max()) + " mandates in election")
```

PSparty needs minimum 215.0 time to get 212 mandates in election
 PPD/PSDparty needs minimum 130.0 time to get 154 mandates in election
 B.E.party needs minimum 130.0 time to get 38 mandates in election

In [660]:

```
for party in biggest_parties:
    sk_linreg.fit(time_[party][1].reshape(-1, 1), time_[party][0].reshape(-1, 1))
    prediction = sk_linreg.predict(time_[party][1].reshape(-1, 1))
    for i, predict in enumerate(prediction.flatten(order='C').astype(int)):
        if predict in list(range(time_[party][1].max()-15, time_[party][1].max()+15)):
            print(party + "party needs minimum " + str(predict) + " time to get " + \
                  str(time_[party][1].max()) + " mandates in election")
            break
```

PSparty needs minimum 198 time to get 212 mandates in election
 PPD/PSDparty needs minimum 150 time to get 154 mandates in election
 B.E.party needs minimum 52 time to get 38 mandates in election

Wyszukiwanie najlepszego czasu dla otrzymania najlepszego wynniku partii własna implementacja + bsearch

In [661]:

```
for party in biggest_parties:
    linreg = LinearRegresionImpl(time_[party][1], time_[party][0])
    prediction = linreg.predict_linear(time_[party][1])
    timestamp = time_[party][0][binary_search(list(prediction.flatten(order='C')).astype(int)
    print(party + "party needs minimum " + str(timestamp) + " time to get " + \
          str(time_[party][1].max()) + " mandates in election")
```

PSparty needs minimum 215.0 time to get 212 mandates in election
 PPD/PSDparty needs minimum 130.0 time to get 154 mandates in election
 B.E.party needs minimum 130.0 time to get 38 mandates in election

In [662]:

```
for party in biggest_parties:
    linreg = LinearRegresionImpl(time_[party][1], time_[party][0])
    prediction = linreg.predict_linear(time_[party][1])
    for i, predict in enumerate(prediction.flatten(order='C').astype(int)):
        if predict in list(range(time_[party][1].max()-15, time_[party][1].max()+15)):
            print(party + "party needs minimum " + str(predict) + " time to get " + \
                  str(time_[party][1].max()) + " mandates in election")
            break
```

PSparty needs minimum 198 time to get 212 mandates in election
 PPD/PSDparty needs minimum 150 time to get 154 mandates in election
 B.E.party needs minimum 52 time to get 38 mandates in election

Przez osobliwości algorytmu B-Search brak możliwości wyznaczyć minimalny czas dla partii B.E

Porwnanie Linear Regression sk-learn i własnej implementacji

In [666]:

```
party = 'PS'
```

In [667]:

```
from sklearn import metrics
```

In [668]:

```
import tracemalloc
```

In [680]:

```
%%time

tracemalloc.start()

#####
for i in range(10000):
    sk_linreg.fit(time_[party][1].reshape(-1, 1), time_[party][0].reshape(-1, 1))
    prediction = sk_linreg.predict(time_[party][1].reshape(-1, 1))
#####

current, sk_learn_peak = tracemalloc.get_traced_memory()
print(f"Current:{current / 10**6}MB; Peak was {sk_learn_peak / 10**6}MB")
tracemalloc.stop()
```

Current:0.151747MB; Peak was 0.159136MB
Wall time: 6.87 s

In [681]:

```
abs_er_sk = metrics.mean_absolute_error(time_[party][1], prediction)
sq_er_sk = metrics.mean_squared_error(time_[party][1], prediction)
mean_sq = np.sqrt(metrics.mean_squared_error(time_[party][1], prediction))
print(abs_er_sk)
print(sq_er_sk)
print(mean_sq)
```

20.121296296296308
405.8975358987365
20.14689891518634

In [682]:

```
%%time

tracemalloc.start()

#####
for i in range(10000):
    linreg = LinearRegresionImpl(time_[party][1], time_[party][0])
    prediction = linreg.predict_linear(time_[party][1])
#####

current, my_lin_peak = tracemalloc.get_traced_memory()
print(f"Current:{current / 10**6}MB; Peak was {my_lin_peak / 10**6}MB")
tracemalloc.stop()
```

Current:0.150058MB; Peak was 0.152554MB
Wall time: 2.14 s

In [684]:

```
abs_er = metrics.mean_absolute_error(time_[party][1], prediction)
sq_er = metrics.mean_squared_error(time_[party][1], prediction)
mean = np.sqrt(metrics.mean_squared_error(time_[party][1], prediction))
print(abs_er)
print(sq_er)
print(mean)
```

20.12129629629633

405.89753589873726

20.14689891518636

Algorytmy czasowo działają bardzo szybko i pochłaniają podobną ilość pamięci, ale algorytm własnej implementacji ma brak wszytej normalizacji, a także nie może działać z dopasowaniem do skąplikowanych krzywych które się znajdują w przestrzeniach większych niż 2D

Zaimplementowana przez mnie regressja linjowa ma nieco większy błąd przy większej dokładności co może być problemem dla zadan które potrzebują wielkiej dokładności predykcji

In []:

Index of comments

8.1 predict powinien być oparty na $A = \text{linalg.inv}(X.T @ X) @ (X.T @ y)$