Performance Persistence in Major League Baseball: Wharton Honors Thesis *

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Keywords: performance persistence, baseball, sports analytics

Introduction

Performance persistence is a well-studied trend in the financial literature, particularly involving mutual funds. In general, researchers aim to determine if there is a cross-period effect where fund returns can be predicted using past-period returns.

The performance of sports teams can be measured analogously to mutual fund returns.

Data and Methodology

Calculations and writeups for this paper are done in the R language, using the RMarkdown package for typesetting and reproducibility in code (Xie 2014, Allaire et al. (2015)).

Data

Major sports leagues have come to realize the importance of comprehensive, open datasets. Major League Baseball in particular has been on the forefront of the data revolution. At a high level, we do not require particularly involved data, though. The most important data that we require is number of games won at a per-team level, which is easily found from a variety of sources, and should be easily available for all major sports leagues.

In particular, we use the

Repeat performance methodology

There are several measures through which we measure repeat performance.

First, following (Brown and Goetzmann 1995) we use a nonparametric contingency table-based methodology to measure repeat performance. We define teams as "winners" or "losers" depending on if they win more games than the median number of games won per team for a given year. Then, we measure the behavior of teams in a 2 year period, that is, they are defined as "winner-winner" for 2014 if they are winners for 2014 and also winners in the 2015 season.

Then, we use the cross-product ratio to measure repeat performance.

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$$R_{cp} = \frac{WW * LL}{WL * LW}$$

H_0^1: Performance in the first period is unrelated to performance in the second period. That is, $R_{cp} = 1$.
H_1^1: Performance in the first period is related to performance in the second period. That is, $R_{cp} > 1$.

We can approximate the standard error of the natural log of the odds ratio [TODO: Christensen 1990 p40] as the following:

$$\sigma_{\ln R_{cp}} = \sqrt{WW^{-1} + WL^{-1} + LW^{-1} + LL^{-1}}$$

In the above sequence, we consider a team a winner by its performance relative to the median winrate, which should be roughly 0.500, i.e. 50% winning rate. For the sake of comprehensiveness, we will also measure team performance relative to the 0.500 benchmark.

H_0^2: Performance in the first period is unrelated to performance in the second period. That is, $R_{cp} = 1$.
H_1^2: Performance in the first period is related to performance in the second period. That is, $R_{cp} > 1$.

We also consider a performance measure where teams are considered winners if they make the playoffs.

H_0^3: Making the playoffs in the first period is unrelated to making the playoffs in the second period. That is, $R_{cp} = 1$.
H_1^3: Making the playoffs in the first period is related to making the playoffs in the second period. That is, $R_{cp} > 1$.

Finally, to account for the peculiarities of American League vs National League, the wild-card process, or general nonsense, we will also measure winning rates relative to the "worst" team which does make the playoffs, where worst is defined as fewest wins.

H_0^4: Winning enough games to make the playoffs in the first period is unrelated to winning enough games to make the playoffs in the second period. That is, $R_{cp} = 1$.
H_1^4: Winning enough games to make the playoffs in the first period is related to winning enough games to make the playoffs in the second period. That is, $R_{cp} > 1$.

Bibliography

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