CS 372

Assignment 1 - KNN, Naive Bayes, Python, and You!

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```
In [26]: # Question 1. (Grace Biggs)
         # Exploratory Data Analysis For Iris Dataset
         ## 1.1. Check for missing data and duplicates.
         import pandas as pd
         df = pd.read_csv('iris.csv')
         print("Dataframe: ")
         print(df)
         print("Duplicate rows: ")
         print(df.duplicated().sum()) # no duplicates
         print("Missing values: ")
         print(df.isnull().sum()) # 8 values missing from the sepal width column, most are Versicolor.
         mode = "median"
         if mode == "median":
             # Fill missing values with median
             df['sepal width (cm)'] = df.groupby('species')['sepal width (cm)'].transform(
                 lambda x: x.fillna(x.median())
         elif mode == "mean":
             df['sepal width (cm)'] = df.groupby('species')['sepal width (cm)'].transform(
                 lambda x: x.fillna(x.mean())
```

```
elif mode == "drop":
    # Drop rows with missing values in sepal_width
    df = df.dropna(subset=['sepal width (cm)'])

print(df.isnull().sum()) # Should show no missing values
print(df.groupby('species')['sepal width (cm)'].describe()) # Check distributions
print(df.duplicated().sum()) # Still no duplicates
```

```
Dataframe:
     sepal length (cm) sepal width (cm) petal length (cm) petal width (cm) \
0
              5.993117
                                2.500989
                                                  4.542148
                                                                    1.348742
1
              5.657568
                                3.714626
                                                  1.800290
                                                                    0.531637
2
             7.751423
                                2.662903
                                                  7.174372
                                                                    2.335111
3
              5.938142
                                3.034625
                                                   4.448674
                                                                    1.426435
4
             7.054747
                                2.741609
                                                   4.268965
                                                                    1.469104
. .
                   . . .
                                    . . .
                                                       . . .
                                                                         . . .
              5.857968
147
                                3.949036
                                                   1.170024
                                                                    0.305553
148
              5.966645
                                2.334692
                                                   3.927622
                                                                    1.186082
149
             7.197063
                                2.845467
                                                   5.882156
                                                                    2.105997
                                                                    2.000000
150
             10.000000
                                3.500000
                                                   8.000000
                                                  1.500000
151
             4.500000
                                2.000000
                                                                    0.200000
        species
0
     versicolor
1
        setosa
2
    virginica
     versicolor
3
4
     versicolor
           . . .
. .
147
         setosa
148 versicolor
149
     virginica
150 virginica
151
         setosa
[152 rows x 5 columns]
Duplicate rows:
Missing values:
sepal length (cm)
sepal width (cm)
petal length (cm)
petal width (cm)
species
dtype: int64
sepal length (cm)
sepal width (cm)
petal length (cm)
```

petal width (cm)

species

```
dtype: int64
                                                                     75% \
           count
                               std
                                         min
                                                  25%
                                                           50%
                     mean
species
setosa
            51.0 3.394057 0.426475 2.000000 3.155648 3.412096 3.634380
versicolor
           50.0 2.764053 0.370867 2.113478 2.496900 2.736450 2.988227
virginica
            51.0 2.973556 0.345741 2.251872 2.768942 2.952301 3.183904
                max
species
setosa
           4.571993
versicolor 3.486770
virginica
           3.790361
```

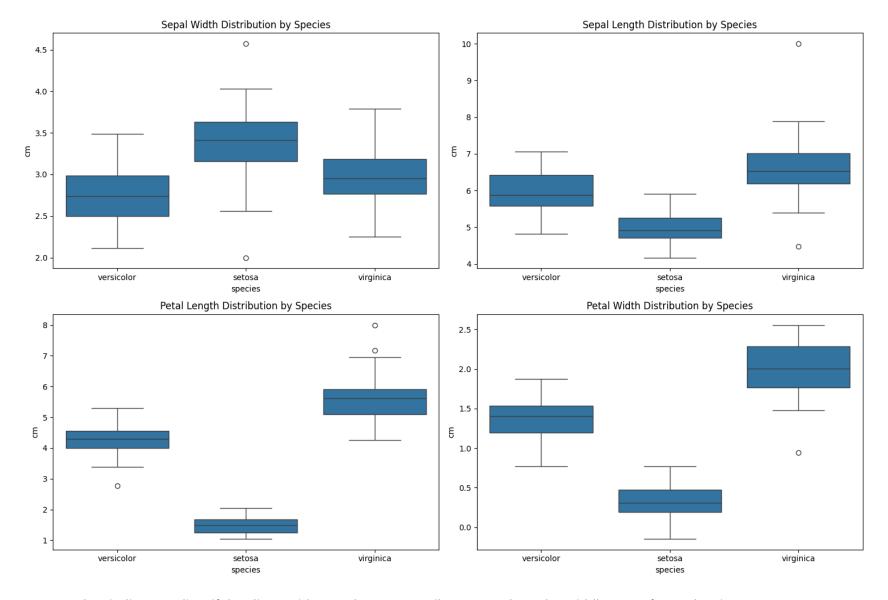
a.ii. Imputation is best used when you want to retain a dataset's sample size at the risk of some potentially inaccurate data. Conversely, Deletion is best when you can get away with reducing the sample size. Dropping the rows with missing values would mean losing 5% of the total dataset and all the useful information we could glean from the non-empty values in those rows. As such, we'll go ahead and use Median Imputation.

b. There were no duplicate rows in the provided dataset.

```
In [27]: # 1.2. Draw box plots for each feature to spot outliers.
         import matplotlib.pyplot as plt # Could use pandas to graph, but let's try seaborn.
         import seaborn as sns # https://seaborn.pydata.org/generated/seaborn.boxplot.html
         plt.figure(figsize=(15, 10))
         # Sepal width - known to have outliers
         plt.subplot(2, 2, 1)
         sns.boxplot(x='species', y='sepal width (cm)', data=df)
         plt.title('Sepal Width Distribution by Species')
         plt.ylabel('cm')
         # Sepal Length
         plt.subplot(2, 2, 2)
         sns.boxplot(x='species', y='sepal length (cm)', data=df)
         plt.title('Sepal Length Distribution by Species')
         plt.ylabel('cm')
         # Petal Length
         plt.subplot(2, 2, 3)
```

```
sns.boxplot(x='species', y='petal length (cm)', data=df)
plt.title('Petal Length Distribution by Species')
plt.ylabel('cm')

# Petal width
plt.subplot(2, 2, 4)
sns.boxplot(x='species', y='petal width (cm)', data=df)
plt.title('Petal Width Distribution by Species')
plt.ylabel('cm')
plt.tight_layout()
plt.show()
```

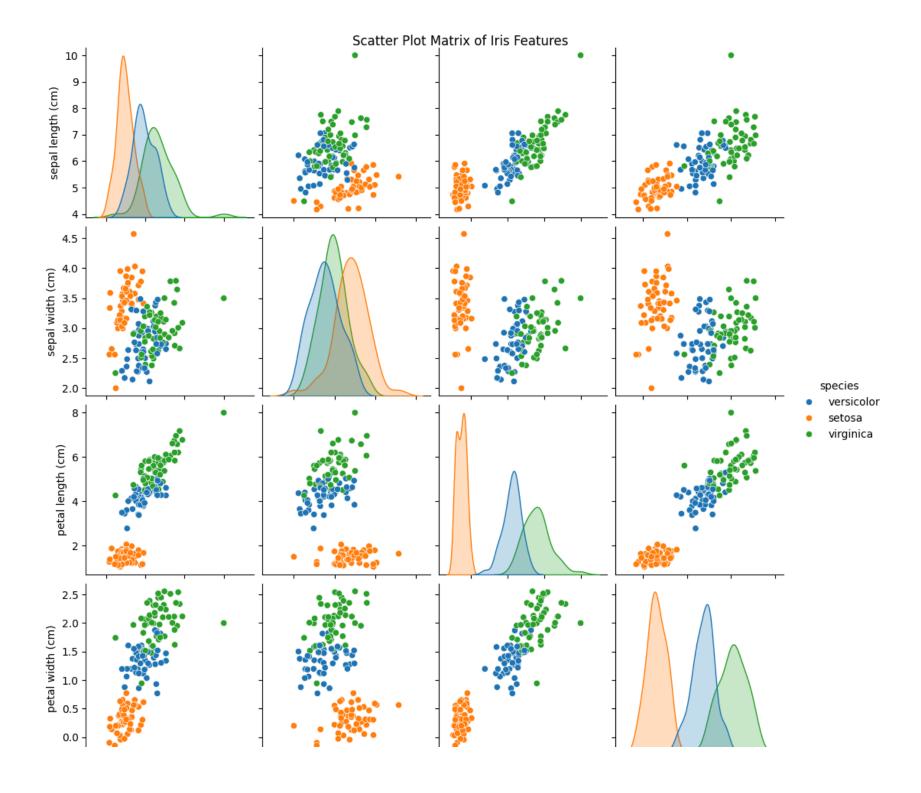


a. Box Plots indicate outliers if they lie outside 1.5x the Interquartile Range (where the middle 50% of your data is).

b. Virginica sports the most variation of the three species, with the most outliers and the widest overall distributions. Setosa is characterized by its small petals and short-but-wide sepals. Versicolor, by comparison, feels like the middle child of the three, with the most middling distributions.

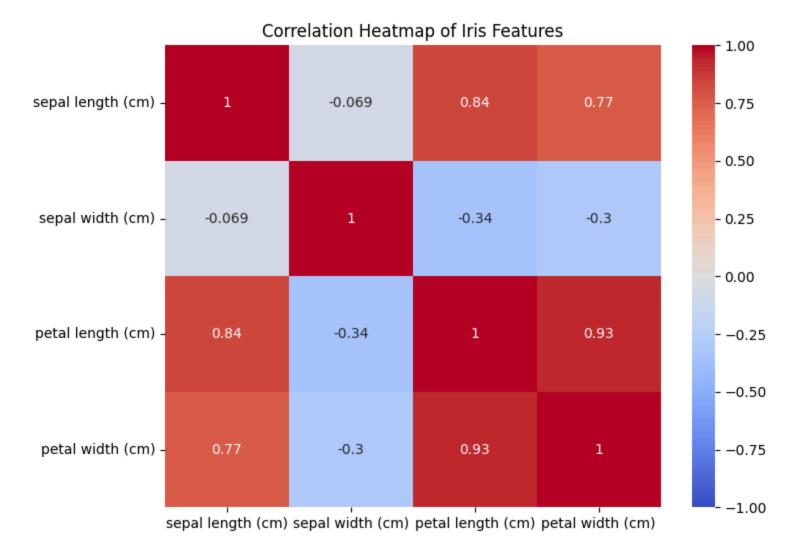
c. We have eight outliers. Of them, five outliers belong to Virginica. This could be due to natural variation of Virginica, skewed feature distributions, or subjectivity in the measurements regarding where petals/sepals' lengths begin and end. Virginica also has a much wider distribution for petal length and width than the other species.

```
In [28]: ## 1.3. Draw a Scatter Plot Matrix for Iris flowers' descriptive features.
sns.pairplot(df, hue='species', diag_kind='kde')
plt.suptitle('Scatter Plot Matrix of Iris Features', y=1.0)
plt.show()
```



- a. At a glance, the petal lengths and widths are the most separate from each other between species note the plots on the diagonals. Setosa in particular shares almost none of the same lengths as the other two species.
- b. Scatterplot Matrices visualize the relationships between features and let you see if they're correlated. For example, this one lets us see that petal widths and sepal lengths seem to be linearly correlated, while sepal lengths and sepal widths seem to be independent of each other (really, anything to do with sepal widths seems independent of everything else).

```
In [29]: ## 1.4. Plot Heatmap correlation for descriptive features.
plt.figure(figsize=(8,6))
corr = df.drop(columns='species').corr()
sns.heatmap(corr, annot=True, cmap='coolwarm', vmin=-1, vmax=1)
plt.title('Correlation Heatmap of Iris Features')
plt.show()
```



b.ii. The most striking takeaway from this heatmap is that sepal width seems to be aggressively unrelated from the other three features, while everything else is pretty clearly correlated.

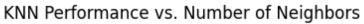
```
In [30]: # Split the data 80/20. (Grace Biggs (I think this is still question 1?))
## 1. Preserve the proportion of each class when splitting.
## 2. Shuffle data before split. Also make sure this code block reruns and randomizes the split correctly.
import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
```

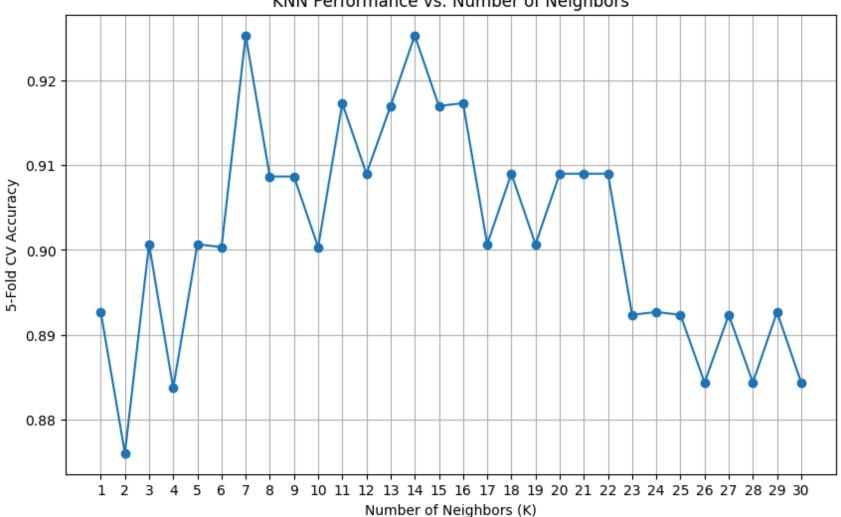
```
from sklearn.model selection import train test split # https://scikit-learn.org/stable/modules/generated/sklearn.model
         X = df.drop(columns='species')
         y = df['species']
         X_train, X_test, y_train, y_test = train_test_split(
             Χ, γ,
             test size=0.2,
             stratify=y,
             shuffle=True,
             random state=42
In [31]: # KNN (Grace Biggs)
         ## 3. Use StandardScaler to put all descriptive features on the same scale.
         import numpy as np
         import matplotlib.pyplot as plt
         import pandas as pd
         from sklearn.preprocessing import StandardScaler # https://scikit-learn.org/stable/modules/generated/sklearn.preproce
         from sklearn.neighbors import KNeighborsClassifier # https://scikit-learn.org/stable/modules/generated/sklearn.neighb
         from sklearn.model_selection import cross_val_score # https://scikit-learn.org/stable/modules/cross_validation.html
         scaler = StandardScaler()
         X train scaled = scaler.fit transform(X train)
         X_test_scaled = scaler.transform(X_test)
         ## 4. Implement KNN using SKLearn's KNeighborsClassifier.
         ## 5. Experiment with different distance metrics (Euclidean and Manhattan). Compare the two and comment on your find
         metrics = ['euclidean', 'manhattan']
         results = {}
         for metric in metrics:
             knn = KNeighborsClassifier(n_neighbors=5, metric=metric)
             knn.fit(X_train_scaled, y_train)
             train_acc = knn.score(X_train_scaled, y_train)
             test_acc = knn.score(X_test_scaled, y_test)
             results[metric] = {'train': train_acc, 'test': test_acc}
         print("Metric Comparison:")
         for metric, scores in results.items():
             print(f"{metric.capitalize()} - Train: {scores['train']:.4f}, Test: {scores['test']:.4f}")
         # Euclidean performs 3% better than Manhattan on the Test dataset, and only marginally worse than Manhattan on the tr
         # Both are comparable to each other but it's safe to say that Euclidean provides better accuracy.
```

```
## 6. Choose the best number of neighbors using 5-fold cross validation.
# https://scikit-learn.org/stable/modules/generated/sklearn.metrics.accuracy score.html
k values = np.arange(1, 31) # Realistically overkill but this makes for a nice graph
cv scores = []
for k in k values:
    knn = KNeighborsClassifier(n neighbors=k, metric='euclidean')
    scores = cross val score(knn, X train scaled, y train, cv=5, scoring='accuracy')
    cv scores.append(scores.mean())
## 7. Draw a 2D plot to show the average accuracy of KNN classifier vs. different values of K. Analyze the result and
plt.figure(figsize=(10, 6))
plt.plot(k values, cv scores, marker='o', linestyle='-')
plt.title('KNN Performance vs. Number of Neighbors')
plt.xlabel('Number of Neighbors (K)')
plt.ylabel('5-Fold CV Accuracy')
plt.xticks(k values)
plt.grid(True)
plt.show()
best k = k values[np.argmax(cv scores)]
print(f"Best K: {best k} with accuracy: {max(cv scores):.4f}")
## 8. Evaluate your model on the test data using Accuracy based on the best K found above.
best knn = KNeighborsClassifier(n neighbors=best k, metric='euclidean')
best knn.fit(X train scaled, y train)
test accuracy = best knn.score(X test scaled, y test)
print(f"\nTest Accuracy (k={best k}): {test accuracy:.4f}")
## Show misclassified flowers in a table, with the true label in one column and the predicted table in another column
y pred = best knn.predict(X test scaled)
misclassified = X test.copy()
misclassified['true species'] = y test
misclassified['predicted species'] = y pred
misclassified = misclassified[y_test != y_pred]
print("\nMisclassified Flowers:")
print(misclassified[['true_species', 'predicted_species']])
# Three flowers misclassified
```

Metric Comparison:

Euclidean - Train: 0.9256, Test: 0.9032 Manhattan - Train: 0.9339, Test: 0.8710





```
Best K: 7 with accuracy: 0.9253

Test Accuracy (k=7): 0.9032

Misclassified Flowers:
    true_species predicted_species
110 versicolor virginica
111 virginica versicolor
84 versicolor virginica
```

- 5. Euclidean performs 3% better than Manhattan on the Test dataset, and only marginally worse than Manhattan on the training set. Both are comparable to each other but it's safe to say that Euclidean provides better accuracy.
- 6. (This comment intentionally left blank.)
- 7. K=7 is the obvious best choice, but K=14 having the same accuracy is notable. It seems that the range of 7 through 16 contains the most reasonable choices, after which we see a noticeable drop-off in accuracy.
- 8. Seems our model has some trouble with versicolors and virginicas. This might be related to Virginicas having the most outliers out of the species. Overall though, the model has pretty good accuracy and is definitely a step up from random guessing.

```
In [32]: # Naive Bayes (Grace Biggs)
## 1. Use the built-in SKlearn library to predict the species of Iris in the test dataset.
from sklearn.naive_bayes import GaussianNB # https://scikit-learn.org/stable/modules/generated/sklearn.naive_bayes.Ga
from sklearn.metrics import accuracy_score # https://scikit-learn.org/stable/modules/generated/sklearn.metrics.accura

nb_classifier = GaussianNB()
nb_classifier.fit(X_train_scaled, y_train)
y_pred_nb = nb_classifier.predict(X_test_scaled)

## 2. Use Accuracy to assess the performance of your classifier.
nb_accuracy = accuracy_score(y_test, y_pred_nb)
print(f"\nNaive Bayes Test Accuracy: {nb_accuracy:.4f}")

## 3. Show misclassified flowers in a table, with the true label in one column and the predicted table in another col
misclassified_nb = X_test.copy()
misclassified_nb['true_species'] = y_test
misclassified_nb['predicted_species'] = y_pred_nb
misclassified_nb = misclassified_nb[y_test != y_pred_nb]
```

```
print("\nMisclassified Flowers (Naive Bayes):")
         print(misclassified_nb[['true_species', 'predicted_species']])
         # Accuracy and misclassifications are exactly the same as KNN...
       Naive Bayes Test Accuracy: 0.9032
       Misclassified Flowers (Naive Bayes):
            true_species predicted_species
       110 versicolor
                                virginica
       111 virginica
                               versicolor
           versicolor
       84
                                virginica
In [33]: # Question 2. Predicting the onset of diabetes based on diagnostic measures. (Brandon L'Abbe)
         # Exploratory Data Analysis of Pima Indians Diabetes Database.
         import pandas as pd
         import matplotlib.pyplot as plt
         import seaborn as sns
         ## 1. Check for missing data and duplicates.
         df = pd.read csv('diabetes.csv')
         print(df)
         print("Duplicate rows: ")
         print(df.duplicated().sum()) # no duplicates
         # For this dataset, there are no empty values, but there are some columns with an invalid value of 0
         # We will deal with this in Step 5 where we are suppose to identify unrealistic values
         print("Missing values: ")
         print(df.isnull().sum())
         ## 2. Draw a Scatter Plot Matrix
         sns.pairplot(df, hue='Outcome', diag kind='kde')
         plt.suptitle('Scatter Plot Matrix of Diabetes Features', y=1.0)
         plt.show()
         ## 3. Draw a Box Plot to spot outliers.
         plt.figure(figsize=(10, 6))
         sns.boxplot(data=df.drop(columns='Outcome'))
         plt.title('Box Plot of Diabetes Features')
         plt.show()
         # TODO: Document decisions on how to handle outliers based on your analysis and reasoning.
```

```
## 4. Plot Heatmap correlation for descriptive features.
plt.figure(figsize=(8,6))
corr = df.drop(columns='Outcome').corr()
sns.heatmap(corr, annot=True, cmap='coolwarm', vmin=-1, vmax=1)
plt.title('Correlation Heatmap of Diabetes Features')
plt.show()
## 5. Identify features containing unrealistic zero values
# We want to check Glucose, Blood Pressure, and BMI for zeroes, all other columns can have 0 values
# To deal with this, we should treat them the same as missing values, replacing the 0s with the median value
sns.histplot(df, y='Glucose')
plt.title('Before Imputation Glucose Histogram')
plt.show()
sns.histplot(df, y='BloodPressure')
plt.title('Before Imputation Blood Pressure Histogram')
plt.show()
sns.histplot(df, y='BMI')
plt.title('Before Imputation BMI Histogram')
plt.show()
sns.kdeplot(df, y='Glucose')
plt.title('Before Imputation Glucose Density Plot')
plt.show()
sns.kdeplot(df, y='BloodPressure')
plt.title('Before Imputation Blood Pressure Density Plot')
plt.show()
sns.kdeplot(df, y='BMI')
plt.title('Before Imputation BMI Density Plot')
plt.show()
print("Invalid values: ")
missing value rows = df.query('Glucose == 0 or BloodPressure == 0 or BMI == 0')
print(missing value rows.count()['BMI']) # Arbitraility polling the count for the BMI column (they are all the same of
#Replace invalid values with median
df['Glucose'] = df.groupby('Outcome')['Glucose'].transform(
```

```
lambda x: x.replace(0, x.median())
)
df['BloodPressure'] = df.groupby('Outcome')['BloodPressure'].transform(
    lambda x: x.replace(0, x.median())
df['BMI'] = df.groupby('Outcome')['BMI'].transform(
    lambda x: x.replace(0, x.median())
#Post Imputation Plots... These show the 0 groups disappearing
sns.histplot(df, y='Glucose')
plt.title('After Imputation Glucose Histogram')
plt.show()
sns.histplot(df, y='BloodPressure')
plt.title('After Imputation Blood Pressure Histogram')
plt.show()
sns.histplot(df, y='BMI')
plt.title('After Imputation BMI Histogram')
plt.show()
sns.kdeplot(df, y='Glucose')
plt.title('After Imputation Glucose Density Plot')
plt.show()
sns.kdeplot(df, y='BloodPressure')
plt.title('After Imputation Blood Pressure Density Plot')
plt.show()
sns.kdeplot(df, y='BMI')
plt.title('After Imputation BMI Density Plot')
plt.show()
# Split the data 80/20.
## 1. Preserve the proportion of each class when splitting.
## 2. Shuffle data before split. Also make sure this code block reruns and randomizes the split correctly.
import numpy as np
from sklearn.model selection import train_test_split # https://scikit-learn.org/stable/modules/generated/sklearn.model
```

```
X = df.drop(columns='Outcome')
y = df['Outcome']
X_train, X_test, y_train, y_test = train_test_split(
    X, y,
    test_size=0.2,
    stratify=y,
    shuffle=True,
    random_state=42
)
```

	Pregnancies	Glucose	BloodPressure	SkinThickness	Insulin	BMI	\
0	6	148	72	35	0	33.6	
1	1	85	66	29	0	26.6	
2	8	183	64	0	0	23.3	
3	1	89	66	23	94	28.1	
4	0	137	40	35	168	43.1	
			• • •	• • •	• • •		
763	10	101	76	48	180	32.9	
764	2	122	70	27	0	36.8	
765	5	121	72	23	112	26.2	
766	1	126	60	0	0	30.1	
767	1	93	70	31	0	30.4	

	DiabetesPedigreeFunction	Age	Outcome
0	0.627	50	1
1	0.351	31	0
2	0.672	32	1
3	0.167	21	0
4	2.288	33	1
• •	•••		
763	0.171	63	0
764	0.340	27	0
765	0.245	30	0
766	0.349	47	1
767	0.315	23	0

[768 rows x 9 columns]

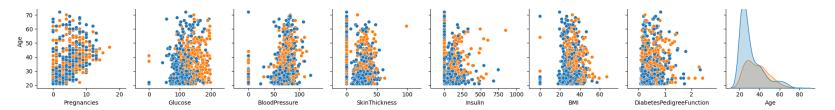
Duplicate rows:

0

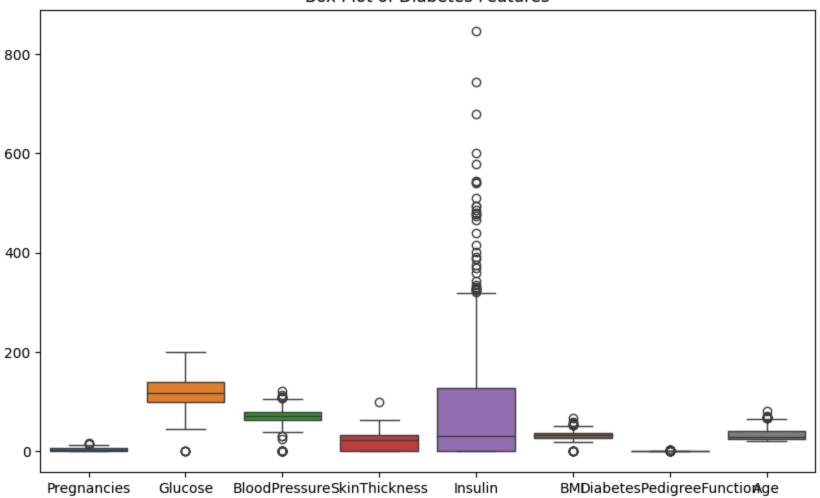
Missing values:

Pregnancies 0
Glucose 0
BloodPressure 0
SkinThickness 0
Insulin 0
BMI 0
DiabetesPedigreeFunction 0
Age 0
Outcome 0

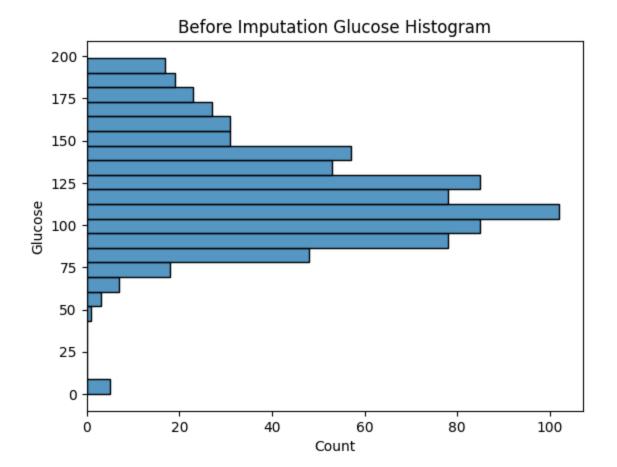
dtype: int64

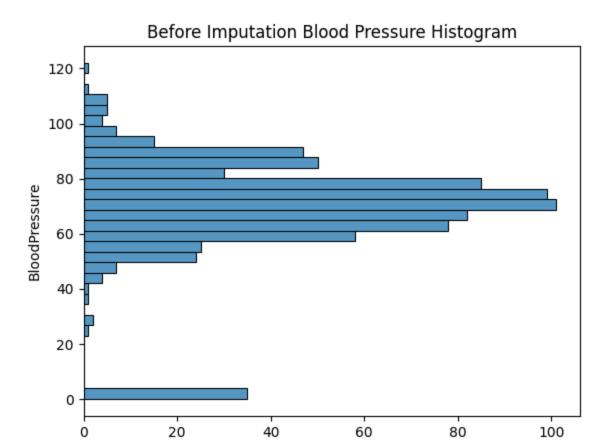


Box Plot of Diabetes Features

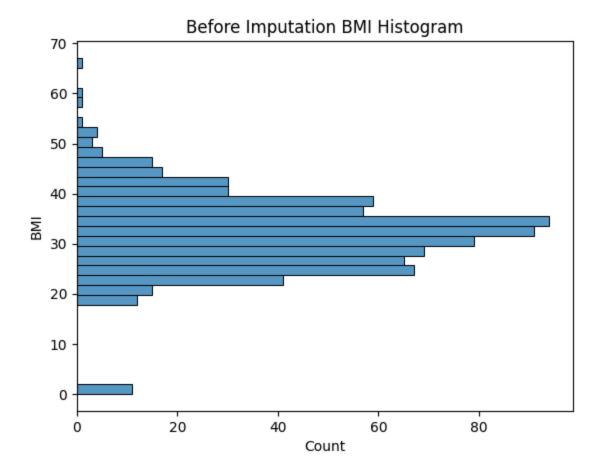


Correlation Heatmap of Diabetes Features 1.00 Pregnancies -1 0.13 0.54 0.14 -0.082 -0.074 0.018 -0.034 - 0.75 Glucose - 0.13 0.057 0.33 0.22 1 0.15 0.14 0.26 - 0.50 BloodPressure - 0.14 0.15 1 0.21 0.089 0.28 0.041 0.24 - 0.25 SkinThickness - -0.082 0.057 0.39 0.18 0.21 1 0.44 -0.11 - 0.00 Insulin - -0.074 0.33 0.089 0.44 1 0.2 0.19 -0.042 - -0.25 BMI - 0.018 0.22 0.28 0.39 0.2 1 0.14 0.036 - -0.50 DiabetesPedigreeFunction - -0.034 0.14 1 0.034 0.14 0.041 0.18 0.19 - -0.75 Age -0.54 0.26 0.24 -0.11 -0.042 0.036 0.034 1 -1.00Glucose Age Insulin BMI Pregnancies BloodPressure SkinThickness DiabetesPedigreeFunction

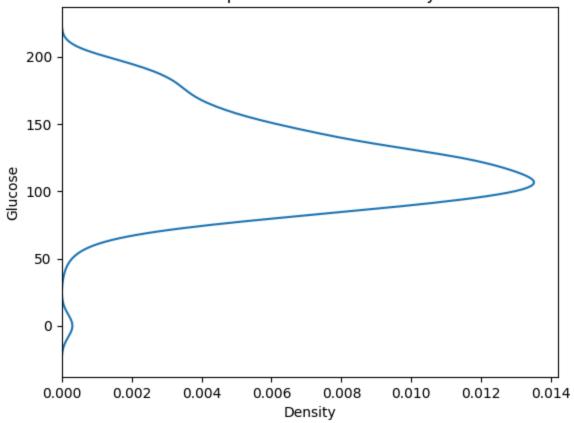




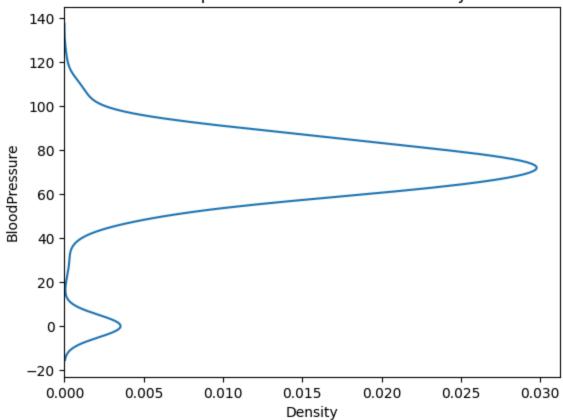
Count



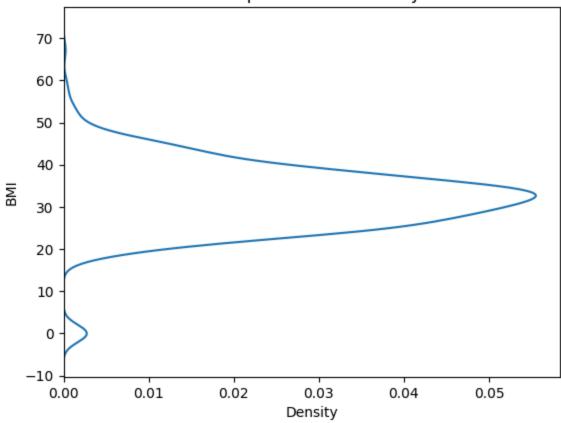




Before Imputation Blood Pressure Density Plot

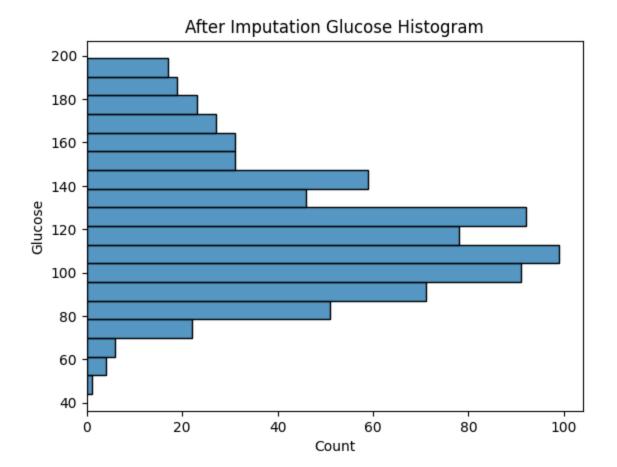


Before Imputation BMI Density Plot

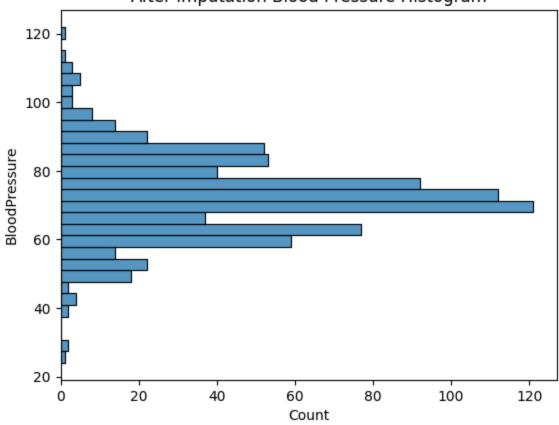


Invalid values:

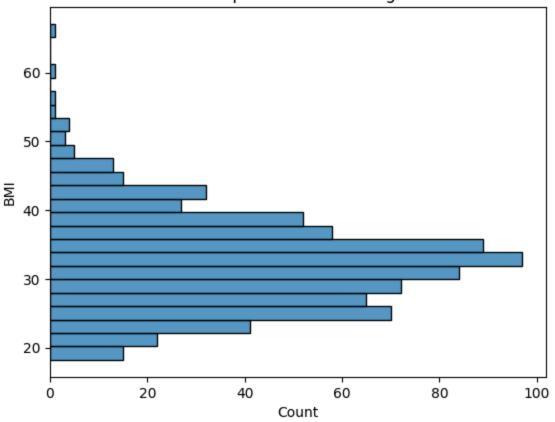
44

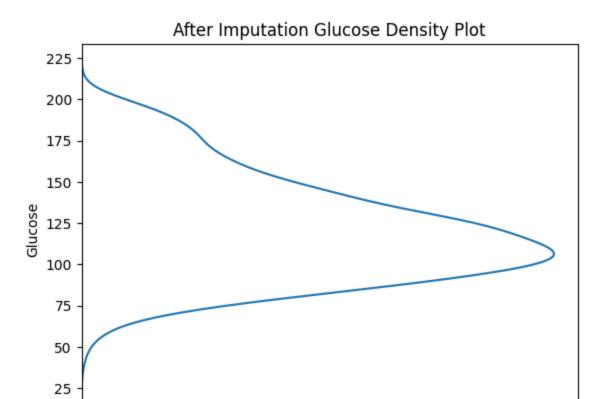


After Imputation Blood Pressure Histogram



After Imputation BMI Histogram





0.006

0.008

Density

0.010

0.012

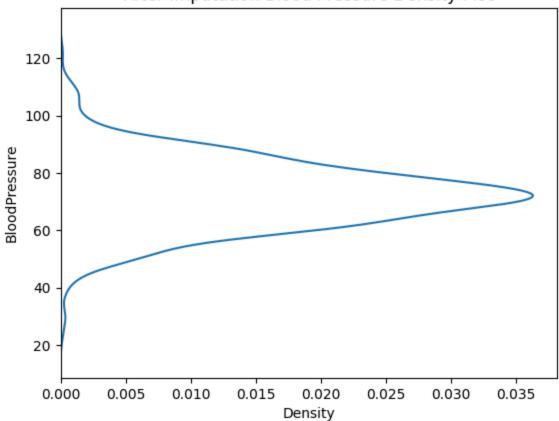
0.014

0.004

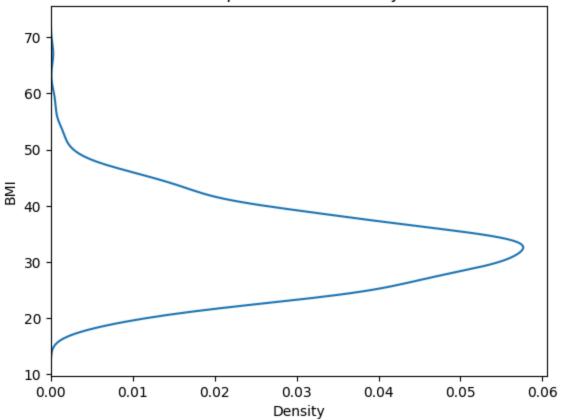
0.002

0.000

After Imputation Blood Pressure Density Plot



After Imputation BMI Density Plot



```
In [34]: #Question 2 Part 1 (Zhiyi)
# 1. [7 points] You need to implement KNN from scratch:
#a) [5 points] Implement Euclidean Distance from scratch (please, don't use built-in library).
#b) [2 points] Use Min-Max to normalize the dataset.
def euclidean_distance(row0, row1):
    return np.sqrt(np.sum((row0 - row1) ** 2))

def min_max_normalize(dataset):
    dataset_normalized = dataset.copy()
    for col in dataset.columns:
        min_val = dataset[col].min()
        max_val = dataset[col].max()
        dataset_normalized[col] = (dataset[col] - min_val) / (max_val - min_val)
```

```
return dataset_normalized
min_max_normalize(df)
```

_		F 0	4.7	
()1	11	1 3	4	
\circ	4 6	1 -	_	4

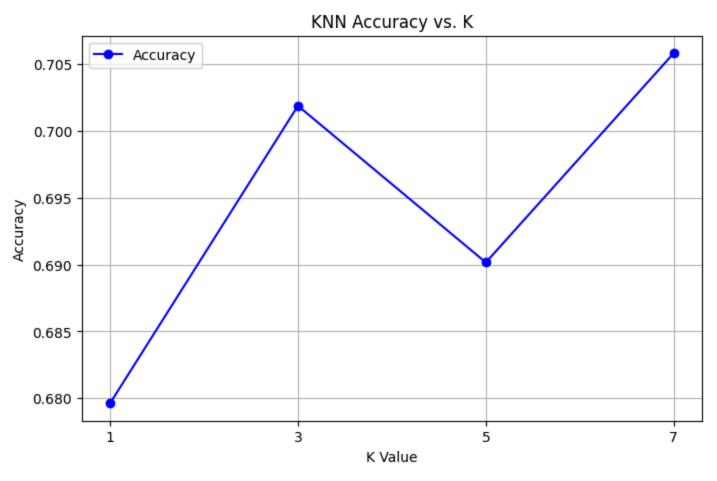
: 	Pregnancies	Glucose	BloodPressure	SkinThickness	Insulin	ВМІ	DiabetesPedigreeFunction	Age	Outcome
0	0.352941	0.670968	0.489796	0.353535	0.000000	0.314928	0.234415	0.483333	1.0
1	0.058824	0.264516	0.428571	0.292929	0.000000	0.171779	0.116567	0.166667	0.0
2	0.470588	0.896774	0.408163	0.000000	0.000000	0.104294	0.253629	0.183333	1.0
3	0.058824	0.290323	0.428571	0.232323	0.111111	0.202454	0.038002	0.000000	0.0
4	0.000000	0.600000	0.163265	0.353535	0.198582	0.509202	0.943638	0.200000	1.0
•••								•••	
763	0.588235	0.367742	0.530612	0.484848	0.212766	0.300613	0.039710	0.700000	0.0
764	0.117647	0.503226	0.469388	0.272727	0.000000	0.380368	0.111870	0.100000	0.0
765	0.294118	0.496774	0.489796	0.232323	0.132388	0.163599	0.071307	0.150000	0.0
766	0.058824	0.529032	0.367347	0.000000	0.000000	0.243354	0.115713	0.433333	1.0
767	0.058824	0.316129	0.469388	0.313131	0.000000	0.249489	0.101196	0.033333	0.0

768 rows × 9 columns

```
# In case of tie, KNN algorithm prefers the neighbor with closer distance to the query.
                 closest_index = distances.index(min(distances))
                 return labels[closest index]
         def knn classify(k, labeled points, new point):
             # order the labeled points from nearest to farthest
             by_distance = sorted(labeled_points, key=lambda pair: euclidean_distance(pair[0], new_point))
             # find the labels for the k closest
             k_nearest_labels = [label for _, label in by_distance[:k]]
             k_nearest_distances = [euclidean_distance(pair[0], new_point) for pair in by_distance[:k]] # K nearest distances
             # and Let them vote
             return majority_vote(k_nearest_labels, k_nearest_distances)
In [36]: # 5-fold cross validation
         # reference: https://www.geeksforgeeks.org/cross-validation-using-k-fold-with-scikit-learn/
         from sklearn.model selection import KFold
         def cross validate knn(df, k values=[1,3,5,7]):
             X = df.iloc[:, :-1].values #Features
             y = df.iloc[:, -1].values #Labels
             kf = KFold(n_splits = 5, shuffle = True, random_state = 42)
             accuracies = {k: [] for k in k values}
             for train_idx, val_idx in kf.split(X):
                 X_train, X_val = X[train_idx], X[val_idx]
                 y train, y val = y[train idx], y[val idx]
                 labeled_train = list(zip(X_train, y_train))
                 for k in k values:
                     predictions = [knn_classify(k, labeled_train, x) for x in X_val]
                     accuracy = np.mean(predictions == y_val)
                     accuracies[k].append(accuracy)
             #compute mean accuracy for each K value
             avg_accuracies = {k:np.mean(v) for k, v in accuracies.items()}
             #select hest K
             best_k = max(avg_accuracies, key = avg_accuracies.get)
             return best_k, avg_accuracies
```

```
# find optimal k using 5-fold Cross Validation
        best k, accuracy results = cross validate knn(df)
        print(f"Optimal K: {best k}")
        print(accuracy_results)
       Optimal K: 7
       {1: 0.6796367031661149, 3: 0.7018589253883372, 5: 0.6901536372124608, 7: 0.7057889822595704}
In [ ]: # K value vs. Accuracy: draw a 2D plot to show the accuracy of KNN classifier vs different number of k's.
        from sklearn.model selection import train test split
        # split dataset (80% training, 20% testing)
        X train, X test, y train, y test = train test split(df.iloc[:, :-1], df.iloc[:, -1], test size=0.2)
        # prepare labeled training points
        labeled train = list(zip(X train.values, y train.values))
        # use optimal k = 7 found through cross-validation
        predictions = [knn classify(best k, labeled train, x) for x in X test.values]
        # Compute Accuracy
        final_accuracy = np.mean(predictions == y test)
        print(f"Final Test Accuracy using K={best k}: {final accuracy:.4f}")
       Final Test Accuracy using K=7: 0.7403
In [ ]: # K value vs. Accuracy: draw a 2D plot to show the accuracy of KNN classifier vs different number of k's.
        # # reference: co-pilot (I used co-pilot to look for the functions to look for the steps to create the plot
        # because I'm not familiar with matplot and figure the usage should be straightforward) and
        # https://stackoverflow.com/questions/45075638/qraph-k-nn-decision-boundaries-in-matplotlib
        import matplotlib.pyplot as plt
        # Extract K values and corresponding accuracies
        k values = list(accuracy results.keys())
        accuracies = list(accuracy results.values())
        # Create the plot
        plt.figure(figsize=(8,5))
        plt.plot(k values, accuracies, marker='o', linestyle='-', color='b', label="Accuracy")
        # Labels and title
```

```
plt.xlabel("K Value")
plt.ylabel("Accuracy")
plt.title("KNN Accuracy vs. K")
plt.xticks(k_values)
plt.grid()
plt.legend()
plt.show()
```



In []: # Comment on the result and print misclassified records in table format where you show the true label in one column of # label in another column.

reference: co-pilot (same reason as above --- used co-pilot to look for the steps because I was unfamiliar, and the # reference https://github.com/scikit-learn/scikit-learn/issues/18533)

import pandas as pd

```
# Create a DataFrame showing misclassified instances
misclassified = pd.DataFrame({'True Label': y_test, 'Predicted Label': predictions})
# Filter misclassified cases
misclassified_records = misclassified[misclassified['True Label'] != misclassified['Predicted Label']]
# Print the table
print(misclassified_records)
```

	True Label	Predicted Label
660	0	1
336	0	1
276	1	0
419	1	0
667	1	0
433	0	1
254	1	0
387	1	0
657	0	1
541	1	0
645	0	1
184	0	1
444	1	0
72	1	0
153	0	1
755	1	0
95	0	1
246	0	1
728	0	1
659	1	0
166	0	1
622	0	1
272	0	1
638	1	0
405	0	1
107	0	1
506	1	0
335	0	1
270	1	0
218	1	0
473	0	1
673	0	1
569	1	0
542	1	0
286	0	1
560	1	0
304	0	1
54	0	1
212	0	1
44	0	1

```
In [40]: # Question 2 Part 2 (Lane)
         print("\nQuestion 2 Part 2: Predicting the onset of diabetes based on diagnostic measures.")
         # fit a Gaussian Naive Bayes model to the training data
         from sklearn.naive_bayes import GaussianNB # https://scikit-learn.org/stable/modules/generated/sklearn.naive_bayes.Gd
         model = GaussianNB()
         model.fit(X_train, y_train)
        Question 2 Part 2: Predicting the onset of diabetes based on diagnostic measures.
Out[40]:
             GaussianNB
         GaussianNB()
In [41]: # Q2P2 Accuracy
         from sklearn.metrics import accuracy score
         y pred = model.predict(X test)
         naive accuracy = accuracy score(y test, y pred)
         print(f"Accuracy of Naive Bayes model: {naive accuracy:.4f}")
        Accuracy of Naive Bayes model: 0.7662
In [42]: # Q2P2 Show misclassified samples
         misclassified_diabetes = X_test.copy()
         misclassified_diabetes['true_outcome'] = y_test
         misclassified_diabetes['predicted_outcome'] = y_pred
         misclassified_diabetes = misclassified_diabetes[y_test != y_pred]
         print("\nMisclassified Samples (Diabetes Prediction):")
         print(misclassified_diabetes[['true_outcome', 'predicted_outcome']])
```

Misclassified Samples (Diabetes Prediction):

	true_outcome	predicted_outcome
660	0	1
276	1	0
356	1	0
419	1	0
667	1	0
364	0	1
337	1	0
657	0	1
541	1	0
645	0	1
451	1	0
710	0	1
379	0	1
444	1	0
264	1	0
757	1	0
153	0	1
95	0	1
594	0	1
371	0	1
659	1	0
577	1	0
622	0	1
139	0	1
638	1	0
750	1	0
280	1	0
335	0	1
267	0	1
218	1	0
673	0	1
569	1	0
286	0	1
560	1	0
54	0	1
212	0	1

[12 points] Model Evaluation

Compare, comment, and analyze the result of all the classifiers you built thus far Naïve Bayes & KNN using built-in library (you implemented in Question 1) with KNN from scratch implementation in Question 2 on *Pima Indians Diabetes Database* data. To compare the performance of your classifier based on:

- I. [6 points] execution time.
- II. [6 points] Accuracy

```
In [43]: # (Lane)
         training data = X train
         training label = y train
         test data = X test
         test label = y test
         best k = best k # Use the best k found from cross-validation
         # Q1 KNN from Library
         import time
         from sklearn.neighbors import KNeighborsClassifier # https://scikit-learn.org/stable/modules/generated/sklearn.neighb
         knn library = KNeighborsClassifier(n neighbors=best k, metric='euclidean')
         time start = time.time()
         knn library.fit(training data, training label)
         time end = time.time()
         print(f"KNN from Library Training Time: {time end - time start:.4f} seconds")
         test accuracy = knn library.score(test data, test label)
         print(f"KNN from Library Test Accuracy (k={best k}): {test accuracy*100:.2f} %\n")
         # Q1 Naive Bayes from Library
         nb library = GaussianNB()
         time start = time.time()
         nb library.fit(training data, training label)
         time end = time.time()
         print(f"Naive Bayes from Library Training Time: {time end - time start:.4f} seconds")
         test accuracy nb = nb library.score(test data, test label)
         print(f"Naive Bayes from Library Test Accuracy: {test accuracy nb*100:.2f} %\n")
         # Q2P1 KNN from scratch accuracy
         time start = time.time()
         labeled train = list(zip(test data.values, test label.values))
```

```
knn_accuracy = np.mean([knn_classify(best_k, labeled_train, x) == y for x, y in zip(test_data.values, test_label.value)
time_end = time.time()
print(f"KNN from Scratch Training Time: {time_end - time_start:.4f} seconds")
print(f"KNN from Scratch Test Accuracy (k={best_k}): {knn_accuracy*100:.2f} %")

KNN from Library Training Time: 0.0015 seconds
KNN from Library Test Accuracy (k=7): 74.03 %

Naive Bayes from Library Training Time: 0.0020 seconds
Naive Bayes from Library Test Accuracy: 76.62 %

KNN from Scratch Training Time: 0.1240 seconds
KNN from Scratch Test Accuracy (k=7): 77.27 %
```

Results from Comparison

After comparing Naive Bayes and KNN from libraries and the KNN built from scratch, the library implementations run significantly faster. This isn't surprising because they use C on the backend. With accuracy, though, the KNN built from scratch achieves better test accuracy then either of the library. This looks great, but we would need to do more testing to rule out overffiting.