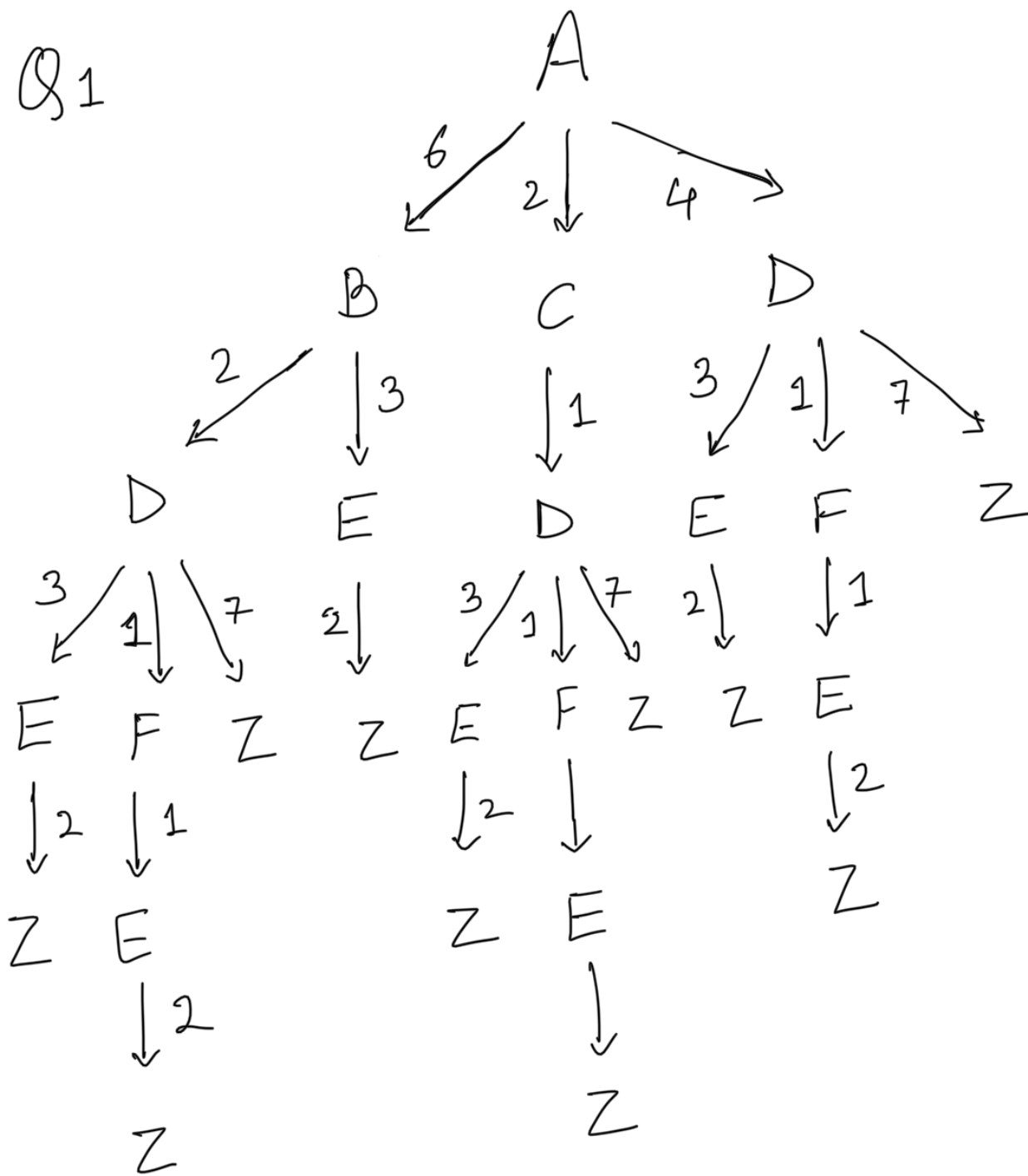


Written homework 1

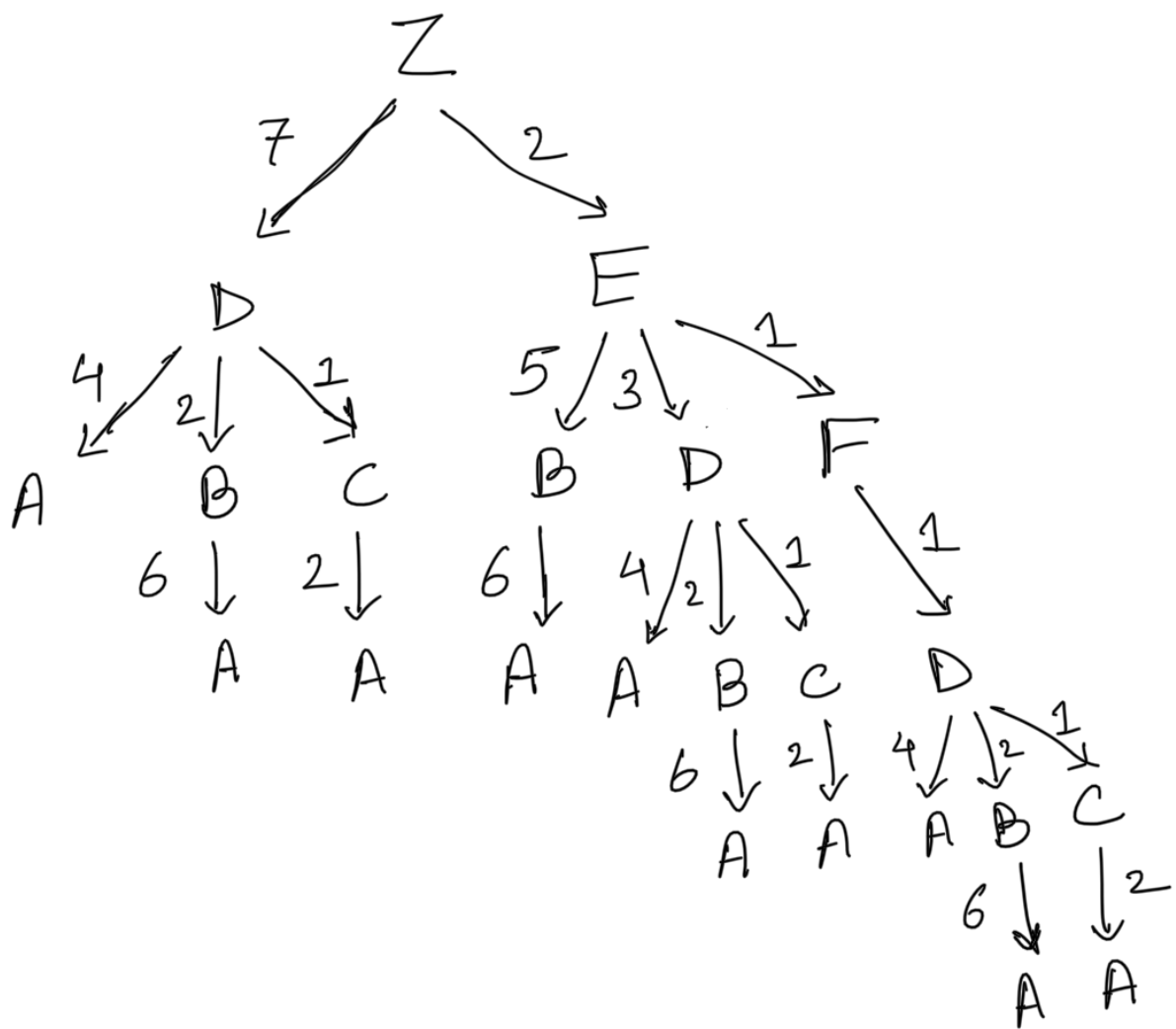
Q1



Q2 nodes traversed in BFS:

$\{A, AB, AC, AD, ABD, ABE, ACD, ADE, ADF, ADZ\}$

Q3



Q4 reverse uniform cost tree

traversal = $\left\{ \begin{array}{l} Z, ZE, ZEF, ZEFD, ZEFD C, \\ \text{cost} = 0 \quad 2 \quad 3 \quad 4 \quad 5 \\ ZED, ZEFDB, ZEDC, ZEFDCA \end{array} \right\}$
 $\text{cost} = 7$

Q5 initial priority queue = $\{A, Z\}$

node traversal

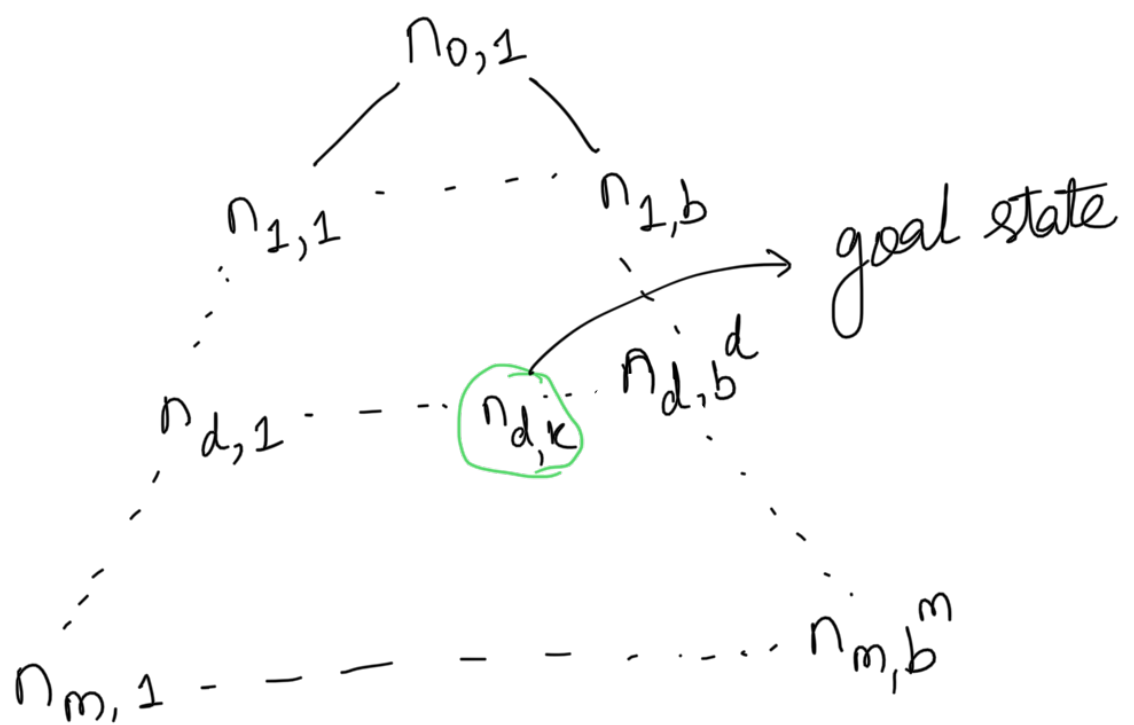
= $\left\{ A, Z, AC, ZE, \text{ACD}, ZEF, AD, \text{ZEFD} \right\}$
 $\begin{array}{cccccccc} & 0 & 0 & 2 & 2 & 3 & 3 & 4 & 4 \end{array}$

solution path = ACD FEZ

total cost = $\text{cost}(\text{ACD}) + \text{cost}(\text{ZEFD}) = 7$

Q6

Let the goal state in a tree of branching factor b , and height m be at a depth d ($d \leq m$)



number of depth iterations to reach

depth $d = d$

number of nodes visited in 0^{th} iter = 1

number of nodes visited in 1^{st} iter = $1+b$

"

in 2^{nd} iter = $1+b+b^2$

⋮

"

in d^{th} iter = $\sum_{i=0}^d b^i$

∴ total nodes visited

$$= 1 + (1+b) + (1+b+b^2) + \dots + (1+b+\dots+b^d)$$

$$= b^d + 2b^{d-1} + \dots + (d+1)$$

$$= b^d \left(1 + \frac{2}{b} + \frac{3}{b^2} + \dots + \frac{(d+1)}{b^d} \right)$$

↳ converges for asymptotic bounds and $b > 1$

⇒ total nodes visited
(time complexity)

$$= b^d k$$

$$= O(b^d)$$

(for $b > 1$)