Principal Components Analysis

Pre-processing data

We'll be using the gene expression dataset for 17580 genes from 73 samples. There are two phenotypes, 0:no-diesase and 1:Parkinson's. We have an additional dataset containing 3 sample covariates.

```
library(rafalib)

e <- read.delim("data/counts.txt", row.names=1)

tab <- read.delim("data/phen.txt")

c <- read.delim("data/cov.txt", row.names=1)</pre>
```

We take the log-transform (normalize) of gene expression data and calculate the Z-score (standardize).

```
e_prime <- t(e) # Re-order data
L <- log2(1 + e_prime) # Log-transform data
head(L)[,1:2]</pre>
```

```
##
          ENSG0000000003.10 ENSG0000000005.5
## C 0002
                    8.253656
                                     0.7933007
## C_0003
                    8.207424
                                     1.7152768
## C_0004
                    7.940356
                                     2.9929645
## C_0005
                    7.760373
                                     1.7993866
## C_0006
                    7.775682
                                     2.2382442
## C_0008
                                     3.1276069
                    8.086903
```

```
Z <- scale(L) # Z-score
head(Z)[,1:2]</pre>
```

```
ENSG0000000003.10 ENSG0000000005.5
## C_0002
                 -0.0964491
                                  -1.27240600
## C_0003
                 -0.1742805
                                  -0.40655202
## C_0004
                 -0.6238893
                                   0.79336080
## C_0005
                 -0.9268921
                                  -0.32756206
## C_0006
                 -0.9011194
                                   0.08458153
## C_0008
                 -0.3771784
                                   0.91980736
```

Computing principal components and percent variance

We use the prcomp function in the stats package to compute PCs of the scaled data.

```
pca <- prcomp(Z)
pca$sdev[1:10]</pre>
```

```
## [1] 66.37047 49.97569 41.29392 36.34736 28.87607 25.43001 23.25561
## [8] 18.73263 17.28147 16.18485
```

pca\$rotation[1:5,1:2]

```
## PC1 PC2
## ENSG00000000003.10 -0.004452337 0.005470168
## ENSG0000000005.5 0.008304898 -0.002362205
## ENSG00000000419.8 0.007539490 0.011355355
## ENSG00000000457.8 0.003926745 0.007602980
## ENSG00000000460.12 -0.004979959 0.009618845
```

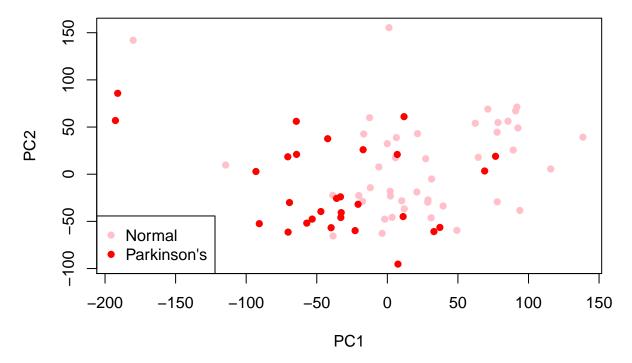
We now extract the variances of the components, and report the percent variance.

```
pca.var <- pca$sdev^2
pca.percent_var <- pca.var/sum(pca.var)
pca.percent_var[1:10]

## [1] 0.25057109 0.14206880 0.09699589 0.07514963 0.04743045 0.03678529
## [7] 0.03076356 0.01996083 0.01698802 0.01490042</pre>
```

Scatter plot of first two PC loadings

```
cols <- c('pink', 'red')
par(mfrow = c(1, 1))
plot(pca$x[, 1], pca$x[, 2], col=cols[tab$disease+1], pch=16, xlab="PC1", ylab="PC2")
legend("bottomleft", legend=c("Normal", "Parkinson's"), col=cols, pch=16)</pre>
```



Pairwise Pearson correlation between PCs and covariates

Now, we want to see if any of the PCs are strongly correlated with any of the given covariates.