For each solid, arc length, or surface area that follows **set up** the corresponding integral but **do not solve**.

1. Each integral represents the volume of a solid. Describe the solid.

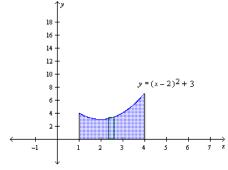
(a) 
$$\int_0^{\frac{\pi}{2}} \pi \cos^2 x dx$$

(b) 
$$\int_0^{\frac{\pi}{2}} 2\pi x \cos x dx$$

(c) 
$$\int_0^{\frac{\pi}{2}} \pi (2 - \sin x)^2 dx$$

(d) 
$$\int_0^{\frac{\pi}{2}} 4\pi - \pi \sin^2 x dx$$

2. Find the volume of the solid that is obtained by revolving the region about the x-axis.



3. Find the volume of the solid generated by revolved the region bounded by the graphs of the equations about the indicated line. Sketch the region and a representative rectangle.  $y = 25 - x^2$  and y = 0 about the line x = -5.

4. Set up the integral that will determine the length of the curve  $y = \ln(1 - x^2)$  on  $0 \le x \le \frac{1}{2}$ .

5. A steady wind blows a kite due west. The kite's height above ground from horizontal position x=0 to x=80 is given by  $y=150-\frac{1}{40}(x-50)^2$ . Find the distance traveled by the kite.

6. Set up the integral that will give the area of the surface obtained by rotating the curve  $y = \tan x$  about the x-axis on the interval  $0 \le x \le \frac{\pi}{3}$ .

7. Set up the integral that will give the area of the surface obtained by rotating the curve  $x = y + y^3$  about the x-axis on  $0 \le y \le 1$ .

8. Set up the integral that will give the area of the surface obtained by rotating the curve  $x = y + y^3$  about the y-axis on  $0 \le y \le 1$ .

9. Set up the integral that will give the area of the surface obtained by rotating the curve  $x = y + y^3$  about the x-axis on  $0 \le x \le 1$ .

10. Set up the integral that will give the area of the surface obtained by rotating the curve  $x = y + y^3$  about the x-axis on  $0 \le y \le 1$ .

11. Set up the integral that will give the area of the surface obtained by rotating the curve  $x = y + y^3$  about the y-axis on  $0 \le x \le 1$ .

12. Set up the integral that will give the area of the surface obtained by rotating the curve  $x = y + y^3$  about the y-axis on  $0 \le y \le 1$ .