# 7381 The Magical 3

Three is a magic number.

Yes it is; it's a magic number.

Somewhere in the ancient, mystic trinity,

You get three as a magic number.

— Schoolhouse Rock

There's no doubt about it, three is a magical number. Two's company, but three's a crowd, no one ever talks about 2 blind mice, and there are three members in an ACM ICPC team.

According to Pythagoras and the Pythagorean School, the number 3 — which they called triad — is the noblest of all digits, as it is the only positive integer to equal the sum of all of the positive integers below it (1+2=3), and it is the only positive integer whose sum with those below equals the product of them and itself  $(1+2+3=1\times2\times3)$ .

Even more magically, almost all integers can be represented as a number that ends in 3 in some numeric base, sometimes in more than one way. Consider the number 11, which is represented as 13 in base 8 and 23 in base 4.



For this problem, you will find the smallest base for a given number so that the number's representation in that base ends in 3.

## Input

The input file contains several test cases.

Each test case will consist of a single line with a single integer n ( $1 \le n < 2^{31}$ ).

#### Output

For each test case, print on a single line the smallest base for which the number has a representation that ends in 3. If there is no such base, print instead 'No such base'.

### Sample Input

11

42

2

3 9876

2103723004

## Sample Output

4

13

No such base

4

9

2103723001