

# Test params for SIRE using LHC FT nominal params

Parameters	Nominal (BCMS) for 10 MV (2016)
E [GeV]	6500
$\epsilon_{x,y}$ [ $\mu\text{m}$ ]	2.5
$4\sigma$ bunch length [ns]	1.0
Bunch population [ $10^{11}$ ]	1.1

Aug&July17

Oct17

Check what happens if instead of having the full SIRE distribution we cut at 3sigma and at 2sigma

full

ans =				
0.2520000000000000	0	0.001927201452045	0.0016000000000000	
ans =				
0.2590000000000000	0.0010000000000000	0.012951534210891	0.0146000000000000	
ans =				
0.2510000000000000	0	0.9980000000000000	0.0030000000000000	0.0016000000000000
ans =				
0.2430000000000000	0	0.8330000000000000	0.0040000000000000	0.0020000000000000

3sigma

ans =				
0.2520000000000000	0	0.001927159269239	0.0018000000000000	
ans =				
0.2590000000000000	0.0010000000000000	0.012970993683451	0.0155000000000000	
ans =				
0.2510000000000000	0	0.9980000000000000	0.0030000000000000	0.0017000000000000
ans =				
0.2440000000000000	0	0.8430000000000000	0.0040000000000000	0.0024000000000000

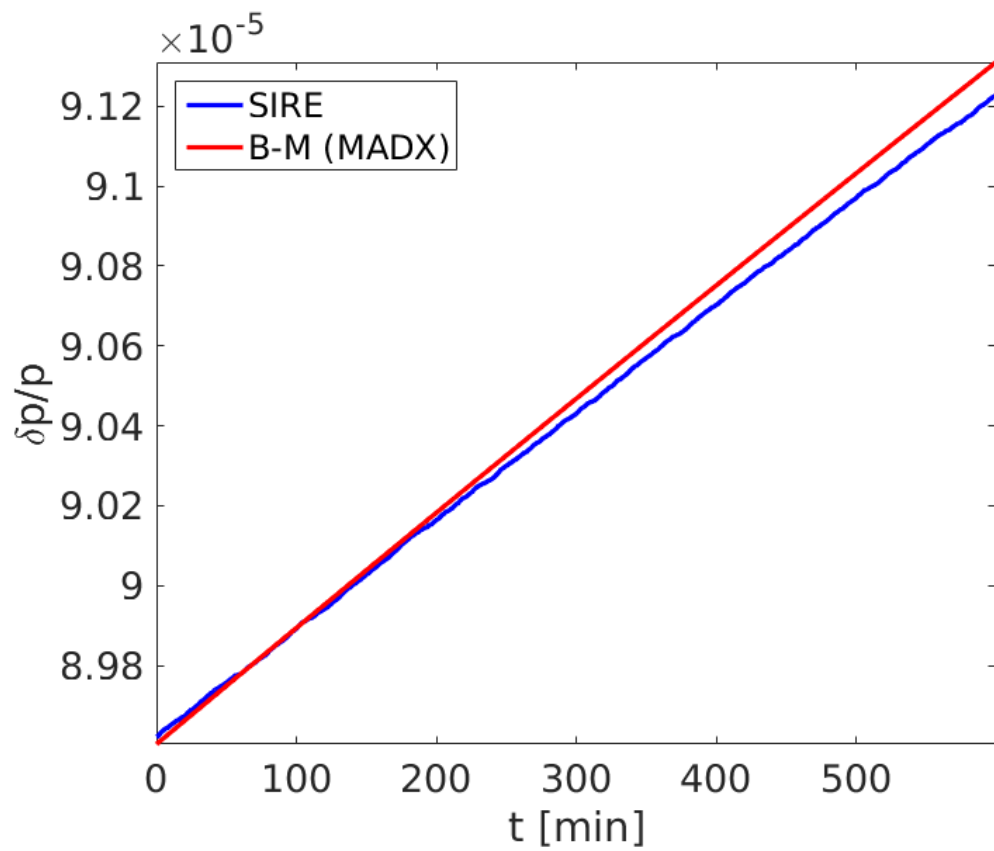
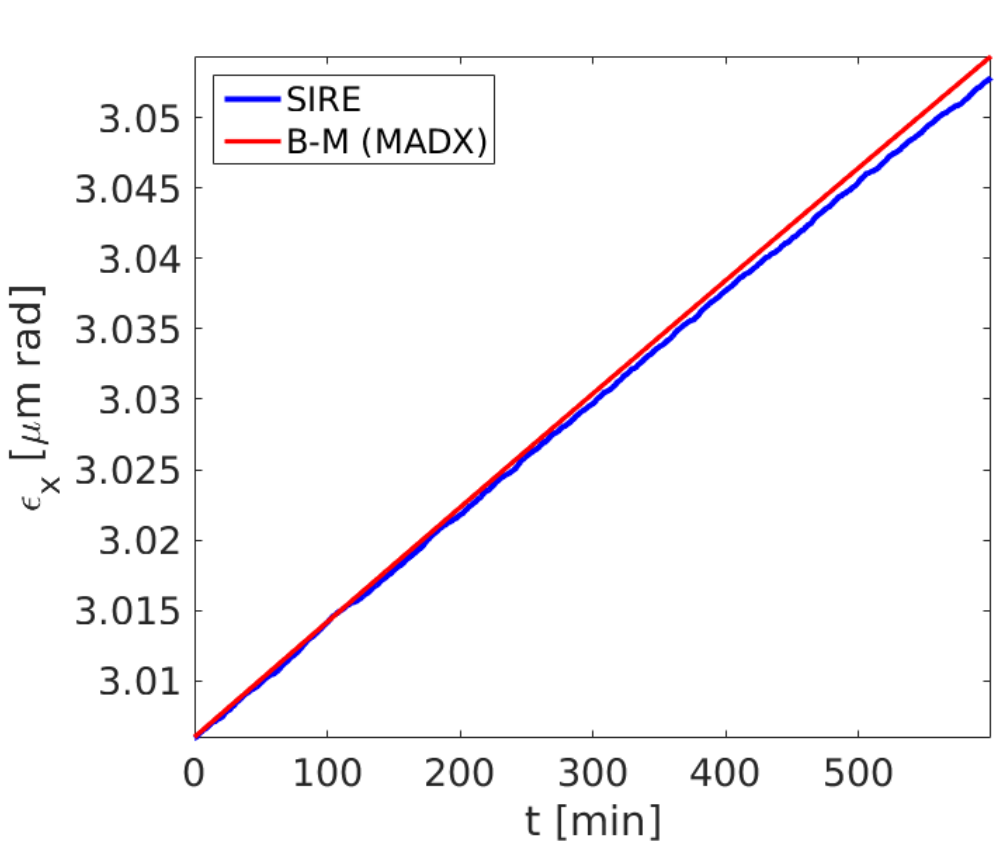
2sigma

ans =				
0.2520000000000000	1.3590000000000000	0.001891441069689	0.3491000000000000	
ans =				
0.2620000000000000	0.2660000000000000	0.013159564470582	0.2897000000000000	
ans =				
0.2510000000000000	0	0.9960000000000000	0.0040000000000000	0.0020000000000000
ans =				
0.2420000000000000	0.0010000000000000	0.8180000000000000	0.0070000000000000	0.0022000000000000

Nominal (BCMS)

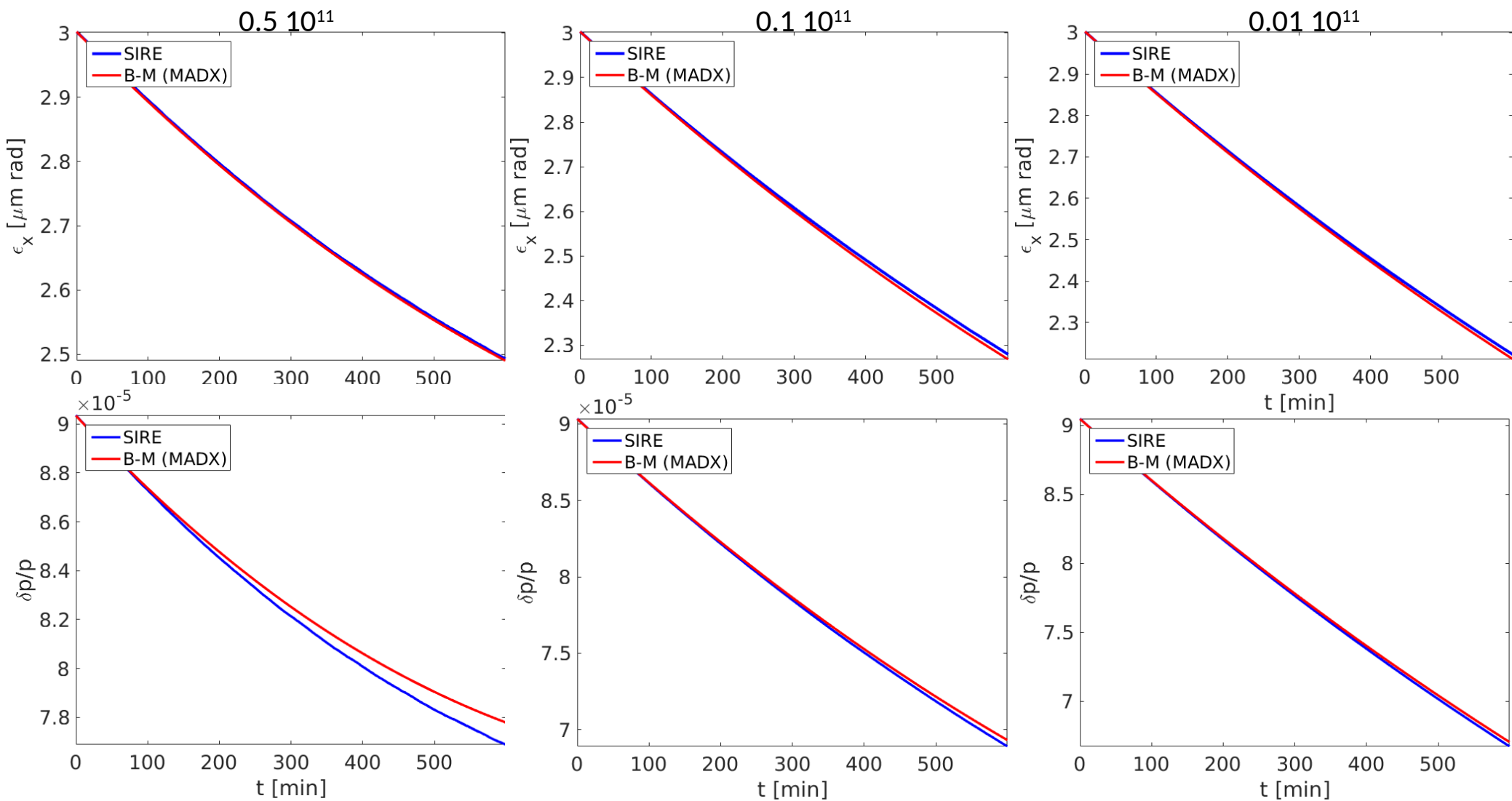
test\_lessIBS: only IBS, #mp=200000, #mp/cell=5

Parameters	Nominal (BCMS) for 10 MV (2016)
E [GeV]	6500
$\epsilon_{x,y}$ [ $\mu\text{m}$ ]	3.0
$4\sigma$ bunch length [ns]	1.0
Bunch population [ $10^{11}$ ]	0.1



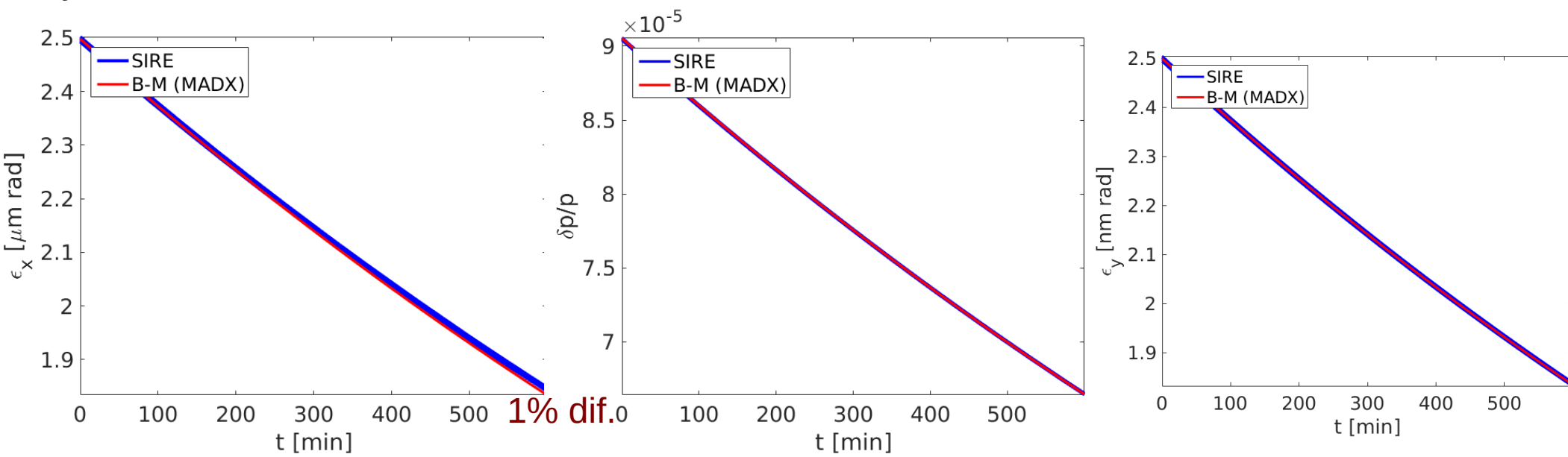
test\_lessIBS: IBS&SR, #mp=175000, #mp/cell=5

Parameters @ FB	Nominal (BCMS) for 10 MV (2016)
E [GeV]	6500
$\epsilon_{x,y}$ [ $\mu\text{m}$ ]	3.0
4 $\sigma$ bunch length [ns]	1.0
Bunch population [ $10^{11}$ ]	0.5 , 0.1 and 0.01

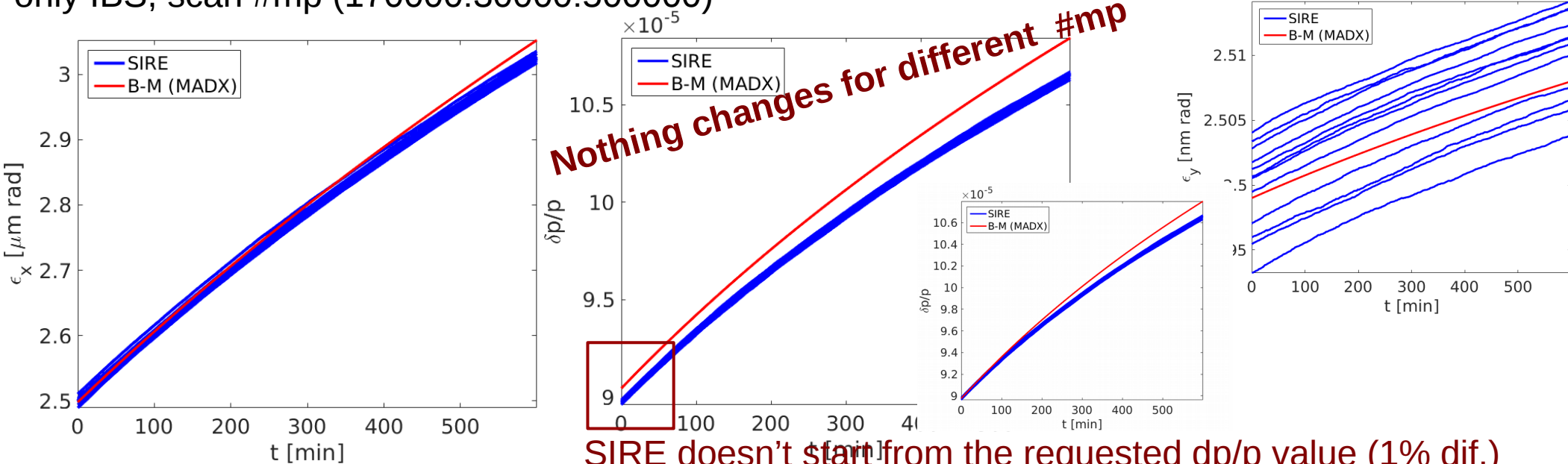


Aug17

only SR



only IBS, scan #mp (170000:30000:500000)

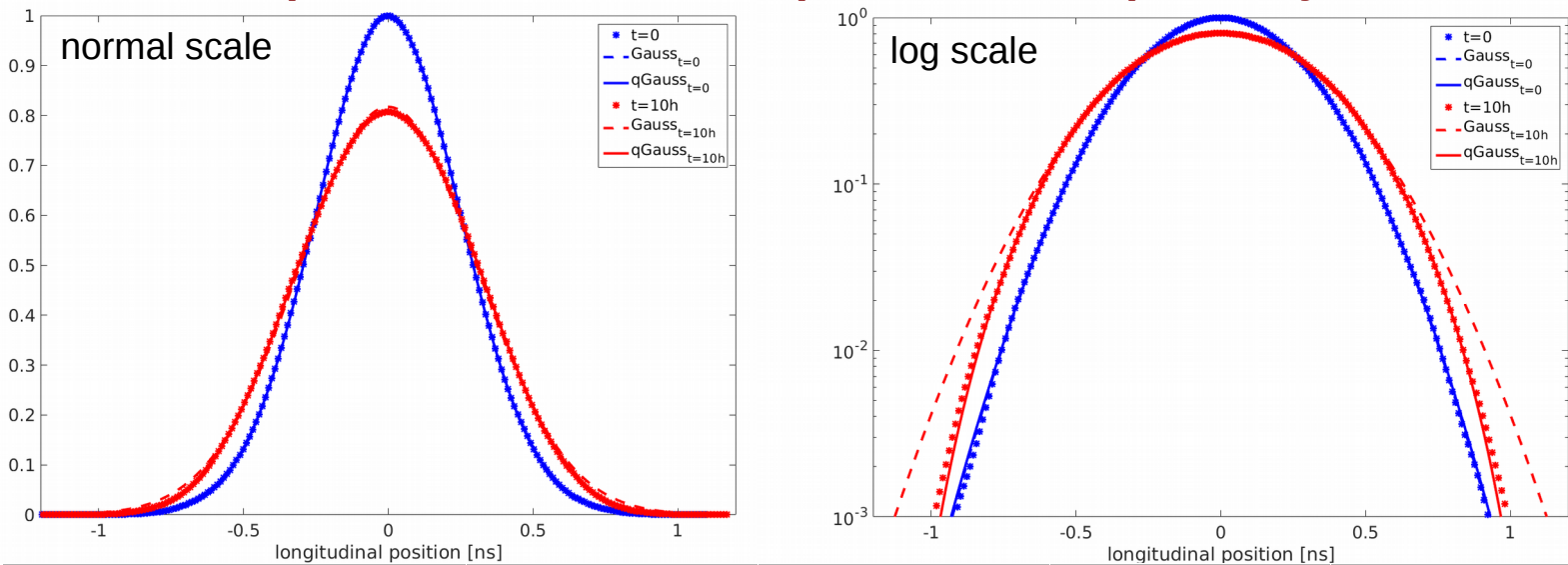


SIRE doesn't start from the requested  $\delta p/p$  value (1% dif.) and that is not because of the random generator! So why?

MADX assumes always a Gaussian, however SIRE updates the distribution → that can explain the dif. Observed (see next slide).

**BECAUSE I need to calculate it based on  $\epsilon_l = 2(\delta p/p)^2$  (no damping) . If I use that everything is ok**

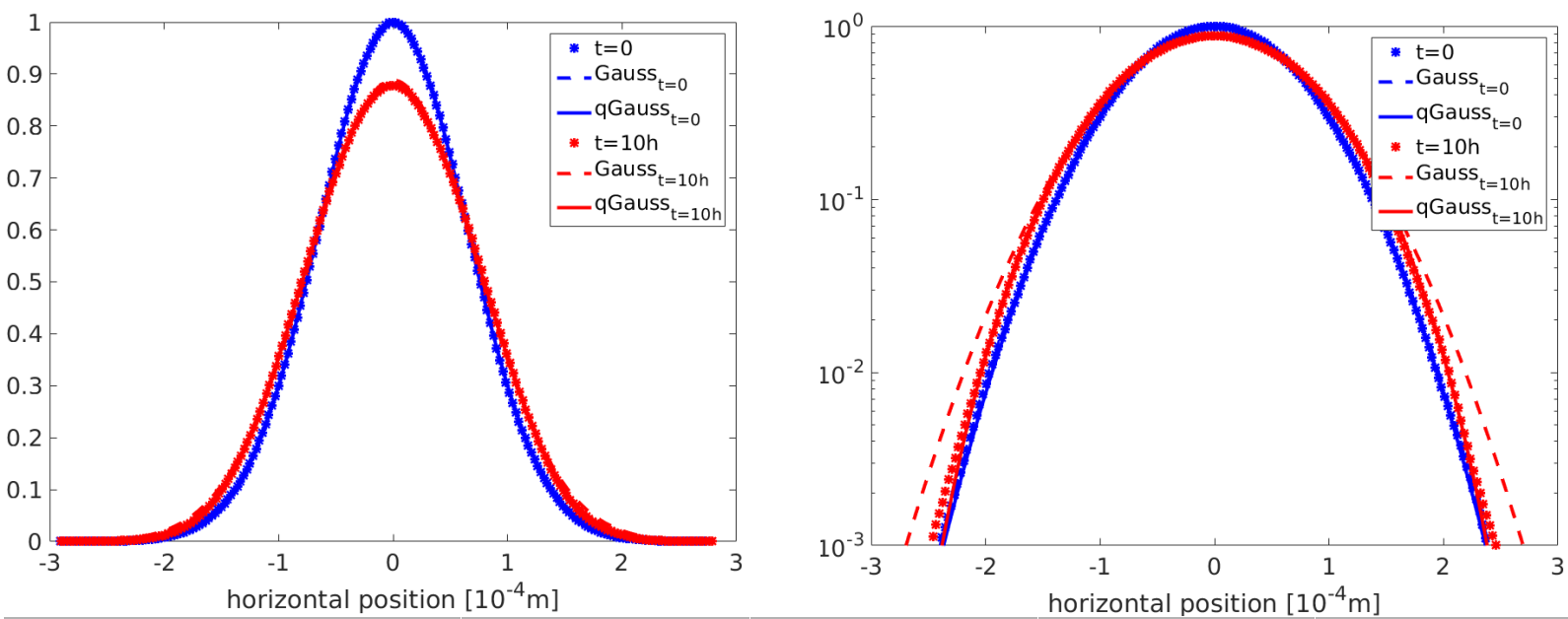
Longitudinal distribution



	q initial	sigma initial	q final	sigma final
SIRE qGaussian	1.010±0.003	0.250±0.001	0.874±0.003	0.295±0.001

rmse=0.001  
rmse=0.002

Horizontal distribution

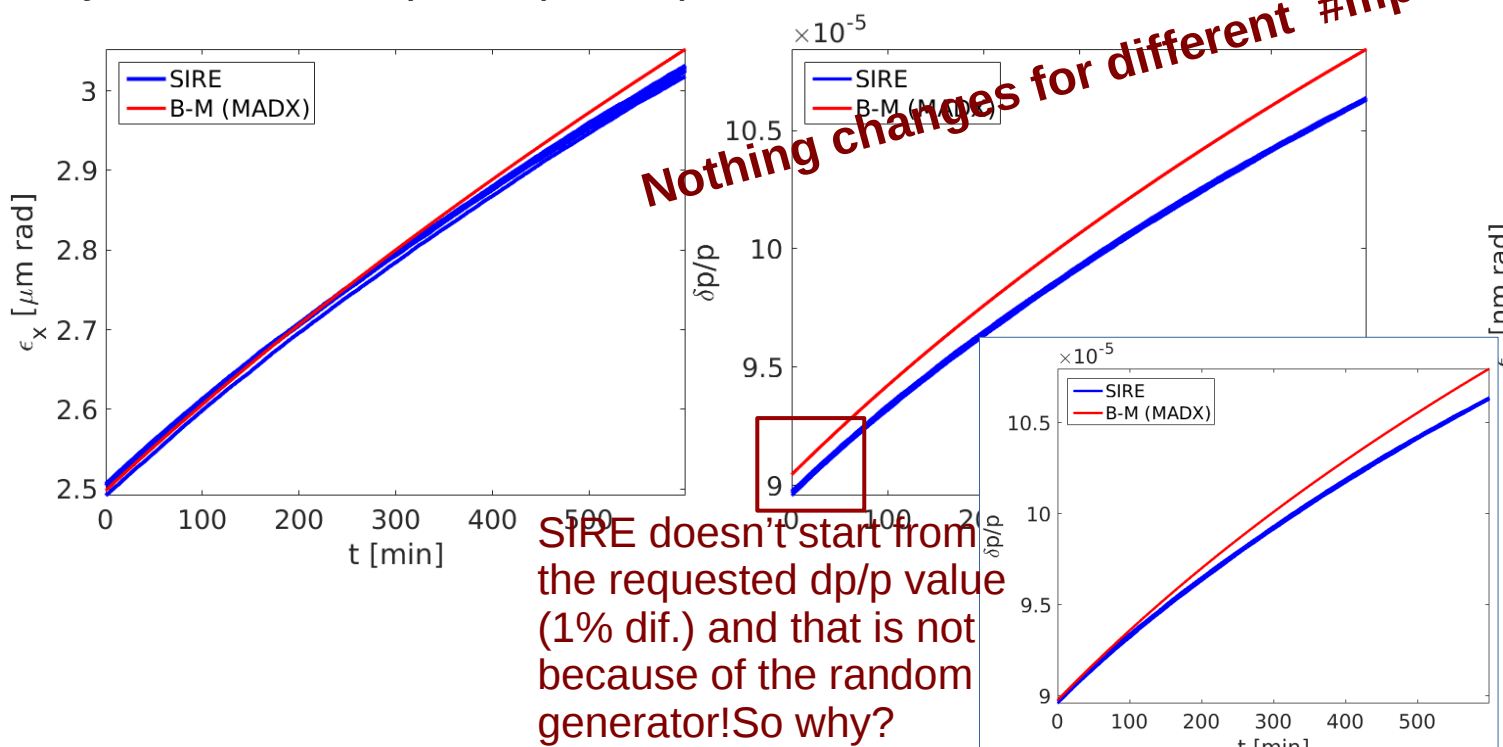


	q initial	sigma initial	q final	sigma final
SIRE qGaussian	0.995±0.003	0.643±0.002	0.872±0.004	0.702±0.003

rmse=0.001  
rmse=0.001



only IBS, scan #mp/cell (4:2:26)



**BECAUSE I need to calculate it based on  $\epsilon_L = 2(\delta p/p)^2$  (no damping) . If I use that everything is ok!**

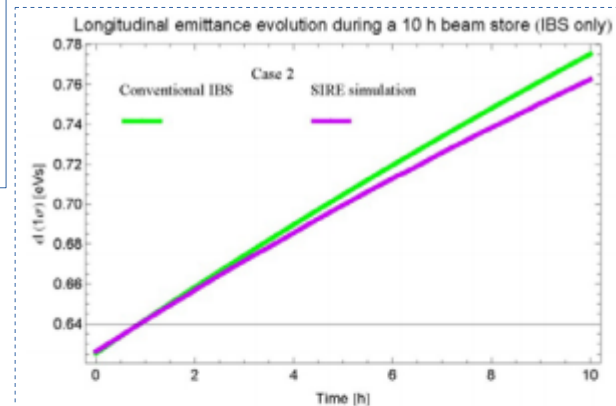
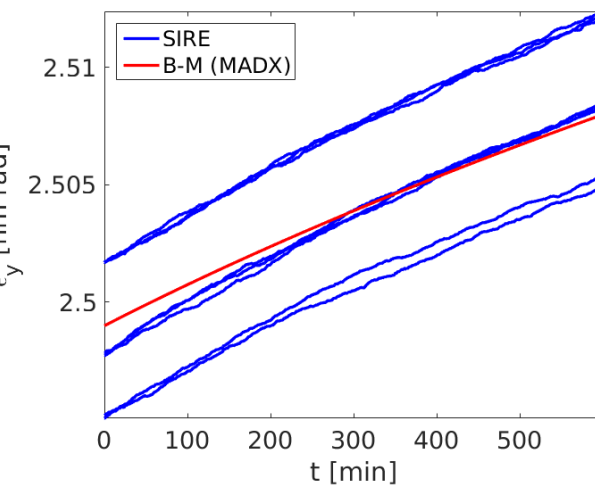


Fig. 5: Comparison of  $\epsilon_L$  between SIRE and straight IBS computations (case 2, Table 1): difference  $\delta_{\max}(\Delta \epsilon_L / \epsilon_L) \sim 2\%$ .

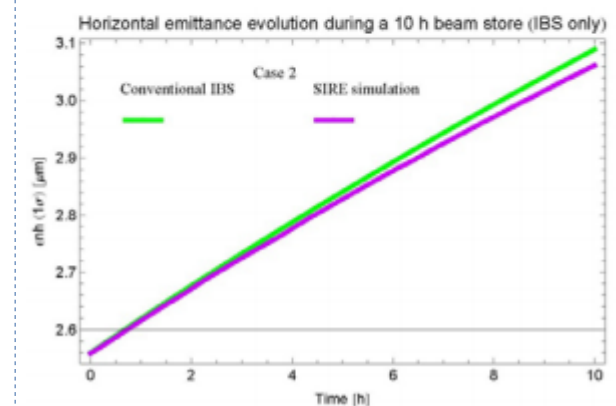
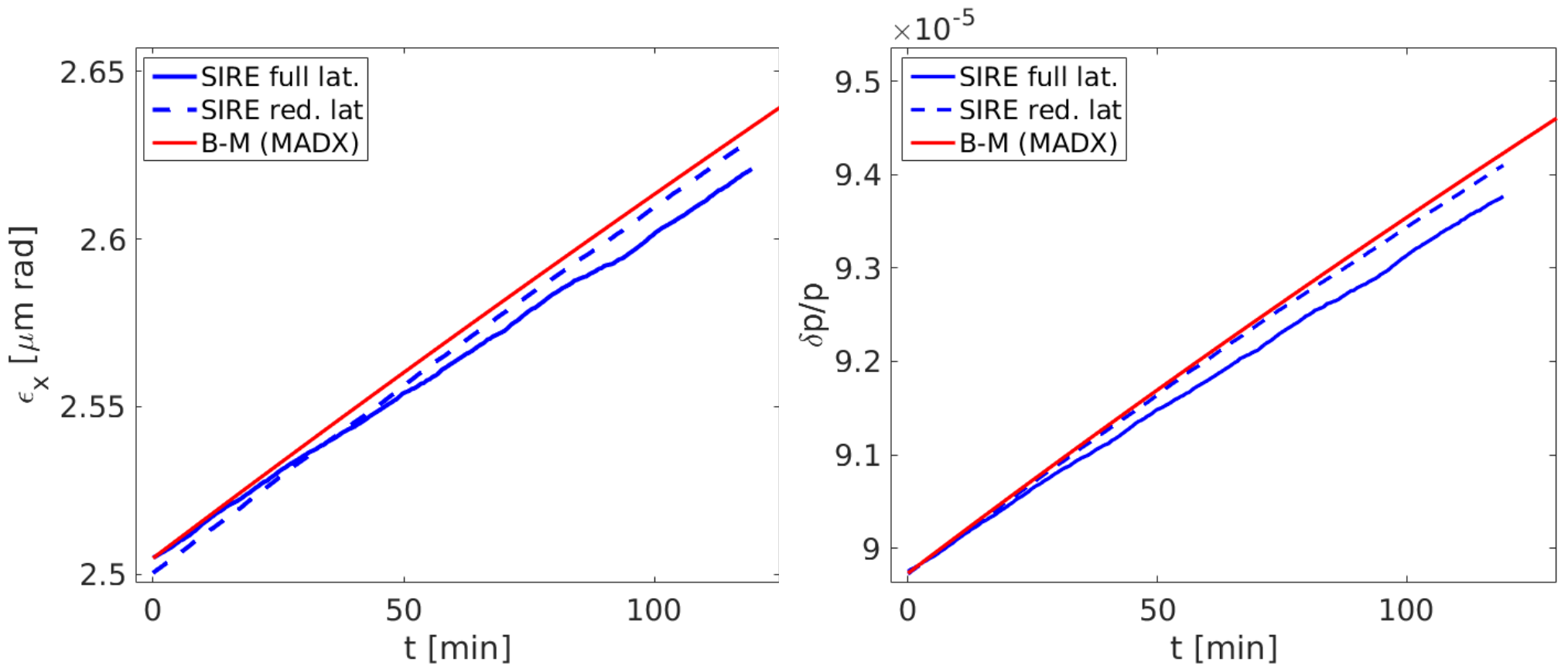


Fig. 6: Comparison of  $\epsilon_{N,H}$  between SIRE and straight IBS computations (case 2, Table 1): difference  $\delta_{\max}(\Delta \epsilon_H / \epsilon_H) \sim 1\%$ .

test\_wholelattice\_2h: only IBS, #mp=50000, #mp/cell=5, for 2h



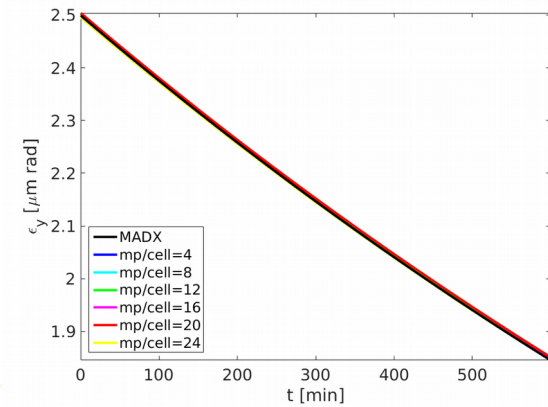
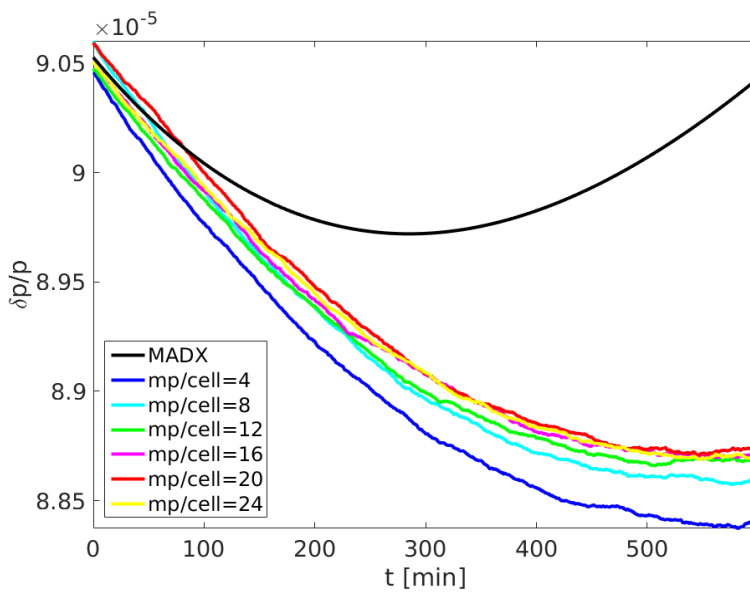
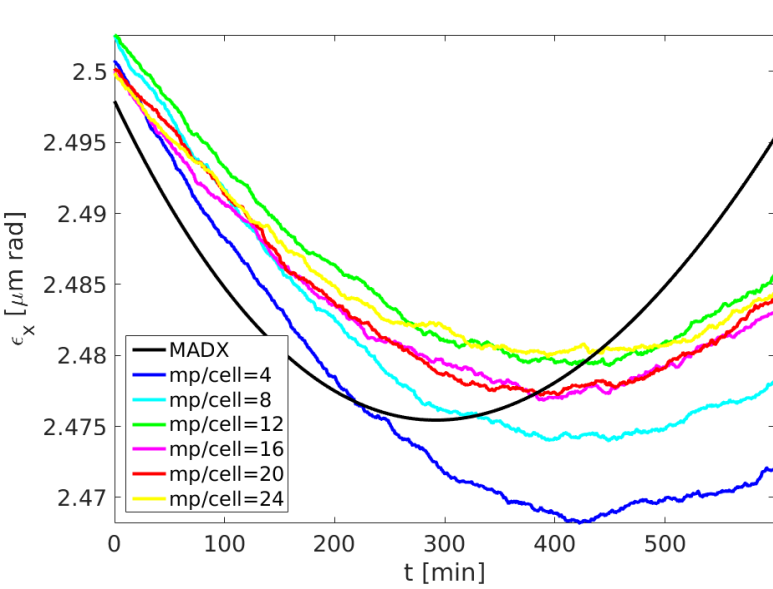
The SIRE reduced lattice is closer to the full lattice MADX result, than the SIRE full lattice is, why?  
The issue is why the full and the reduced lattice results disagree? At FB, there was not such a disagreement.

compare **reduced to full lattice** for 1h at FB and at FT, nominal params

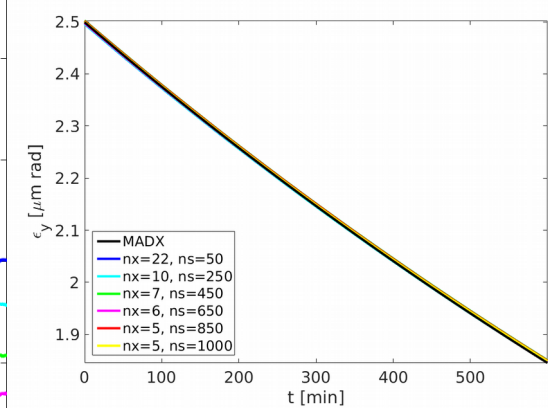
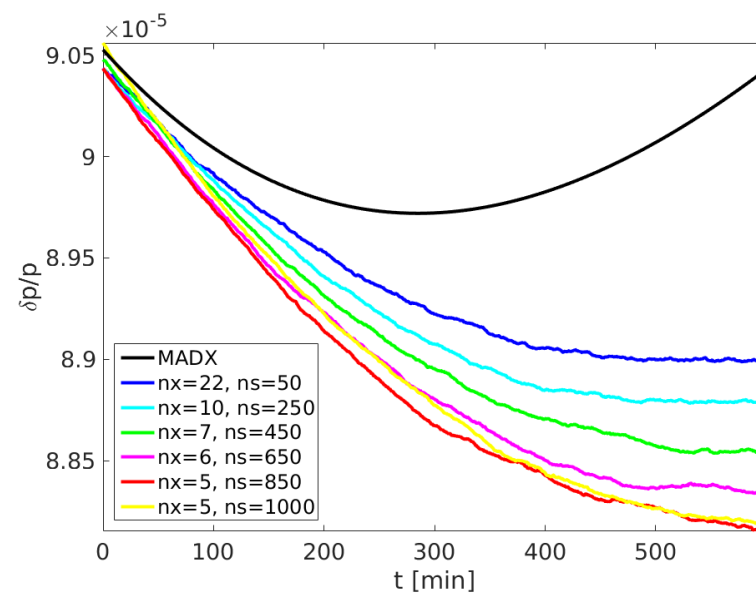
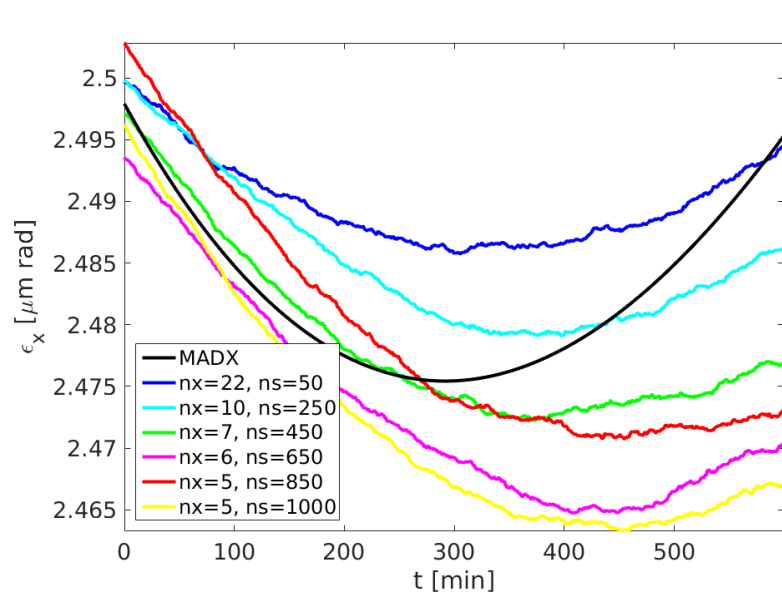
1h at FB

1h at FT

# IBS+SR+QE, #mp=500000, scan #mp/cell (4:2:26)

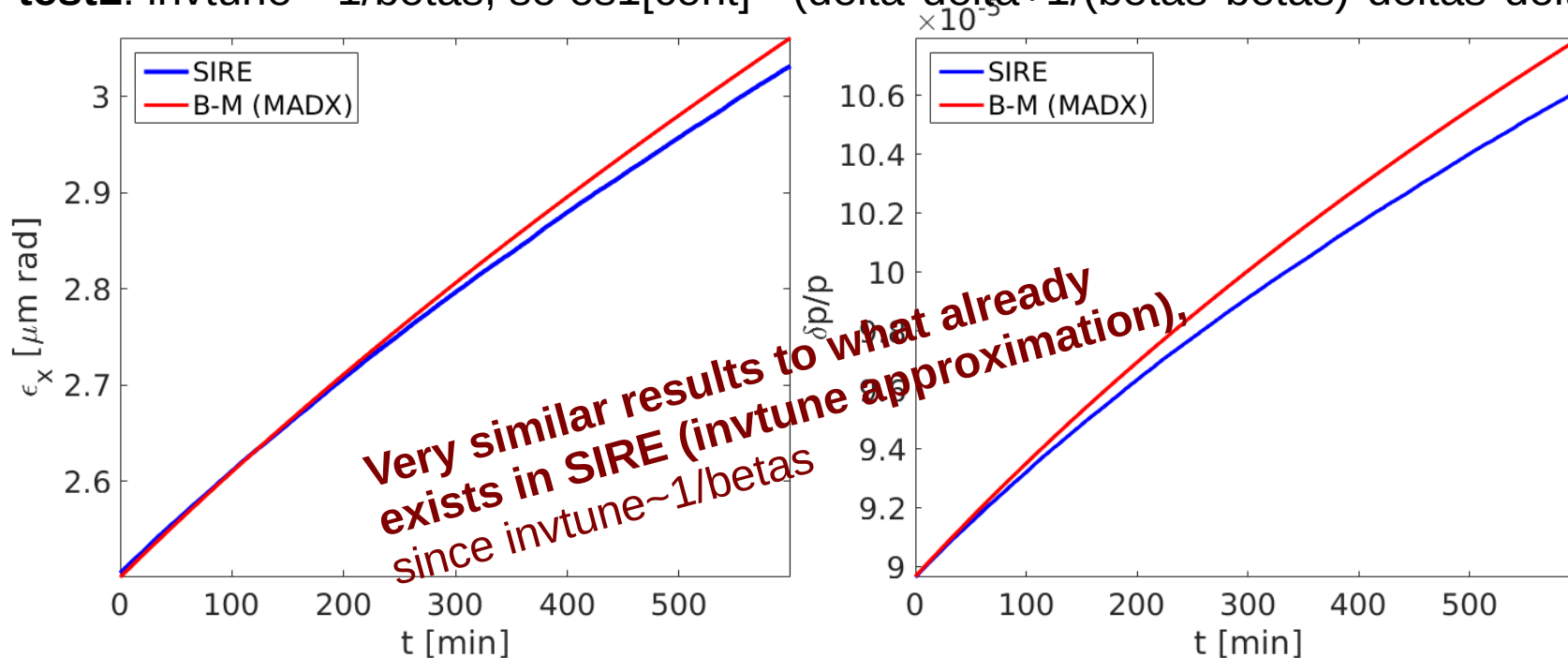


# IBS+SR+QE, #mp=500000, #mp/cell=20, scan #ncells (50:50:1000)

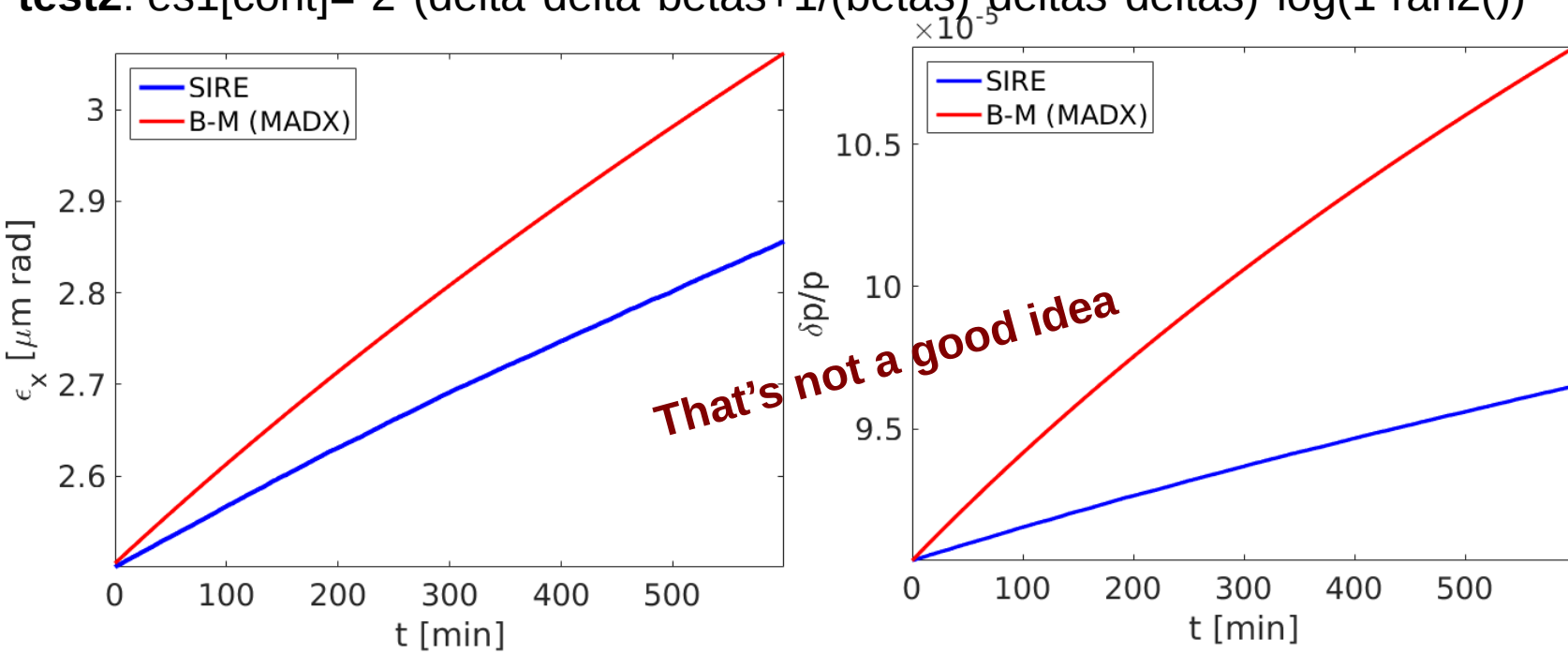


## test longitudinal plane in SIRE

**test1:**  $\text{inv tune} \rightarrow 1/\text{betas}$ , so  $\text{es1}[\text{cont}] = -(\delta \cdot \delta + 1/(\text{betas} \cdot \text{betas}) \cdot \delta \cdot \delta) \cdot \log(1 - \text{ran2}())$

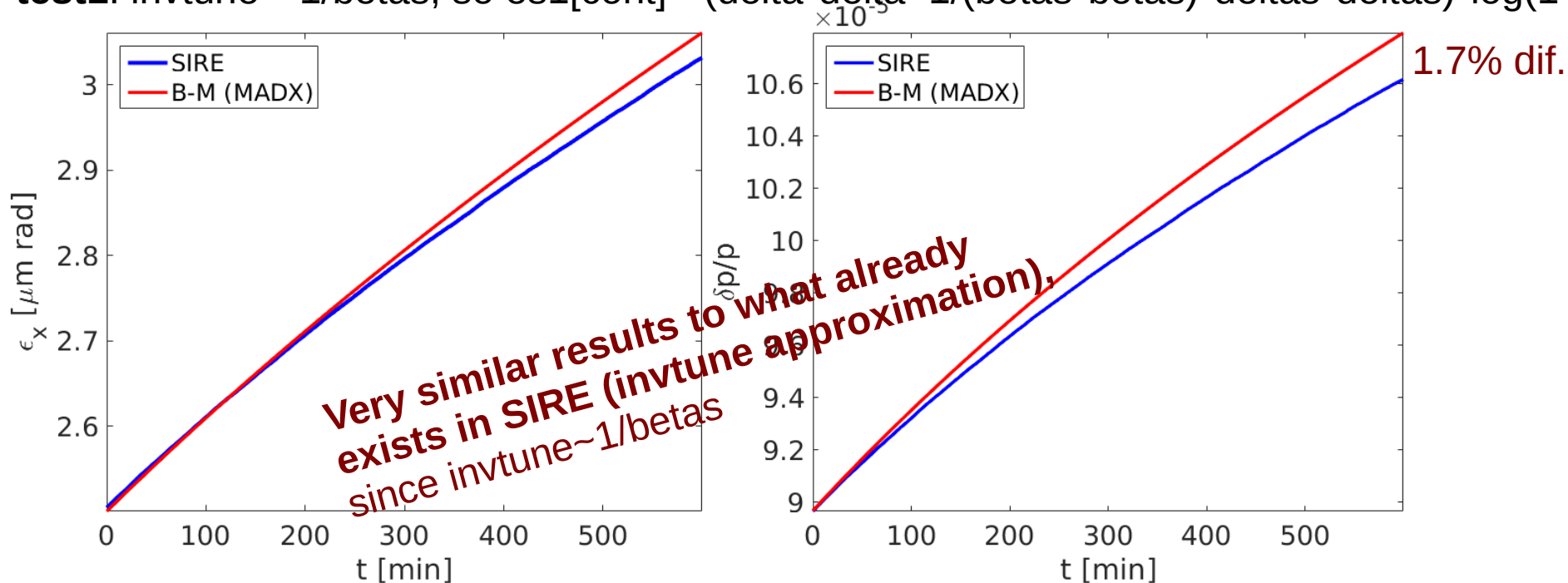


**test2:**  $\text{es1}[\text{cont}] = -2 \cdot (\delta \cdot \delta \cdot \text{betas} + 1/(\text{betas}) \cdot \delta \cdot \delta) \cdot \log(1 - \text{ran2}())$

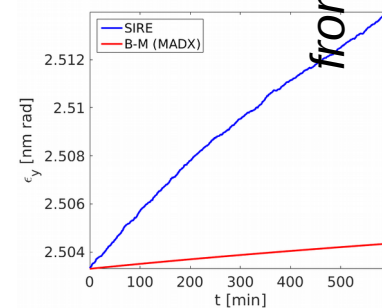
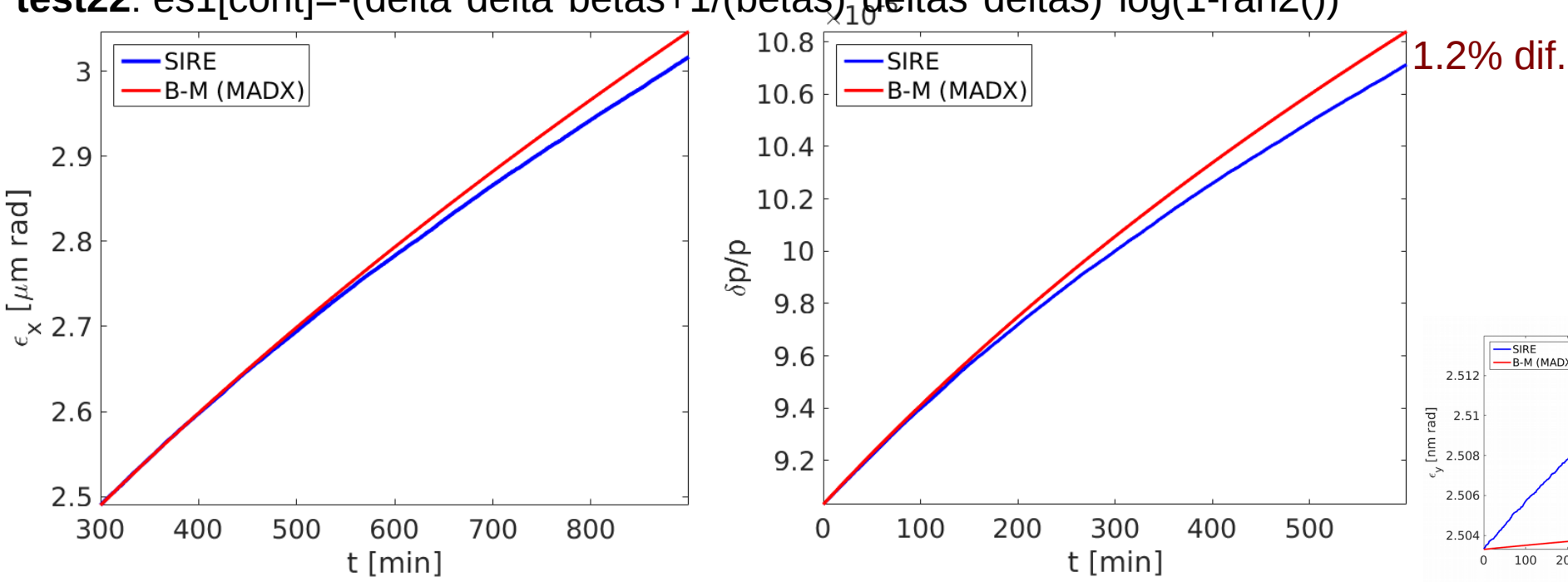


# test longitudinal plane in SIRE

**test1:**  $\text{inv tune} \rightarrow 1/\text{betas}$ , so  $\text{es1}[\text{cont}] = -(\text{delta} * \text{delta} + 1/(\text{betas} * \text{betas}) * \text{deltas} * \text{deltas}) * \log(1 - \text{ran2}())$

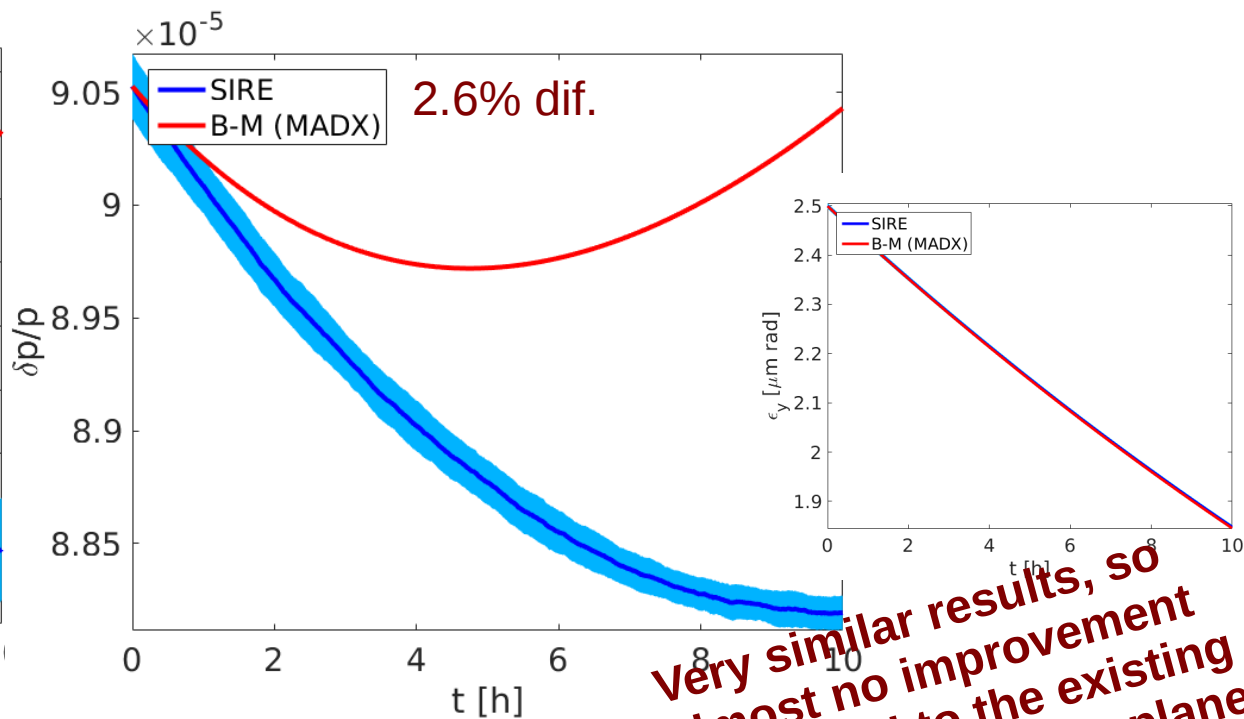
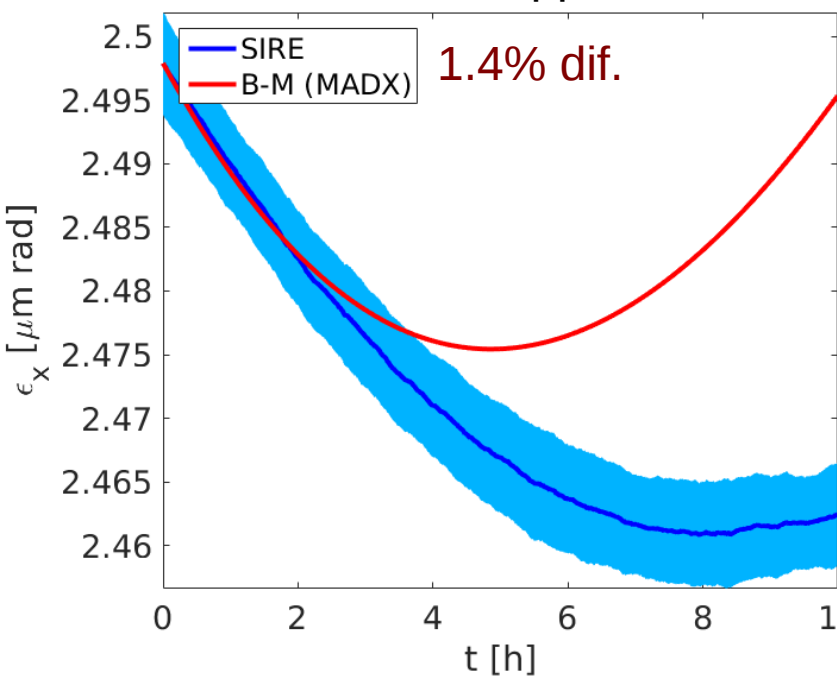


**test22:**  $\text{es1}[\text{cont}] = -(\text{delta} * \text{delta} * \text{betas} + 1/(\text{betas}) * \text{deltas} * \text{deltas}) * \log(1 - \text{ran2}())$

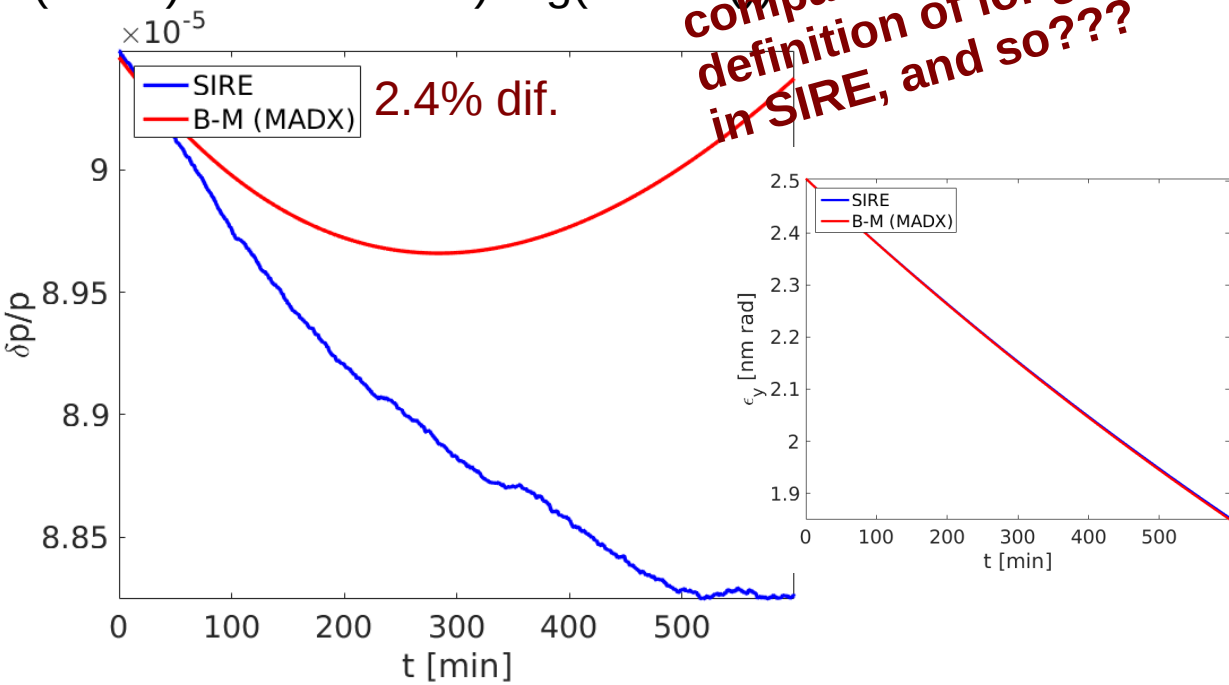
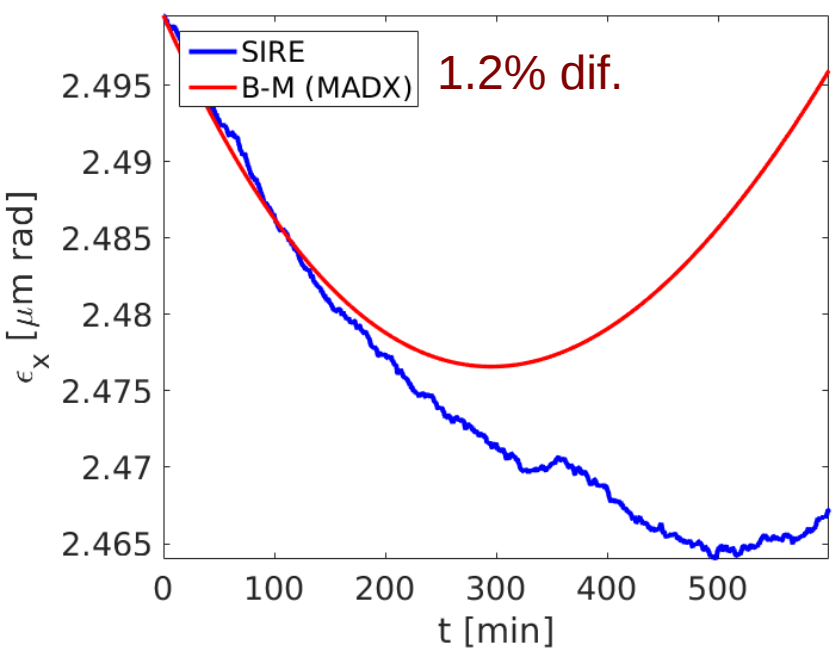


from Martini 2016 paper (pg 18)  $\rightarrow$  check my notes

current SIRE: invtune approximation



test22: es1[cont]=-(delta\*delta\*betas+1/(betas)\*deltas\*deltas)\*log(1-ran2())



very similar results, so  
almost no improvement  
compared to the existing  
definition of longit. plane  
in SIRE, and so???

## test longitudinal plane in SIRE

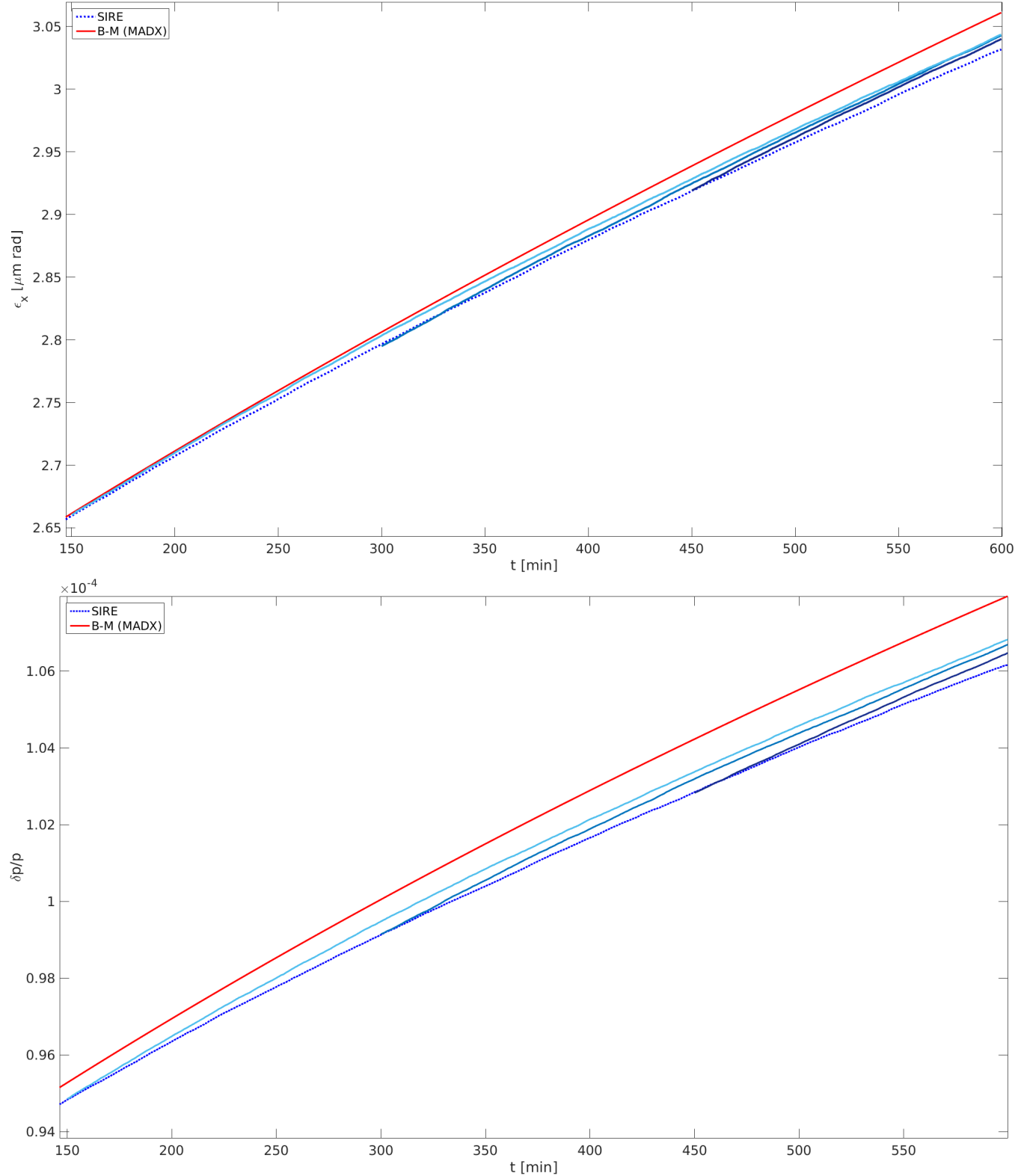
**test1:**  $\text{inv tune} \rightarrow 1/\text{betas}$ , so  $\text{es1}[\text{cont}] = -(\text{delta} * \text{delta} + 1/(\text{betas} * \text{betas}) * \text{deltas} * \text{deltas}) * \log(1 - \text{ran2}())$ . This test gives very similar results to what already exists in SIRE (inv tune approximation), since  $\text{inv tune} \sim 1/\text{betas}$ .

Here: track in SIRE initially Gaussian distributions that correspond to the emit&enspread (and bunch length) values taken during specific timepoints within 10 h full tracking time in SIRE and the MADX results, that are not the same. Basically, I apply Gaussian distributions 2.5, 5 and 7.5 hours after the beginning, having in all planes the beam sizes that correspond to the values I see during the full 10h SIRE tracking and to the MADX results at this timepoints. So, in total I run 6 different cases for the timepoints mentioned (2.5, 5 and 7.5 hours), 3 based on the SIRE values and another 3 based on the MADX values. In this way we can see whether the discrepancy between sire and madx comes from the distribution form or not.

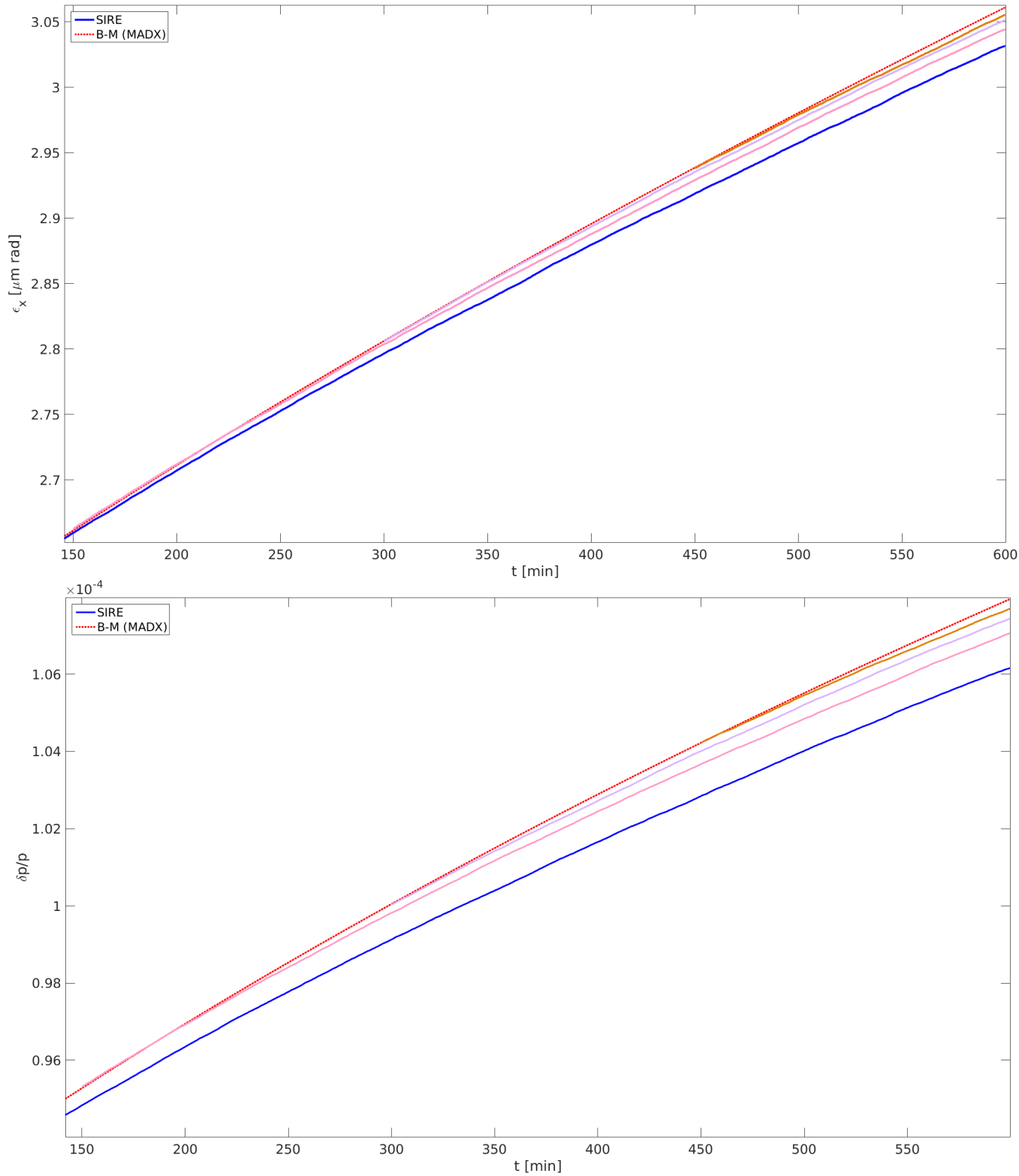
*See the 2 following slides*



track in SIRE initially Gaussian distributions that correspond to the emit&enspread (and bunch length) values taken during specific timepoints within 10 h full tracking time **in SIRE**

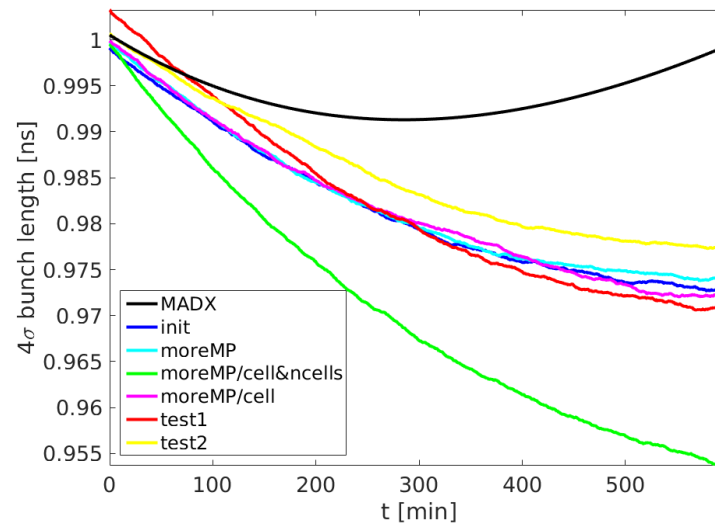
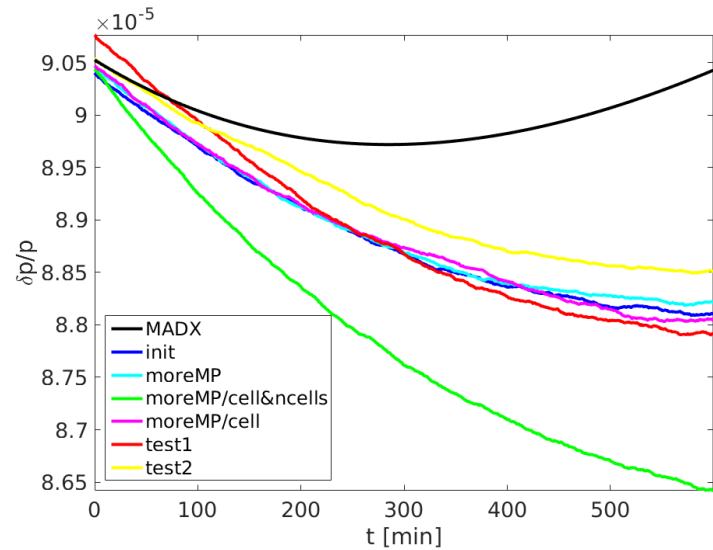
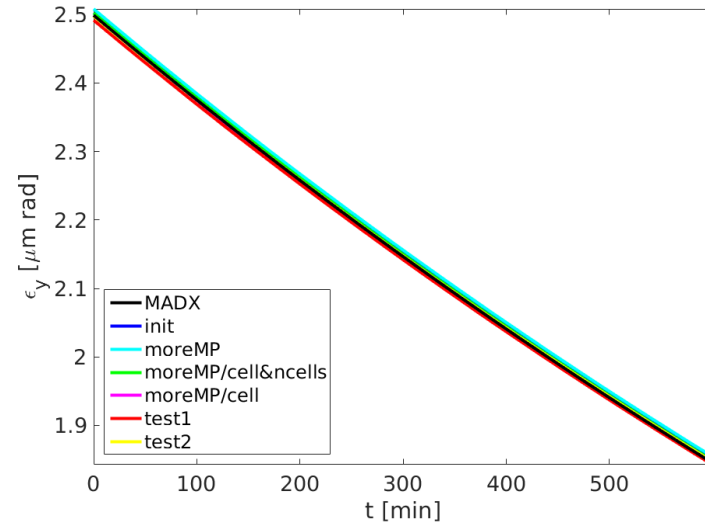
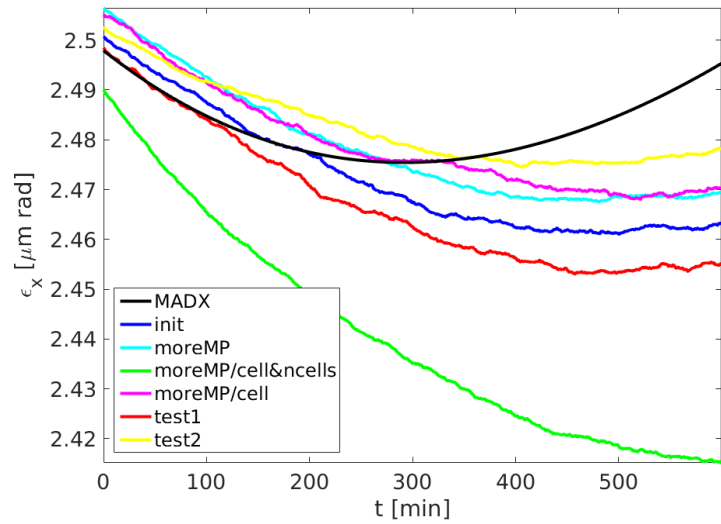


track in SIRE initially Gaussian  
distributions that correspond to  
the emit&enspread(and bunch  
length) values taken during  
specific timepoints within 10 h  
**from MADX** results



July17

files/parameters	#mp	#mp/cell	ncellx*	ncells
Paramtest-forscanCells	175000	5	10	350
params_moreMP	250000	5	12	350
params_moreMPpercell	175000	15	6	350
params_moreMPpercell_ncells**	175000	87	2	500
test1	175000	20	4	500
test2	250000	10	10	250



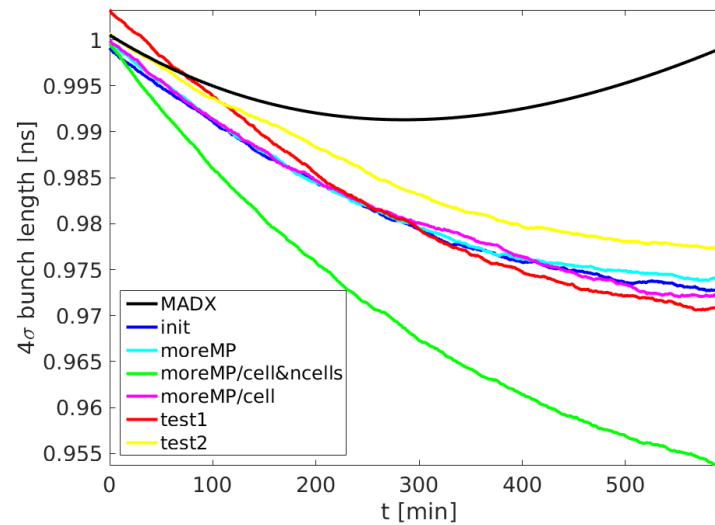
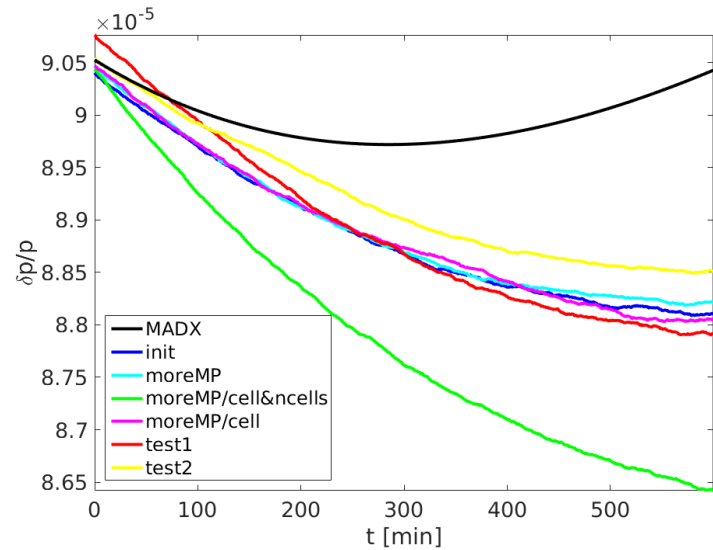
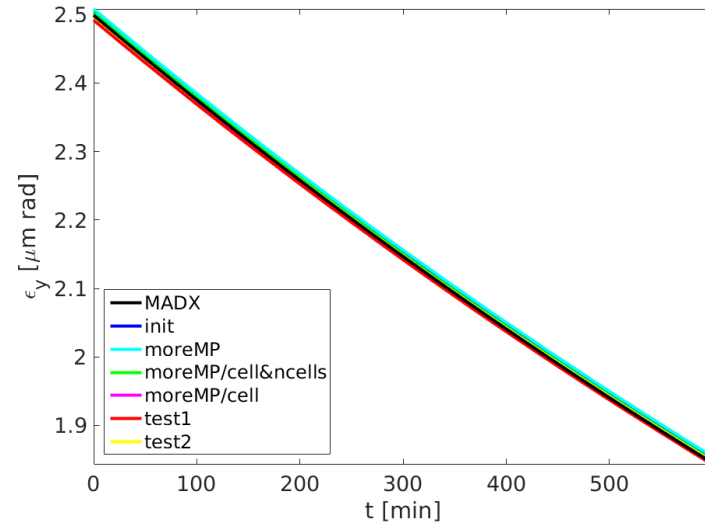
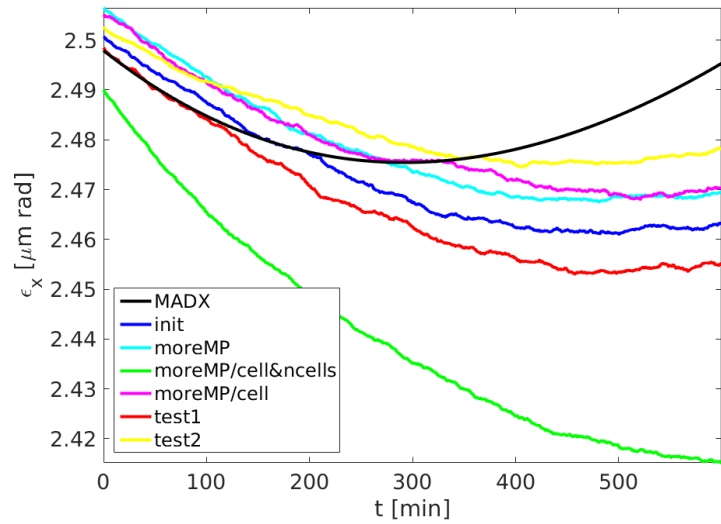
files/parameters	#mp	#mp/cell	ncellx*	ncells
Paramstest-forscanCells	175000	5	10	350
params_moreMP	250000	5	12	350
params_moreMPpercell	175000	15	6	350
params_moreMPpercell_ncells**	175000	87	2	500
test1	175000	20	4	500
test2	250000	10	10	250

- test3 and tes6 see the #cells defined in the params file, without taking into account the #mp/cell
- test7 is for  $ncellz = \text{ceil}((\text{numpart} * \text{ratio} / (\text{ncells} * \text{ncellx} * \text{mppercell})))$ ;
- All the other tests are for  $ncellx = \text{sqrt}((\text{numpart} * \text{ratio} / (\text{ncells} * \text{mppercell})))$ ;  
 $ncellz = \text{ceil}(\text{ncellx} / \text{ratio})$ ;

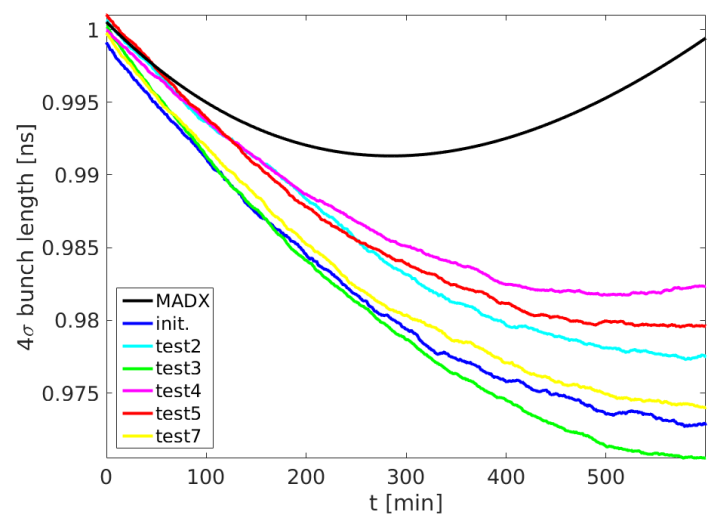
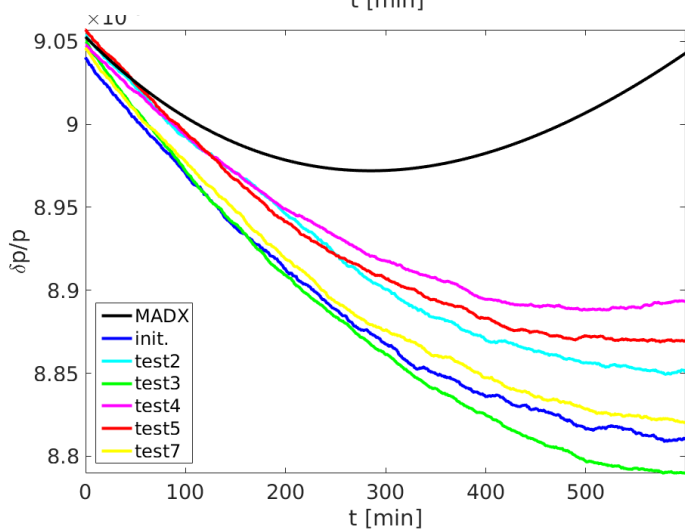
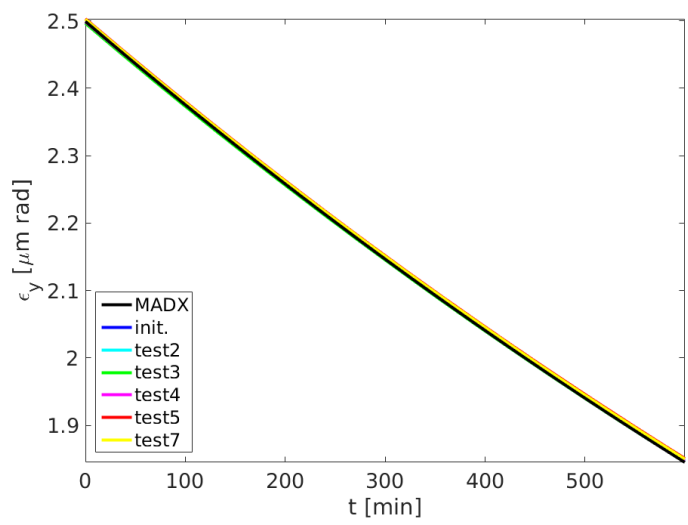
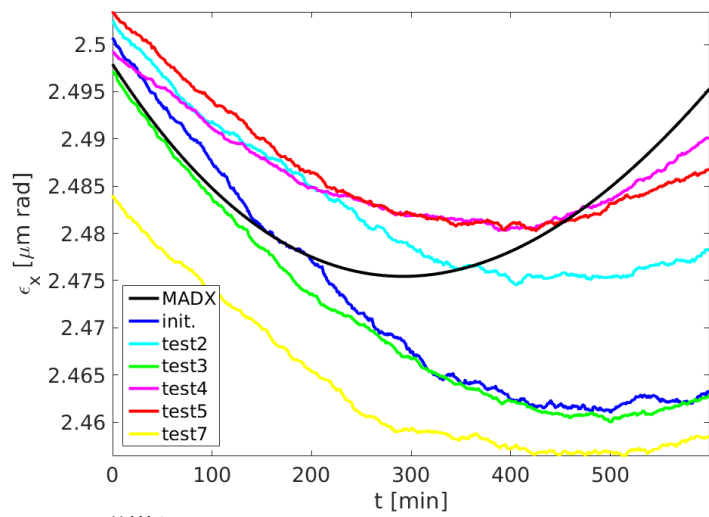
\*based on the  $ncellx = \text{sqrt}(\#mp * \text{ratio} / (\text{ncells} * \#mp / \text{cell}))$ , where the ratio is the  $\text{sigmax} / \text{sigmay}$ .

\*\*the bl/sigmax~250 then for ncells=500 it should be ncellx=87, so, for #mp=175000, #mp/cell=2

files/parameters	#mp	#mp/cell	ncellx*	ncells
Paramstest-forscanCells	175000	5	10	350
params_moreMP	250000	5	12	350
params_moreMPpercell	175000	15	6	350
params_moreMPpercell_ncells**	175000	87	2	500
test1	175000	20	4	500
test2	250000	10	10	250



files/parameters	#mp	#mp/cell	ncellx*	ncells
Paramtest-forscanCells	175000	5	10	350
test2	250000	10	10	250
test3	400000	-	20, 20	1000
test4	500000	20	16	100
test5	350000	15	10	250
test6 (no)	300000	-	10, 10	500
test7	300000	10	10	500







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ex1[cont]=-2*epsz*log(1-ran2()); // -2*exmean*log(1-ran2()) --> the factor of 2 is to go from emittance to action
ez1[cont]=-2*epsz*log(1-ran2());
es1[cont]=-(delta*delta+inv tune*inv tune*deltas*deltas)*log(1-ran2()); // this is already in action
phix1[cont]=2*pi*ran2();
phiz1[cont]=2*pi*ran2();
phis1[cont]=2*pi*ran2(); ratio=sqrt((betax[0]*exm[KINJ]+dispx[0]*dispx[0]*delta*delta)/(betaz[0]*ezm[KINJ]+dispz[0]*dispz[0]*delta*delta));
ncllx=ceil(sqrt((numpart*ratio)/(ncells*mpperc)));
ncllz=ceil(ncllx/ratio);
phix[comodo]=2.0*pi*ran2();
phiz[comodo]=2.0*pi*ran2();
phis[comodo]=2.0*pi*ran2();
// double *x,*xp,*z,*zp,*deltasp,*deltap
deltap[comodo]=sqrt(es[comodo])*cos(phis[comodo])+qes1*eqdelta*sqrt(1-exp(-DTIME/dtimes));
deltasp[comodo]=sqrt(es[comodo])*sin(phis[comodo])/inv tune+qes2*eqdeltas*sqrt(1-exp(-DTIME/dtimes));
x[comodo]=sqrt(ex[comodo]*betax[i])*cos(phix[comodo])+qex1*sqrt(betax[i]*eqx*(1-exp(-DTIME/dtimex)));
xp[comodo]=-sqrt(ex[comodo]/betax[i]*(alphax[i]*cos(phix[comodo])+sin(phix[comodo]))+qex2*sqrt(eqx*(1+alphax[i]*alphax[i])/betax[i]*(1-exp(-DTIME/dtimex))));
z[comodo]=sqrt(ez[comodo]*betaz[i])*cos(phiz[comodo])+qez1*sqrt(betaz[i]*eqz*(1-exp(-DTIME/dtimez)));
zp[comodo]=-sqrt(ez[comodo]/betaz[i]*(alphaz[i]*cos(phiz[comodo])+sin(phiz[comodo]))+qez2*sqrt(eqz*(1+alphaz[i]*alphaz[i])/betaz[i]*(1-exp(-DTIME/dtimez))));;

ex[comodo]=betax[i]*xp[comodo]*xp[comodo]+2.0*alphax[i]*xp[comodo]*x[comodo]+(1+alphax[i]*alphax[i])/betax[i]*x[comodo]*x[comodo];
ez[comodo]=betaz[i]*zp[comodo]*zp[comodo]+2.0*alphaz[i]*zp[comodo]*z[comodo]+(1+alphaz[i]*alphaz[i])/betaz[i]*z[comodo]*z[comodo];
es[comodo]=deltap[comodo]*deltap[comodo]+inv tune*inv tune*deltasp[comodo]*deltasp[comodo];
phis[comodo]=atan(inv tune*deltasp[comodo]/deltap[comodo]);

phix[cont]=2.0*pi*ran2();
phiz[cont]=2.0*pi*ran2();
phis[cont]=2.0*pi*ran2();
// double *x,*xp,*z,*zp,*deltasp,*deltap
deltap[cont]=sqrt(es[cont])*cos(phis[cont]);
deltasp[cont]=sqrt(es[cont])*sin(phis[cont])/inv tune;
x[cont]=sqrt(ex[cont]*betax[i])*cos(phix[cont])+dispx[i]*deltap[cont];
xp[cont]=-sqrt(ex[cont]/betax[i]*(alphax[i]*cos(phix[cont])+sin(phix[cont]))+disp1x[i]*deltap[cont]);
z[cont]=sqrt(ez[cont]*betaz[i])*cos(phiz[cont])+dispz[i]*deltap[cont];
zp[cont]=-sqrt(ez[cont]/betaz[i]*(alphaz[i]*cos(phiz[cont])+sin(phiz[cont]))+disp1z[i]*deltap[cont]);

ex[cont]=betax[i]*(xp[cont]-disp1x[i]*deltap[cont])*(xp[cont]-disp1x[i]*deltap[cont])+2.0*alphax[i]*(xp[cont]-disp1x[i]*deltap[cont])*(x[cont]-dispx[i]*deltap[cont])
+(1+alphax[i]*alphax[i])/betax[i]*(x[cont]-dispx[i]*deltap[cont])*(x[cont]-dispx[i]*deltap[cont]);
ez[cont]=betaz[i]*(zp[cont]-disp1z[i]*deltap[cont])*(zp[cont]-disp1z[i]*deltap[cont])+2.0*alphaz[i]*(zp[cont]-disp1z[i]*deltap[cont])*(z[cont]-dispz[i]*deltap[cont])
+(1+alphaz[i]*alphaz[i])/betaz[i]*(z[cont]-dispz[i]*deltap[cont])*(z[cont]-dispz[i]*deltap[cont]);
es[cont]=deltap[cont]*deltap[cont]+inv tune*inv tune*deltasp[cont]*deltasp[cont];
phis[cont]=atan(inv tune*deltasp[cont]/deltap[cont]);
if (deltap[cont]<0)
{
    phis[cont]=phis[cont]+pi;
}
phix[cont]=atan(-(xp[cont]-disp1x[i]*deltap[cont])/(x[cont]-dispx[i]*deltap[cont])*betax[i]-alphax[i]);
if (x[cont]-dispx[i]*deltap[cont]<0)
{
    phix[cont]=phix[cont]+pi;
}
phiz[cont]=atan(-(zp[cont]-disp1z[i]*deltap[cont])/(z[cont]-dispz[i]*deltap[cont])*betaz[i]-alphaz[i]);
if (z[cont]-dispz[i]*deltap[cont]<0)
{
    phiz[cont]=phiz[cont]+pi;
}

```