

SOLUTION 7

Exercise Session: 20.6.2024

Question 1

- a) Nodes are fixed, only edges change over time; we always have complete information of the entire time range; static view on temporal system; evolving networks consider dynamic changes such as node/edge insertion/deletion
- b) See Slide 21.
- c) Take snapshots of empirical network at two timepoints and estimate change in node degrees averaged over time (see Slide 24 for more details).
- d) In Erös-Renyi graphs degrees fall into a narrow scope around mean degree (i.e. they have an internal scale). Barabasi-Albert networks do not have an internal scale, i.e. randomly drawn node could have very small or very large degree equally likely (see Slide 31).

Question 2

The values listed below are the probabilities for a new node E to connect to each of the existing nodes if we assume that E establishes exactly one new edge:

- a) $P(X) = \frac{1}{4}$ for all $X \in \{A, B, C, D\}$.
- b) $P(X) = \frac{1}{8} + \frac{1}{16} \cdot \deg(X)$ for $X \in \{A, B, C, D\}$.
- c) $P(X) = \frac{1}{8} \deg(X)$ for all $X \in \{A, B, C, D\}$.
- d) $P(X) = \frac{1}{8} \deg(x)$ for all $X \in \{A, B, C, D\}$.

Question 3

See example implementation in the notebook `barabasi.ipynb`.