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Results for FULL (in 00:10:18.542):
   NB EV: 4
   AP: AP1
   NB AP: 2
   NB_MAY: -1
   NB_MUST_MINUS: -1
   NB MUST PLUS: -1
   NB MUST SHARP: -1
   NB AS: 3
   NB AS RCHD: 3
   TAU AS: 100.00
   NB AT: 9
   NB_AT_RCHD: 9
   TAU AT: 100.00
   NB_EXPECTED_AS: 3
   NB_EXPECTED_AS_RCHD: 3
   TAU EXPECTED AS: 100.00
   NB EXPECTED AT: 1
   NB EXPECTED AT RCHD: 1
   TAU_EXPECTED_AT: 100.00
   NB CS: 2048
   NB CS RCHD: 2048
   NB CT: 26112
   NB CT RCHD: 26112
   RHO CS: 100.00
   RHO CT: 100.00
   \begin{array}{l} \mathsf{SET\_EXPECTED\_AS:} \\ \mathsf{q0} = \neg(\mathsf{p0} = \overline{\exists}(\mathsf{i},\ \mathsf{j}).(\mathsf{and}(\mathsf{and}(\mathsf{i} \in [1..n],\ \mathsf{j} \in [1..n]),\ \mathsf{and}(\mathsf{i} \neq \mathsf{j},\ \mathsf{bat}(\mathsf{i}) = \mathsf{ok}[9],\ \mathsf{bat}(\mathsf{j}) = \mathsf{ok}[9],\ \mathsf{h} = \mathsf{tic}[6])))),\ \neg(\mathsf{p1} = \mathsf{h} = \mathsf{tac}[7]) \\ \mathsf{q1} = \neg(\mathsf{p0} = \overline{\exists}(\mathsf{i},\ \mathsf{j}).(\mathsf{and}(\mathsf{and}(\mathsf{i} \in [1..n],\ \mathsf{j} \in [1..n]),\ \mathsf{and}(\mathsf{i} \neq \mathsf{j},\ \mathsf{bat}(\mathsf{i}) = \mathsf{ok}[9],\ \mathsf{bat}(\mathsf{j}) = \mathsf{ok}[9],\ \mathsf{h} = \mathsf{tic}[6])))),\ \neg(\mathsf{p1} = \mathsf{h} = \mathsf{tac}[7]) \\ \mathsf{q2} = (\mathsf{p0} = \overline{\exists}(\mathsf{i},\ \mathsf{j}).(\mathsf{and}(\mathsf{and}(\mathsf{i} \in [1..n],\ \mathsf{j} \in [1..n]),\ \mathsf{and}(\mathsf{i} \neq \mathsf{j},\ \mathsf{bat}(\mathsf{i}) = \mathsf{ok}[9],\ \mathsf{bat}(\mathsf{j}) = \mathsf{ok}[9],\ \mathsf{h} = \mathsf{tic}[6])))),\ \neg(\mathsf{p1} = \mathsf{h} = \mathsf{tac}[7]) \\ \end{array} 
   \begin{split} & \mathsf{SET}_{\mathsf{RCHD}} \mathsf{AS:} \\ & \mathsf{q0} = \neg(\mathsf{p0} = \exists (\mathsf{i}, \, \mathsf{j}) . (\mathsf{and}(\mathsf{and}(\mathsf{i} \in [1..n], \, \mathsf{j} \in [1..n]), \, \mathsf{and}(\mathsf{i} \neq \mathsf{j}, \, \mathsf{bat}(\mathsf{i}) = \mathsf{ok}[9], \, \mathsf{bat}(\mathsf{j}) = \mathsf{ok}[9], \, \mathsf{h} = \mathsf{tic}[6])))), \, \neg(\mathsf{p1} = \mathsf{h} = \mathsf{tac}[7]) \\ & \mathsf{q1} = \neg(\mathsf{p0} = \exists (\mathsf{i}, \, \mathsf{j}) . (\mathsf{and}(\mathsf{and}(\mathsf{i} \in [1..n], \, \mathsf{j} \in [1..n]), \, \mathsf{and}(\mathsf{i} \neq \mathsf{j}, \, \mathsf{bat}(\mathsf{i}) = \mathsf{ok}[9], \, \mathsf{bat}(\mathsf{j}) = \mathsf{ok}[9], \, \mathsf{h} = \mathsf{tic}[6])))), \, \neg(\mathsf{p1} = \mathsf{h} = \mathsf{tac}[7]) \\ & \mathsf{q2} = (\mathsf{p0} = \exists (\mathsf{i}, \, \mathsf{j}) . (\mathsf{and}(\mathsf{and}(\mathsf{i} \in [1..n], \, \mathsf{j} \in [1..n]), \, \mathsf{and}(\mathsf{i} \neq \mathsf{j}, \, \mathsf{bat}(\mathsf{i}) = \mathsf{ok}[9], \, \mathsf{bat}(\mathsf{j}) = \mathsf{ok}[9], \, \mathsf{h} = \mathsf{tic}[6])))), \, \neg(\mathsf{p1} = \mathsf{h} = \mathsf{tac}[7]) \\ \end{aligned}
   SET_RCHD_EXPECTED AS:
    \begin{array}{l} \exists \text{Circle} = \text{Act} \\ 0 = \neg(p0 = \exists (i, j).(\text{and}(\text{and}(i \in [1..n], j \in [1..n]), \text{ and}(i \neq j, \text{bat}(i) = \text{ok}[9], \text{bat}(j) = \text{ok}[9], \text{h=tic}[6])))), \ \neg(p1 = \text{h=tac}[7]) \\ q1 = \neg(p0 = \exists (i, j).(\text{and}(\text{and}(i \in [1..n], j \in [1..n]), \text{and}(i \neq j, \text{bat}(i) = \text{ok}[9], \text{bat}(j) = \text{ok}[9], \text{h=tic}[6])))), \ \neg(p1 = \text{h=tac}[7]) \\ q2 = (p0 = \exists (i, j).(\text{and}(\text{and}(i \in [1..n], j \in [1..n]), \text{and}(i \neq j, \text{bat}(i) = \text{ok}[9], \text{bat}(j) = \text{ok}[9], \text{h=tic}[6])))), \ \neg(p1 = \text{h=tac}[7]) \\ \end{array} 
    \begin{array}{l} \mathsf{SET\_EXPECTED\_AT:} \\ \mathsf{q1} = \neg(\mathsf{p0} = \overline{\exists}(\mathsf{i},\ \mathsf{j}).(\mathsf{and}(\mathsf{and}(\mathsf{i} \in [1..n],\ \mathsf{j} \in [1..n]),\ \mathsf{and}(\mathsf{i} \neq \mathsf{j},\ \mathsf{bat}(\mathsf{i}) = \mathsf{ok}[9],\ \mathsf{bat}(\mathsf{j}) = \mathsf{ok}[9],\ \mathsf{h=tic}[6])))),\ (\mathsf{p1} = \mathsf{h=tac}[7]) \ -[\ \mathsf{Tic}\ ]-> \ \mathsf{q0} = \neg(\mathsf{p0} = \overline{\exists}(\mathsf{i},\ \mathsf{j}).(\mathsf{and}(\mathsf{and}(\mathsf{i} \in [1..n],\ \mathsf{j} \in [1..n]),\ \mathsf{and}(\mathsf{i} \neq \mathsf{j},\ \mathsf{bat}(\mathsf{i}) = \mathsf{ok}[9],\ \mathsf{h=tic}[6])))),\ \neg(\mathsf{p1} = \mathsf{h=tac}[7]) \end{aligned} 
SET_RCHD_AT: 
    q0 = ¬(p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], bat(i[6]))), ¬(p1 = h=tac[7]) ¬[ Repair ]-> q2 = (p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6]))), ¬(p1 = h=tac[7]) ¬[ Fail ]-> q1 = ¬(p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6]))), (p1 = h=tac[7]) ¬[ Fail ]-> q1 = ¬(p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), (p1 = h=tac[7]) ¬[ Repair ]-> q1 = ¬(p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), (p1 = h=tac[7]) ¬[ Repair ]-> q1 = ¬(p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), (p1 = h=tac[7]) ¬[ Tic ]-> q0 = ¬(p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Tic ]-> q2 = (p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Tic ]-> q2 = (p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Tic ]-> q1 = ¬(p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Tic ]-> q2 = (p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Fail ]-> q1 = ¬(p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Fail ]-> q2 = (p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Fail ]-> q2 = (p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Fail ]-> q2 = (p0 = 3(i, j).(and(and(i ∈ [1..n], j ∈ [1..n]), and(i ≠ j, bat(i)=ok[9], bat(j)=ok[9], h=tic[6])))), ¬(p1 = h=tac[7]) ¬[ Fail ]-> q
   SET RCHD AT:
   SET RCHD EXPECTED AT:
   q1 = \neg(p0 = \exists(i, j).(and(and(i \in [1..n], j \in [1..n]), and(i \neq j, bat(i)=ok[9], bat(j)=ok[9], b=tic[6])))), (p1 = b=tac[7]) - [Tic] -> q0 = \neg(p0 = \exists(i, j).(and(and(i \in [1..n], j \in [1..n]), and(i \neq j, bat(i)=ok[9], bat(j)=ok[9], b=tic[6])))), \neg(p1 = b=tac[7])
   SET_UNRCHD_AS:
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SET\_UNRCHD\_EXPECTED\_AS:

SET\_UNRCHD\_AT:

SET\_UNRCHD\_EXPECTED\_AT:

TIME\_ATS: 00:10:18.542