# **Genetic Evolution of a Picture**

### **Basic Approach**

I tried six approaches:

#### v1-circles

Initial implementation based on circles with naïve fitness function

- variable number of candidates kept
- variable number of circles per candidate
- mutation occurs by selecting random circles from each candidate and randomizing
- children are made by combining both parents' shapes but at half visibility

### v2-pixels

Pixel-based candidates with pixel mutation and more sensitive fitness function

• mutates pixel array directly by changing random pixels

#### v3-generational

Pixel-based still, but each generation is created anew — parents are not kept

- otherwise the same as v2
- The 'sexiest' X candidates with a greater number of Y candidates. Similar to reality, the more 'fit' candidates reproduce more widely but still tend to reproduce with other 'fit' candidates

#### v4-reprovariety

Added more variety to the repository to avoid local maxima harming evolution

• In addition to some X and Y of 'sexy' candidates reproducing, other candidates have a variable reproduction rate (probability directly proportional to their relative fitness)

### • v5-pixelCircles

Reverted to circle-based mutation, but with pixel-based candidates

• Crashes readily — instead of bug-fixing, I reverted to circle-based candidates

### • v6-circlesImproved

Circle-based candidates and circle-based mutation (based on v1)

- Fixed number of candidates per round
- Atomic generation of each new round mutations and children kept, but parents die
- Static fitness calculation to speed processing
- Duplicate candidate removal (to ease away from local maxima)
- Candidate crossover through shape combining (half-way between shape attributes)
- Circle comparison for sorting and fuzzy equality checking

# **Quantitative measurements**

Keep in mind that the programs I wrote actually generate quantitative data about the candidates in their candidate pool. Unfortunately the file with this data was lost and I didn't have time to re-collect the info. However, it would be interesting to see how the various algorithms / constant combinations compare as judged by a naïve fitness function.

### Results — v6-circlesImproved

This is the most successful algorithm that I developed. As you can see, it quickly gets to a reasonable approximation of the shape. There are a few interesting variations in the algorithm's performance against the various images. It gets closer to a good result on the first and third because they have greater color locality. However, it more quickly gets to something recognizable in the first and second images because they have a more consistent color scheme (green and red, respectively). Below you will see various iterations with different content values.

### Running the system with various parameters

If you have git, you can run different versions of the code by running one of:

```
git checkout v1-circles

git checkout v2-pixels

git checkout v3-generational

git checkout v4-reprovariety

git checkout v5-pixelCircles

git checkout v6-circlesImproved
```

The focus of this report is primarily on v6-circlesImproved, the most successful of my implementations. In this code, the constants can be varied at the top of the code.

These are the key variables:

• POPULATION\_SIZE\_INITIAL

- Controls the number of pseudo-random candidates in the initial population
- High numbers are useful for quickly getting to a good start point
- Can be larger than SURVIVAL\_MAX
- SURVIVAL\_PROB\_KEEP
  - Probability that a given candidate will survive from round to round
  - Lower numbers help fight off local maxima
- SURVIVAL\_PROB\_MUTATE
  - Probability that a given survivor will mutate from round to round
  - Lower numbers lead to increased stability; higher numbers introduce new features
- SURVIVAL\_MAX
  - Maximum number of candidates to keep between rounds
  - Higher numbers will naturally lead to better results, but slow down computation
- BREEDING\_ALPHA
  - The small selection of the sexiest 'mates' that are permitted to initiate breeding
- BREEDING\_BETA
  - The less small selection mates that the alphas will breed with
- NUM\_SHAPES
  - The number of shapes in each candidate
  - More shapes provide greater accuracy, but at the expense of computational power

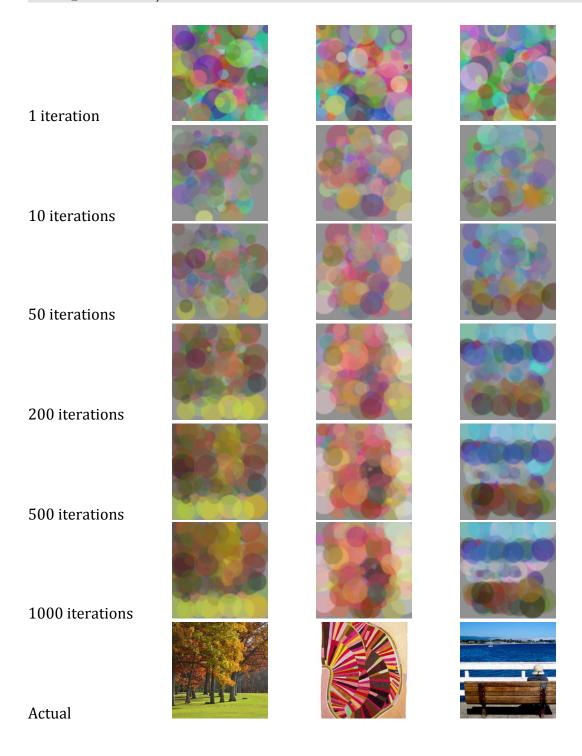
### Constant set #1

```
POPULATION_SIZE_INITIAL = 1000;

SURVIVAL_PROB_KEEP = 0.9; SURVIVAL_PROB_MUTATE = 0.9; SURVIVAL_MAX = 100;

BREEDING_ALPHA = 10; BREEDING_BETA = 20;

NUM_SHAPES = 250;
```



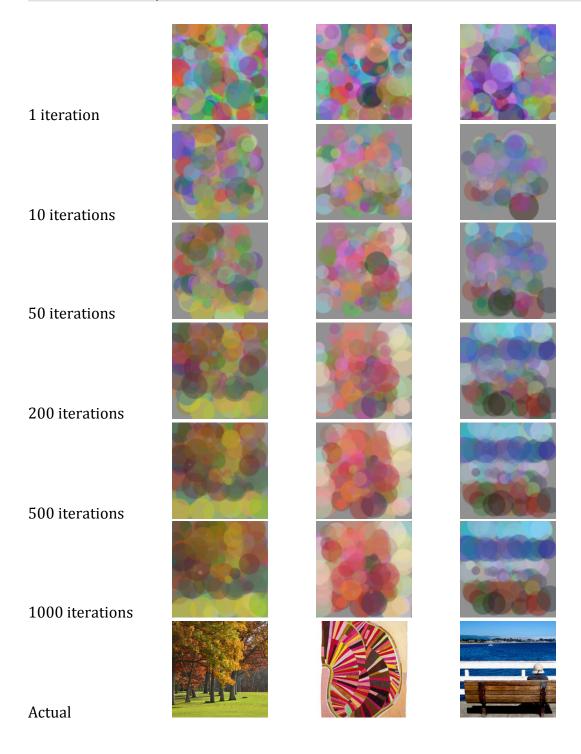
# Constant set #2 — Population changed to 50

```
POPULATION_SIZE_INITIAL = 1000;

SURVIVAL_PROB_KEEP = 0.9; SURVIVAL_PROB_MUTATE = 0.9; SURVIVAL_MAX = 50;

BREEDING_ALPHA = 10; BREEDING_BETA = 20;

NUM_SHAPES = 250;
```



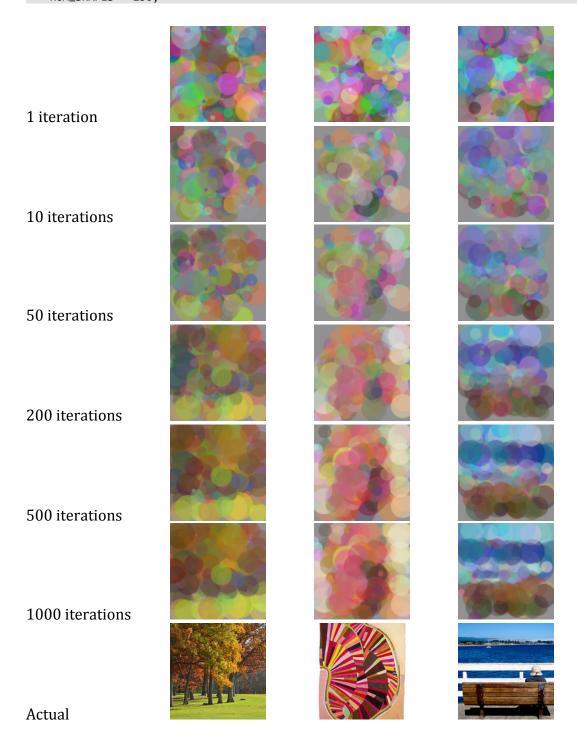
# Constant set #3 — Mutation changed to 50%

```
POPULATION_SIZE_INITIAL = 1000;

SURVIVAL_PROB_KEEP = 0.9; SURVIVAL_PROB_MUTATE = 0.5; SURVIVAL_MAX = 100;

BREEDING_ALPHA = 10; BREEDING_BETA = 20;

NUM_SHAPES = 250;
```



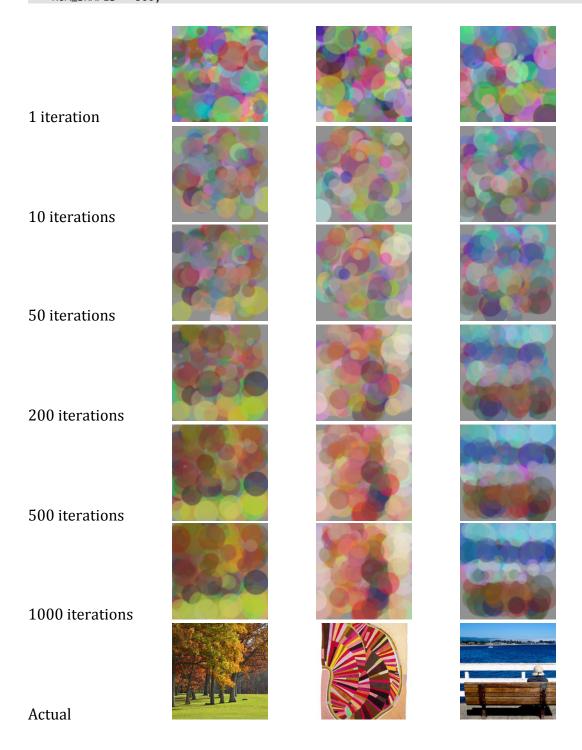
# Constant set #4 — Shapes/Candidate changed to 500

```
POPULATION_SIZE_INITIAL = 1000;

SURVIVAL_PROB_KEEP = 0.9; SURVIVAL_PROB_MUTATE = 0.9; SURVIVAL_MAX = 100;

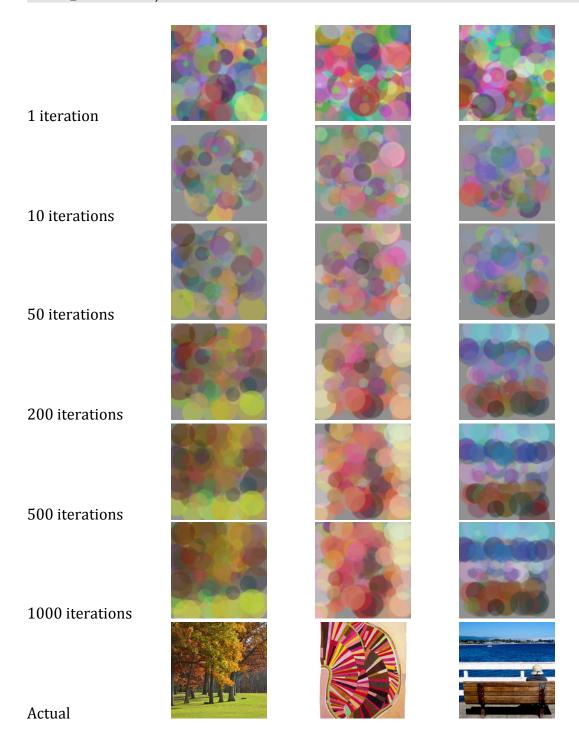
BREEDING_ALPHA = 10; BREEDING_BETA = 20;

NUM_SHAPES = 500;
```



# Constant set #5 — Breeding alpha changed to 20 (wider gene pool)

POPULATION\_SIZE\_INITIAL = 1000; SURVIVAL\_PROB\_KEEP = 0.9; SURVIVAL\_PROB\_MUTATE = 0.9; SURVIVAL\_MAX = 100; BREEDING\_ALPHA = 20; BREEDING\_BETA = 20; NUM\_SHAPES = 250;



# **Comparison of constant sets**

Data set #1 — All comparisons at 1000 iterations

Actual		
Constant set #1		
Constant set #2		
Constant set #3		Can of
Constant set #4		
Constant set #5		

### Data set #2 — All comparisons at 200 iterations

Actual		
Constant set #1		
Constant set #2		
Constant set #3		<b>5316</b>
Constant set #4		CANCES OF
Constant set #5	366	66

#### **Analysis of Data**

Showing this data to 4 people, I was able to get multiple opinions about which approximations look 'best'. The data is included in the Excel file provided. Asking each participant to rank each column 1 to 5 (1 being best), we came up with a few interesting results:

- Algorithm 4 performs consistently well, both in the 200 and 1000 tests
- Algorithms 1 and 2 perform consistently poorly
- Algorithm 3 performs best in the 200 iteration test, but 'average' at 1000 iterations
- Algorithm 5 performs slightly erratically, with high performance at 1000 iterations but low performance at 200 iterations

Average of Rating	
Row Labels	Total
200	3
1	2.22222222
2	2.22222222
3	3.888888889
4	3.77777778
5	2.888888889
1000	3
1	2.22222222
2	2.666666667
3	3
4	3.55555556
5	3.55555556
Grand Total	3