

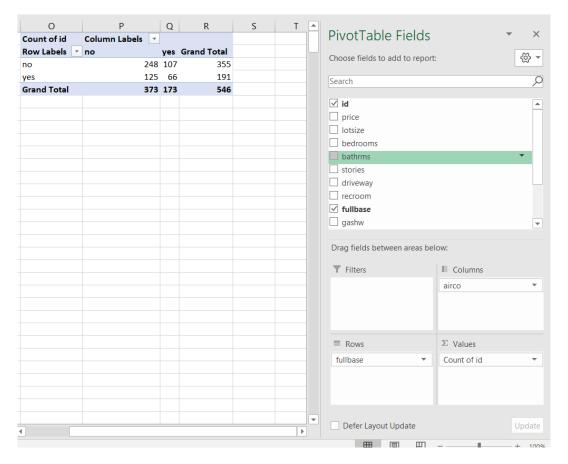
EXPECTED VALUES AND REPEATED MEASURES: DEMO NOTES

Chi-square test of independence

File: housing.xlsx

Is there a relationship between homes that have air conditioning and homes that have a full basement?

 Insert a PivotTable from the source data. Place airco in the Columns section, fullbase in the Rows section, and count of id in the Values section. Insert the resulting PivotTable into cell 01 of the housing worksheet.

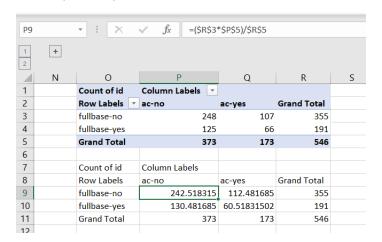




- 2. These are our *actual* values. We will now calculate the *expected* values based on overall proportions. Copy and paste the data from the PivotTable and add formulas to sum the row and column totals.
 - a. It can also be helpful to relabel the row and column headers to know exactly which category is which.

R11	1	- : ×	✓ fx =	SUM(F	R9,R10)		
1 2	+						
	N	0	Р		Q	R	
1		Count of id	Column Labe	ls 🔻			
2		Row Labels	ac-no		ac-yes	Grand Total	
3		fullbase-no		248	107	355	
4		fullbase-yes		125	66	191	
5		Grand Total		373	173	546	
6							
7		Count of id	Column Label	s			
8		Row Labels	ac-no		ac-yes	Grand Total	
9		fullbase-no		248	107	355	
10		fullbase-yes		125	66	191	
11		Grand Total		373	173	546	
10							

- 3. We will now calculate what would be expected for each category based on a straight proportion.
 - a. Our cell formulas from P9-Q10 will be:
 - i. =R3*(P5/R5)
 - ii. =R3*(Q5/R5)
 - iii. =R4*(P5/R5)
 - iv. =R4*(Q5/R5)





- 4. We will now find the p-value of the chi-square test using the Excel function CHISQ.TEST(). The function takes two arguments: the first is the range of *actual* values (which come from the PivotTable), and the second from the *expected* (which we calculated).
 - a. In this case, since the p-value exceeds .05, we fail to reject the null. There is no significant relationship between these categories.

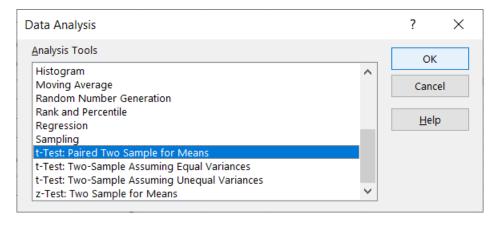
	N	0	Р	Q	R	
1		Count of id	Column Labels			
2		Row Labels 🔻	ac-no	ac-yes	Grand Total	
3		fullbase-no	248	107	355	
4		fullbase-yes	125	66	191	
5		Grand Total	373	173	546	
6						
7		Count of id	Column Labels			
8		Row Labels	ac-no	ac-yes	Grand Total	
9		fullbase-no	242.518315	112.481685	355	
10		fullbase-yes	130.481685	60.51831502	191	
11		Grand Total	373	173	546	
12						
13		0.290378605	=CHISQ.TEST(P3:Q4	,P9:Q10)		
14						

Paired sample t-test

Demo: bp.xlsx

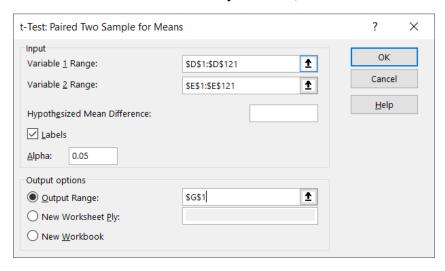
Is there a difference in blood pressures after the intervention?

1. For this test, we will use the Data Analysis ToolPak. Find the t-test: Paired Two Sample for Means option.





2. Select the measurements for Time 1 and Time 2. The Hypothesized Mean Difference will set to zero by default, which is what we want.



3. Based on the p-value for the two-tailed t-test, we reject the null. Blood pressures are significantly lower on average after the intervention.

t-Test: Paired Two Sample for Means			
	bp_before	bp_after	
Mean	156.45	151.3583333	
Variance	129.7285714	201.004972	
Observations	120	120	
Pearson Correlation	0.159118103		
Hypothesized Mean Difference	0		
df	119		
t Stat	3.337187051		
P(T<=t) one-tail	0.000564896		
t Critical one-tail	1.657759285		
P(T<=t) two-tail	0.001129791		
t Critical two-tail	1.980099876		



Wilcoxon signed-rank test

Demo: cortisol.xlsx

For this test, we will multiply the sign of each observation (+1 or -1) by the relative ranking of its absolute value, ranked ascending.

1. Enter the following formulas for columns D-F:

D	Sign	=SIGN(B3-C3)
Е	Absolute value	=ABS(B3-C3)
F	Signed-rank	=RANK.AVG(E3,\$E\$3:\$E\$22,1)*D3

2. Now we take the sum of all positive and negative ranks, and find their absolute values:

	Н	I	J	K	L	М	N
1							
1		c 1	A1 1 . I				
2		Sum ranks	Absolute value				
	Positive sum						
3	(Sum of all positive signed-ranks)	197	197	=SUMIF(\$F\$3:\$F\$22,">0")	=ABS(I3)		
	Negative sum						
4	(Sum of all negative signed-ranks)	-13	13	=SUMIF(\$F\$3:\$F\$22,"<0")	=ABS(I4)		
Е							

3. Our test statistic is whatever of these two values is smaller, and our critical value is found from a lookup of the critical-values worksheet based on our sample size.

4	Н	ı	J	K	L	1
1						
2		Sum ranks	Absolute value			
	Positive sum					
3	(Sum of all positive signed-ranks)	197	197	=SUMIF(\$F\$3:\$F\$22,">0")	=ABS(I3)	
	Negative sum					
4	(Sum of all negative signed-ranks)	-13	13	=SUMIF(\$F\$3:\$F\$22,"<0")	=ABS(I4)	
5						
6	Test statistic	13	=MIN(J3:J4)			
7	Critical value	52	=VLOOKUP(COUNT(\$A\$3:\$A\$22),'critical-values'!\$A\$1:\$B\$22,2,FALSE)			
8						
0						



4. If the test statistic is *less than* the critical value, we reject the null.

	Н	1	J	K	L	М
1						
2		Sum ranks	Absolute value			
	Positive sum					
3	(Sum of all positive signed-ranks)	197	197	=SUMIF(\$F\$3:\$F\$22,">0")	=ABS(I3)	
	Negative sum					
4	(Sum of all negative signed-ranks)	-13	13	=SUMIF(\$F\$3:\$F\$22,"<0")	=ABS(I4)	
5						
6	Test statistic	13	=MIN(J3:J4)			
7	Critical value	52	=VLOOKUP(COUNT(\$A\$3:\$A\$22),'critical-values'!\$A\$1:\$B\$22,2,FALSE)			
8	Reject the null?	Yes	=IF(I6 <i7,"yes","no")< td=""><td></td><td></td><td></td></i7,"yes","no")<>			
9						
10						

