Model 2

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Network-Based Classification Model

In this document, we will perform Network-Based Classification Model using radiomics data.

Load Helper and Model Packages

```
library(dplyr)
                      # for data manipulation
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
##
      filter, lag
## The following objects are masked from 'package:base':
##
##
      intersect, setdiff, setequal, union
library(keras)
                      # for fitting DNNs
library(tfruns)
                      # for additional grid search & model training functions
library(tensorflow)
library(tfestimators) # provides grid search & model training interface
## tfestimators is not recomended for new code. It is only compatible with Tensorflow version 1, and is
library(rsample)
library(tidyverse)
                                              ----- tidyverse 1.3.2 --
## -- Attaching packages -----
## v ggplot2 3.4.0
                     v purrr
                               0.3.4
## v tibble 3.1.8
                      v stringr 1.4.1
## v tidyr
            1.2.1
                      v forcats 0.5.2
## v readr
            2.1.3
## -- Conflicts -----
                                            ## x dplyr::filter() masks stats::filter()
## x dplyr::lag()
                    masks stats::lag()
library(bestNormalize)
```

Load Data Sets

Radiomics data contains 197 rows and 431 columns: Failure.binary: binary property to predict

```
radiomicsdata <- read.csv("~/R CLASS/FINAL PROJECT/radiomics_completedata.csv")
View(radiomicsdata)
```

Data Pre-Processing

Check for null and missing values

Using anyNA() function, We can determine if any missing values in our data. The result shows either TRUE or FALSE. If true, omit the missing values using na.omit(). Hence, our data has no missing values. anyNA(radiomicsdata)

```
## [1] FALSE
```

Check for normality

The **Shapiro-Wilk's Test** is used to check the normality of the data. The null hypothesis states that data are normally distributed. Before, we test the normality, remove the categorical and binary variable.

```
rd <- radiomicsdata%>%select_if(is.numeric)
rd <- rd[,-1]
test <- apply(rd,2,function(x){shapiro.test(x)})</pre>
```

unlist() function is used to convert a list to vector, so we can have the list of p-value of all variables.

```
pvalue_list <- unlist(lapply(test, function(x) x$p.value))</pre>
```

Compute the sum of total variable with p-value less than 0.05 alpha. Thus, we have 428 variables that are not normally distributed and Entropy_cooc.W.ADC is normally distributed.

```
sum(pvalue_list<0.05) # not normally distributed

## [1] 428
sum(pvalue_list>0.05) # normally distributed
```

```
## [1] 1
test$Entropy_cooc.W.ADC
```

```
##
## Shapiro-Wilk normality test
##
## data: x
## W = 0.98903, p-value = 0.135
```

To normalized the data, remove first the categorical, binary and Entropy_cooc.W.ADC variable and use **orderNorm()** function. The **x.t** is the elements of orderNorm() function transformed original data.

```
rdnorm=radiomicsdata[,c(3,5:length(names(radiomicsdata)))]
rdnorm=apply(rdnorm,2,orderNorm)
rdnorm=lapply(rdnorm, function(x) x$x.t)
rdnorm=rdnorm%>%as.data.frame()
```

Test again using shapiro-wilk's test.

```
test2=apply(rdnorm,2,shapiro.test)
pvalue_list2=unlist(lapply(test2, function(x) x$p.value))
```

Compute the sum of total variable with p-value less than 0.05 alpha and more than 0.05 alpha. Finally, our data is normally distributed.

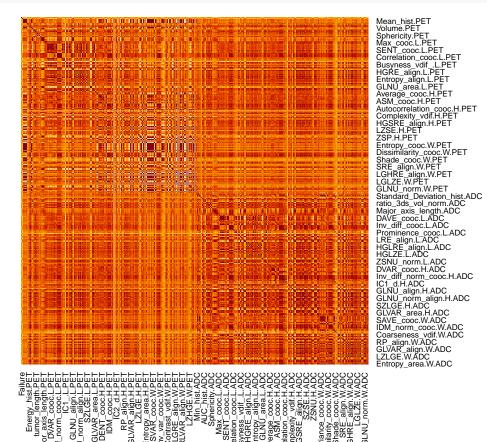
```
sum(pvalue_list2<0.05) # not normally distributed

## [1] 0
sum(pvalue_list2>0.05) # normally distributed

## [1] 428
Create new data with the Failure.binary, Entropy_cooc.W.ADC, and rd2 variables.
keep = select(radiomicsdata, c("Failure.binary", "Entropy_cooc.W.ADC"))
newdata = cbind(keep,rdnorm)
```

Get the correlation of the whole data expect the categorical variables

```
CorMatrix=cor(newdata[,-c(1,2)])
heatmap(CorMatrix,Rowv=NA,Colv=NA,scale="none",revC = T)
```



Splitting

Split the data into training (80%) and testing (30%).

```
newdata<-newdata %>%
  mutate(Failure.binary=ifelse(Failure.binary== "No",0,1))
set.seed(123)
split = initial_split(newdata,prop = 0.8 ,strata = "Failure.binary")
split_train <- training(split)</pre>
```

```
split_test <- testing(split)

xtrain <- split_train[,-c(1,2)]%>%as.matrix.data.frame()
xtest <- split_test[,-c(1,2)]%>%as.matrix.data.frame()
ytrain <- split_train$Failure.binary
ytest <- split_test$Failure.binary</pre>
```

Reshaping the dataset

```
xtrain <- array_reshape(xtrain, c(nrow(xtrain), ncol(xtrain)))
xtrain <- xtrain

xtest <- array_reshape(xtest, c(nrow(xtest), ncol(xtest)))
xtest <- xtest

ytrain <- to_categorical(ytrain, num_classes = 2)

## Loaded Tensorflow version 2.9.3
ytest <- to_categorical(ytest, num_classes = 2)</pre>
```

Run the model

with the R function keras_model_sequential() of keras package, allows us to create our network with a layering approach. So, we are going to create five hidden layers with 256, 128, 128, 64 and 64 neurons, respectively with activation functions **Sigmoid** and 2 neurons for output layer with activation functions of **Softmax**. Every layer is followed by a dropout to avoid overfitting.

```
model <- keras_model_sequential() %>%

# Network architecture
layer_dense(units = 256, activation = "sigmoid", input_shape = c(ncol(xtrain))) %>%
layer_dropout(rate = 0.2) %>%
layer_dense(units = 128, activation = "sigmoid") %>%
layer_dropout(rate = 0.2) %>%
layer_dense(units = 128, activation = "sigmoid") %>%
layer_dropout(rate = 0.2) %>%
layer_dropout(rate = 0.2) %>%
layer_dense(units = 64, activation = "sigmoid") %>%
layer_dropout(rate = 0.2) %>%
layer_dense(units = 64, activation = "sigmoid") %>%
layer_dense(units = 64, activation = "sigmoid") %>%
layer_dense(units = 2, activation = "softmax")
```

Backpropagation Compiler Approach

```
model %>%

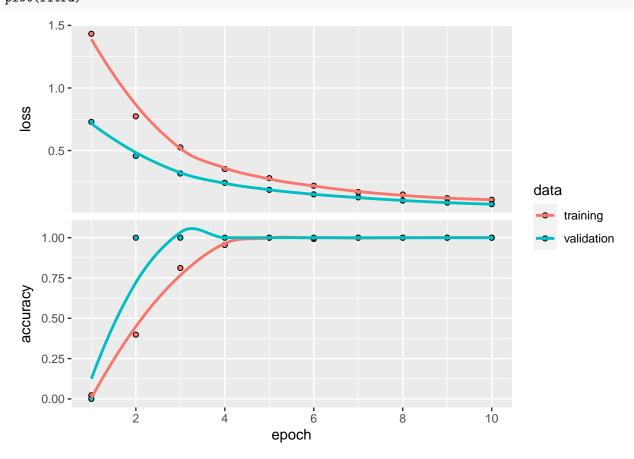
compile(
    loss = "categorical_crossentropy",
    optimizer = optimizer_rmsprop(),
    metrics = c("accuracy")
)
```

Trained the model

We've already built a fundamental model; all that remains is to feed it some data to train on. To achieve this, we input our training data and model into a fit() function.

An epoch indicates how many times the algorithm views the entire dataset. Therefore, an epoch has ended whenever the algorithm has viewed all of the samples in the data set. Since a single epoch would be too large to transmit to the computer all at once, we divide it in several smaller batches.

```
fitrd <- model %>%
  fit(xtrain, ytrain,
      epochs = 10,
      batch_size = 128,
      validation_split = 0.15)
# Display output
fitrd
##
## Final epoch (plot to see history):
##
           loss: 0.1069
##
       accuracy: 1
       val_loss: 0.07147
##
## val_accuracy: 1
#plot the training and validation performance over 10 epochs
plot(fitrd)
```



Evaluate the trained model using testing dataset

```
model %>%
    evaluate(xtest, ytest)

## loss accuracy
## 0.07003044 1.00000000
dim(xtest)

## [1] 40 428
dim(ytest)

## [1] 40 2
```

Model prediction using testing dataset

```
model %>% predict(xtest) %>% `>`(0.5) %>% k_cast("int32")
```

```
## tf.Tensor(
## [[0 1]
##
   [0 1]
##
   [0 1]
   [0 1]
##
   [0 1]
##
   [0 1]
##
   [0 1]
##
   [0 1]
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##
   [0 1]
   [0 1]
##
##
    [0 1]
##
   [0 1]
##
   [0 1]
## [0 1]
```

```
## [0 1]
## [0 1]
## [0 1]
## [0 1]
## [0 1]
## [0 1]], shape=(40, 2), dtype=int32)
```