

## → Bagging

### - What is Bagging

Bagging is an ensemble learning technique that trains multiple models independently on different bootstrap samples and combines their predictions to improve stability and accuracy.

### - Purpose (When)

To reduce variance and overfitting in high variance models (especially Decision Trees).

### - Why it is used

- Stabilizes unstable models
- Reduces overfitting
- Improves generalization
- Parallelizable

### - How it works (Algorithm)

- Create multiple bootstrap samples (sampling with replacement)
- Train a base learner on each sample
- Make predictions independently
- Aggregate results:
  - Classification → majority vote
  - Regression → mean

### - Formula

- Classification:  $\hat{y} = \text{mode}(h_1(x), h_2(x), \dots, h_n(x))$
- Regression:  $\hat{y} = \frac{1}{n} \sum h_i(x)$

## - Technical Details

- Ensemble type: Parallel
- Reduces variance, not bias
- Base models are independent

## - Parameters

- Number of estimators
- Base estimator type (gini/entropy)
- Bootstrap size (depth)

## - Pros

- Reduces overfitting
- Simple and effective
- Parallel execution

## - Cons

- No bias reduction
- Less interpretable
- Higher computation

## - Real World Application (Where)

- Financial risk models
- Medical prediction systems
- Baseline ensemble models.

## → Gradient Boosting

### - What is Gradient Boosting

Gradient Boosting is a sequential ensemble technique where each new model corrects the errors of the previous models using gradient descent.

### - Purpose ~~Why~~ (When)

To reduce bias and build strong predictive models from weak learners.

### - Why it is used

- Handles complex non-linear patterns
- High predictive accuracy
- Flexible loss function

### - How it works (Algo)

- Start with a simple model (initial prediction)
- Compute residual errors
- Train next model on residuals
- Add model to ensemble with learning rate
- Repeat sequentially

### - Formula

$$F_m(x) = F_{m-1}(x) + \eta \cdot h_m(x)$$

$\because \eta = \text{learning rate}$   
 $\because h_m = \text{weak learner}$

### - Technical Details

- Ensemble type: Sequential
- Optimizes arbitrary loss functions
- Uses gradient descent in function space



## - Parameters

- Learning rate
- Number of estimators
- Tree depth
- Loss function

## - Pros

- High accuracy
- Handles complex data
- Custom loss functions

## - Cons

- Slow training
- Sensitive to hyperparameters
- Prone to overfitting if not tuned.

## - Real World Applications (Where)

- Fraud detection
- Ranking systems
- Credit scoring

## → AdaBoost (Adaptive Boosting)

### - What is AdaBoost

AdaBoost is a boosting algorithm that focuses on misclassified samples by increasing their weights in ~~seq~~ subsequent models.

### - Purpose (When)

To convert weak learners into a strong classifier by focusing on hard examples.

### - Why it is used

- Simple boosting algorithm
- Strong theoretical foundation
- Works well with weak learners

### - How it works (Algo)

- Assign equal weights to all samples
- Train weak learner
- Increase weights of misclassified points
- Train next learner on reweighted data
- Combine learners using weighted voting.

### - Formula

- Final model:  $F(x) = \sum \alpha_m h_m(x)$
- Learner weight:  $\alpha_m = \frac{1}{2} \ln \frac{1 - \text{error}}{\text{error}}$

### - Technical Details

- Sequential learning
- Sensitive to noisy data
- Uses exponential loss

## - Parameters

- Number of estimators
- Learning rate
- Base estimator

## - Pros

- Improves weak models
- Simple implementation
- Less overfitting than trees

## - Cons

- Sensitive to noise & outliers
- Poor performance on complex data
- Not scalable

## - Real World Applications (Where)

- Face detection
- Text classification
- Early ML systems



## → XGBoost (Extreme Gradient Boost)

### - What is XGBoost

XGBoost is an optimized, scalable implementation of Gradient Boosting designed for speed, performance and regularization.

### - Purpose (When)

To achieve state of the art accuracy on structured/tabular data.

### - Why it is used

- Extremely fast
- Built in regularization
- Handles missing values
- Winner of many ML competitions

### - How it works (Algo)

- Builds trees sequentially
- Uses second-order derivatives (Hessian)
- Applies regularization to trees
- Prunes trees automatically
- Parallelizes tree construction

### - Formula

Objective Function:  $Obj = \sum l(y_i, \hat{y}_i) + \sum \Omega(f_k)$

Regularization:  $\Omega(f) = \gamma T + \frac{1}{2} \lambda \sum w^2$

- Technical Details
  - Uses newton boosting
  - Supports sparse data
  - Cache-aware and parallel
- Parameters
  - nestimators: no of trees
  - learning\_rate: step size
  - max\_depth: tree depth
  - subsample: row sampling
  - colsample\_bytree: Feature sampling
  - lamda, alpha: regularization
- Pros
  - Very high accuracy
  - Built in regularization
  - Handles missing values
  - Scalable
- Cons
  - Complex tuning
  - Less interpretable
  - Overkill for small datasets
- Real World Applications (Where)
  - Kaggle competitions
  - Finance risk models
  - Search ranking
  - Recommendation systems