

Transforming data using linear Algebra (L-3)

add more samples that mirror the original dataset

Matrix Transformation

Every given point in subspace is sum of basis vectors

$$\begin{bmatrix} a \\ b \end{bmatrix} = a \begin{bmatrix} 1 \\ 0 \end{bmatrix} + b \begin{bmatrix} 0 \\ 1 \end{bmatrix} = a\hat{i} + b\hat{j}$$

$(a, b) \rightarrow$ also specify which subspace.

(a, b) might be diff in same 2D space.

$T_0 \rightarrow$ original subspace

$T_1 \rightarrow$ Transformed ~~sub~~ subspace.

T_1 matrix apply it on D in T_0 .

Parallel lines \rightarrow new basis vectors.

why?

Any transformation, changes into a new subspace.
Dist-based algo (NN) changes on the transformed points.

Given an image \rightarrow It gives description

Given a dataset we need to load dataset
extract features

get Hole pixels(i). sum(i) iterate over i.

colors \rightarrow features plotted in 2d

we took existing training samples and applied transformations.

New basis can be determined through mathematical tools.

eigen vectors & eigen-values

Best transformation vector

Features: # of boundary pixels
of hole pixels

If scale of features very diff

\Rightarrow Normalization (setting offset)

(If scales are off)

ip value \rightarrow \rightarrow Normalized values.

(Suppose we have (a,b) $\frac{x - \min}{\max - \min}$)

LHS Transformation = $\frac{x - \min}{\max - \min}$
matrix

Scale it for any
number of features

Bias vector: $\left\{ \begin{array}{l} -\min(x) \\ \max(x) - \min(x) \end{array} \right.$
 $\left\{ \begin{array}{l} -\min(y) \\ \max(y) - \min(y) \end{array} \right.$