

## Arrays

### O(1) retrieving

arrays have fixed length

int[] array = new int[10]

fixed size of 10

mutable arrays can grow or shrink

some languages (such as Python) only

have mutable arrays

=  
use mutable when you don't know how many elements you need upfront

underneath it is an array and works like it,

but when the array gets full we create a new array that's double the size of the old array and copy the elements over

copying all elements is really slow, but cost is amortized, only happens when we hit capacity so in average adding is still constant time, even though sometimes is linear

## Strings

### sequence of characters, almost like an array

when we access the  $i^{\text{th}}$  element immediately like with an array

unlike arrays however, you cannot change the string (in many languages)

when we concatenate a bunch of strings.

$\text{str} = \text{a}$  "adding" + "like" + "i" + "fun"  
 $\text{str} += \text{b}$   $\text{str} + \text{c}$   $\text{str} + \text{d}$  → results in sufficient,  
but not a new string

every time

create an array of arrays of all the strings and every time you concatenate one just add it to that list, tracking all the while the total number of characters you need. When actually need the string concat and merge all the strings together at once

StringBuilder sb = new StringBuilder()

sb.append("a")  $\rightarrow$  most longer  
sb.append("b") should have something like this  
sb.append("c")  
sb.append("d")

Hash tables

\* For any problem, have hash tables at the top of your mind as a possible technique to solve the problem

A hash table, at a high level, is a key value lookup. So it gives you a way of giving a key, associating a value with it. For very very quick lookups.

```
hashTable.put("Matty", new Person(...))  
hashTable.get("Matty")
```

In a hashtable, they key as well as the value can be basically anything, as the value can be basically anything, as long as it has a hash function!

=  
At a high level we want to store the objects in an array

~~But what if two strings map to the same index?~~  
~~String "Alax" maps to index 0, string "Bob" maps to index 1, string "Chris" maps to index 2, string "David" maps to index 3, string "Eve" maps to index 4, string "Frank" maps to index 5, string "Gwen" maps to index 6, string "Hank" maps to index 7, string "Ivan" maps to index 8, string "Jill" maps to index 9, string "Kathy" maps to index 10, string "Liam" maps to index 11, string "Matt" maps to index 12, string "Nate" maps to index 13, string "Oscar" maps to index 14, string "Peter" maps to index 15, string "Quinn" maps to index 16, string "Riley" maps to index 17, string "Sam" maps to index 18, string "Tina" maps to index 19, string "Ulysses" maps to index 20, string "Vivian" maps to index 21, string "Wendy" maps to index 22, string "Xavier" maps to index 23, string "Yvonne" maps to index 24, string "Zachary" maps to index 25.~~

A hash function takes an object, converts it into some sort of integer, and then maps that integer into an index into that array. That's where we can find our value.

The hashcode is not actually the index in this array, we map from the key to the hashcode, and then over to the index.

/ string → hashcode → index

That's because the array that actually stores the data from the hashtable, might be much much smaller than all the available potential hash codes

Two strings can have the same hashcode that's because there are an infinite number of strings, but a finite number of hashcodes. Additionally since we're reusing the hashcode into an even smaller index, two things with different hashcodes could actually wind up mapped to the same index

That's called a collision!

Chaining is the most common way to solve collisions.

With chaining, when there is collision, just store them in a linked list

When looking for the value of "Alax", you actually need to look on the down in that linked list and pull out the value for "Alax".

"Alax" → PC0 → (p0, "Christy"), (p1, "Alax"), "Kevin" → PC1 → ...  
"Chris" → PC2 → ...  
"David" → PC3 → ...  
"Bob" → PC4 → ...  
↑  
The list contains both down and zero

O(1) for a "good" hashtable  
O(n) for a terrible hashtable ~ what we mean ↑ lots of collision.  
worst case,

## Linked Lists

A linked list is essentially a sequence of elements where each element links to the next element, which links to the next element, and so on...

It can contain pretty much any type of data, elements can be sorted or unsorted, it can contain duplicates, elements are unique elements.

In an array, elements are indexed, ok? In a linked list you have to start with the head and walk your way through, until you get to the forth element.

That takes linear time

## Doubly Linked List

### Advantages

insertion and deletion can be ~~optimal~~!

O(1) prepend  
O(n) append

## Stacks and Queues!

- linear data structures

- flexible size is in how the main difference is in how elements are removed:

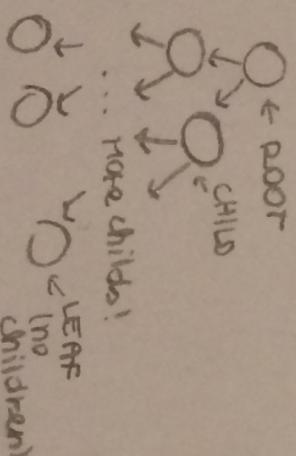
A stack is LIFO

A queue is FIFO

Insert with some element you want to insert. Check whether is bigger or smaller

than the root. If bigger go to the right, else to the left. Repeat this. Do this over and over until we get to an empty spot and insert the element.

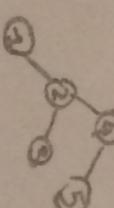
## Trees



### Binary Tree

Each node has no more than two child nodes

Out-tree could get really unbalanced!



An unbalanced tree has slower insertion and finds

## Traversing

### Inorder

left then root then right

### Preorder

root then left then right

### Postorder

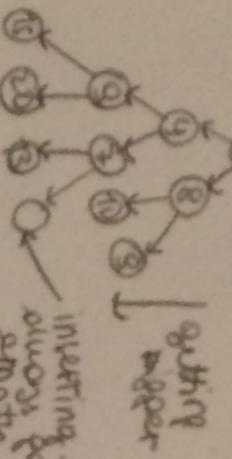
left then right then root

inorder gives us the elements in sorted order in a binary search tree!

This makes finding a node O(log n)

## MIN or MAX Heaps

In a min heap the elements' size is always smaller than their children



giving  
parent

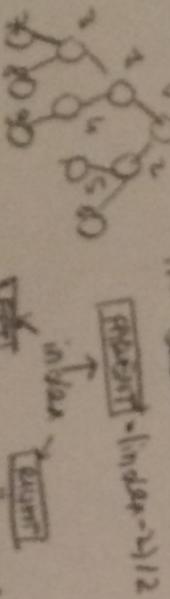
inserting an element, it  
always goes in the next  
empty spot looking for to  
return left to right.

- .. And then bubble it up  
until we get to the right spot.
- compare with parent ..
- if out of order swap them
- keep going up the tree

### Removing the minimum element

- remove the min element
- swap empty root with the last element added
- bubble down root
- compare with left and right child
- swap it with the smaller
- keep going down until the heap property  
is restored

An heap is visualized as a binary tree, but when  
we do operations like insert or delete, the whole heap  
structure is changed. The heap never has gaps (because of  
the heap property, all elements are added)



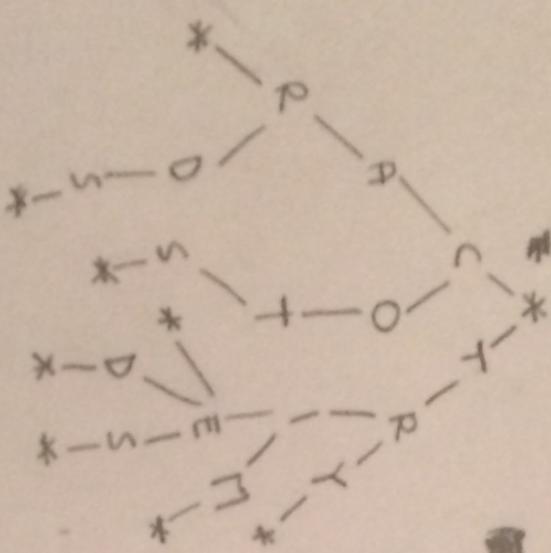
max  
parent  
child  
child

parent - index - 112

This data-structure which's actually a type of tree  
Often used to store characters

Each node stores a character  
and the path from the root to that node is a word  
or part of a word

Very quick lookups of a particular kind



Words starting with "car-"  
car car cars !

Use where you need some sort of  
word validation  
- Walk through whole board and  
Find all the words  
- Given list of strings, find all  
matching words

Instead of looking up from the root  
every time when checking a string, we want them own  
to build on each other  
we can read nodes in various  
ways

By:  
- Traversing data within tree  
- Following the node reference

Java Node {  
 children; //Children (Character Node)  
 boolean isCompleteWord; //Boolean is complete word;

## Bubble sort

Walking through the array  
and swapping elements

Really naive algorithm, not one we  
may want to use in the real world

Walk through the array and  
everytime we see elements that  
are out of order, we swap them

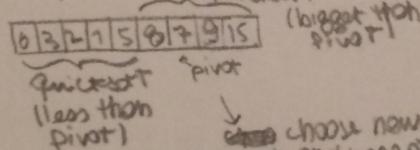
By doing it enough times, our  
array will become sorted  $O(n^2)$

but in place

For example, you have a sorted array,  
only one element gets incremented,  
then one walks through & bubble sort  
could then sort the array efficiently

## Quicksort!

very efficient (randomly)  
- pick some element to be the pivot element  
- walk through the others and swap  
elements around such that the elements  
less than the pivot come before elements  
bigger than it  
- repeat the process for the left and right portion



- Eventually we will wind  
up with a sorted array as  
it gets more and more sorted each loop

If we pick a bad pivot everytime  
(very first or last element in subarray)  
 $O(n^2)$  runtime

As long as we're smart about how we pick  
the pivot element, we get efficient runtime

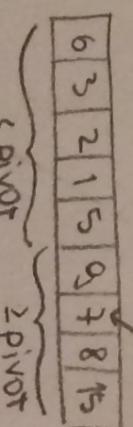
$O(n \log n)$   
each element gets  
quicksort called  
on it  $\log n$  times

## QUICKSORT

Really popular and efficient sorting algorithm

- Take others of array integers
- Pick a pivot element (for now we assume is picked randomly)

- Walk through the array and swap elements around such that all elements less than the pivot, come before the elements bigger than it



- Repeat the process to the left and right portion over and over until eventually our array just becomes sorted

Efficiency

In an ideal world in Quicksort, we're dividing the array in half each time.

We pick a great pivot that makes it roughly the median, and then we pick a great pivot that makes

half the elements gets pivoted to one side of the array and half of the get pivoted to the other and then apply quicksort to each half

In that case we get  $O(n \log n)$

(each element gets quicksort called on it log times, and each one of those was one swap. So  $n$  elements go through  $\log n$  swaps.)

MERGESORT (array)?

Mergesort (array's left half)  
Mergesort (array's right half)

Mergesort (array's right half) merge left and right half in sorted order

However in the bad case, we pick a really bad pivot like, everytime we pick the pivot happens to be the lowest element in that subarray, then we have ~~to~~  $n^2$  calls to quicksort, therefore  $O(n^2)$

As long as we're smart about how we pick the pivot element, we get a pretty efficient runtime, and that's why we implement quicksort in the real world

## MERGESORT

Pretty efficient sorting algorithm.

The best way to conceptualize merge sort is recursive.

Suppose we have this large array, and we want to sort it. What if we could magically sort the left half and the right half? Then if we wanted to make the whole array sorted, all we have to do is merge those in sorted order

What we do to sort the left and right half is just apply merge sort again. By doing it over and over until we get a sorted array eventually.

Mergesort (array)?  
Mergesort (array's left half)  
Mergesort (array's right half)  
Merge left and right half in sorted order  
Always gives  $O(n \log n)$   
But merging two arrays ~~together~~ together requires extra space generally →  $O(n)$  space  
copy all the elements into a new array, merge them and copy them back

## Hungry sort

~~10 5 2 7 4 9 12 1 8 6 11 3~~

~~merge sort~~      ~~magic sort~~

~~2 4 5 7 9 10~~

~~1 3 6 8 11 12~~

~~merge~~  
1 2 3 4 5 6 7 8 9 10 11 12

merge sort (arrow) {  
    merge sort (arrow's left half)  
    merge sort (arrow's right half)

merge left and right half in sorted order

Always gives  $\Theta(n \log n)$  runtime

Merging two arrays ~~together~~ requires extra space

has to be sorted.

Binary search

1 3 4 5 13 20 25 40 42 63

↑ ↑ ↑ ↑ ↑

13 20 13 20

①  $n$  elements

②  $\frac{n}{2}$  elements

③  $\frac{n}{4}$  elements

...  
algorithm steps

② 1 element

In both we need a flag or some  
way to prevent visiting nodes

again

BFS: ~~iterative~~ using queue. Pull first element from  
queue, check if it is the final element and if  
the queue has all its children to the queue  
not go add all its children to the queue

If we want to find if there's actually a path or  
the shortest path, BFS is preferred

graph ~~■~~ search, DFS and BFS

Depth First Search

Goes deep (to children) before  
going broad (no neighbours)

has Path( $s, t$ )?

$\rightarrow$  hasPath( $s, t$ )?

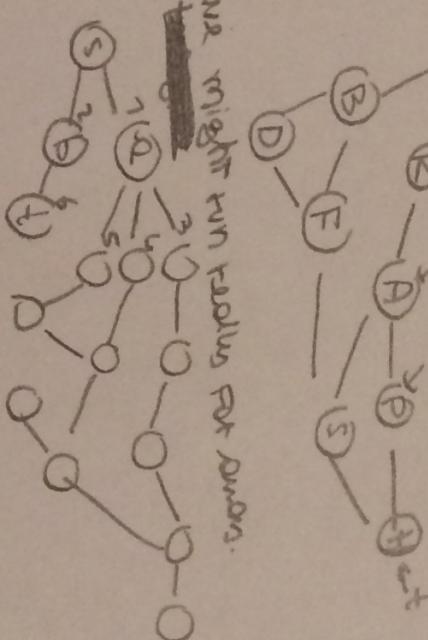
$\rightarrow$  hasPath( $b, t$ )?

$\rightarrow$  hasPath( $b, s$ )?

$\rightarrow$  hasPath( $t, b$ )?

$\rightarrow$  hasPath( $t, s$ )?

$\rightarrow$  hasPath( $s, t$ )? YES



we might run really far away.

~~that's why we might often prefer to use BFS instead~~

Breadth First Search  
Goes broad (to neighbours) before  
going deep (to children)

Binary search must be sorted

1 3 4 5 13 20 25 40 42 44 53  
↑ ↑ ↑ ↑ ↑  
13 25 13 20

comparisons  
① n elements  
② n/2 elements  
③ n/4 elements } O(log<sub>2</sub>n)

(log n)

1 element

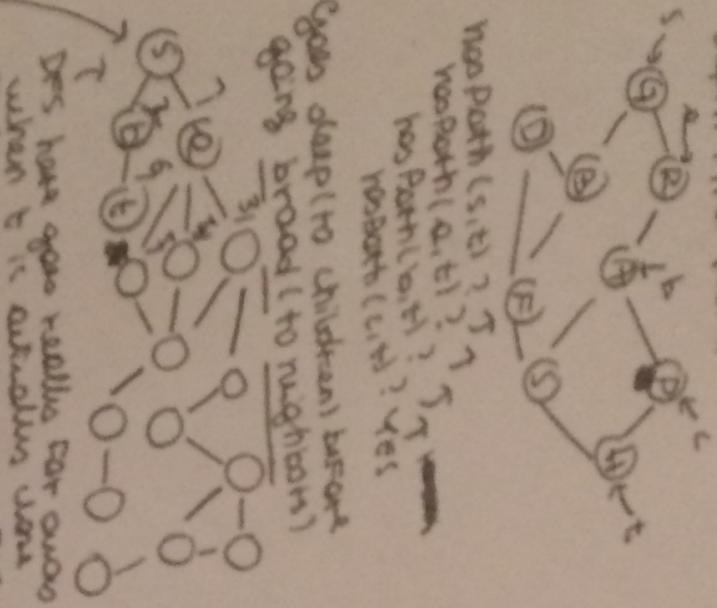
```
public static boolean binarySearchRecursive(int[] array, int x, int left, int right) {
    if (left > right) return false;
    int mid = (left + right) / 2;
    if (array[mid] == x) return true;
    else if (x < array[mid]) {
        return binarySearchRecursive(array, x, left, mid - 1);
    } else {
        return binarySearchRecursive(array, x, mid + 1, right);
    }
}
```

```
3
public static boolean binarySearchIterative(int[] array, int x) {
    int left = 0;
    int right = array.length - 1;
    while (left <= right) {
        int mid = left + (right - left) / 2;
        if (array[mid] == x) return true;
        else if (x < array[mid]) right = mid - 1;
        else left = mid + 1
    }
    return false;
}
```

can also be applied to other data like strings

Graph search - DFS and BFS  
collection of nodes where nodes  
might point to other nodes  
through edges that are either  
directed (one way) or undirected

Draft by [unclear]



Noz Path (S, t) ? T  
Noz Path (A, t) ? T

100  
Robert C. L.

goes darling (to children) before  
going broad (to neighbors)

DE5 1944 0600 1000 0000  
when it is available you  
that's who we shall prefer  
to use breadth first search

Broad first (and broad later) before going deep

quintet  
Kib, Gia (Dmitriev  
Semyonov)

With BEPs the main trick to remember  
is you want to make a Grubba (litterbox).  
When keeping a rock in it has a pat.  
~~When~~ to ~~the~~ you're gonna  
need like up in children to the quick.  
Pull out the first element from the  
Grubba and break and break to it  
it's if not go and sell off its  
children to the Grubba

DPS is indoctrinated with a negative sloganism. The only truth is you have to make war to end a world full of war that you don't wind up in some sort infinite loop

**Big O**  
describes how running time  
with respect to work  
input varies

bad on certain (arrays!)

For each element in array

If element  $= x \{$

return true

$O(N)$

where  $N = \#$   
size of the array

void printMin( array ) {

for each  $x$  in array

search  $y$  in array!

print  $x, y$

)  $\rightarrow$  will print  $(5,1) (6,2)$ ,  
 $(2,3)$ . both arrays

return printMin( array )

function minMax( array ) {

min, max = null

for each  $a$  in array

min = min(a, min)

max = max(a, max)

return min, max

)  $\rightarrow$   $O(n^2)$

return min, max

if  $n = 1$  then return  $(a, a)$

else  $\{$   $O(n)$   $\times$   $O(n-1)$

$\times$   $O(n-2)$   $\times$   $O(n-3)$

$\times$   $O(n-4)$   $\times$   $O(n-5)$

$\times$   $O(n-6)$   $\times$   $O(n-7)$

$\times$   $O(n-8)$   $\times$   $O(n-9)$

$\times$   $O(n-10)$   $\times$   $O(n-11)$

$\times$   $O(n-12)$   $\times$   $O(n-13)$

$\times$   $O(n-14)$   $\times$   $O(n-15)$

$\times$   $O(n-16)$   $\times$   $O(n-17)$

$\times$   $O(n-18)$   $\times$   $O(n-19)$

$\times$   $O(n-20)$   $\times$   $O(n-21)$

$\times$   $O(n-22)$   $\times$   $O(n-23)$

$\times$   $O(n-24)$   $\times$   $O(n-25)$

$\times$   $O(n-26)$   $\times$   $O(n-27)$

$\times$   $O(n-28)$   $\times$   $O(n-29)$

$\times$   $O(n-30)$   $\times$   $O(n-31)$

$\times$   $O(n-32)$   $\times$   $O(n-33)$

$\times$   $O(n-34)$   $\times$   $O(n-35)$

$\times$   $O(n-36)$   $\times$   $O(n-37)$

$\times$   $O(n-38)$   $\times$   $O(n-39)$

$\times$   $O(n-40)$   $\times$   $O(n-41)$

$\times$   $O(n-42)$   $\times$   $O(n-43)$

$\times$   $O(n-44)$   $\times$   $O(n-45)$

$\times$   $O(n-46)$   $\times$   $O(n-47)$

$\times$   $O(n-48)$   $\times$   $O(n-49)$

$\times$   $O(n-50)$   $\times$   $O(n-51)$

$\times$   $O(n-52)$   $\times$   $O(n-53)$

$\times$   $O(n-54)$   $\times$   $O(n-55)$

$\times$   $O(n-56)$   $\times$   $O(n-57)$

$\times$   $O(n-58)$   $\times$   $O(n-59)$

$\times$   $O(n-60)$   $\times$   $O(n-61)$

$\times$   $O(n-62)$   $\times$   $O(n-63)$

$\times$   $O(n-64)$   $\times$   $O(n-65)$

$\times$   $O(n-66)$   $\times$   $O(n-67)$

$\times$   $O(n-68)$   $\times$   $O(n-69)$

$\times$   $O(n-70)$   $\times$   $O(n-71)$

$\times$   $O(n-72)$   $\times$   $O(n-73)$

$\times$   $O(n-74)$   $\times$   $O(n-75)$

$\times$   $O(n-76)$   $\times$   $O(n-77)$

$\times$   $O(n-78)$   $\times$   $O(n-79)$

$\times$   $O(n-80)$   $\times$   $O(n-81)$

$\times$   $O(n-82)$   $\times$   $O(n-83)$

$\times$   $O(n-84)$   $\times$   $O(n-85)$

$\times$   $O(n-86)$   $\times$   $O(n-87)$

$\times$   $O(n-88)$   $\times$   $O(n-89)$

$\times$   $O(n-90)$   $\times$   $O(n-91)$

$\times$   $O(n-92)$   $\times$   $O(n-93)$

$\times$   $O(n-94)$   $\times$   $O(n-95)$

$\times$   $O(n-96)$   $\times$   $O(n-97)$

$\times$   $O(n-98)$   $\times$   $O(n-99)$

$\times$   $O(n-100)$   $\times$   $O(n-101)$

$\times$   $O(n-102)$   $\times$   $O(n-103)$

$\times$   $O(n-104)$   $\times$   $O(n-105)$

$\times$   $O(n-106)$   $\times$   $O(n-107)$

$\times$   $O(n-108)$   $\times$   $O(n-109)$

$\times$   $O(n-110)$   $\times$   $O(n-111)$

$\times$   $O(n-112)$   $\times$   $O(n-113)$

$\times$   $O(n-114)$   $\times$   $O(n-115)$

$\times$   $O(n-116)$   $\times$   $O(n-117)$

$\times$   $O(n-118)$   $\times$   $O(n-119)$

$\times$   $O(n-120)$   $\times$   $O(n-121)$

$\times$   $O(n-122)$   $\times$   $O(n-123)$

$\times$   $O(n-124)$   $\times$   $O(n-125)$

$\times$   $O(n-126)$   $\times$   $O(n-127)$

$\times$   $O(n-128)$   $\times$   $O(n-129)$

$\times$   $O(n-130)$   $\times$   $O(n-131)$

$\times$   $O(n-132)$   $\times$   $O(n-133)$

$\times$   $O(n-134)$   $\times$   $O(n-135)$

$\times$   $O(n-136)$   $\times$   $O(n-137)$

$\times$   $O(n-138)$   $\times$   $O(n-139)$

$\times$   $O(n-140)$   $\times$   $O(n-141)$

$\times$   $O(n-142)$   $\times$   $O(n-143)$

$\times$   $O(n-144)$   $\times$   $O(n-145)$

$\times$   $O(n-146)$   $\times$   $O(n-147)$

$\times$   $O(n-148)$   $\times$   $O(n-149)$

$\times$   $O(n-150)$   $\times$   $O(n-151)$

$\times$   $O(n-152)$   $\times$   $O(n-153)$

$\times$   $O(n-154)$   $\times$   $O(n-155)$

$\times$   $O(n-156)$   $\times$   $O(n-157)$

$\times$   $O(n-158)$   $\times$   $O(n-159)$

$\times$   $O(n-160)$   $\times$   $O(n-161)$

$\times$   $O(n-162)$   $\times$   $O(n-163)$

$\times$   $O(n-164)$   $\times$   $O(n-165)$

$\times$   $O(n-166)$   $\times$   $O(n-167)$

$\times$   $O(n-168)$   $\times$   $O(n-169)$

$\times$   $O(n-170)$   $\times$   $O(n-171)$

$\times$   $O(n-172)$   $\times$   $O(n-173)$

$\times$   $O(n-174)$   $\times$   $O(n-175)$

$\times$   $O(n-176)$   $\times$   $O(n-177)$

$\times$   $O(n-178)$   $\times$   $O(n-179)$

$\times$   $O(n-180)$   $\times$   $O(n-181)$

$\times$   $O(n-182)$   $\times$   $O(n-183)$

$\times$   $O(n-184)$   $\times$   $O(n-185)$

$\times$   $O(n-186)$   $\times$   $O(n-187)$

$\times$   $O(n-188)$   $\times$   $O(n-189)$

$\times$   $O(n-190)$   $\times$   $O(n-191)$

$\times$   $O(n-192)$   $\times$   $O(n-193)$

$\times$   $O(n-194)$   $\times$   $O(n-195)$

$\times$   $O(n-196)$   $\times$   $O(n-197)$

$\times$   $O(n-198)$   $\times$   $O(n-199)$

$\times$   $O(n-200)$   $\times$   $O(n-201)$

$\times$   $O(n-202)$   $\times$   $O(n-203)$

$\times$   $O(n-204)$   $\times$   $O(n-205)$

$\times$   $O(n-206)$   $\times$   $O(n-207)$

$\times$   $O(n-208)$   $\times$   $O(n-209)$

$\times$   $O(n-210)$   $\times$   $O(n-211)$

$\times$   $O(n-212)$   $\times$   $O(n-213)$

$\times$   $O(n-214)$   $\times$   $O(n-215)$

$\times$   $O(n-216)$   $\times$   $O(n-217)$

$\times$   $O(n-218)$   $\times$   $O(n-219)$

$\times$   $O(n-220)$   $\times$   $O(n-221)$

$\times$   $O(n-222)$   $\times$   $O(n-223)$

$\times$   $O(n-224)$   $\times$   $O(n-225)$

$\times$   $O(n-226)$   $\times$   $O(n-227)$

$\times$   $O(n-228)$   $\times$   $O(n-229)$

$\times$   $O(n-230)$   $\times$   $O(n-231)$

$\times$   $O(n-232)$   $\times$   $O(n-233)$

$\times$   $O(n-234)$   $\times$   $O(n-235)$

$\times$   $O(n-236)$   $\times$   $O(n-237)$

$\times$   $O(n-238)$   $\times$   $O(n-239)$

$\times$   $O(n-240)$   $\times$   $O(n-241)$

$\times$   $O(n-242)$   $\times$   $O(n-243)$

$\times$   $O(n-244)$   $\times$   $O(n-245)$

$\times$   $O(n-246)$   $\times$   $O(n-247)$

$\times$   $O(n-248)$   $\times$   $O(n-249)$

$\times$   $O(n-250)$   $\times$   $O(n-251)$

$\times$   $O(n-252)$   $\times$   $O(n-253)$

$\times$   $O(n-254)$   $\times$   $O(n-255)$

$\times$   $O(n-256)$   $\times$   $O(n-257)$

$\times$   $O(n-258)$   $\times$   $O(n-259)$

$\times$   $O(n-260)$   $\times$   $O(n-261)$

$\times$   $O(n-262)$   $\times$   $O(n-263)$

$\times$   $O(n-264)$   $\times$   $O(n-265)$

$\times$   $O(n-266)$   $\times$   $O(n-267)$

$\times$   $O(n-268)$   $\times$   $O(n-269)$

$\times$   $O(n-270)$   $\times$   $O(n-271)$

$\times$   $O(n-272)$   $\times$   $O(n-273)$

$\times$   $O(n-274)$   $\times$   $O(n-275)$

$\times$   $O(n-276)$   $\times$   $O(n-277)$

$\times$   $O(n-278)$   $\times$   $O(n-279)$

$\times$   $O(n-280)$   $\times$   $O(n-281)$

$\times$   $O(n-282)$   $\times$   $O(n-283)$

$\times$   $O(n-284)$   $\times$   $O(n-285)$

$\times$   $O(n-286)$   $\times$   $O(n-287)$

$\times$   $O(n-288)$   $\times$   $O(n-289)$

$\times$   $O(n-290)$   $\times$   $O(n-291)$

$\times$   $O(n-292)$   $\times$   $O(n-293)$

$\times$   $O(n-294)$   $\times$   $O(n-295)$

$\times$   $O(n-296)$   $\times$   $O(n-297)$

$\times$   $O(n-298)$   $\times$   $O(n-299)$

$\times$   $O(n-300)$   $\times$   $O(n-301)$

$\times$   $O(n-302)$   $\times$   $O(n-303)$

$\times$   $O(n-304)$   $\times$   $O(n-305)$

$\times$   $O(n-306)$   $\times$   $O(n-307)$

$\times$   $O(n-308)$   $\times$   $O(n-309)$

$\times$   $O(n-310)$   $\times$   $O(n-311)$

$\times$   $O(n-312)$   $\times$   $O(n-313)$

$\times$   $O(n-31$

Recursion ↗ [year]

To understand recursion, one must first understand iteration

Do you wanna know how many .txt files are on a

computer

You can go to ~~the~~ the root directory and count how many are there.

But then it has folders and each of these folders has subfolders and so on and so on.

We need to go out and see all of them and find all the .txt files across the whole computer

Recursive approach:

Count files in root directory and then add up how many are in each folder and we go out and put them in the very same process, and then when we go out and they then turn to go out and look their subfolders and so on

```
int countTxt(Directory dir) {
```

```
    if (dir == null) return 0;
```

```
    for (File file : dir) {
```

```
        if (file.endsWith(".txt")) count += 1;
```

```
    } for (Directory subDir : dir) {
```

```
        count += countTxt(subDir);
```

```
    }
```

```
    return count;
```

Every recursion must have what's called a base case,

or like a stopping point.

In this case is when we have a folder with no subfolders, then we'll return one we count, how many files it has.

Fibonacci sequence is one of the simplest examples of recursion

$$f_n = f_{n-1} + f_{n-2}$$

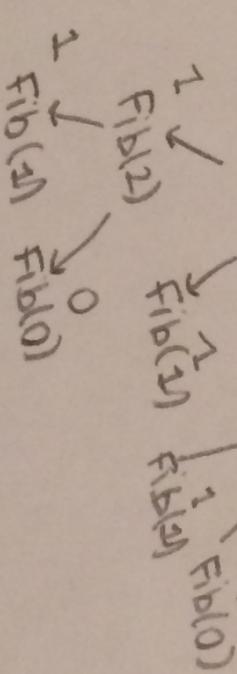
We often say it is defined recursively

base case  
 $f_0 = 0$   
 $f_1 = 1$

$f_2$

$f_3$

$f_4$



We're repeating work this can get very very inefficient

We can optimize it with memoization

Anything that is implemented recursively can be implemented iteratively

For certain problems however, the recursive implementation is a lot easier to read and understand and write

INTERVIEW: Given + decide whether to implement a function iteratively or recursively





## Interview evaluations

An Interview

卷之三

卷之三

卷之三

~~With you looking at everything you do is the both~~

Interview should take a stab here  
and saying "What does this tell  
me about the future?"

- suppose you write some words -

and training  
to extrapolate information about  
what code looks like given our who  
else - I think doesn't as a p  
software engineer

- some mistakes I made when doing  
a big deal. The other doesn't  
you writing the built-in linked list  
code and you ~~the~~ list insert  
instead of list odd. That doesn't say  
you a bad software engineer, just  
that you don't know that the built-in  
linked lists every day

list  
another issue is mixing up single bonds and double bonds. perhaps read

- Is the drama ever correct  
↑ Things to take into account

I'm ~~not~~ <sup>IM</sup> reading  
problem solving. ~~but~~ <sup>for</sup> reading  
120 minutes - thumbs up for you  
Give it a note - thumbs down".

communicate your  
thoughts when you  
much on possible

It is a room where we get comfortable talking and have old experiences to go through.

never notice  
but like being quiet  
to take a step  
back and start  
giving the headline a  
new thought from  
time to time  
I feel that I may soon  
drop it.

It is to give what  
you can. It is  
then repetition  
of the previous order  
as it gives some idea

000

I might think you're stuck  
even though you're feeling  
not so I didn't jump in  
to give you this hint that  
you don't really need

Focus on your communication,  
think of this as a collaborative  
experience and not your smart  
submitting the homework at the  
end of the interview

### Behavioral Questions

Preparation - prepare a quick  
walkthrough through your resume  
for something like "tell me about  
yourself" or "walk me through your  
background" or "something like that".  
Drop back from the beginning of your  
background and walk through  
chronologically from there.

QD: Walk quickly this is not the  
time to spend ~~of~~ of details.  
It ~~is~~ ~~bookends~~ and the interviewer  
wants paying attention

1 Think about quiet ways that you can  
show that you've been successful  
...  
...

that can be ~~a~~  
- a feature you built

- a promotion

- an award

- complete things and the  
to skip them in there

to do it quick

2 Think about what  
you want the interviewer on  
to set your questions on  
and drive him on  
that direction

I spent last year at

company I've been working at

for on building out certain

infrastructure in-house

It's natural for the

interviewer to ask follow-up

questions ~~so~~ about that project

3 Hobbies like ~~hobbies~~ your hobbies,  
hobbies competition, projects  
on the side. Anything technical  
should be mentioned. Think &

for non-technical hobbies. Think &

about if there's a way of framing

them in a way that makes

them relevant

How do they show teamwork or  
willingness to take

time and anything like that

How do they show leadership  
and your contributions

don't always say "we"  
and also

think about what

you do differently

Then go through your past background  
and think of a couple of projects  
you're gonna be particularly  
well prepared to talk about.

Ask them out based on what you  
were doing more so than the  
rest of your team.

Think of the ~~technical~~ technical  
and non-technical questions  
they might ask  
- What were the biggest  
challenges

② and ...

- What were the implications  
of solving those things?

- What was the architecture

- What were the technologies

- What were the implications

of solving those things?

③ and ...

- What were your main teamwork  
dynamics like

- How did you show  
influence or leadership

Note note that  
you're focusing  
on your role ~~and~~

and your contributions

don't always say "we"  
and also

think about what

you do differently

## Solving Algorithms

+ steps to solve algorithm problems:

- ① Listen CAREFULLY to the problem  
generally spending any detail in a question is necessary to solve that problem.
  - either to solve it or all
  - ... or to solve it optimally

If there's some detail you haven't used yet think about how you can put that to use so you might need that to solve the problem optimally

- ② Given two arrays (sorted + distinct),  
Find # elements in common

- ③ Come up with a good example.  
Most people's examples (for q):

A: 1, 5, 15, 20      B: 2, 5, 13, 30

Not very useful as this example is so small and kind of a special case

Better example

A: 1, 5, 15, 20, 30, 34      B: 2, 5, 13, 30, 35, 37, 42

larger and gives us a wider spread case,

- ④ Come up with a brutal force algorithm

IF the first thing you have in something really looks like ~~turns~~ that's okay, it's better to start off with something

It's so much better to start off with nothing than to start off with nothing at all.

Now ~~now~~ DON'T CODE IT

- ⑤ Write brutal force algorithm

- write function

- immediately go to optimizing

A good chunk of the time on algorithm interviews

questions will often be spent on optimizations

- ⑥ Optimize IT

Take a step back and make sure you know from exactly what you're going to do in your code.

So many people code prematurely when you don't really fully understand what they're about to do it ends in disaster. - 80%

what they're about to do it ends in disaster. - 80% understanding of what you're about to write is really not enough

Take a moment and walk through your algorithm and make sure you know exactly what you're doing

- fully train your code, not your algorithm

- think before you fix bugs. Don't panic.

- ⑦ Start Coding.

whiteboard:

- write straight lines

- use wide lines

- whiteboard or computer based

- writing style matters / following conventions

(left to right, cumulative)

(no matter which variable name)

- MODULARIZE up front on

little/unexpected chunks of code.

Push that off to another function

⑧ Test your code. One mistake out of people do here is that they take their big example from step ② and throw that in a test case.

The problem with that is that it's really large so it will take you a long time to run through and you already need it to develop your tools to if they're on output or

then the problem will probably report itself here. ANALYZE, REFACTOR, ANALYZE, REFACTOR

Better process: walk through your code line by line and think about each line up front. "What really does that the right thing?"

Double check things that look wrong.

use test cases - start with small test cases rather than big ones. my work is often involving a lot of loops but they're so much faster to run through.

they are for loop people tend to be more thorough and thus in more likely to find bugs

- go to edge cases after that

- throw in some big test cases if you're time