

## 编译原理 - 作业(5)：代码生成与优化

Q1: (p408, Exercises 6.6.1) Add rules to the syntax-directed definition of Fig. 6.36 for the following control-flow constructs:

- A repeat-statement **repeat**  $S$  **while**  $B$ .
- A for-loop **for**  $(S_1; B; S_2) S_3$ .

PRODUCTION	SEMANTIC RULES
$P \rightarrow S$	$S.next = newlabel()$ $P.code = S.code \parallel label(S.next)$
$S \rightarrow \text{assign}$	$S.code = \text{assign.code}$
$S \rightarrow \text{if } (B) S_1$	$B.true = newlabel()$ $B.false = S_1.next = S.next$ $S.code = B.code \parallel label(B.true) \parallel S_1.code$
$S \rightarrow \text{if } (B) S_1 \text{ else } S_2$	$B.true = newlabel()$ $B.false = newlabel()$ $S_1.next = S_2.next = S.next$ $S.code = B.code$ $\parallel label(B.true) \parallel S_1.code$ $\parallel gen('goto' S.next)$ $\parallel label(B.false) \parallel S_2.code$
$S \rightarrow \text{while } (B) S_1$	$begin = newlabel()$ $B.true = newlabel()$ $B.false = S.next$ $S_1.next = begin$ $S.code = label(begin) \parallel B.code$ $\parallel label(B.true) \parallel S_1.code$ $\parallel gen('goto' begin)$
$S \rightarrow S_1 S_2$	$S_1.next = newlabel()$ $S_2.next = S.next$ $S.code = S_1.code \parallel label(S_1.next) \parallel S_2.code$

Figure 6.36: Syntax-directed definition for flow-of-control statements.

Production	Semantic Rules
a) $S \rightarrow \text{repeat } S_1 \text{ while } B$	$S_1.next = newlabel()$ $B.true = newlabel()$ $B.false = S.next$ $S.code = label(B.true) \parallel S_1.code$ $\parallel label(S_1.next) \parallel B.code$
b) $S \rightarrow \text{for } (S_1; B; S_2) S_3$	$S_1.next = newlabel()$ $B.true = newlabel()$ $B.false = S.next$ $S_2.next = S_1.next$ $S_3.next = newlabel()$ $S.code = S_1.code$

```

|| label (S1.next) || B.code
|| label (B.true) || S3.code
|| label (S3.next) || S2.code
|| gen ('goto' S.next)

```

Q2: (p541, Exercises 8.5.1&2) For the basic block

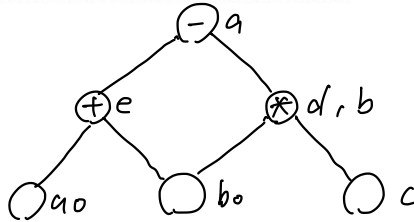
```

d = b * c
e = a + b
b = b * c
a = e - d

```

- a. Construct the DAG of the block.
- b. Simplify the three-address code of the block, assuming
  - 1). Only  $a$  is live on exit from the block.
  - 2).  $a$ ,  $b$ , and  $c$  are live on exit from the block.

a)



b) 1)  $e = a + b$   
 $d = b * c$   
 $a = e - d$

2)  $e = a + b$   
 $b = b * c$   
 $a = e - b$

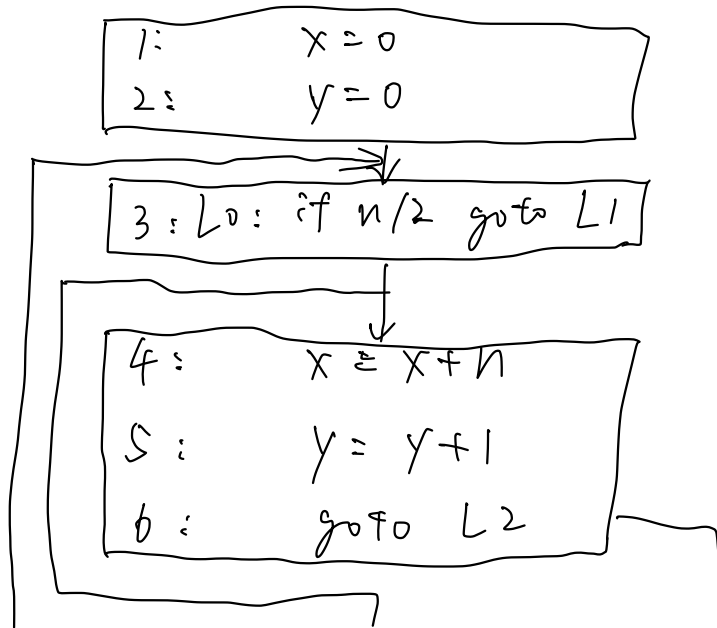
Q3: For the code segment below:

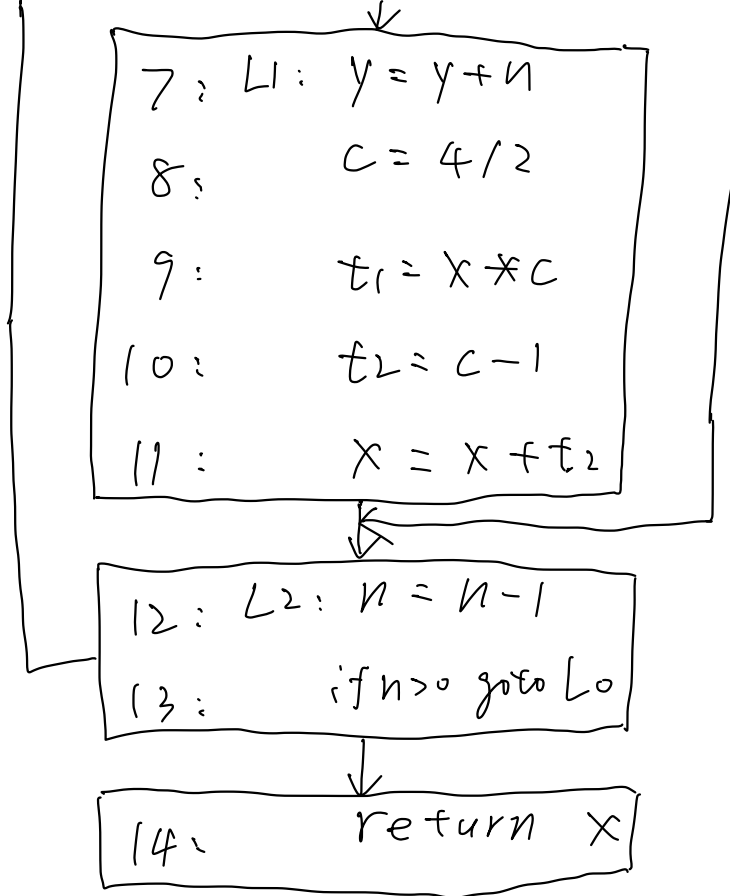
```
1:   x = 0
2:   y = 0
3:   L0: if n / 2 goto L1
4:   x = x + n
5:   y = y + 1
6:   goto L2
7:   L1: y = y + n
8:   c = 4 / 2
9:   t1 = x * c
10:  t2 = c - 1
11:  x = x + t2
12:  L2: n = n - 1
13:  if n > 0 goto L0
14:  return x
```

- Partition the code segment into basic blocks.
- Construct the control flow graph.
- For lines 7-11, list two optimization techniques.
- Suppose the whole segment is from a function '*int Func(int n)*', where *n* is the argument, *x* and *y* are local variables, then how to retrieve *n*, *x* and *y* when *Func()* is called in the final target code? Hint: consider \$fp and \$sp.

a. B1: 1~2      B2: 3      B3: 4~6  
B4: 7~11      B5: 12~13      B6: 14

b.





c. 常量折叠

① 与传播

$y = y + n$

$c = 2$

$t_1 = x * 2$

$t_2 = 1$

$x = x + 1$

② 删除无用代码

与强度削减

$y = y + n$

$t_1 = x << 1$

$x = x + 1$

注：若使用全局优化，可继续删除无用代码

即直接变为  $X = X + 1$

d. 取出  $n$ : 0 (\$sp)

取出  $X$ : -4 (\$fp)

取出  $y$ : -8 (\$fp)