

# DSP Project

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## Adaptive PCM

### Group 9:

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### 1. Background:

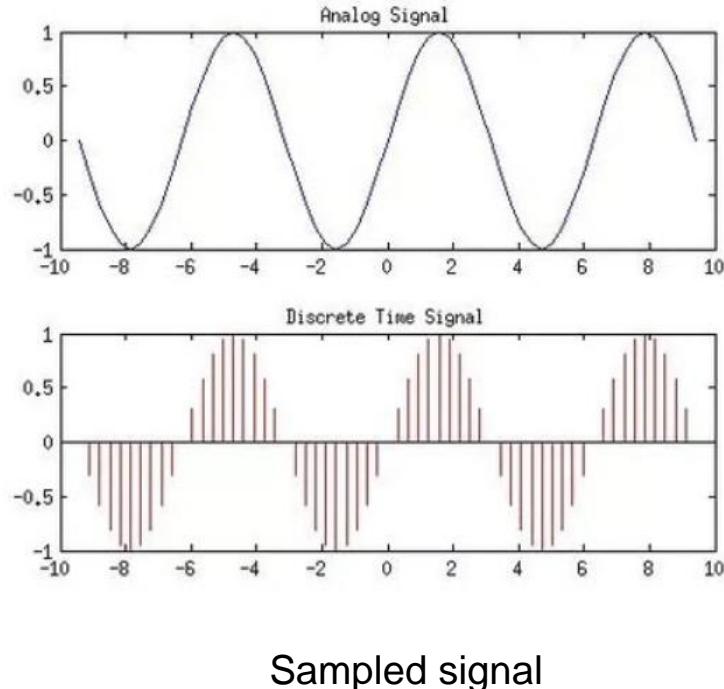
Pulse code modulation is a method that is used to convert an analog signal into a digital signal so that a modified analog signal can be transmitted through the digital communication network. PCM is in binary form, so there will be only two possible states high and low (0 and 1). We can also get back our analog signal by demodulation. The Pulse Code Modulation process is done in three steps Sampling, Quantization, and Coding.

APCM is achieved by adapting the quantizing levels to analog signal characteristics. We can estimate the values with the preceding sample values.

### 2. Overview

**Sampling:** Sampling is a process of measuring the amplitude of a continuous-time signal at discrete instants, converts the continuous signal into a discrete signal. For example, conversion of a sound wave to a

sequence of samples. The Sample is a value or set of values at a point in time or it can be spaced. Sampler extract samples of a continuous signal, it is a subsystem ideal sampler produces samples that are equivalent to the instantaneous value of the continuous signal at the specified various points.



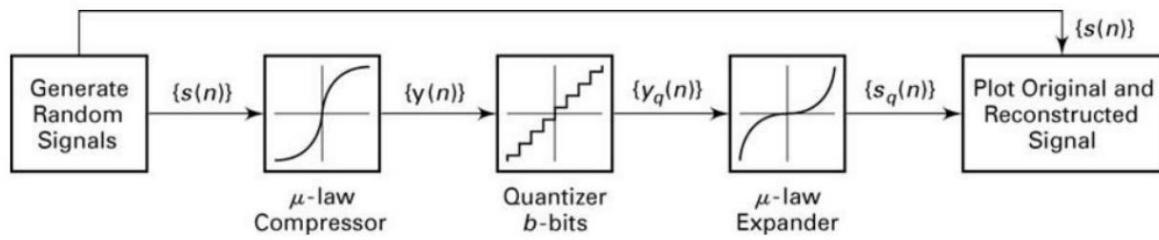
### 3. Problem Statement:

Designing a APCM model which compresses the signal and then quantizes it. Checking the quantization efficiency of APCM using different models of signals.

### 4. PCM:

Stages:

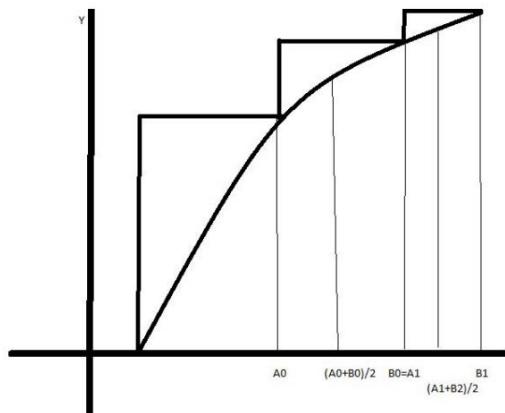
1. U-law Compressor
2. Quantizer
3. U-law Expander



## 5. APCM:

In APCM, the size of the length of quantization with respect to the signal is changed according to the previous sampled values

## 6. Adaptive Quantizer



$$\text{delt\_1} = B_1 - A_1 = (B_0 - A_0) \cdot f$$

If  $y((2x+1)/2) > (y(n)+y(n+1))/2$

$$f = 1.25$$

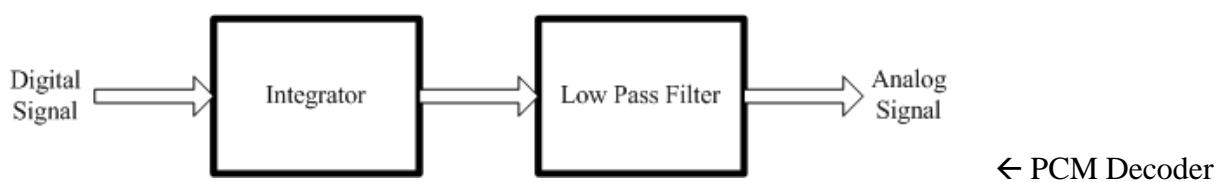
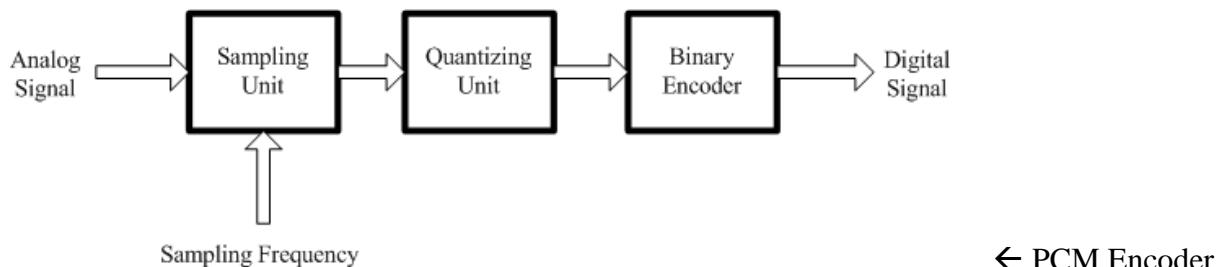
If  $y((2x+1)/2) = (y(n)+y(n+1))/2$

$$f = 1;$$

If  $y((2x+1)/2) < (y(n)+y(n+1))/2$

$$f = 0.5;$$

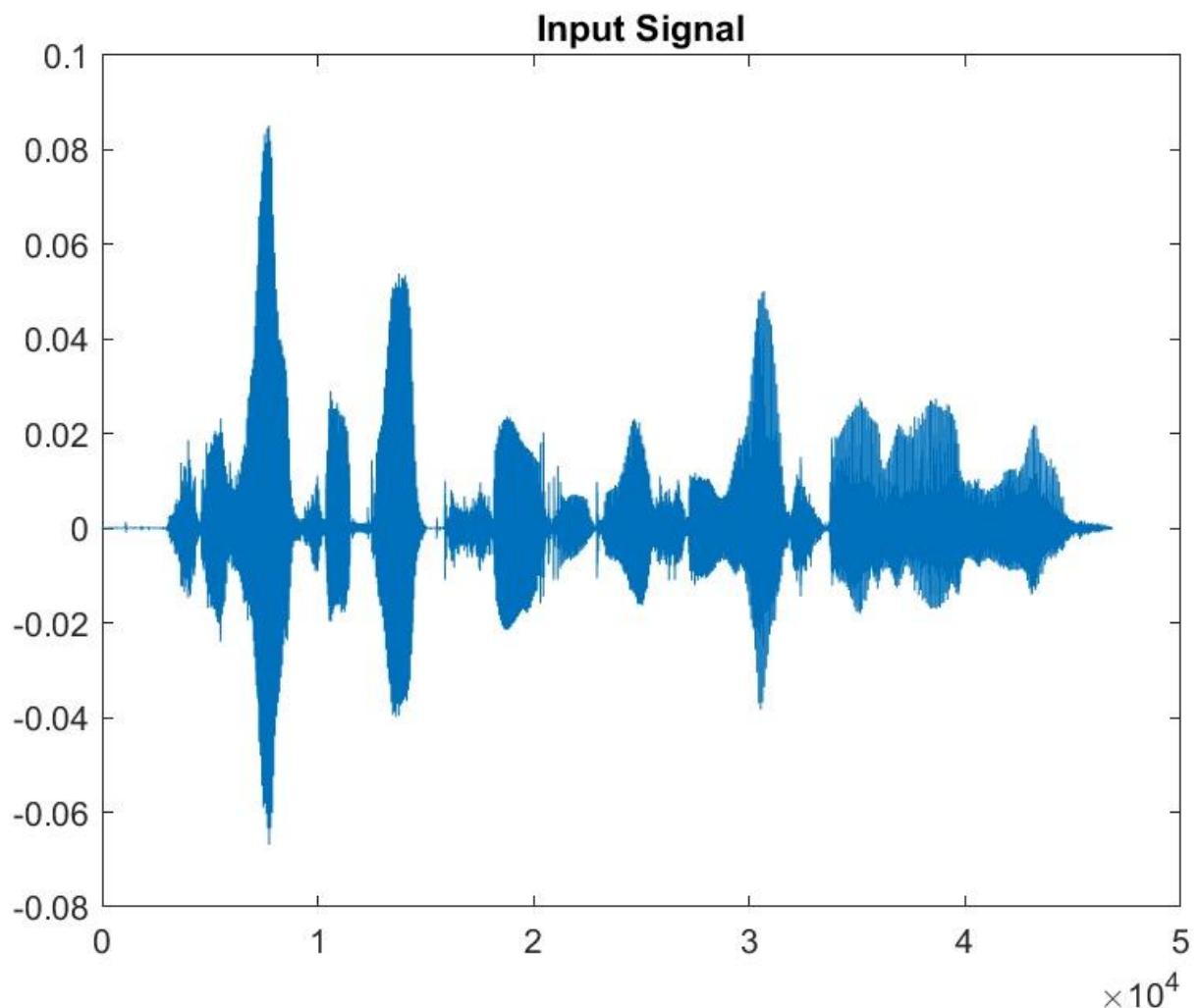
## 7. Encoder and Decoder:

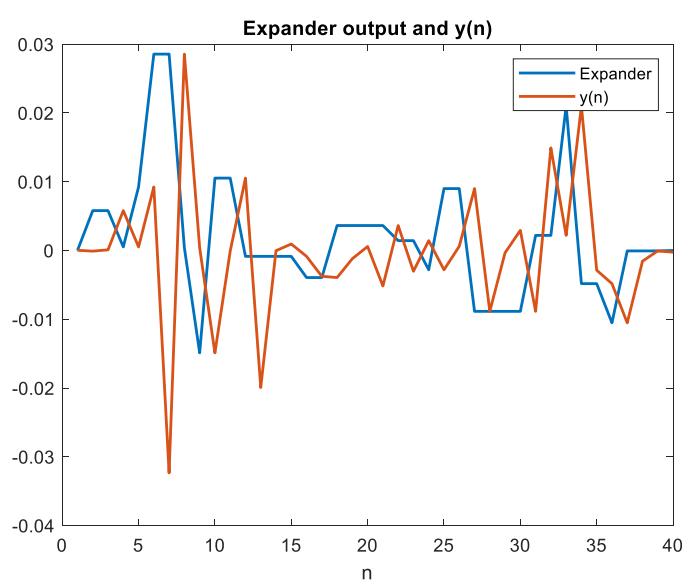
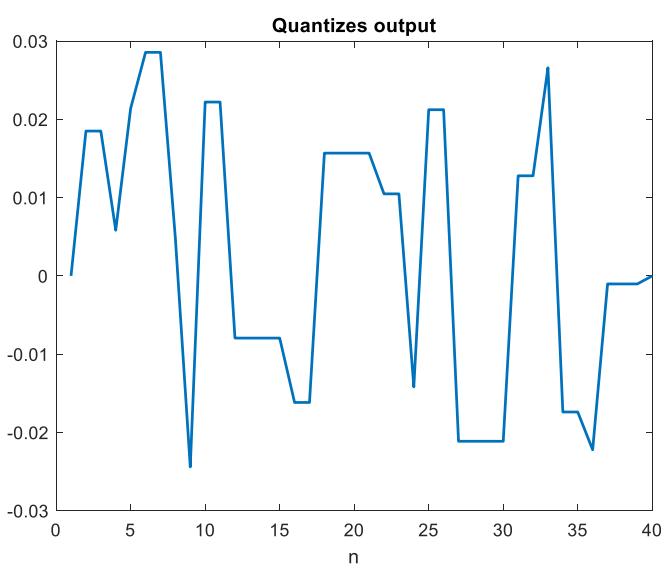
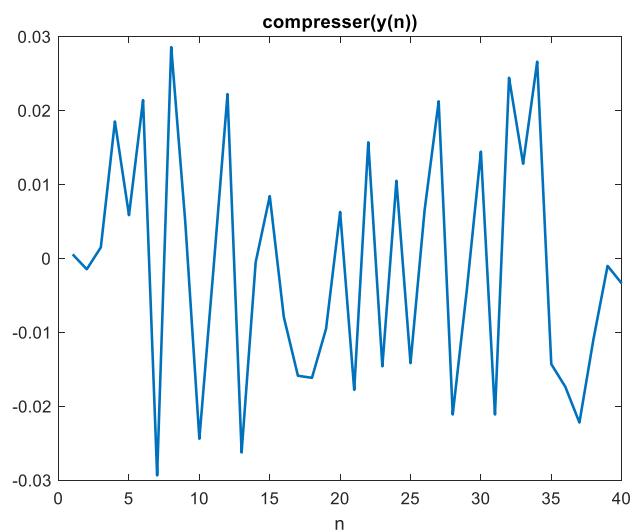
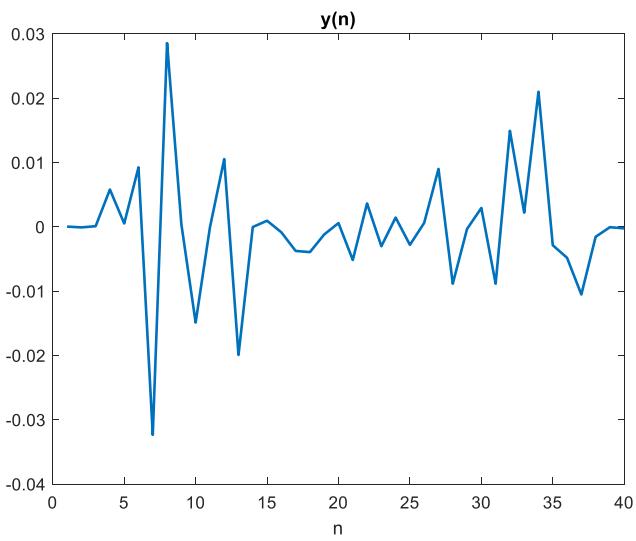


## **10. Outputs:**

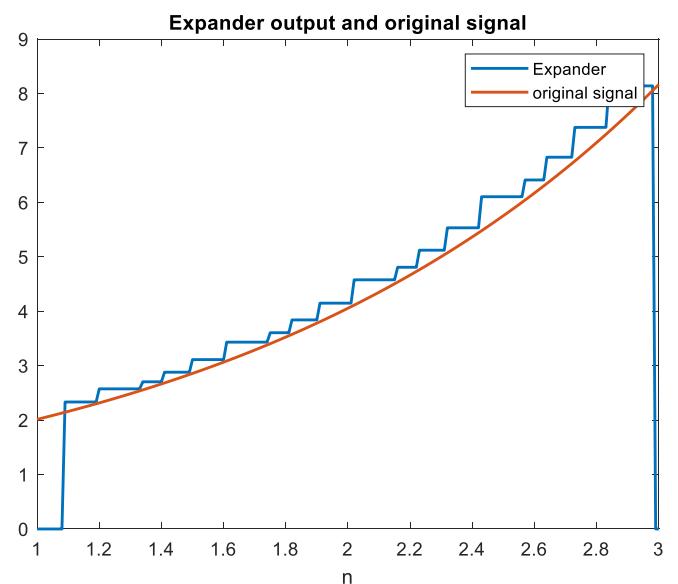
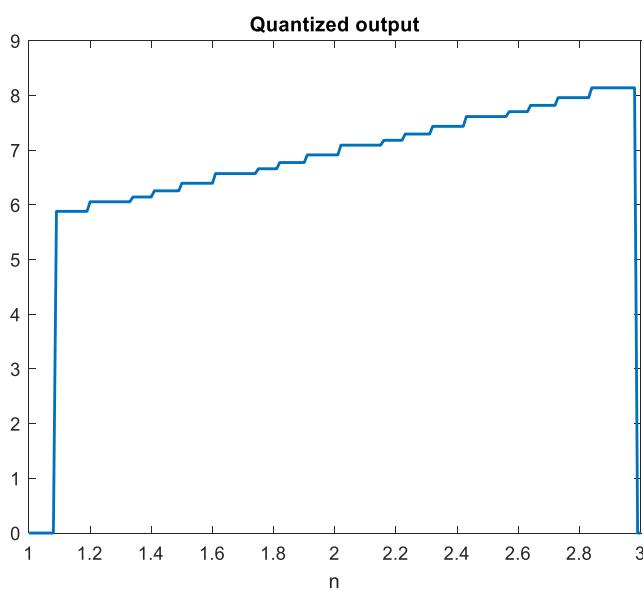
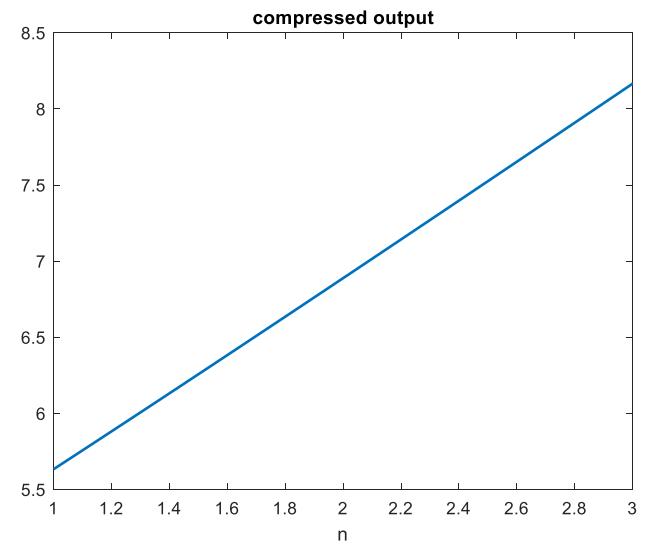
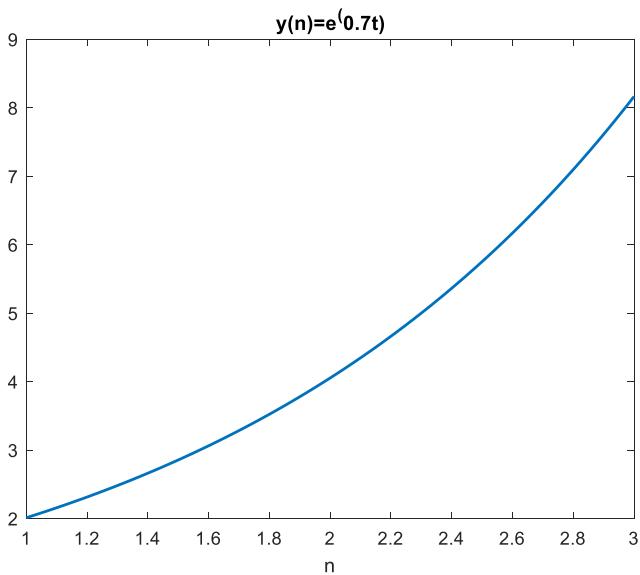
First, we have generated the original signal and then compressed it. Then using APCM technique, we have quantized the signal and then comparing it with the original signal. We did the APCM technique on different signals including an audio signal.

→ **Audio Signal-**

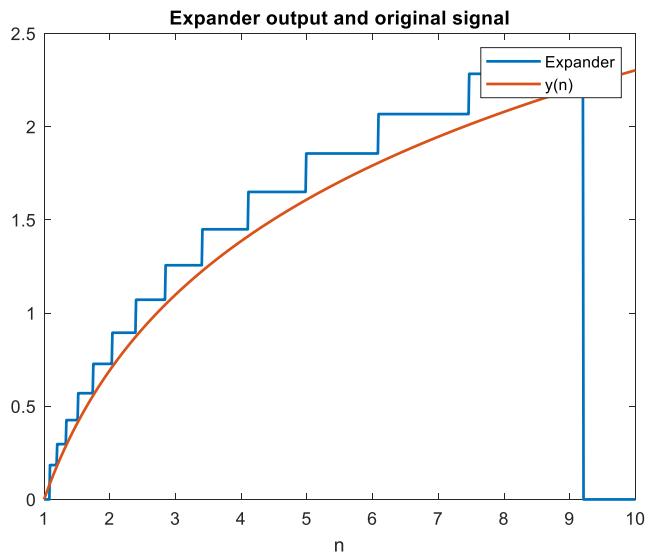
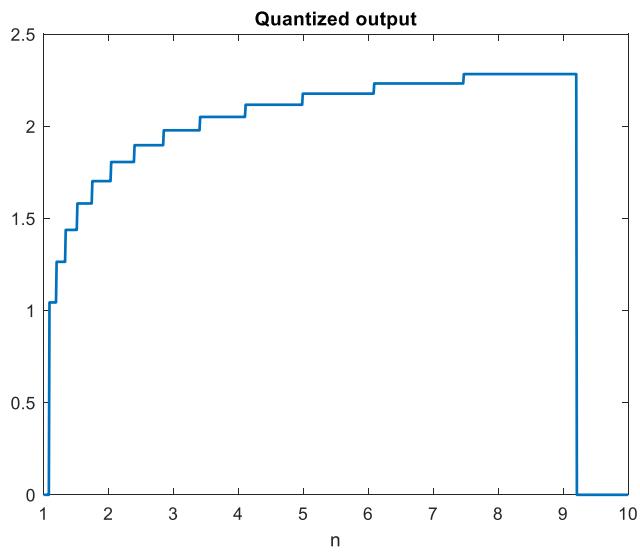
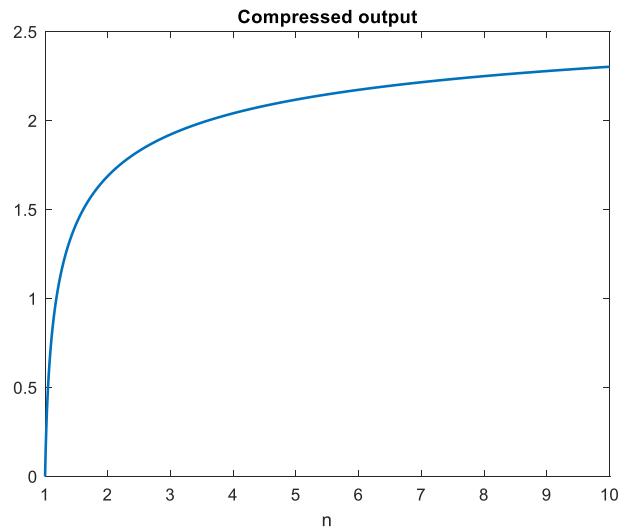
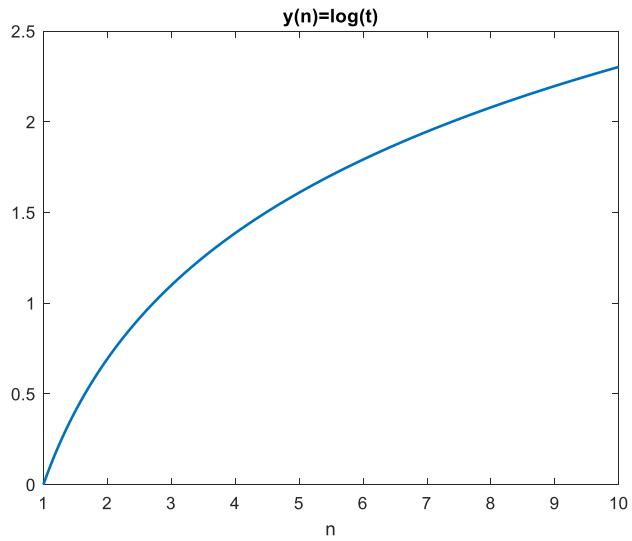




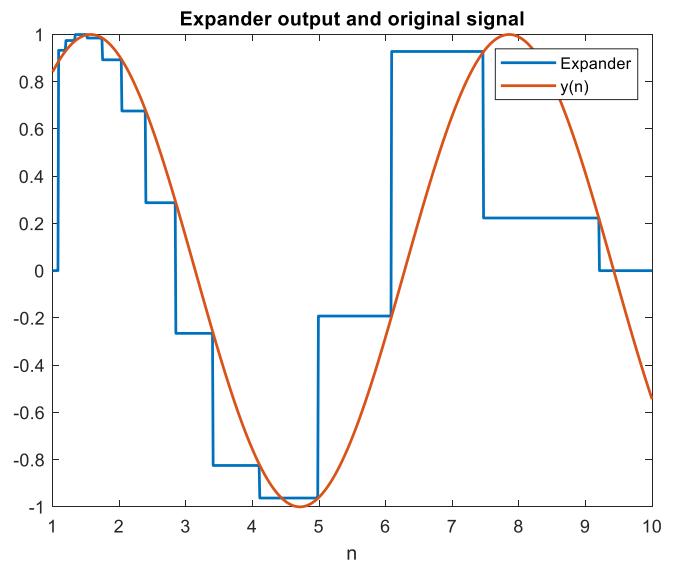
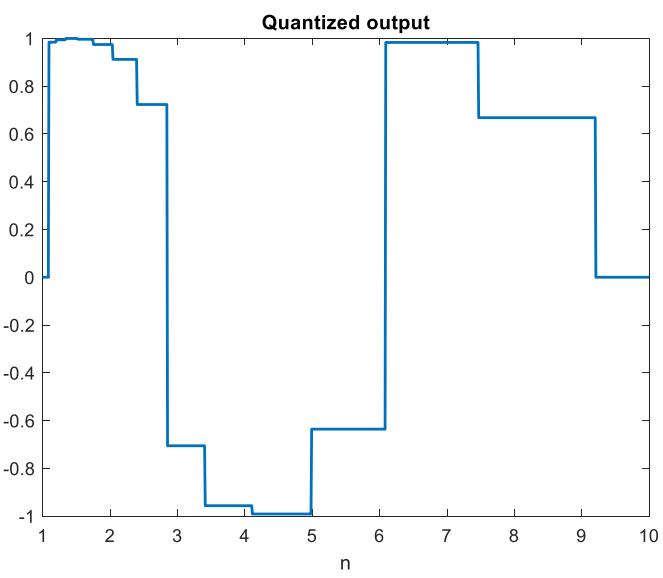
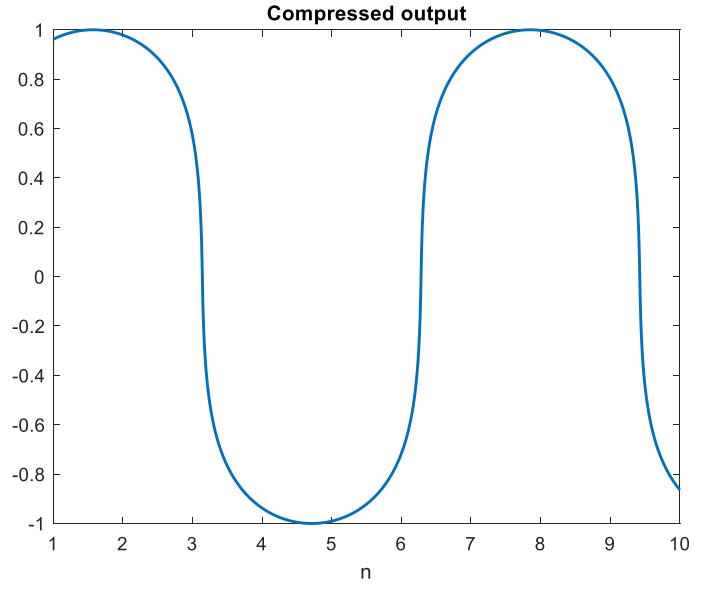
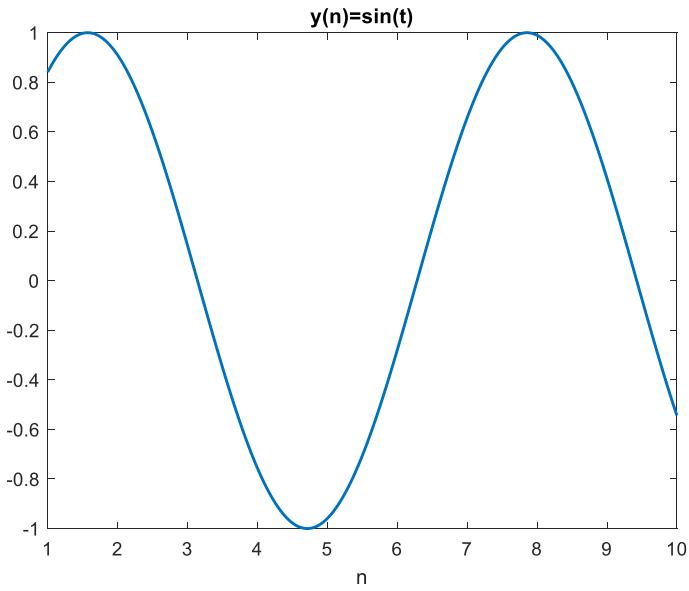
$$\rightarrow y(n) = \exp(t)$$



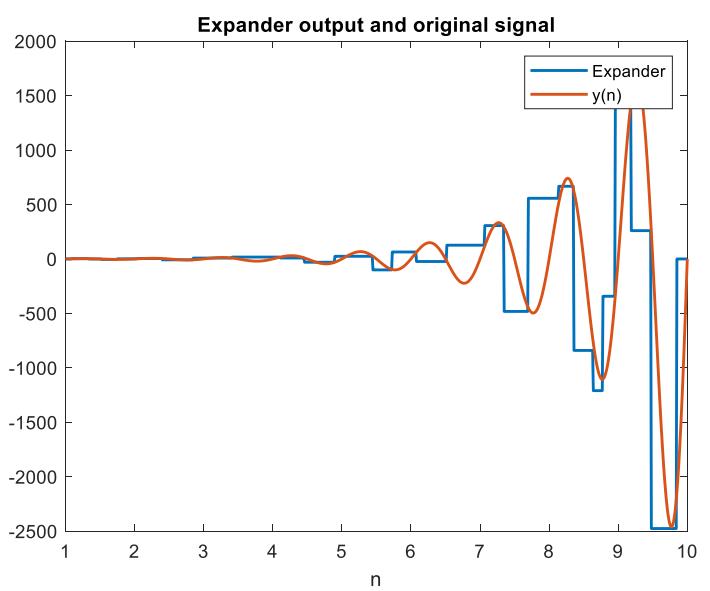
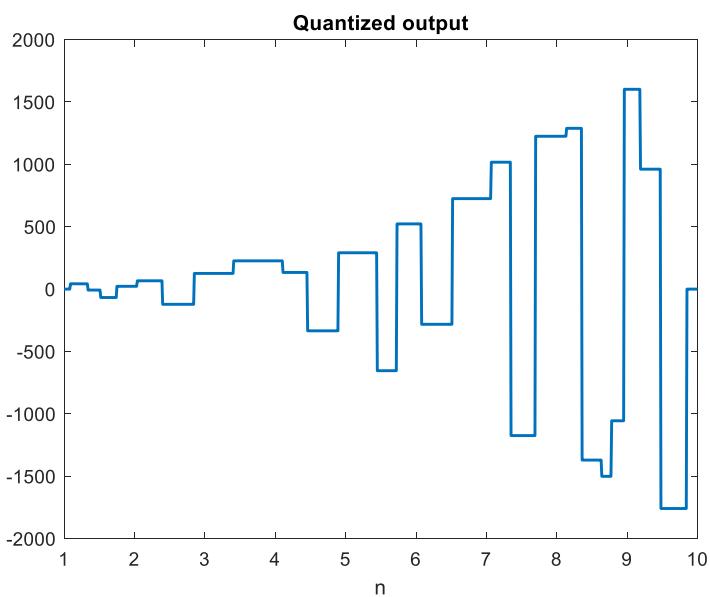
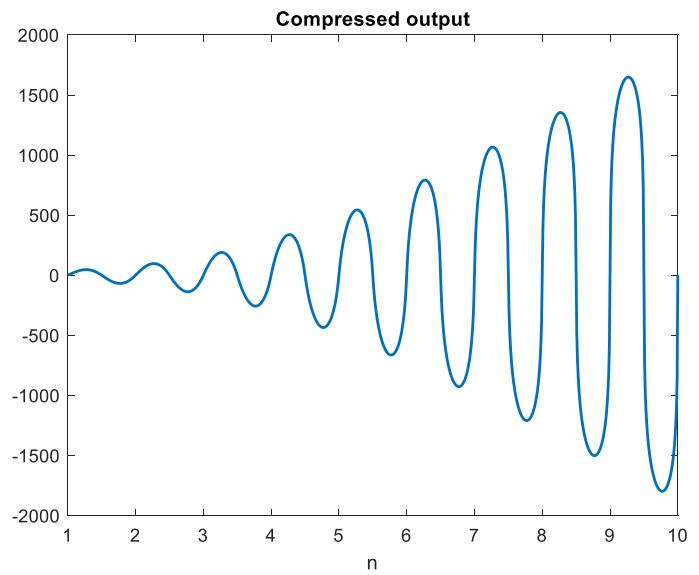
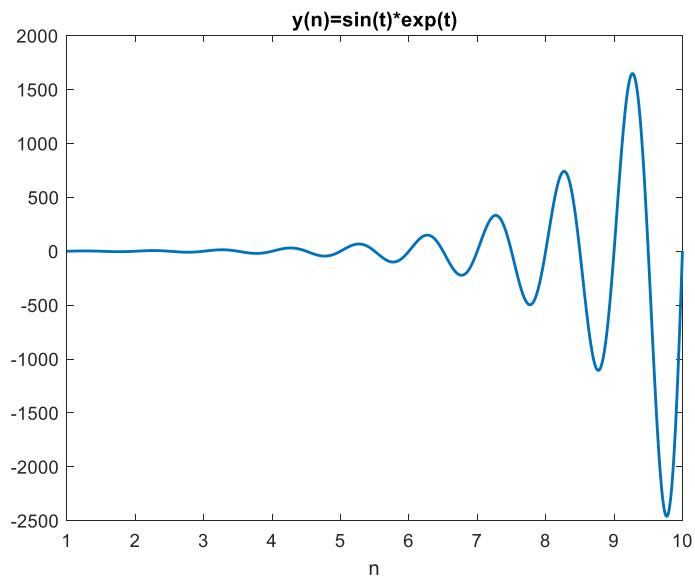
$$\rightarrow y(n) = \log(t)$$



$$\Rightarrow y(n) = \sin(t)$$



$$\Rightarrow y(n) = \exp(t) * \sin(t)$$



**11. Conclusion:** Using adaptive pulse code modulation provide the basic analog-to-digital and digital-to-analog interfaces and represents one possible solution to achieving the goal of an economic and reliable companded PCM.

**12. Contribution:**

**Banu Theja V-** Compression and expansion and APCM for audio signal and exp function

**Subash J-** Quantization algorithm and APCM for sin and  $\exp^*\sin$  function

**Surya Sathvik-** Sampling and APCM for log function

**13. Codes drive link:** [Link](#)