



DESKEWING BY SPACE-VARIANT DEBLURRING

KARTHIK SEEMAKURTHY

SUBEESH VASU A. N. RAJAGOPALAN

DEPARTMENT OF ELECTRICAL ENGINEERING, INDIAN INSTITUTE OF TECHNOLOGY MADRAS

Introduction

- Skew and motion blur are significant challenges when camera and scene of interest are in two different media.
 - Skew occurs due to spatially varying refraction on a dynamic water surface
 - Motion blur results from multiple intensities impinging on the imaging sensor during camera exposure time due to time varying refraction
 - We propose the concept of virtual depth map and also shot detection to initially segment an input video into groups of frames each of which conforms to a single virtual depth map.
 - We then propose an alternating minimization scheme, to estimate the deskewed image.

Proposed approach

Virtual depth map

- The attenuated cyclic water waves can be modeled as $h(\mathbf{x}, t) = A(\mathbf{x}) \cos(\mathbf{x} - t)$.
 - The warps induced at a pixel \mathbf{x} can be derived as $w(\mathbf{x}, t) = \alpha \nabla h(\mathbf{x}, t) = \alpha \sqrt{\nabla A(\mathbf{x})^2 + A(\mathbf{x})^2} \cos(\mathbf{x} - t + \phi) = \alpha^1(\mathbf{x}) p(\mathbf{x}, t)$
 - Let \mathbf{w}_1 and \mathbf{w}_2 be the warps induced at pixels \mathbf{x}_1 and \mathbf{x}_2 , respectively. For one cycle of $\mathbf{p}(\mathbf{x}, t)$, $\mathbf{w}_2 = k \mathbf{w}_1$, where $k = \frac{\alpha_2^1}{\alpha_1^1}$.
 - Hence, the set of warps induced by unidirectional cyclic attenuation waves at different pixel locations can be related by the scale factor k .
 - The set of all scale factors with respect to one reference depth is the virtual depth \mathbf{V}_d .

Shot detection

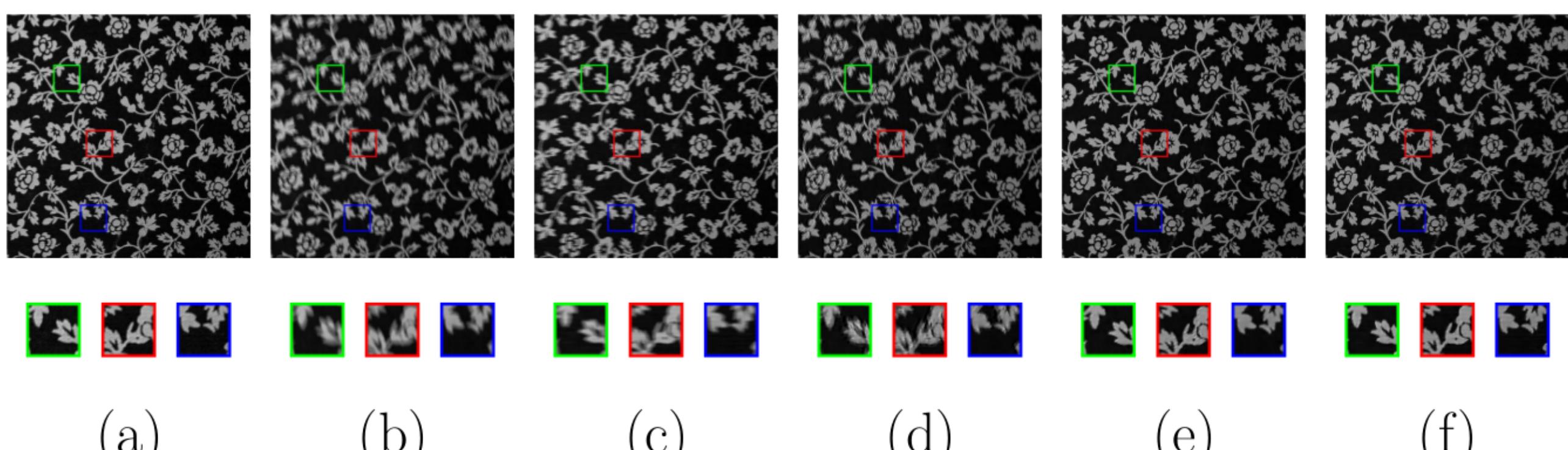


Figure 2: Significance of shot detection. (a) Ground truth. Blurred images generated by (b) segment 1, (c) segment 2. Restored observations: (d) without shot detection, (e) with shot detection for segment 1, and (f) with shot detection for segment 2.

Alternating Minimization

- Proposed cost function is

$$E(\hat{\mathbf{f}}, \hat{\mathbf{d}}_p, \hat{\omega}) = \sum_{\delta^* \in \Omega} \lambda_{\delta^*} \| (\delta^* f) oT_{\omega}^{\mathbf{d}_p} - \delta^* \mathbf{g} \|_2^2 + \text{prior}(\mathbf{f}, \mathbf{d}_p, \omega). \quad (1)$$

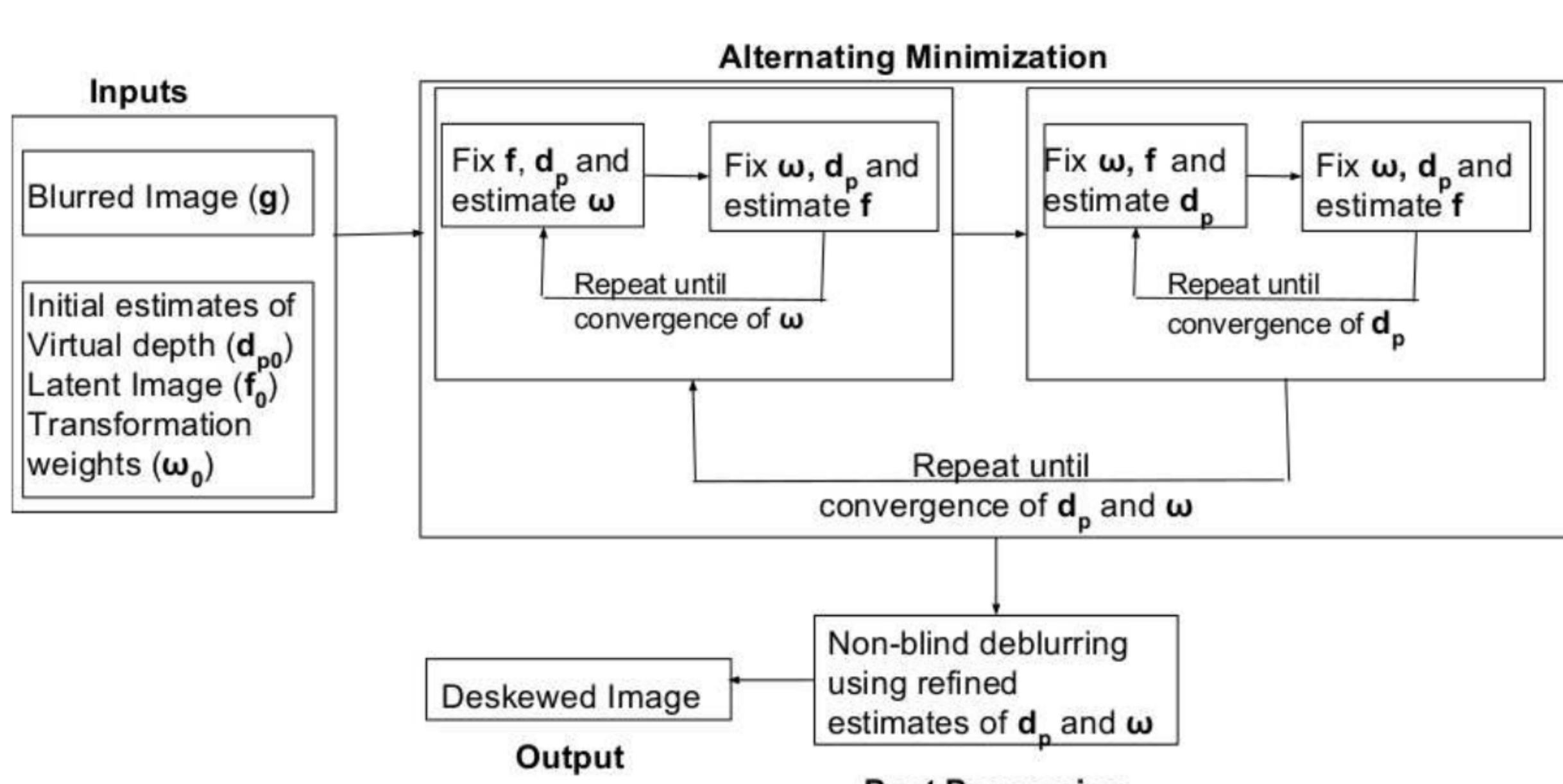
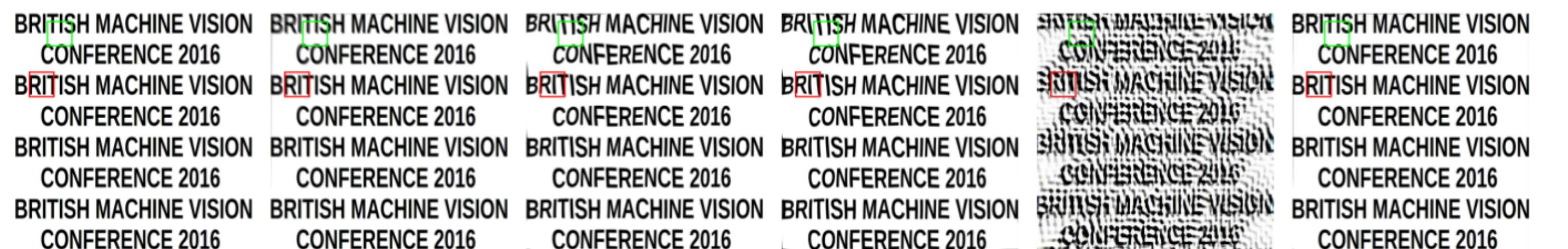
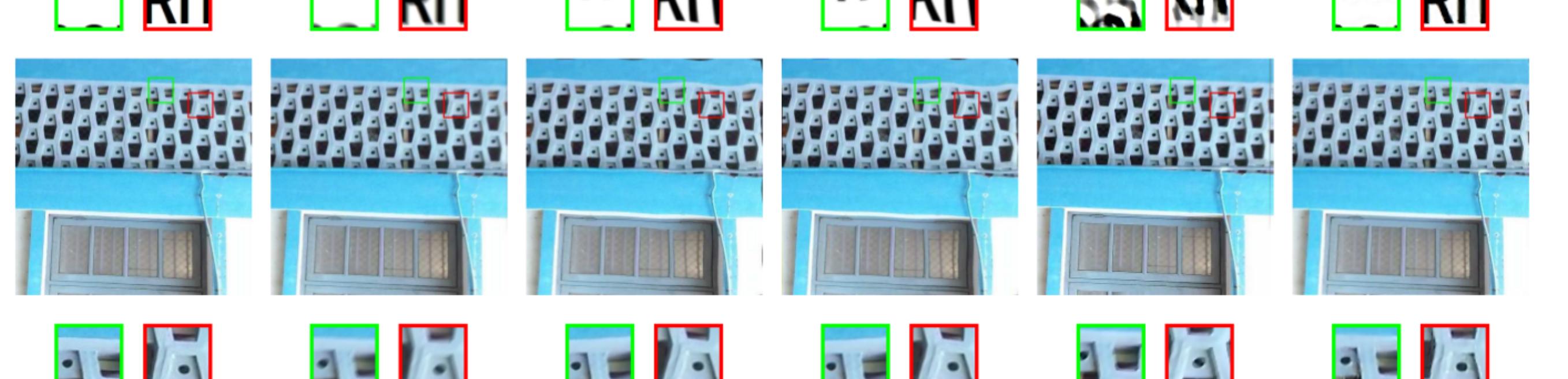


Figure 3: Block diagram of our proposed Alternating Minimization

Results



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(a) (b) (c) (d) (e) (f)

Figure 4: Synthetic examples. (a) Focused observation, (b) blurred observation, (c) restored of [2], (d) output from [3], and (e) proposed method. First row: text. Second row: wall

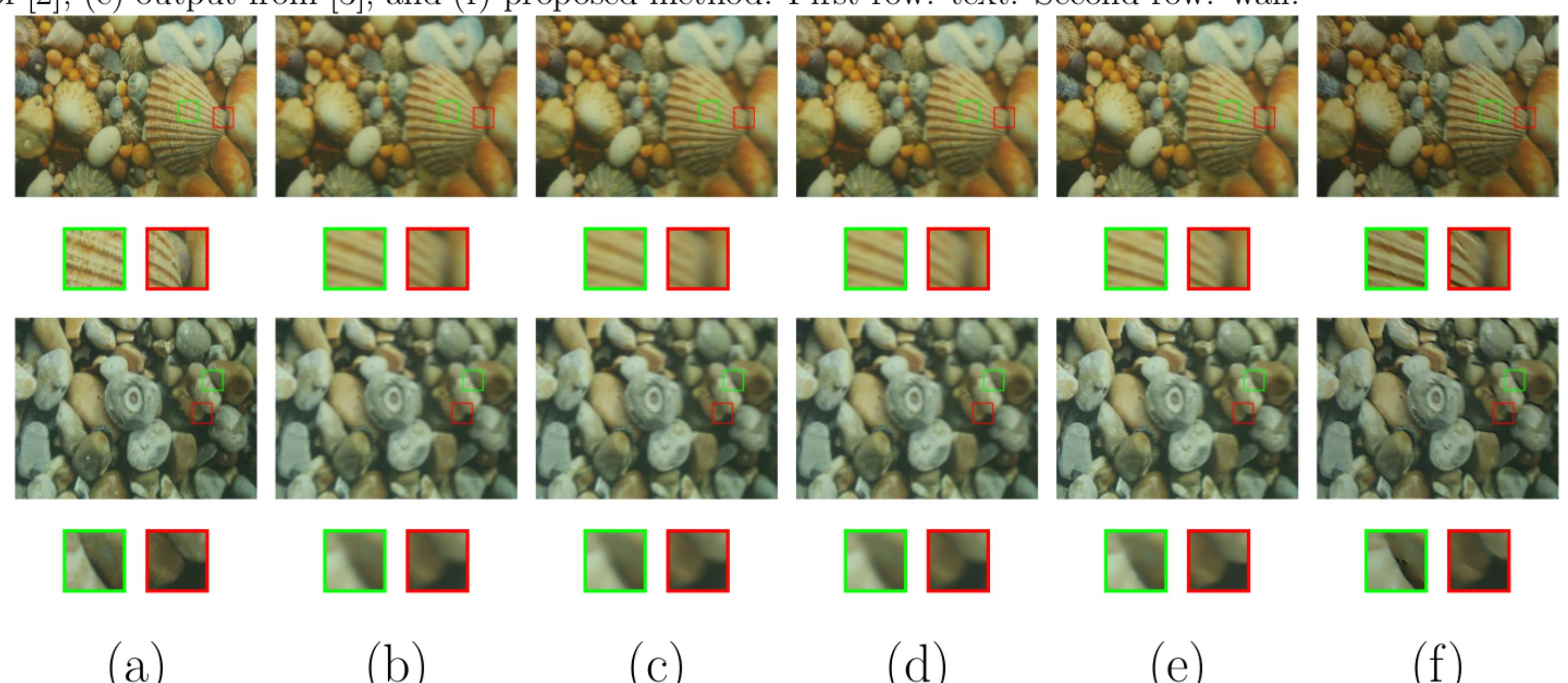


Figure 5: Real indoor experiments. (a) Focused observation, (b) blurred observation, (c) restored by [1], (d) output of [2], (e) output from [3] and (f) proposed method. First row: shell. Second row: stones

	PSNR (in dB)				SSIM				NMI			
	Tian et al. [1]	Oreifej et al. [2]	Xu et al. [3]	Proposed Method	Tian et al. [1]	Oreifej et al. [2]	Xu et al. [3]	Proposed Method	Tian et al. [1]	Oreifej et al. [2]	Xu et al. [3]	Proposed Method
Wall	20.9638	22.4273	13.0005	22.8546	0.9994	0.9996	0.9943	0.9997	1.0626	1.0148	0.8994	1.0713
Text	13.5681	13.5679	11.1212	20.8162	0.9975	0.9975	0.9798	0.9997	0.5770	0.5766	0.5290	0.6107
Shell	26.3070	26.6811	23.6328	26.7811	0.9984	0.9983	0.9986	0.9999	0.9760	0.9544	0.9544	0.9820
Stones	23.4497	28.2615	27.0457	28.2815	0.9995	0.9994	0.9993	0.9998	0.9727	1.0248	1.0045	1.0250

Table 2: Quantitative analysis for synthetic and real experiments

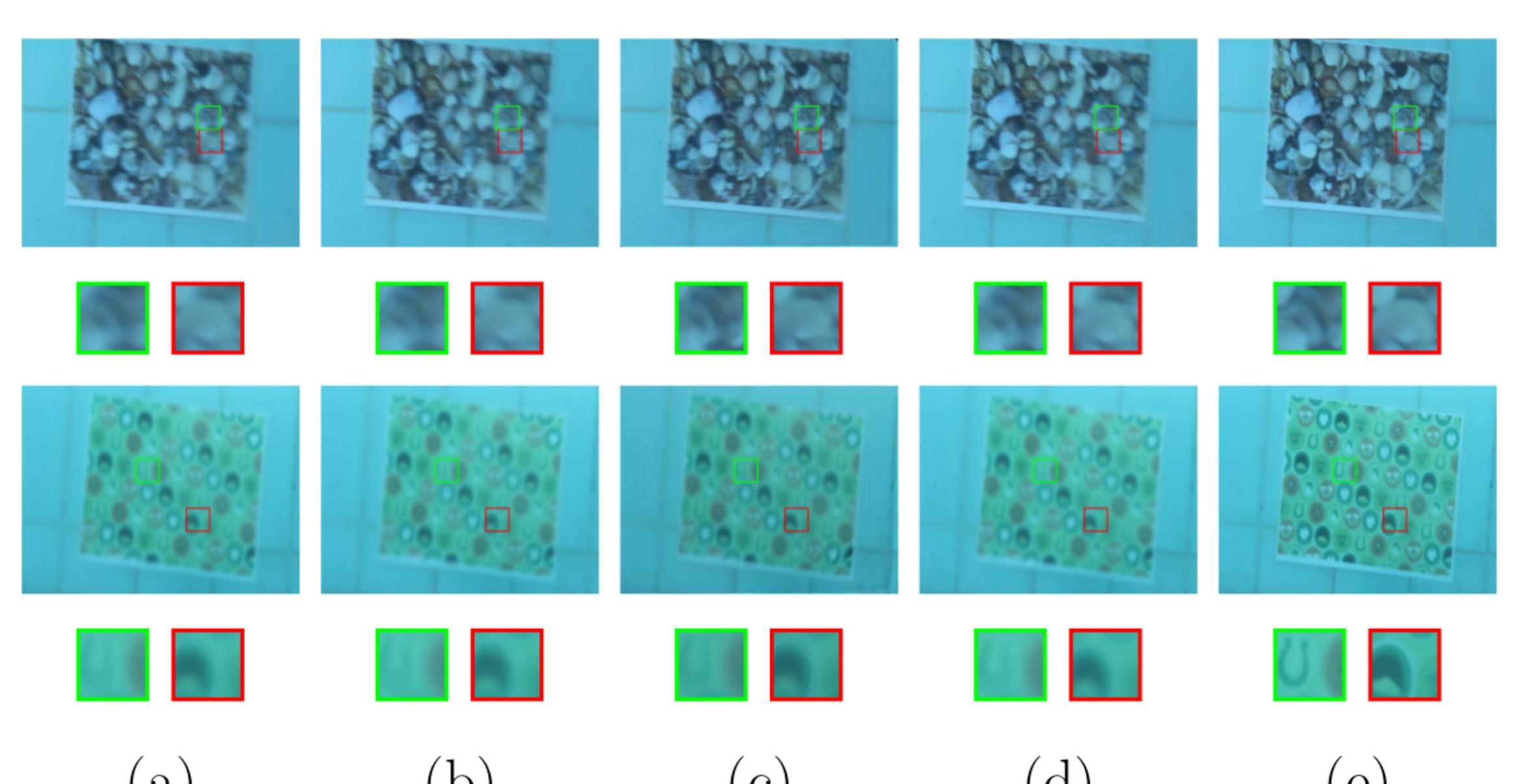


Figure 6: Real outdoor experiment. (a) Blurred image. Output of: (b) [1], (c) [2], (d) [3], and (e) proposed

Conclusions

- By using the concept of virtual depth map and shot detection followed by an alternating minimization framework, we restore the input video from skew.
 - Our approach outperforms state-of-the-art deskewing and space-variant deblurring approaches both qualitatively and quantitatively.

References