

Assignment 13 (10/27)

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This homework is due at the beginning of class on Friday 10/20. You may cite results from class as appropriate. Unless otherwise stated, you must provide a complete explanation for your solutions, not simply an answer. You are encouraged to work together on these problems, but you must write up your solutions independently.

You are encouraged to think about the problems marked with a () if you have time, but you don't need to hand them in.*

Remember that you can always use the result of the previous assignment problems without proof to solve the new assignment problems.

Problem 0★

Over this week we will be covering chapter 14. Try to read the corresponding sections from book everyday after class. Once you have solved a homework problem, look up the nearby exercises to understand how else a similar problem could be formulated.

There will be a quiz on Monday on section 14.7 and 14.8.

Problem ϵ ★

We employ the following strategy to find the absolute extremum of a function $f(x, y, z)$ on its domain, that we assume to be a closed bounded set given of the form $g(x, y, z) \leq k$.

Step 1. Find all the local extrema in the interior of the domain, i.e. check the critical points that satisfy $g(x, y, z) < k$.

Step 2. Find the other critical points on the boundary $g(x, y, z) = k$ using Lagrange multiplier.

Then over all of these local extrema, find the largest (resp. smallest) to get the global extrema.

Problem 1

Problems 14.7.(1, 3, 4, 7, 14, 15, 60).

Problem 2

Problems 14.8.(21, 32, 35, 48).