

2) When the content of the exponent $(e) \neq 0$ & significant (m) is $\neq 0$ then the subnormal number is

$$(-1)^s \times 0.m \times 2^{-126}$$

normalized number

subnormal

smallest 2^{-126}

$2^{-149} \approx 0$

largest 3.4×10^{38}

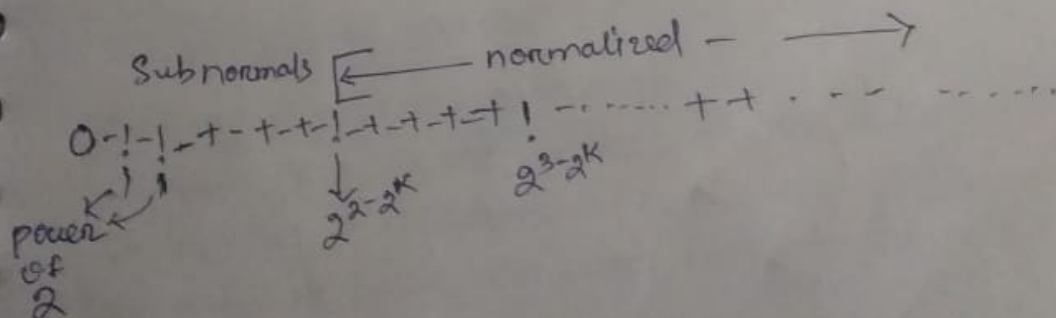
$0.99999988 \times 2^{-126}$

\approx smallest normalized number

\Rightarrow So there are total $[0.0, 2^{-126}]$ that means 2^{23} numbers within the range.

\Rightarrow The smallest difference between 2 normalized number is 2^{-149} which is equal to difference between any two consecutive subnormal numbers.

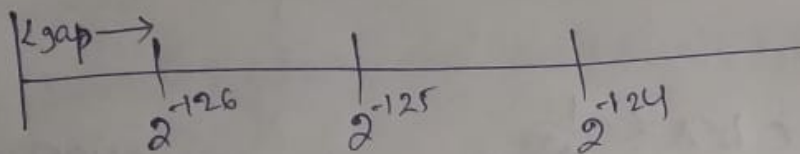
\Rightarrow Meanwhile the largest difference b/w 2 consecutive numbers is 2^{104}



⇒ Subnormals extend range of magnitudes ^{page-5} representable but have less precision than normalised numbers.

⇒ for a 32 bit precision type the number line distinguishes between normal & subnormal values in the figure below

i) without subnormal



ii) with subnormal

