```
In[1]:= values = Table[
                        xVal = N[Exp[43.5102146], 100];
                        piApprox = N[LogIntegral[xVal], 100];
                        piApproxOverE = N[LogIntegral[xVal/Exp[1]], 100];
                        result = (piApprox)^2 - (E * xVal / Log[xVal]) * piApproxOverE;
                         {"e^" <> ToString[43.5102146], N[result, 8]}];
                     values
Out[2]= \{e^43.5102, -1.29848 \times 10^{28}\}
 In[3]:= values = Table[
                        xVal = N[Exp[49], 100];
                        piApprox = N[LogIntegral[xVal], 100];
                        piApproxOverE = N[LogIntegral[xVal / Exp[1]], 100];
                        result = (piApprox)^2 - (E * xVal / Log[xVal]) * piApproxOverE;
                         {"e^" <> ToString[49], N[result, 8]}];
                     values
Out[4]= \{e^49, -3.5777143 \times 10^{32}\}
 In[5]:= values = Table[
                        xVal = N[Exp[59 + 100 * k], 100];
                        piApprox = N[LogIntegral[xVal], 100];
                        piApproxOverE = N[LogIntegral[xVal / Exp[1]], 100];
                        result = (piApprox)^2 - (E * xVal / Log[xVal]) * piApproxOverE;
                         {"e^" <> ToString[59 + 100 * k], N[result, 8]},
                        {k, 0, 31}
                     ];
                     values
Out[6]= \{\{e^{59}, -5.3863026 \times 10^{40}\}, \{e^{159}, -8.6366147 \times 10^{124}\}, \{e^{259}, -3.2250049 \times 10^{210}\}, \{e^{159}, -6.6366147 \times 10^{124}\}, \{e^{159}, -6.6366147 \times 10^{124}
                            \{	ext{e}^359, -3.2357043 	imes 10^{296}\}, \{	ext{e}^459, -5.3064365 	imes 10^{382}\}, \{	ext{e}^559, -1.1686993 	imes 10^{469}\},
                            \{	extstyle{e}^{659}, -3.1339236	imes 10^{555}\} , \{	extstyle{e}^{759}, -9.6742945	imes 10^{641}\} , \{	extstyle{e}^{859}, -3.3194561	imes 10^{728}\} ,
                            \{\mathtt{e}^{\mathsf{959}}, \mathtt{-1.2367077} 	imes \mathtt{10}^{\mathsf{815}}\} , \{\mathtt{e}^{\mathsf{1059}}, \mathtt{-4.9214899} 	imes \mathtt{10}^{\mathsf{901}}\} , \{\mathtt{e}^{\mathsf{1159}}, \mathtt{-2.0671392} 	imes \mathtt{10}^{\mathsf{988}}\} ,
                             \left\{e^{1259}, -9.0822473 \times 10^{1074}\right\}, \left\{e^{1359}, -4.1454353 \times 10^{1161}\right\},
                             \{e^{1459}, -1.9549848 	imes 10^{1248}\}, \{e^{1559}, -9.4847597 	imes 10^{1334}\}, \{e^{1659}, -4.7172079 	imes 10^{1421}\},
                            \{	ext{e^{1759}, -2.3980349} 	imes 	ext{10}^{1508} \} , \{	ext{e^{1859}, -1.2430367} 	imes 	ext{10}^{1595} \} , \{	ext{e^{1959}, -6.5566576} 	imes 	ext{10}^{1681} \} ,
                             \{e^2059, -3.5131458 	imes 10^{1768}\}, \{e^2159, -1.9093149 	imes 10^{1855}\}, \{e^2259, -1.0511565 	imes 10^{1942}\},
                             \{e^2359, -5.8557034 	imes 10^{2028}\}, \{e^2459, -3.2975152 	imes 10^{2115}\}, \{e^2559, -1.8754944 	imes 10^{2202}\},
                            \{ 	ext{e}^2 = (1.0765501 \times 10^{2289} \} , \{ 	ext{e}^2 = (1.0765501 \times 10^{2289} ) , \{ 	ext{e}^2 = (1.076501 \times 10^{2289} ) , \{ 	ext
                            \{e^{2959}, -2.1376236 \times 10^{2549}\}, \{e^{3059}, -1.2651826 \times 10^{2636}\}, \{e^{3159}, -7.5364298 \times 10^{2722}\}\}
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