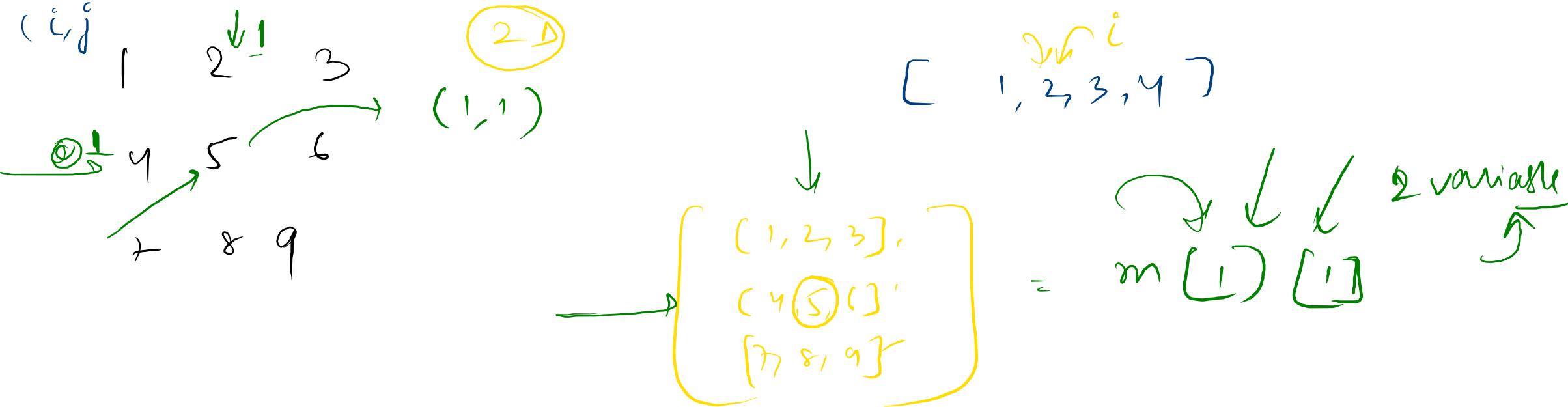


def rotate(mat):

    \_\_\_\_\_  
    \_\_\_\_\_  
    \_\_\_\_\_  
        Rotate mat by 90° clockwise

→ No extra space allowed]

}  
8:50 PM }  
start now!!!



Q

1	2	3
4	5	6
7	8	9

Print all the elements of this matrix

for i in range (n) :

    for j in range (n) :

        print ( mat [i][j] )

①

$$\begin{bmatrix} 1 & 2 \\ 2 & 1 \end{bmatrix} \xrightarrow{n=2} \begin{bmatrix} 3 & 1 \\ 4 & 2 \end{bmatrix}$$

Pattern }

~~No of cycles =  $\frac{n}{2}$~~

$$= \frac{2}{2} = 1$$

$$= \frac{3}{2} = 1$$

$$= \frac{4}{2} = 2$$

②

$$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix} \rightarrow \begin{bmatrix} 7 & 4 & 1 \\ 8 & 5 & 2 \\ 9 & 6 & 3 \end{bmatrix}$$

For each circle }

I will have to swap the rows and columns }

③

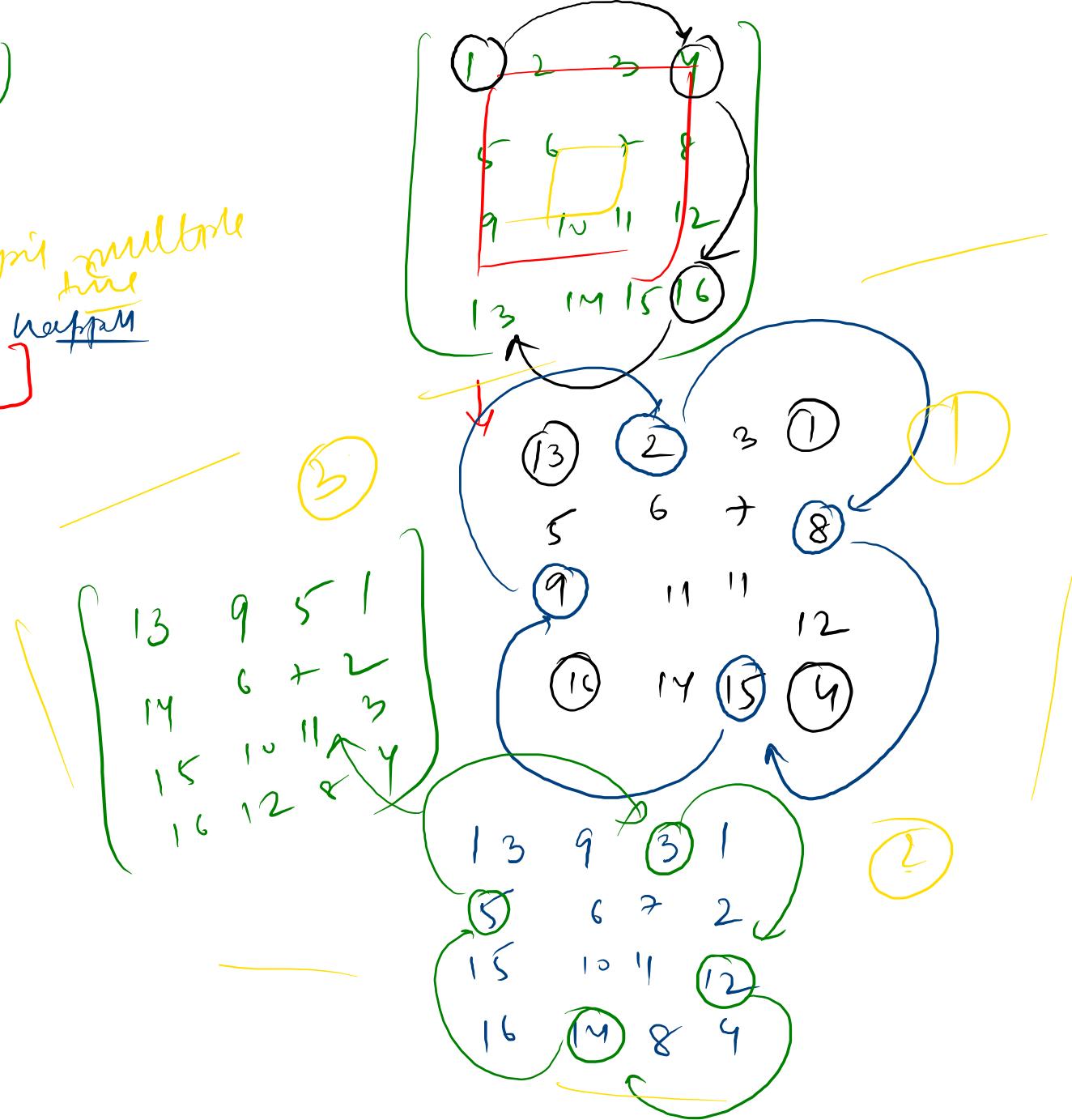
$$\begin{bmatrix} 1 & 2 & 3 & 4 & 7 \\ 5 & 6 & 8 & 9 & 10 \\ 11 & 12 & 13 & 14 & 15 \end{bmatrix} \xrightarrow{\text{①}} \begin{bmatrix} 13 & 9 & 5 & 1 \\ 14 & 10 & 6 & 2 \\ 15 & 11 & 7 & 3 \\ 16 & 12 & 8 & 4 \end{bmatrix}$$

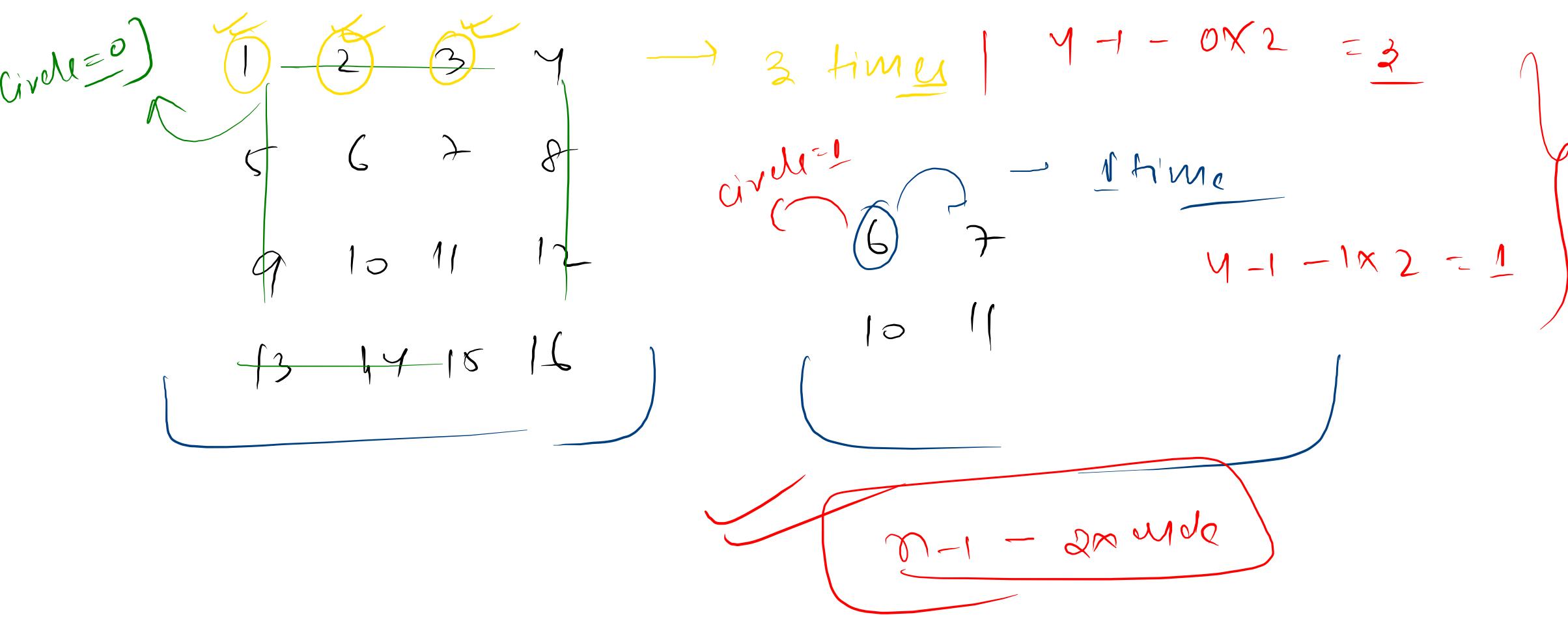
order = 0

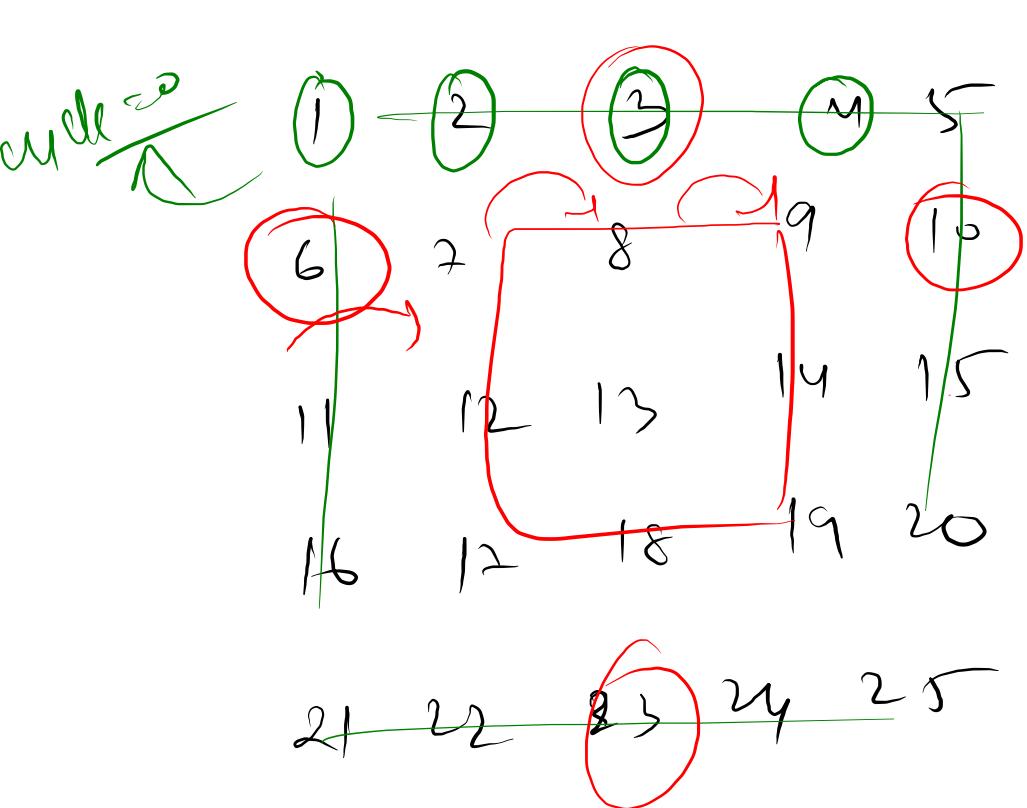
while (order <  $\sqrt{n}/2$ ) :

# keep swapping the elements  
# rotate the circle  $\Rightarrow$  swapping multiple  
How many time swaps should happen  
[order and N]

$\sqrt{n}/2$   $\rightarrow$  2 times





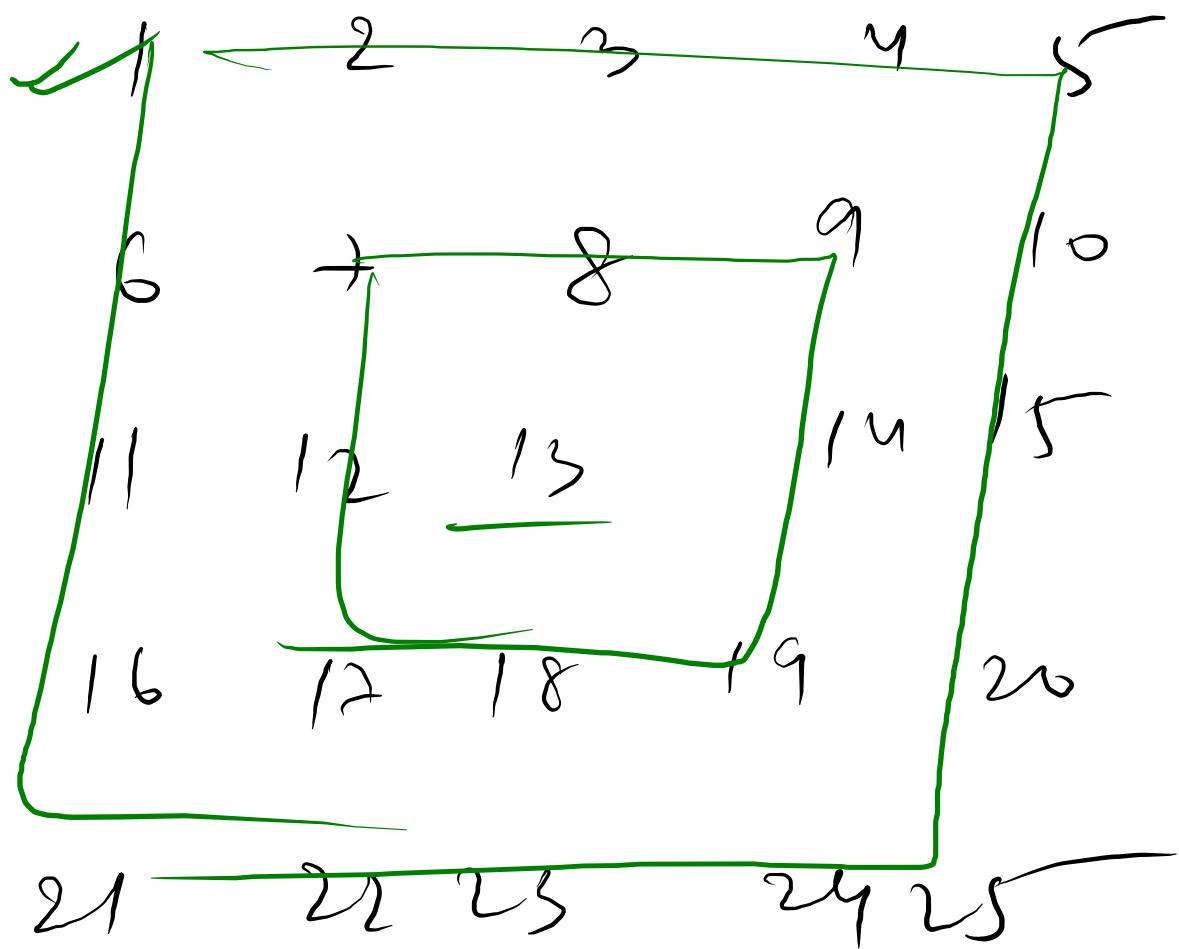


circle  $\rightarrow 0 \rightarrow$   $\begin{cases} 9 \\ 2 \text{ times} \end{cases}$

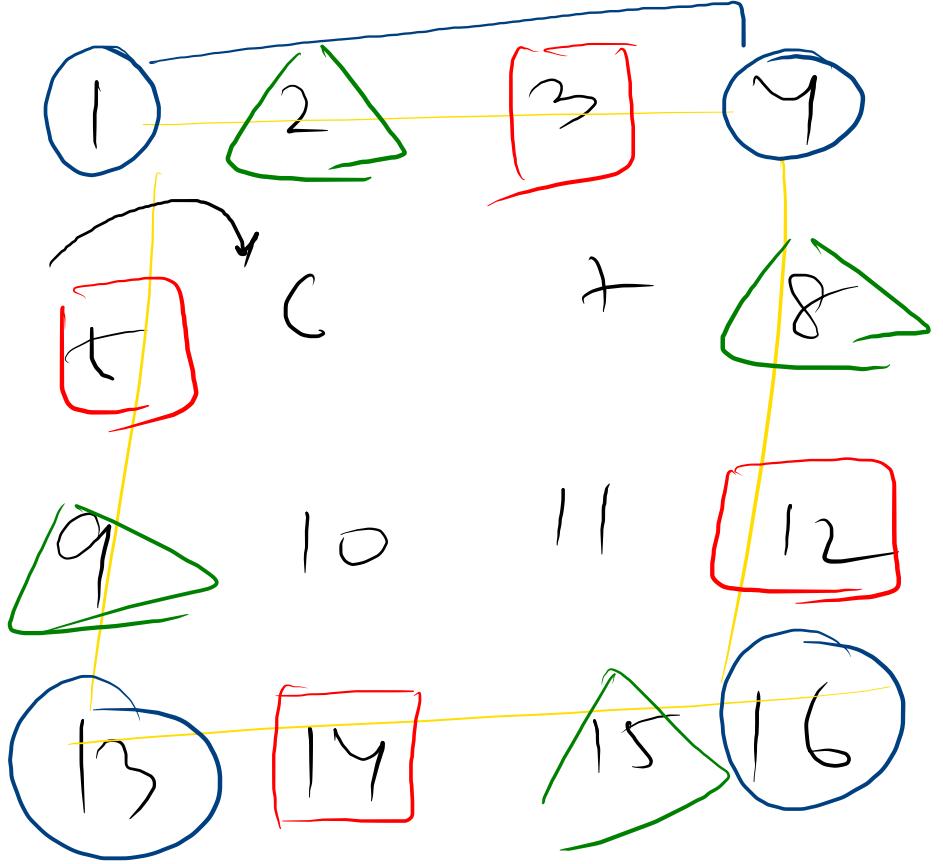
$$\frac{n-1 - 2 \times \text{cycle}}{\text{cycle}} = \frac{5-1 - 2 \times 0}{2} = 2$$

General form

$$N-1 - 2 \times \text{cycle}$$



$$5 // 2 = \underline{\underline{2}}$$



How many time I need to exchange } = 3  
 $\downarrow$   
 $\text{raw} = 4$   
 $\text{inner} = \text{raw} - 2$   
 $\downarrow$   
times  
 $\downarrow$   
**size of circle - 1**

3 circles

outer circle raw count =  $\frac{N}{2} = n - 0$

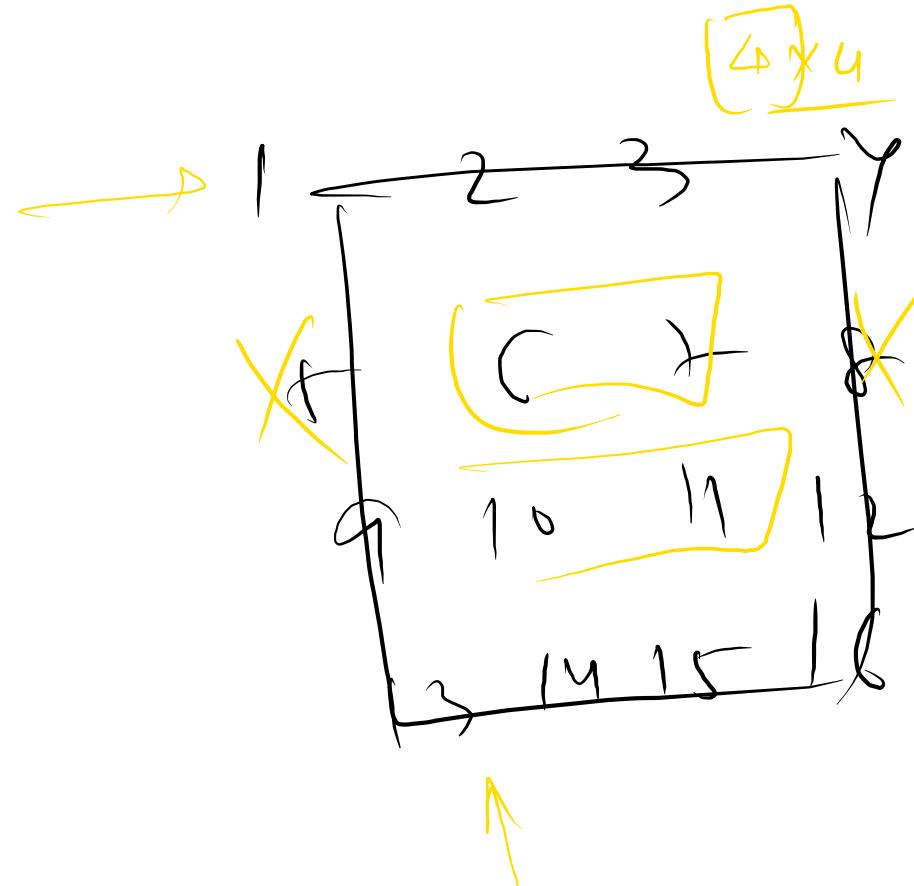
2nd circle will have =  $N - 2 = n - 2 \times 1$

3rd circle will have =  $n - 4 = n - 2 \times 2$

$y = \frac{n - \text{circle} \times 2}{2}$

6 +  
10 11 [2x2]

Raw



$$\text{No of swap} = \frac{\text{size} - 1}{2}$$

size of any cycle =

$$n - 2 \times \text{size} - 1$$

square matrix

Diagram present

for loop has seen perfected |||

$3 \times 3, n = 3$

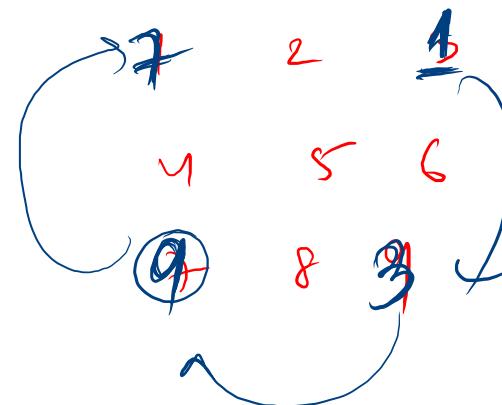
```
def rotate(matrix, n):
    circle = 0
    i, j = 0, 0 # This indicates the first element
    while(circle < n/2):
        no_elements_to_be_rotated = n - 2 * circle - 1
```

$$= 3 - 2 \times 0 - 1 = 2$$

```
elements_rotated = 0
while(elements_rotated < no_elements_to_be_rotated):
    # Logic to rotate the elements
    temp = matrix[i][j + elements_rotated]
    matrix[i][j + elements_rotated] = matrix[i + no_elements_to_be_rotated - elements_rotated][j]
    matrix[i + no_elements_to_be_rotated - elements_rotated][j] = matrix[i + no_elements_to_be_rotated - elements_rotated - 1][j + no_elements_to_be_rotated - elements_rotated]
    matrix[i + no_elements_to_be_rotated - elements_rotated - 1][j + no_elements_to_be_rotated - elements_rotated] = matrix[i + elements_rotated][j + no_elements_to_be_rotated - elements_rotated]
    matrix[i + elements_rotated][j + no_elements_to_be_rotated - elements_rotated] = temp
print(matrix)
elements_rotated += 1
```

$temp = 1$

$i += 1$   
 $j += 1$



Diary → Record

~~Binary Number  $\leftrightarrow$  Decimal no's~~

How do we do it?

123      Binary  $\wedge 10$

123

~~128~~

64

32

16

8

10

2

1

64  
32

16  
112

8

120

0

1111011

1111011

~~55~~ → Binary

~~55~~

32	16	8	4	2	1
1	1	0	1	1	1

110111

32  
16  
8  
4  
52

8  
4  
52

Number

$110111_2 \rightarrow 1 \times 2^0 + 1 \times 2^1 + 1 \times 2^2 + 0 \times 2^3 + 1 \times 2^4 + 1 \times 2^5$

$= 1 + 2 + 4 + 0 + 16 + 32$

$\boxed{55}$

✓

Python}

$$\text{print} (1 - 0.25 \times 4) \rightarrow 0.0$$

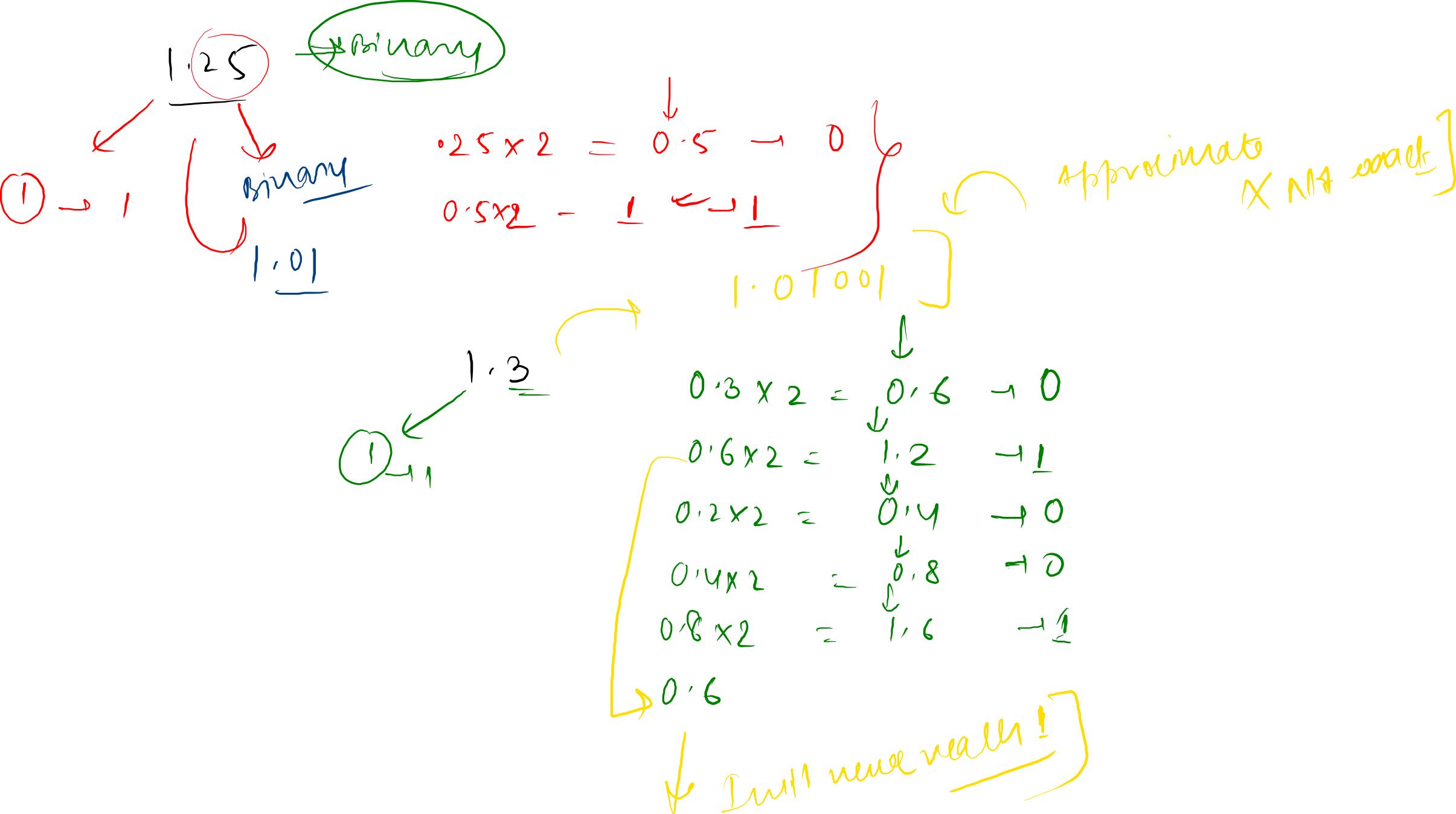
$$\text{print} (0.9 - 0.3 \times 3) \rightarrow$$

Number  $\rightarrow$  String  $\rightarrow$  Binary No

1.25  $\rightarrow$  Binary] Exact representation ✓

1.3  $\rightarrow$  Approximate Binary No

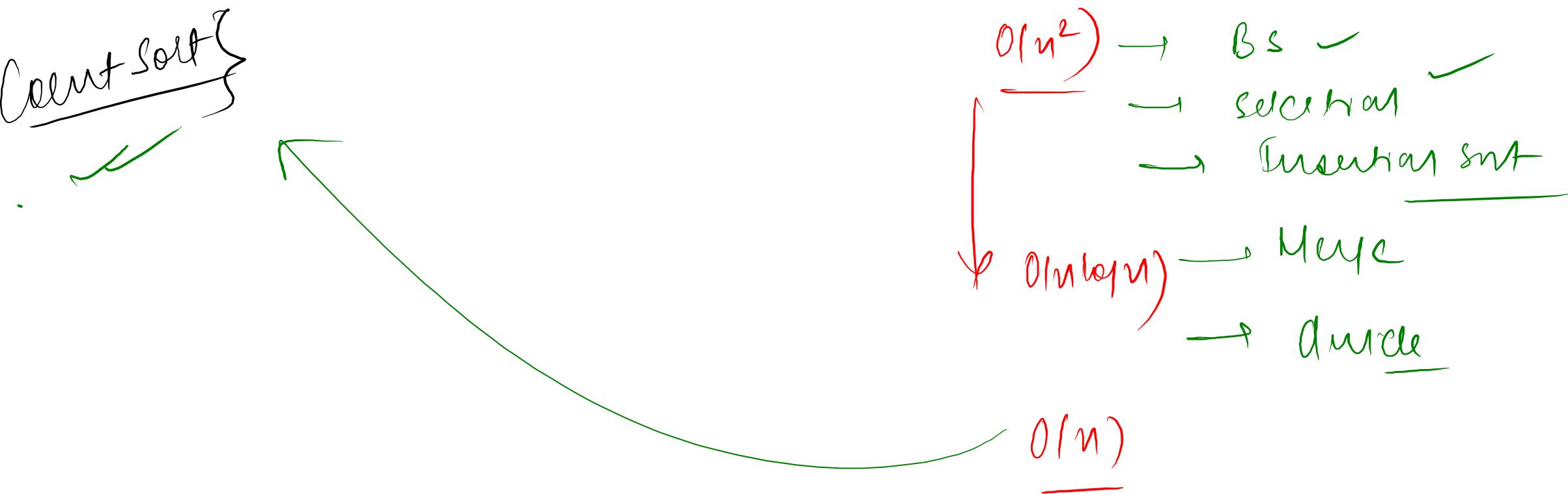




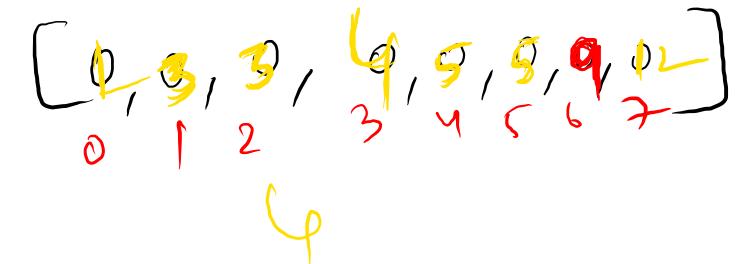
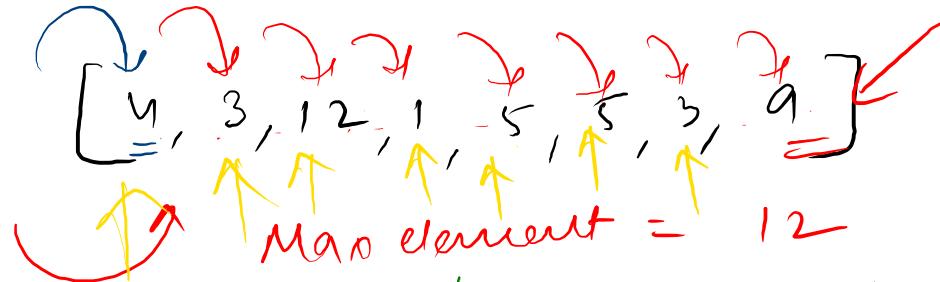
App

$$0.9 - 3 \times 0.3 \text{ Abs}$$

                  
→ very small value ~~≠ 0~~



- ✓ Count Sort  $\xrightarrow{\hspace{1cm}} \underline{O(n)}$
- ↓
- ① Array of  $No^{1s}$
- ②  $No^{1s}$  given should not be of very  
    univalue

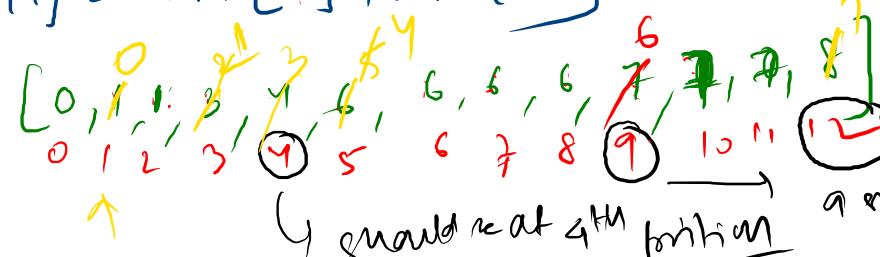


↳ New int of size = max\_element + 1

$$\text{arr} = \left[ \begin{smallmatrix} 0, & 0, & 0, & 0, & 0, & 0, & 0, & 0, & 0, & 0, & 0, & 0 \\ 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 10 & 11 & 12 \end{smallmatrix} \right]$$

$$\text{arr} = \left[ \begin{smallmatrix} 0, & 1, & 0, & 2, & 1, & 2, & 0, & 0, & 0, & 1, & 0, & 0, & 1 \\ 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 10 & 11 & 12 \end{smallmatrix} \right]$$

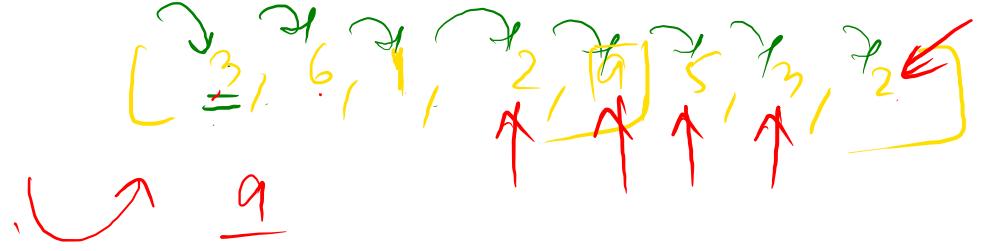
$$\text{arr}[i] = \text{arr}[i] + \text{arr}[i-1]$$



PH  
Ans

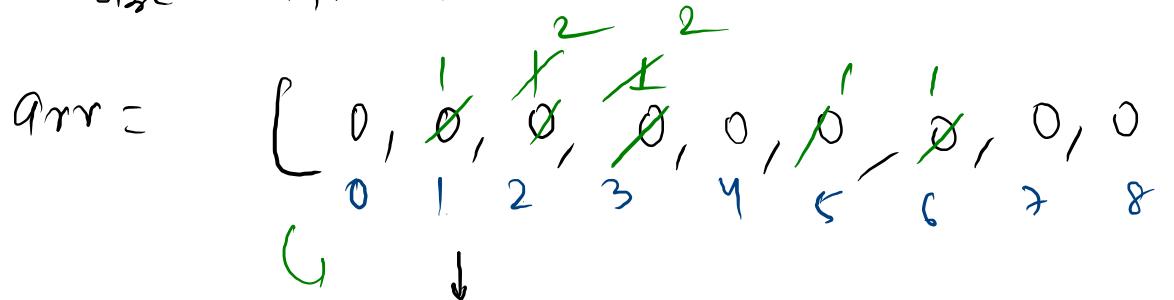
[1, 3, 3, 4, 5, 5, 9, 12]  
↳ sorted)

$O(n)$



↑  
9

$$\text{size} = 9+1 = 10$$



$$\text{arr} = \begin{bmatrix} 0, 1, 2, 2, 0, 1, 1, 0, 0, 1 \\ 0, 1, 2, 3, 4, 5, 6, 7, 8, 9 \end{bmatrix}$$

$$\text{arr}[i] = \text{arr}[i] + \text{arr}[i-1]$$

$$= \begin{bmatrix} 0, 1, 2, 4, 5, 6, 7, 7, 8 \\ 0, 1, 2, 3, 4, 5, 6, 7, 8, 9 \end{bmatrix}$$

↑↑      ↑      ↗

$$\begin{bmatrix} 1, 2, 2, 3, 3, 5, 6, 9 \\ 0, 1, 2, 3, 4, 5, 6, 7 \end{bmatrix}$$

↳  $[1, 2, 2, 3, 3, 5, 6, 9]$

sorted

```
def count_sort(input_arr):
```

M = max(input\_arr) → 8

#Create a new list of the size M+1  
count\_arr = [0]\*(M+1)

for num in input\_arr:  
 count\_arr[num] += 1

# We need to find the prefix sum  
for i in range(1, M+1):  
 count\_arr[i] += count\_arr[i-1]

#Create a final output array  
out\_arr = [0]\*len(input\_arr)

for i in range(len(input\_arr)-1, -1, -1):  
 out\_arr[count\_arr[input\_arr[i]]-1] = input\_arr[i]  
 count\_arr[input\_arr[i]] -= 1

return out\_arr

```
print(count_sort([4,3,1,1,7,8,6]))
```

count\_sort([4, 3, 1, 1, 7, 8, 6])

count\_arr = [0, 0, 1, 1, 1, 1, 1, 1, 1]  
0 1 2 3 4 5 6 7 8

count\_arr = [0, 2, 0, 1, 1, 0, 1, 1, 1]

0 1 2 3 4 5 6 7 8

out\_arr = [1, 1, 3, 4, 5, 6, 7, 8]

1 2 3 4 5 6 7 8

```
def count_sort(input_arr):
```

M = max(input\_arr) → 5  
# Create a new list of the size M+1  
count\_arr = [0] \* (M+1)  
  
for num in input\_arr:  
 count\_arr[num] += 1  
  
# We need to find the prefix sum  
for i in range(1, M+1):  
 count\_arr[i] += count\_arr[i-1]  
  
# Create a final output array  
out\_arr = [0] \* len(input\_arr)  
  
for i in range(len(input\_arr)-1, -1, -1):  
 out\_arr[count\_arr[input\_arr[i]]-1] = input\_arr[i]  
 count\_arr[input\_arr[i]] -= 1  
  
return out\_arr

```
print(count_sort([4, 3, 1, 1, 7, 8, 6]))
```

count\_arr ([5, 3, 1, 5, 2, 3])

count\_arr = [0, 0, 0, 0, 0, 0]  
↓  
count\_arr = [0, 1, 1, 2, 0, 2]

count\_arr[i] = count\_arr[i] + count\_arr[i-1]

count\_arr = [0, 1, 2, 3, 4, 5]

out\_arr = [1, 0, 3, 3, 5, 5]

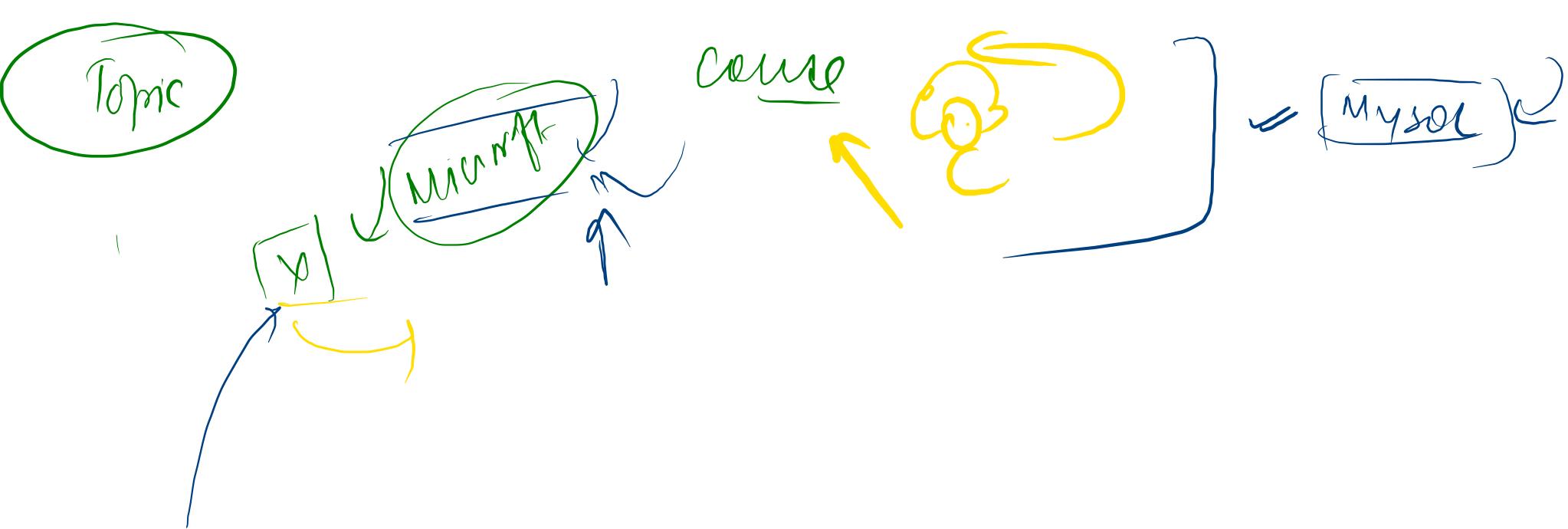
Input arr = [5, 3, 1, 5, 2, 3]  
[1, 2, 3, 3, 5, 5]  
↑ sorted

every week} Revision DSA)

Targets

Goal

(MS) → Unicellular





Count

① Numbers

② we should only use if we have smaller no's

circle = 0

while (circle <  $\frac{N}{2}$ ):

jumps =  $N - 1 - 2 \times \text{circle}$

count = 0

while (count < jumps):

