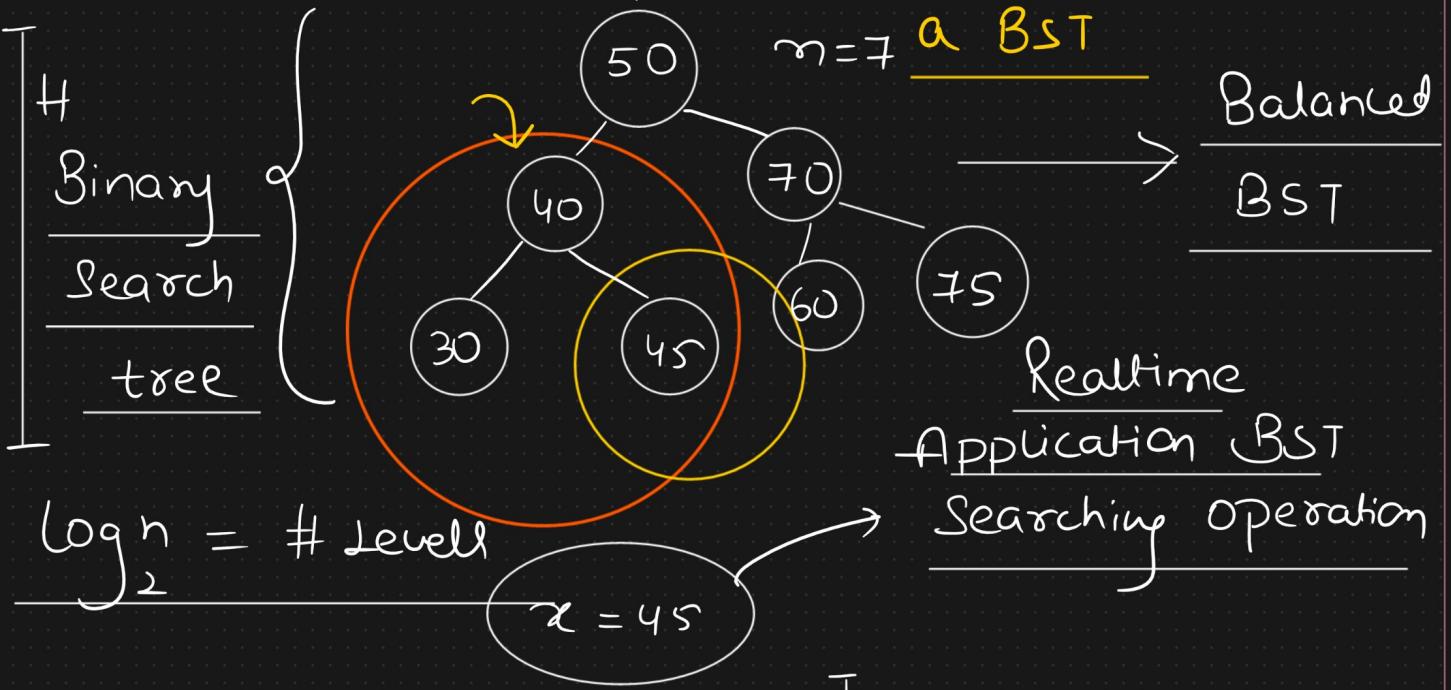


Binary Search Tree

- {
 ① Left child node val < Parent node val
 ② Right child node val > Parent node val

No duplicate elements in



Time complexity $\rightarrow O(\log_2 n)$

Bst / Average

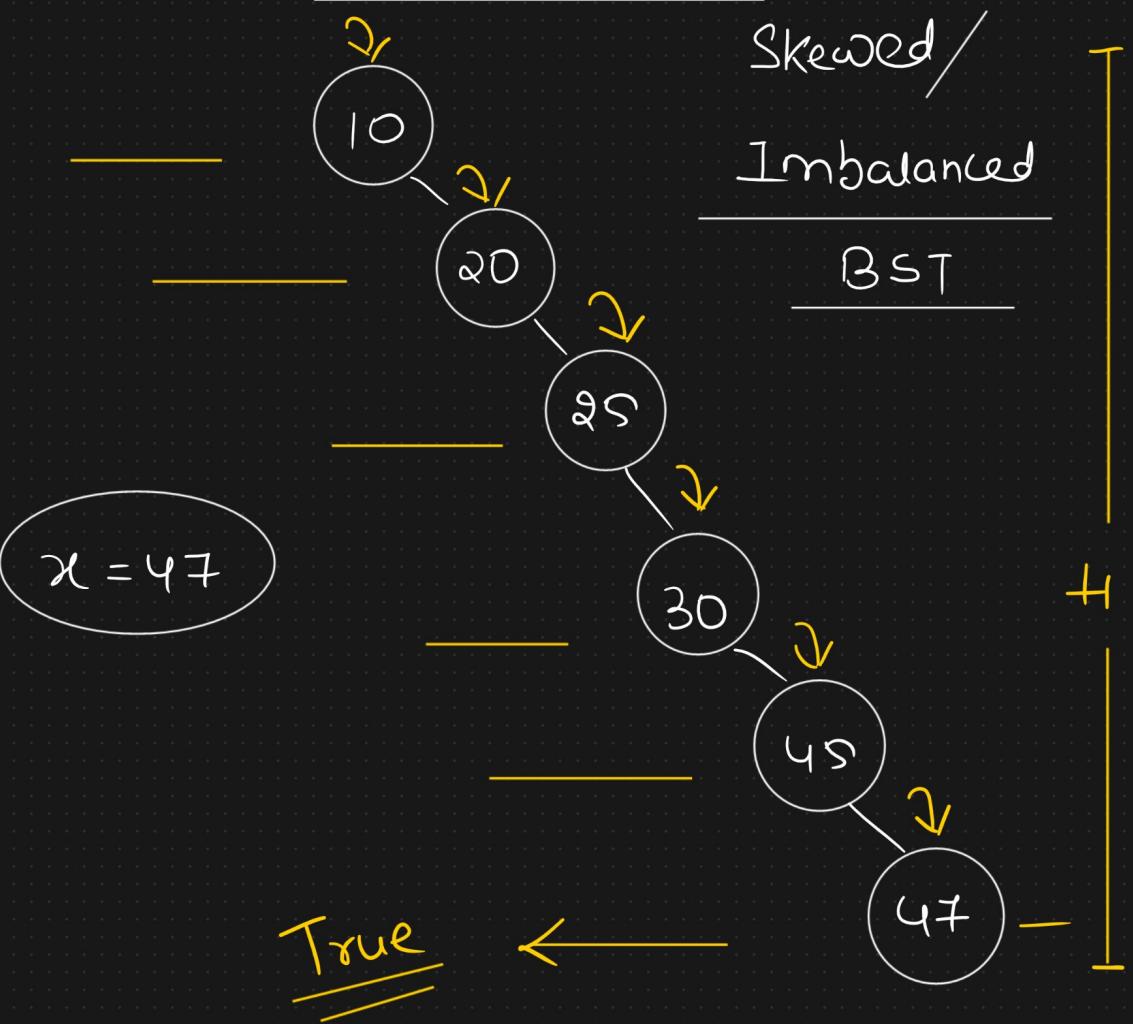
Time complexity $\rightarrow O(H)$
 $O(\# \text{ Levels})$

Balanced BST

$O(\log_2 n)$

Worst case scenario

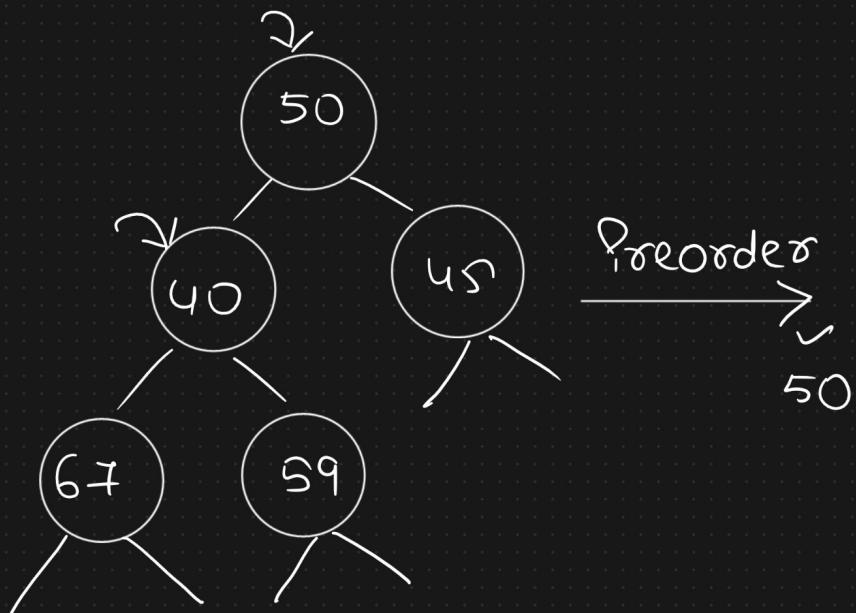
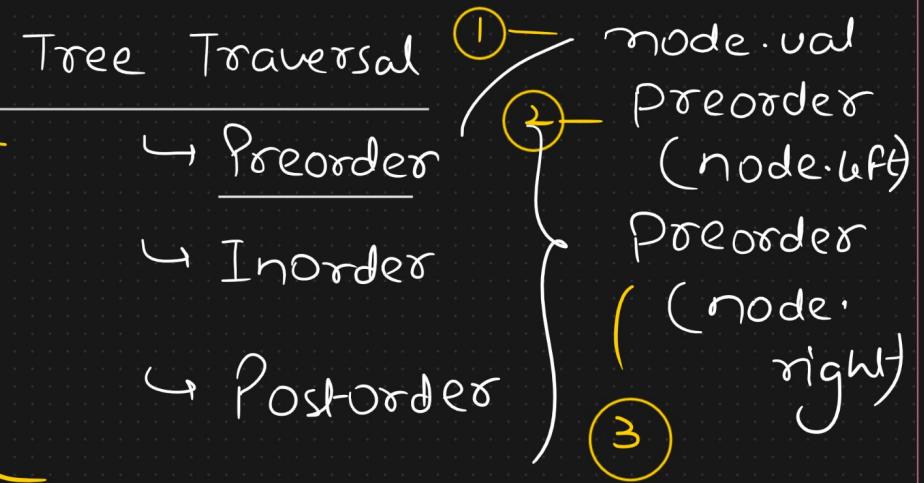
$n=6$



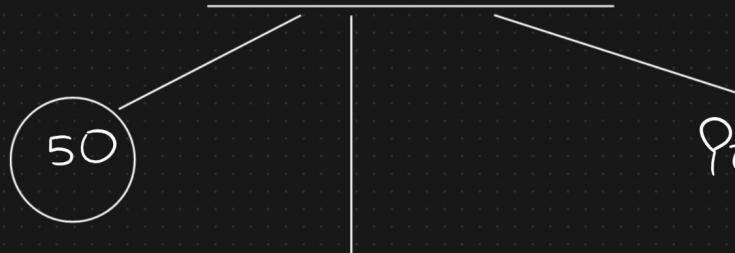
$$\mathcal{O}(n) = \mathcal{O}(\# \text{Levels})$$

$$= \mathcal{O}(n)$$

Recursion



Preorder(50)



Preorder(45)



Preorder(40)



Preorder(67)

Preorder(59)



X

67

X X

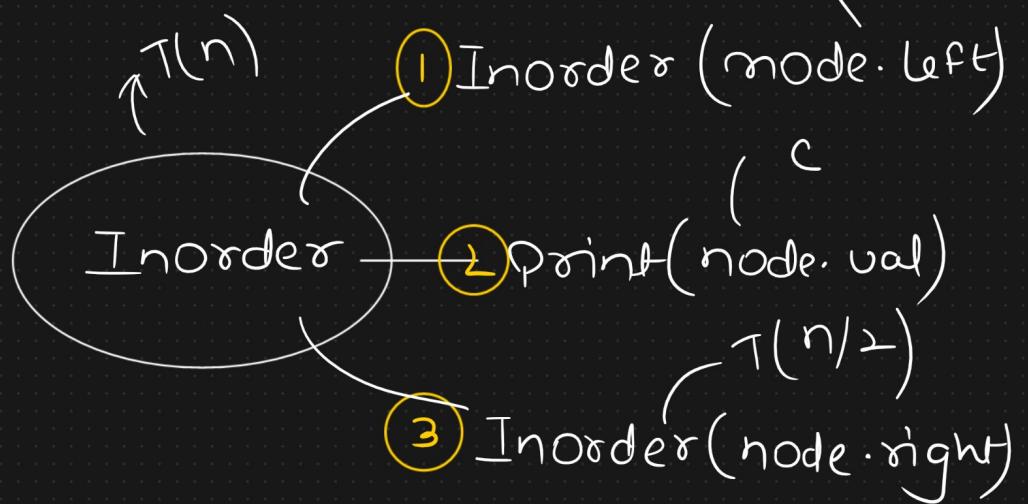
59

Preorder traversal

50, 40, 67, 59, 45

$T(n/2)$

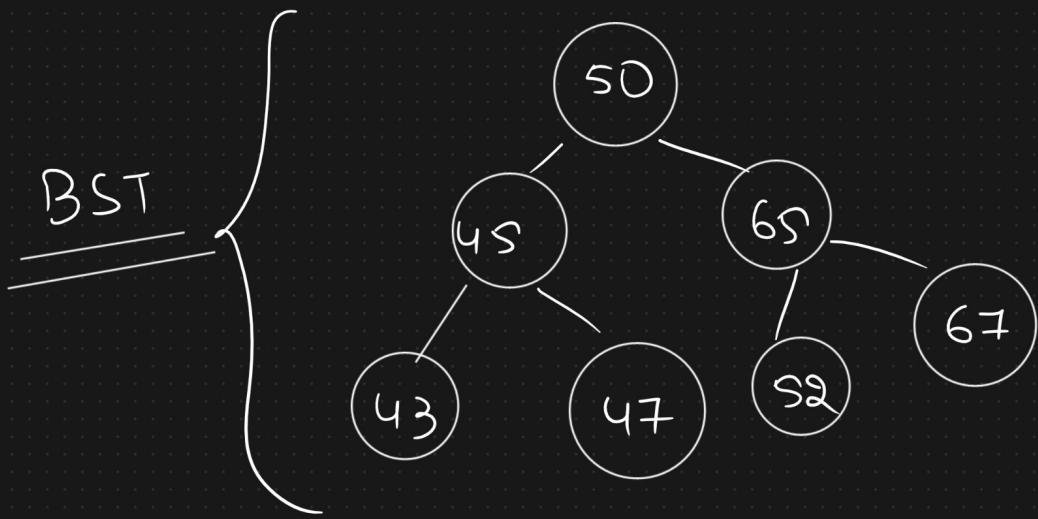
Balanced
Tree



① Postorder (node.left)

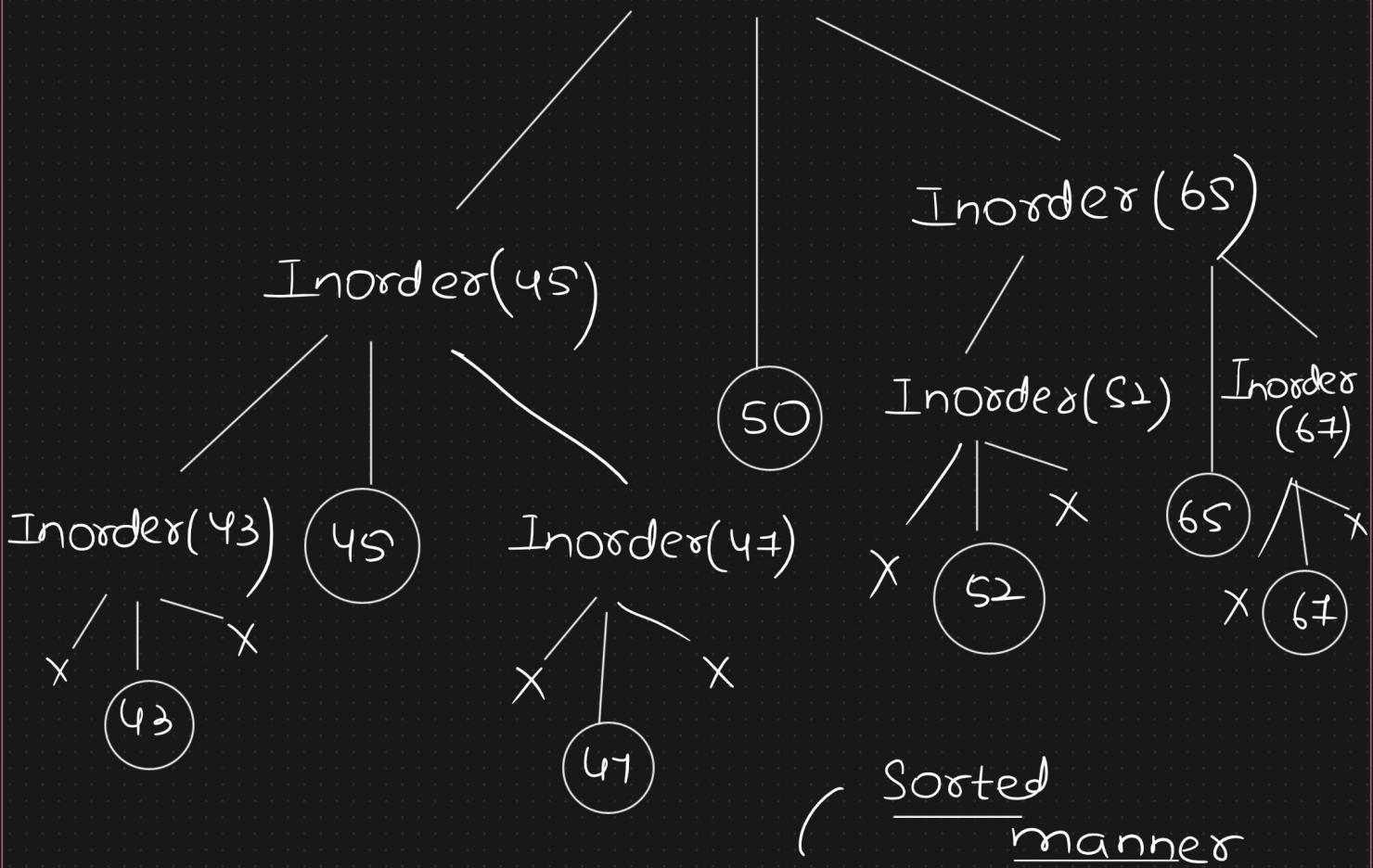
② Postorder (node.right)

③ Print (node.val)

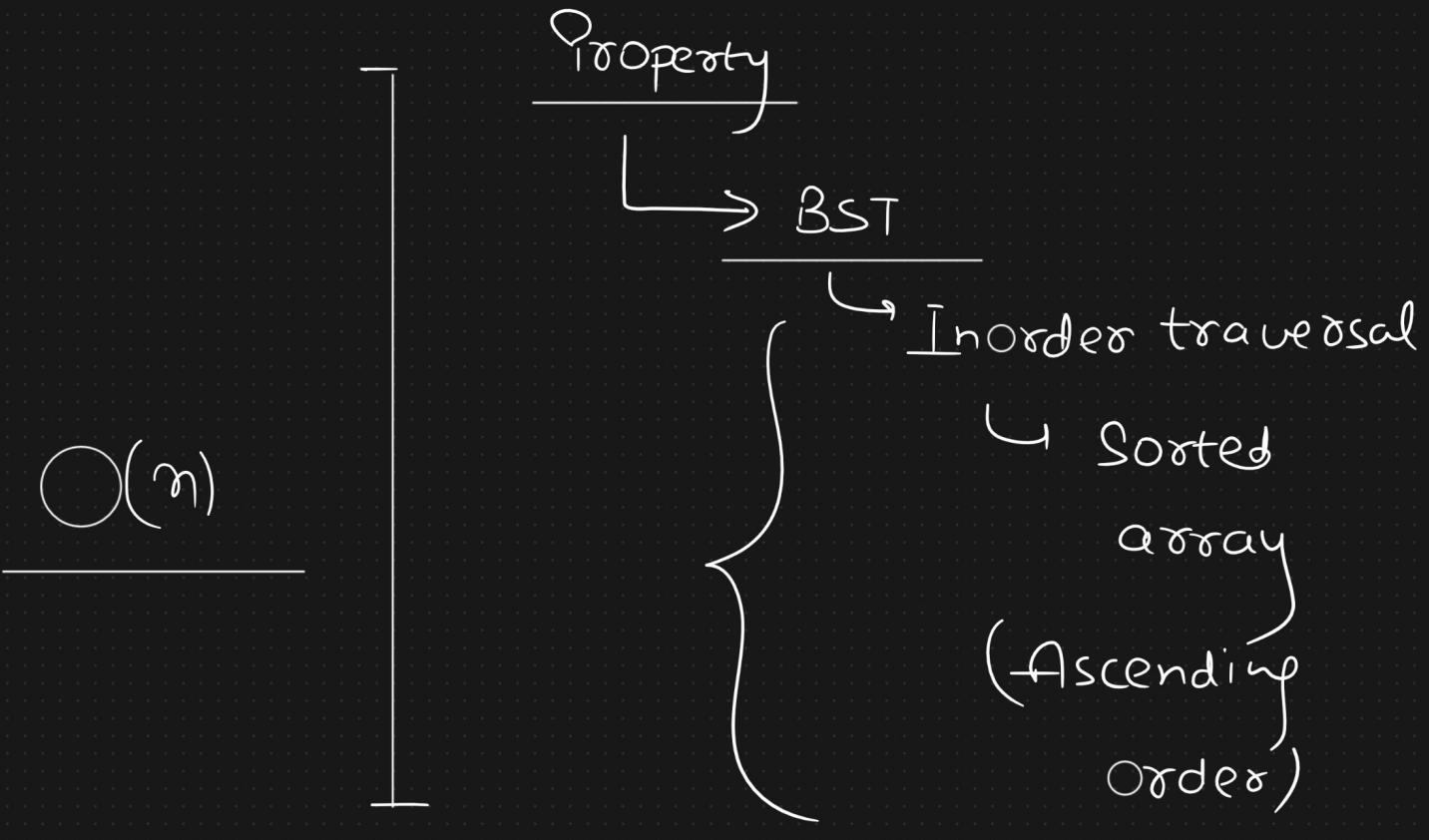


Inorder traversal

Inorder(50)



43, 45, 47, 50, 52, 65, 67



Best/Average Scenario

Recurrence Relation

$$T(n) = 2T\left(\frac{n}{2}\right) + c$$

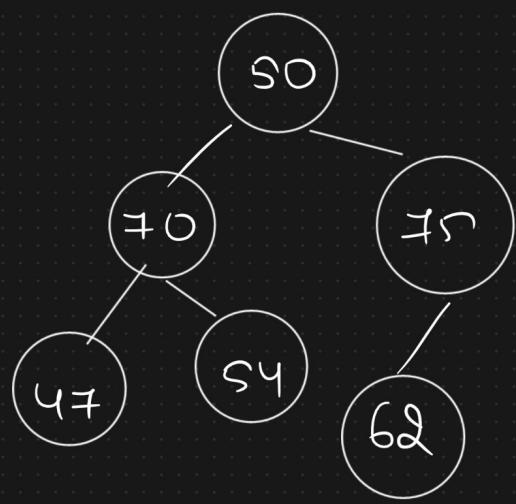
$\rightarrow O(n)$

Substitution → $T(n) = 2T\left(\frac{n}{2}\right) + c$

Master's Theorem → $T(n) = 2T\left(\frac{n}{2}\right) + c$

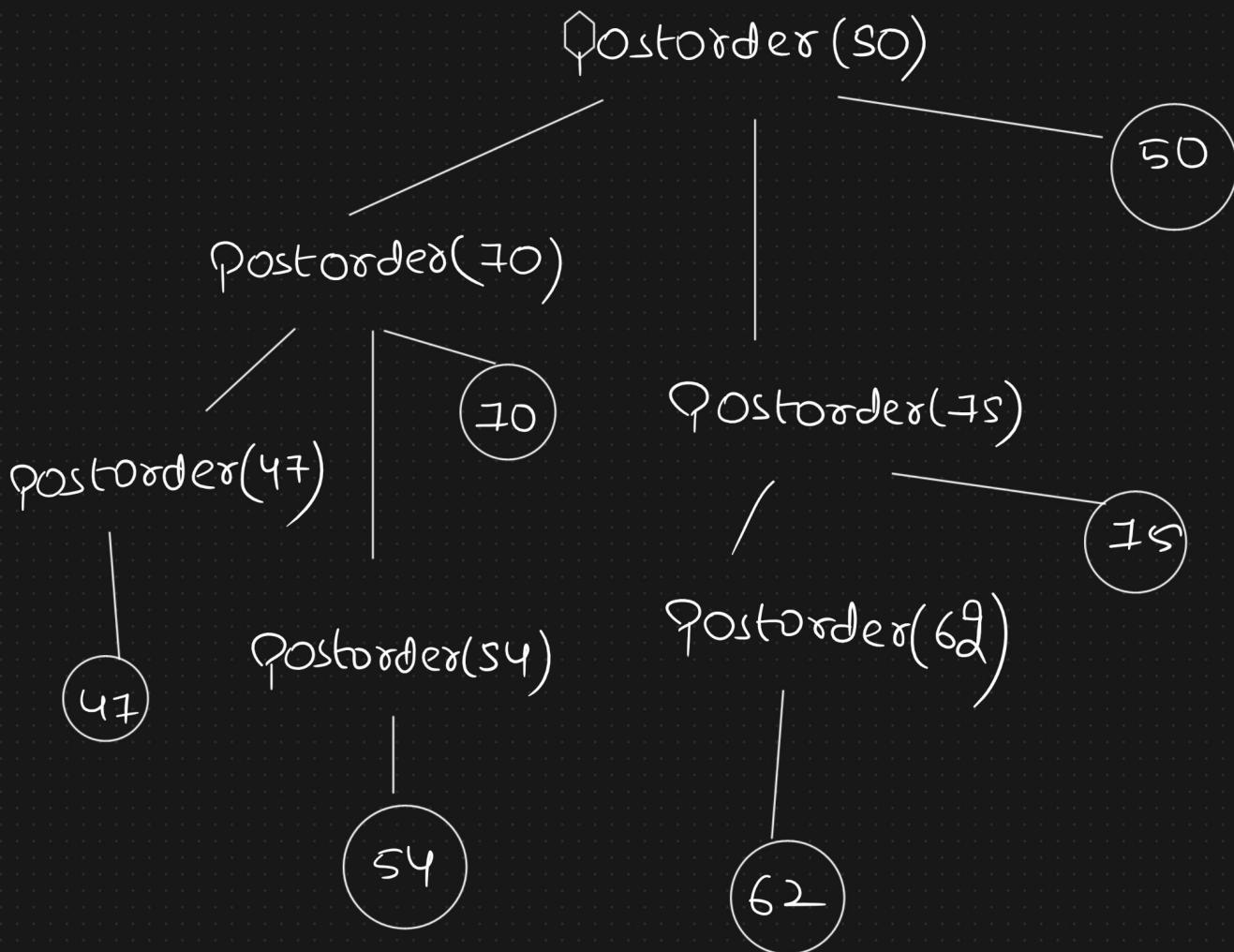
$T(n/2)$ Left Subtree Recursion

$T(n/2)$ Right Subtree Recursion

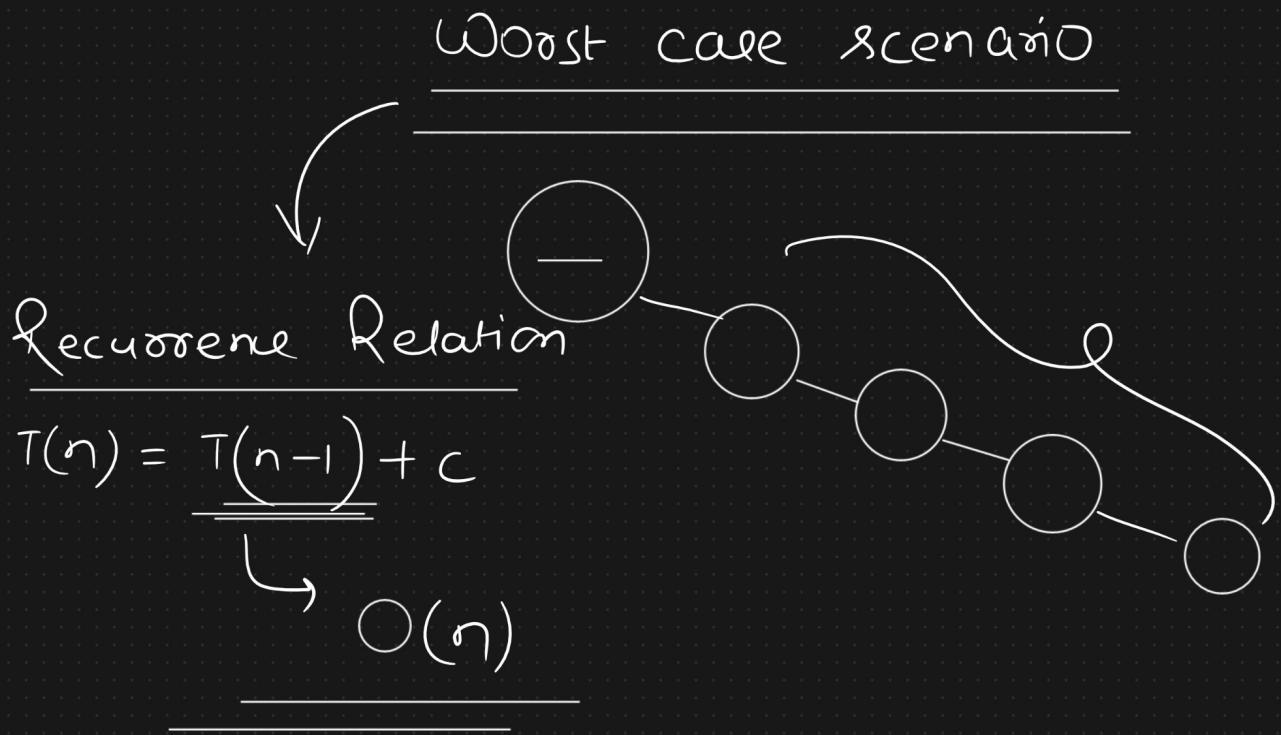
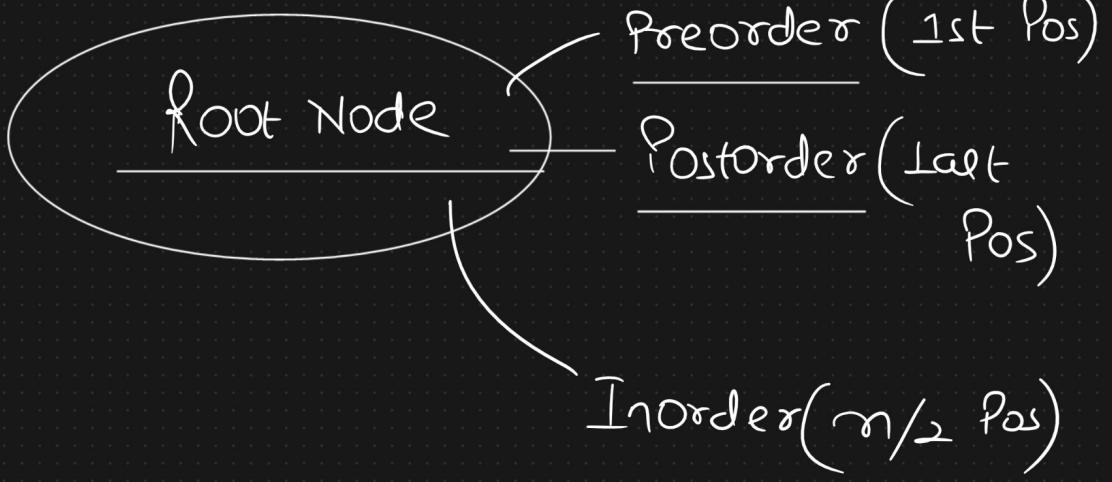


\hookrightarrow Postorder
 $(\text{node} \cdot \text{left})$
 Postorder
 $(\text{node} \cdot \text{right})$
 $\text{print}(\text{node} \cdot \text{val})$

Postorder Traversal



$47, 54, 70, 62, 75, 50$



Best/Avg case

$$T(n) = 2T\left(\frac{n}{2}\right) + c$$

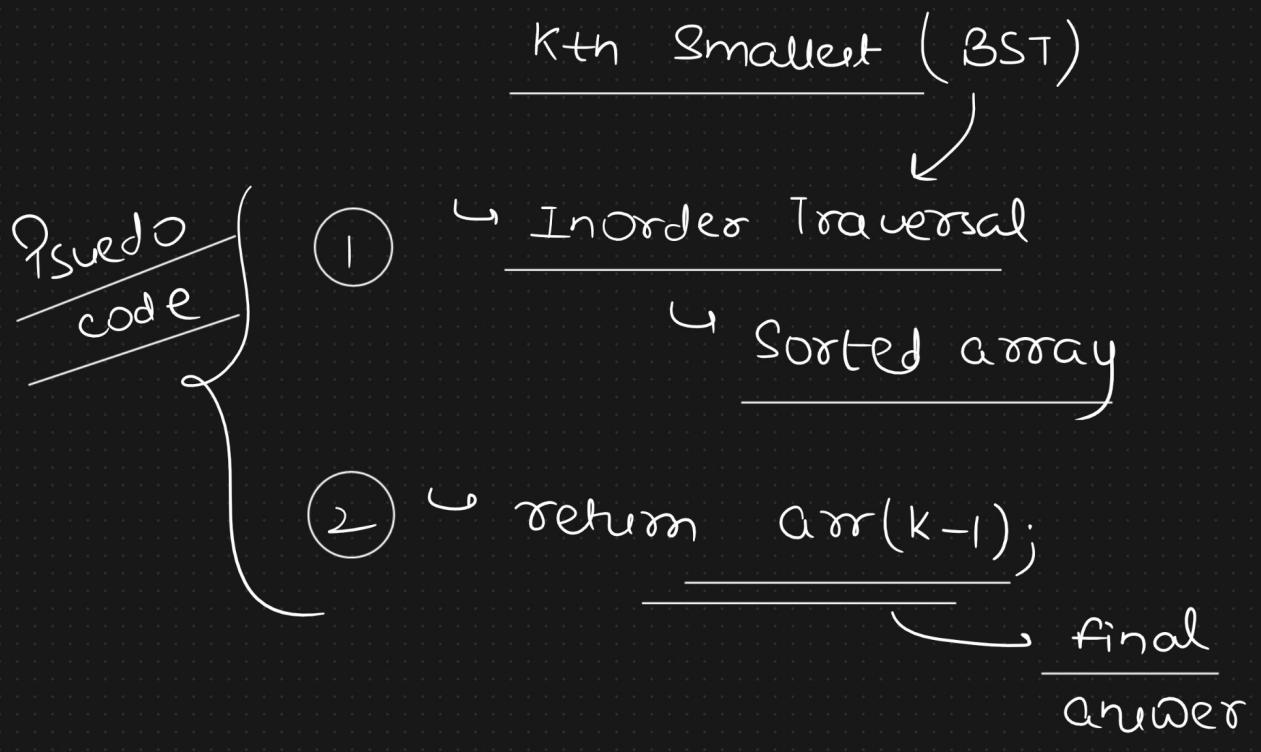
$\underbrace{\qquad\qquad\qquad}_{O(n)}$

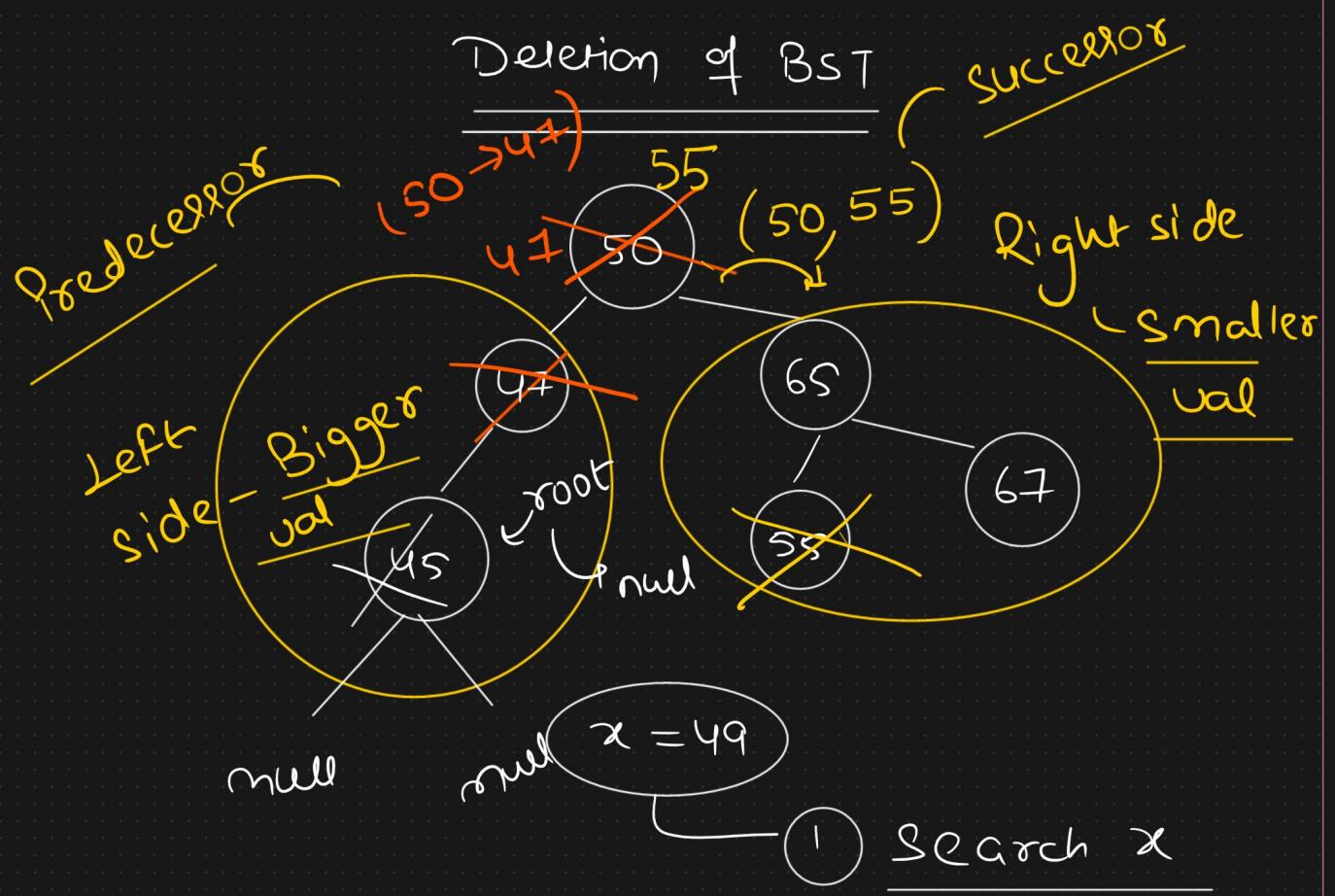
Worst case

$$T(n) = T(n-1) + c$$

$\underbrace{\qquad\qquad\qquad}_{O(n)}$

\rightarrow time complexity = $\mathcal{O}(1)$
(constant)





1 Search x

2 Calc 1

$\hookrightarrow x -$

← Leaf
Node

Align = null

$x = 50$

2 child model