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Summary

The provided content offers an extensive compilation of over 50 statistics



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50+ Statistics Interview Questions and Answers for Data Scientists for 2022

An updated resource to brush up your statistics knowledge for your interview!



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Introduction

You've probably heard me say this a million times, but a data scientist is really a modern term for a statistician and machine learning is a modern term for statistics.

questions and answers.

With that said, let's dive right into it!

Q: When should you use a t-test vs a z-test?

A **Z-test** is a hypothesis test with a normal distribution that uses a **z-statistic**. A z-test is used when you know the population variance or if you don't know the population variance but have a large sample size.

A **T-test** is a hypothesis test with a t-distribution that uses a **t-statistic**. You would use a t-test when you don't know the population variance and have a small sample size.

You can see the image below as a reference to guide which test you should use:

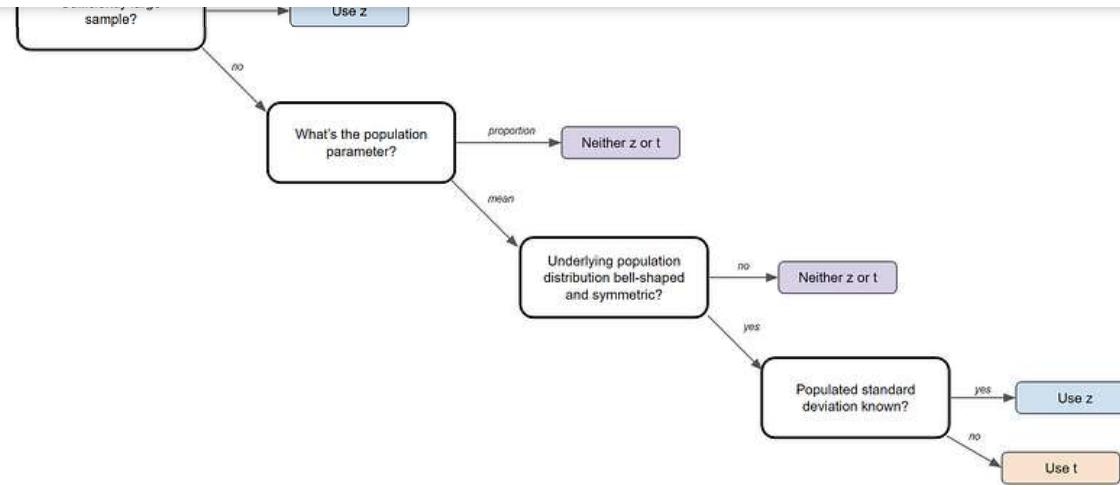


Image Created by Author

Q: How would you describe what a ‘p-value’ is to a non-technical person?

The best way to describe the p-value in simple terms is with an example. In practice, if the p-value is less than the alpha, say of 0.05, then we’re saying that there’s a probability of less than 5% that the result could have happened by chance. Similarly, a p-value of 0.05 is the same as saying “5% of the time, we would see this by chance.”

Q: What is cherry-picking, P-hacking, and significance chasing?

Cherry picking refers to the practice of only selecting data or information that supports one’s desired conclusion.

deciding mid-test to not collect anymore data.

Significance chasing refers to when a researcher reports insignificant results as if they're "almost" significant.

Q: What is the assumption of normality?

The assumption of normality is the the sampling distribution is normal and centers around the population parameter, according to the central limit theorem.

Q: What is the central limit theorem and why is it so important?

The central limit theorem is very powerful — it states that the distribution of sample means approximates a normal distribution.

To give an example, you would take a sample from a data set and calculate the mean of that sample. Once repeated multiple times, you would plot all your means and their frequencies onto a graph and see that a bell curve, also known as a normal distribution, has been created. The mean of this distribution will closely resemble that of the original data.

The central limit theorem is important because it is used in hypothesis testing and also to calculate confidence intervals.



lessons, and more!

Q: What is the empirical rule?

The empirical rule states that if a dataset is normally distributed, 68% of the data will fall within one standard deviation, 95% of the data will fall within two standard deviations, and 99.7% of the data will fall within 3 standard deviations.

Q: What general conditions must be satisfied for the central limit theorem to hold?

- The data must be sampled randomly
- The sample values must be independent of each other
- The sample size must be sufficiently large, generally it should be greater or equal than 30

Q: What is the equation for confidence intervals for means vs for proportions?

$$CI \text{ for means} : (\bar{x} \pm Z \frac{\sigma}{\sqrt{n}})$$

$$CI \text{ for proportions} : (p_{hat} \pm Z \sqrt{\frac{p_{hat}(1-p_{hat})}{n}})$$

Q: What is the difference between a combination and a permutation?

A permutation of n elements is any arrangement of those n elements in a **definite order**. There are n factorial ($n!$) ways to arrange n elements. *Note the bold: order matters! The number of permutations of n things taken r -at-a-time* is defined as the number of r -tuples that can be taken from n different elements and is equal to the following equation:

$$P_{n,r} = \frac{n!}{(n-r)!}$$

On the other hand, combinations refer to the number of ways to choose r out of n objects where **order doesn't matter**. **The number of combinations of n things taken r -at-a-time** is defined as the number of subsets with r elements of a set with n elements and is equal to the following equation:

$$C_r^n = \frac{n!}{(n-r)! r!}$$

Q: How many permutations does a license plate have with 6 digits?



(9 - 6)!

Q: How many ways can you draw 6 cards from a deck of 52 cards?

$$C_6^{52} = \frac{52!}{(52 - 6)! 6!} = 20358520$$

If you want more technical interview questions like this, you can find more here!

Q: How are confidence tests and hypothesis tests similar? How are they different?

Confidence intervals and hypothesis testing are both tools used for to make statistical inferences.

The confidence interval suggests a range of values for an unknown parameter and is then associated with a confidence level that the true parameter is within the suggested range of. Confidence intervals are often very important in medical research to provide researchers with a stronger basis for their estimations. A confidence interval can be shown as “10 +/- 0.5” or [9.5, 10.5] to give an example.

you could try to prove when rolling a dye, one number was more likely to come up than the rest.

Q: What is the difference between observational and experimental data?

Observational data comes from observational studies which are when you observe certain variables and try to determine if there is any correlation.

Experimental data comes from experimental studies which are when you control certain variables and hold them constant to determine if there is any causality.

An example of experimental design is the following: split a group up into two. The control group lives their lives normally. The test group is told to drink a glass of wine every night for 30 days. Then research can be conducted to see how wine affects sleep.

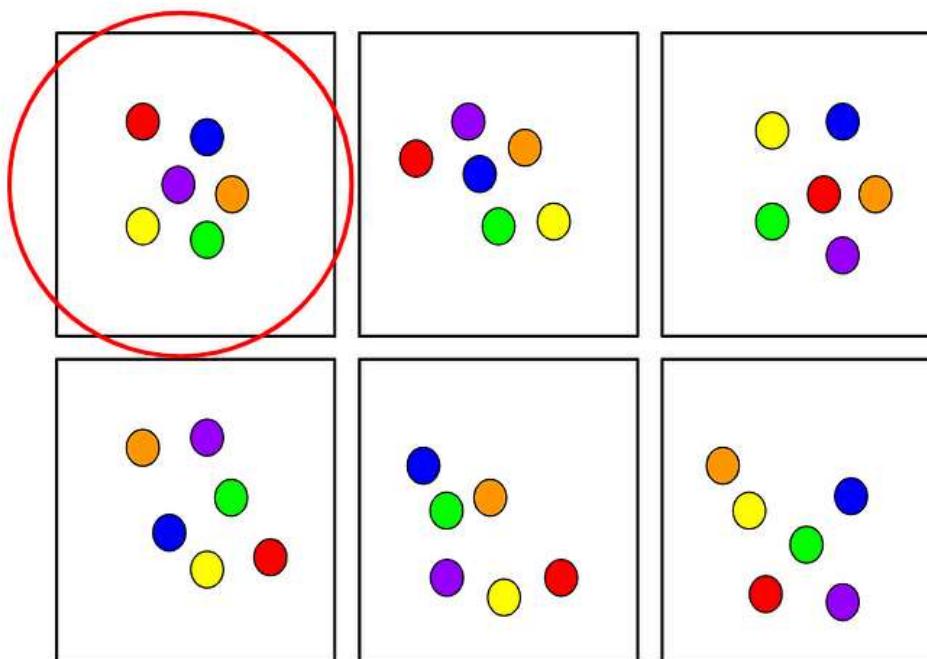
Q: Give some examples of some random sampling techniques

Simple random sampling requires using randomly generated numbers to choose a sample. More specifically, it initially requires a **sampling frame**, a list or database of all members of a population. You can then randomly generate a number for each element, using Excel for example, and take the first n samples that you require.

next element. Going back to our example, you could take every fourth name on the list.

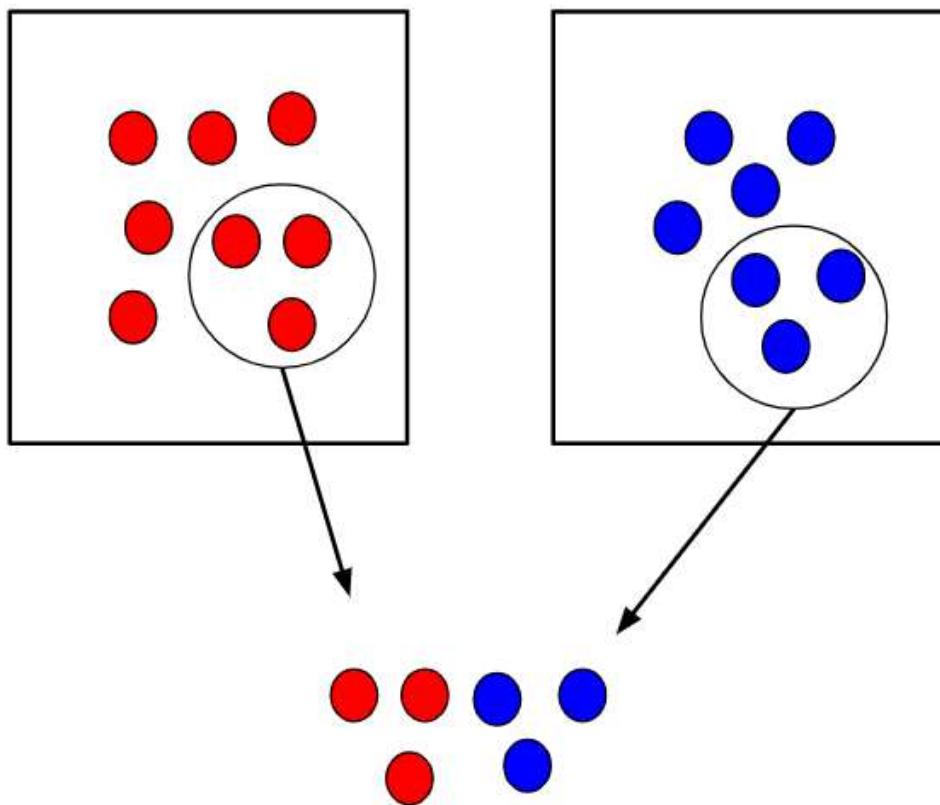
Cluster sampling starts by dividing a population into groups, or **clusters**.

What makes this different than stratified sampling is that each cluster must be representative of the population. Then, you randomly select entire clusters to sample. For example, if an elementary school had five different grade eight classes, cluster random sampling might be used and only one class would be chosen as a sample, for example.



Example of cluster sampling

group. This method is used to ensure that different segments in a population are equally represented. To give an example, imagine a survey is conducted at a school to determine overall satisfaction. It might make sense here to use stratified random sampling to equally represent the opinions of students in each department.



Example of stratified random sampling



A **type 1 error** is when you incorrectly reject a true null hypothesis. It's also called a false positive.

A **type 2 error** is when you don't reject a false null hypothesis. It's also called a false negative.

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Q: What is the power of a test? What are two ways to increase the power of a test?

The power of a test is the probability of rejecting the null hypothesis when it's false. It's also equal to 1 minus the beta.

To increase the power of the test, you can do two things:

- You can increase alpha, but it also increases the chance of a type 1 error
- Increase the sample size, n. This maintains the type 1 error but reduces type 2.

Q: What is the Law of Large Numbers?

Eg. flipping heads from fair coin 100,000 times should be closer to 0.5 than 100 times.

Q: What is the Pareto principle?

The Pareto principle, also known as the 80/20 rule states that 80% of the effects come from 20% of the causes. Eg. 80% of sales come from 20% of customers.

Q: What is a confounding variable?

A confounding variable, or a confounder, is a variable that influences both the dependent variable and the independent variable, causing a spurious association, a mathematical relationship in which two or more variables are associated but not causally related.

Q: What are the assumptions required for linear regression?

There are four major assumptions:

- There is a linear relationship between the dependent variables and the regressors, meaning the model you are creating actually fits the data
- The errors or residuals of the data are normally distributed and independent from each other

- Homoscedasticity. This means the variance around the regression line is the same for all values of the predictor variable.

Q: What does it mean if a model is heteroscedastic? what about homoscedastic?

A model is heteroscedastic when the variance in errors is **not** consistent.

Conversely, a model is homoscedastic when the variances in errors is consistent.

Q: What does interpolation and extrapolation mean? Which is generally more accurate?

Interpolation is a prediction made using inputs that lie within the set of observed values. Extrapolation is when a prediction is made using an input that's outside the set of observed values.

Generally, interpolations are more accurate.

Q: Explain selection bias (with regard to a dataset, not variable selection). Why is it important? How can data management procedures such as missing data handling make it worse?

Selection bias is the phenomenon of selecting individuals, groups or data for analysis in such a way that proper randomization is not achieved, ultimately resulting in a sample that is not representative of the population.

population group.

Types of selection bias include:

- **Sampling bias:** a biased sample caused by non-random sampling
- **Time interval:** selecting a specific time frame that supports the desired conclusion. e.g. conducting a sales analysis near Christmas.
- **Exposure:** includes clinical susceptibility bias, protopathic bias, indication bias. *Read more here.*
- **Data:** includes cherry-picking, suppressing evidence, and the fallacy of incomplete evidence.
- **Attrition:** attrition bias is similar to survivorship bias, where only those that ‘survived’ a long process are included in an analysis, or failure bias, where those that ‘failed’ are only included
- **Observer selection:** related to the Anthropic principle, which is a philosophical consideration that any data we collect about the universe is filtered by the fact that, in order for it to be observable, it must be compatible with the conscious and sapient life that observes it.

Handling missing data can make selection bias worse because different methods impact the data in different ways. For example, if you replace null values with the mean of the data, you’re adding bias in the sense that you’re assuming that the data is not as spread out as it might actually be.

Mean imputation is the practice of replacing null values in a data set with the mean of the data.

Mean imputation is generally bad practice because it doesn't take into account feature correlation. For example, imagine we have a table showing age and fitness score and imagine that an eighty-year-old has a missing fitness score. If we took the average fitness score from an age range of 15 to 80, then the eighty-year-old will appear to have a much higher fitness score than he actually should.

Second, mean imputation reduces the variance of the data and increases bias in our data. This leads to a less accurate model and a narrower confidence interval due to a smaller variance.

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Q: What does autocorrelation mean?

Autocorrelation is when future outcomes depend on previous outcomes. When there is autocorrelation, the errors show a sequential pattern and the model is less accurate.

Potential biases include the following:

- **Sampling bias:** a biased sample caused by non-random sampling
- **Under coverage bias:** sampling too few observations
- **Survivorship bias:** error of overlooking observations that did not make it past a form of selection process.

Q: How do you assess the statistical significance of an insight?

You would perform hypothesis testing to determine statistical significance.

First, you would state the null hypothesis and alternative hypothesis.

Second, you would calculate the p-value, the probability of obtaining the observed results of a test assuming that the null hypothesis is true.

Last, you would set the level of the significance (alpha) and if the p-value is less than the alpha, you would reject the null — in other words, the result is statistically significant.

Q: Explain what a long-tailed distribution is and provide three examples of relevant phenomena that have long tails. Why are they important in classification and regression problems?



Example of a long tail distribution

A **long-tailed distribution** is a type of heavy-tailed distribution that has a tail (or tails) that drop off gradually and asymptotically.

3 practical examples include the power law, the Pareto principle (more commonly known as the 80–20 rule), and product sales (i.e. best selling products vs others).

It's important to be mindful of long-tailed distributions in classification and regression problems because the least frequently occurring values make up the majority of the population. This can ultimately change the way that you deal with outliers, and it also conflicts with some machine learning techniques with the assumption that the data is normally distributed.

what an inlier is and how you might screen for them and what would you do if you found them in your dataset.

An **outlier** is a data point that differs significantly from other observations.

Depending on the cause of the outlier, they can be bad from a machine learning perspective because they can worsen the accuracy of a model. If the outlier is caused by a measurement error, it's important to remove them from the dataset. There are a couple of ways to identify outliers:

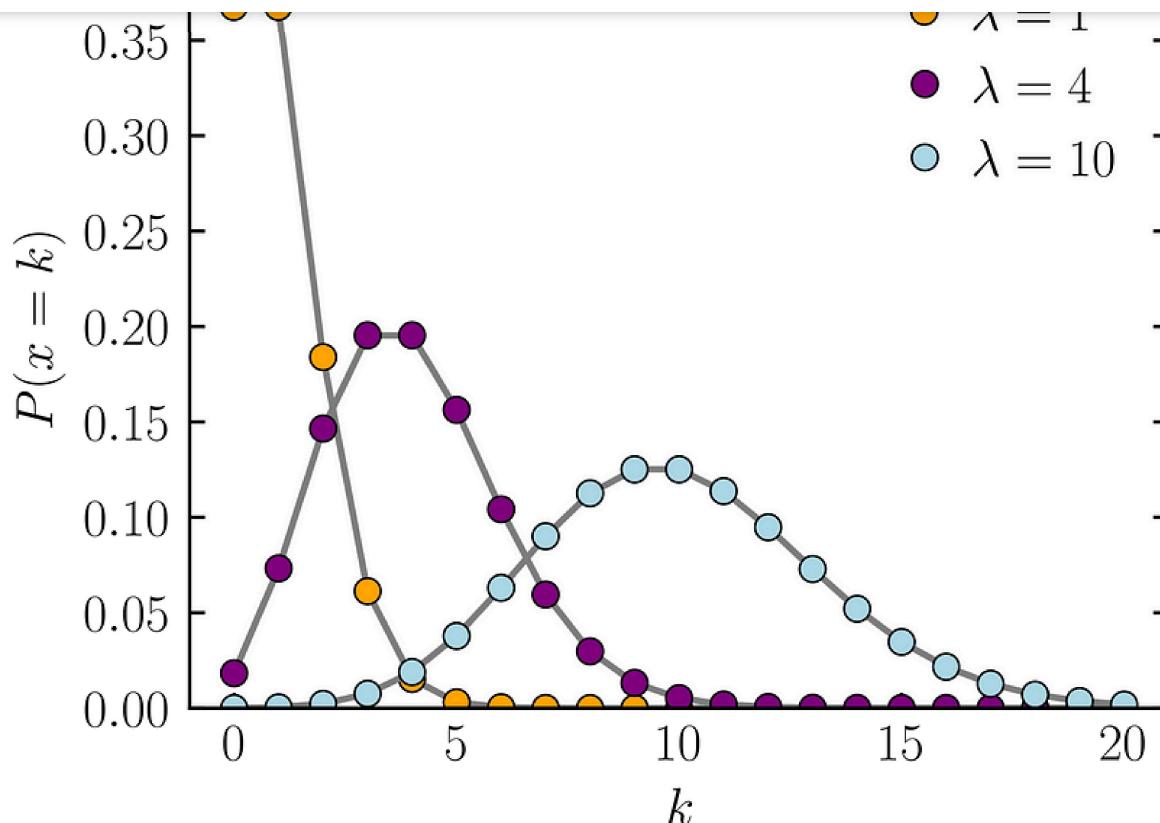
Z-score/standard deviations: if we know that 99.7% of data in a data set lie within three standard deviations, then we can calculate the size of one standard deviation, multiply it by 3, and identify the data points that are outside of this range. Likewise, we can calculate the z-score of a given point, and if it's equal to $+/- 3$, then it's an outlier. Note: that there are a few contingencies that need to be considered when using this method; the data must be normally distributed, this is not applicable for small data sets, and the presence of too many outliers can throw off z-score

Interquartile Range (IQR): IQR, the concept used to build boxplots, can also be used to identify outliers. The IQR is equal to the difference between the 3rd quartile and the 1st quartile. You can then identify if a point is an outlier if it is less than $Q1 - 1.5 * IQR$ or greater than $Q3 + 1.5 * IQR$. This comes to approximately 2.698 standard deviations.

Q: What is an inlier?

An **inlier** is a data observation that lies within the rest of the dataset and is unusual or an error. Since it lies in the dataset, it is typically harder to identify than an outlier and requires external data to identify them. Should you identify any inliers, you can simply remove them from the dataset to address them.

Q: What does the Poisson distribution represent?



[Image taken from Wikimedia](#)

The Poisson distribution is a discrete distribution that gives the probability of the number of independent events occurring in a fixed time. An example of when you would use this is if you want to determine the likelihood of X patients coming into a hospital in a given hour.

The mean and variance are both equal to λ .

Q: What does Design of Experiments mean?

conditions that are hypothesized to reflect the variable. In essence, an experiment aims to predict an outcome based on a change in one or more inputs (independent variables).

Q: You are compiling a report for user content uploaded every month and notice a spike in uploads in October. In particular, a spike in picture uploads. What might you think is the cause of this, and how would you test it?

There are a number of potential reasons for a spike in photo uploads:

- A new feature may have been implemented in October which involves uploading photos and gained a lot of traction by users. For example, a feature that gives the ability to create photo albums.
- Similarly, it's possible that the process of uploading photos before was not intuitive and was improved in the month of October.
- There may have been a viral social media movement that involved uploading photos that lasted for all of October. Eg. Movember but something more scalable.
- It's possible that the spike is due to people posting pictures of themselves in costumes for Halloween.

The method of testing depends on the cause of the spike, but you would conduct hypothesis testing to determine if the inferred cause is the actual cause.

1787 person-days at risk. Give the p-value of the correct one-sided test of whether the hospital is below the standard.

Since we looking at the number of events (# of infections) occurring within a given timeframe, this is a Poisson distribution question.

$$P(k \text{ events in interval}) = \frac{\lambda^k e^{-\lambda}}{k!}$$

The probability of observing k events in an interval

Null (H₀): 1 infection per person-days Alternative (H₁): >1 infection per person-days

k (actual) = 10 infections lambda (theoretical) = (1/100)*1787 p = 0.032372 or 3.2372%

Since p-value < alpha (assuming 5% level of significance), we reject the null and conclude that the hospital is below the standard.

Q: You roll a biased coin (p(head)=0.8) five times. What's the probability of getting three or more heads?

Use the General Binomial Probability formula to answer this question:

$$\frac{P(X=k)}{k!(n-k)!} = \frac{P(X=k)}{P(X \leq k)}$$

General Binomial Probability Formula

$$p = 0.8 \ n = 5 \ k = 3,4,5$$

$$P(3 \text{ or more heads}) = P(3 \text{ heads}) + P(4 \text{ heads}) + P(5 \text{ heads}) = \mathbf{0.94 \text{ or } 94\%}$$

Q: A random variable X is normal with mean 1020 and a standard deviation 50. Calculate P(X>1200)

Using Excel... $p = \text{norm.dist}(1200, 1020, 50, \text{true})$ **p= 0.000159**

Q: Consider the number of people that show up at a bus station is Poisson with mean 2.5/h. What is the probability that at most three people show up in a four hour period?

$$x = 3 \text{ mean} = 2.5^*4 = 10$$

using Excel...

$p = \text{poisson.dist}(3, 10, \text{true})$ **p = 0.010336**

Q: An HIV test has a sensitivity of 99.7% and a specificity of 98.5%. A subject from a population of prevalence 0.1% receives a positive test result. What is the precision of the test (i.e the probability he is HIV positive)?

Equation for Precision (PV)

Precision = Positive Predictive Value = PV PV =
 $(0.001*0.997)/[(0.001*0.997)+((1-0.001)*(1-0.985))]$ PV = 0.0624 or
6.24%

See more about this equation [here](#).

Q: You are running for office and your pollster polled hundred people. Sixty of them claimed they will vote for you. Can you relax?

- Assume that there's only you and one other opponent.
- Also, assume that we want a 95% confidence interval. This gives us a z-score of 1.96.

$$\hat{p} \pm z^* \sqrt{\frac{\hat{p}(1 - \hat{p})}{n}}$$

Confidence interval formula

$\hat{p} = 60/100 = 0.6$ $z^* = 1.96$ $n = 100$ This gives us a confidence interval of [50.4, 69.6]. Therefore, given a confidence interval of 95%, if you are okay with the worst scenario of tying then you can relax. Otherwise, you cannot relax until you got 61 out of 100 to claim yes.

- Since this is a Poisson distribution question, mean = lambda = variance, which also means that standard deviation = square root of the mean
- a 95% confidence interval implies a z score of 1.96
- one standard deviation = $\sqrt{115} = 10.724$

Therefore the confidence interval = $115 \pm 21.45 = [93.55, 136.45]$. Since 99 is within this confidence interval, we can assume that this change is not very noteworthy.

Q: Consider influenza epidemics for two-parent heterosexual families. Suppose that the probability is 17% that at least one of the parents has contracted the disease. The probability that the father has contracted influenza is 12% while the probability that both the mother and father have contracted the disease is 6%. What is the probability that the mother has contracted influenza?

Using the General Addition Rule in probability: $P(\text{mother or father}) = P(\text{mother}) + P(\text{father}) - P(\text{mother and father})$

$$P(\text{mother}) = P(\text{mother or father}) - P(\text{father})$$
$$P(\text{mother}) = 0.17 + 0.06 - 0.12$$
$$P(\text{mother}) = 0.11$$

Q: Suppose that diastolic blood pressures (DBPs) for men aged 35–44 are normally distributed with a mean of 80 (mm Hg) and a standard deviation of 10. About what is the probability that a random 35–44 year old has a DBP less than 70?

$$= 2.3 + 13.6 = 15.9\%$$

Q: In a population of interest, a sample of 9 men yielded a sample average brain volume of 1,100cc and a standard deviation of 30cc. What is a 95% Student's T confidence interval for the mean brain volume in this new population?

$$\bar{X} \pm t \frac{s}{\sqrt{n}}$$

Confidence interval for sample

Given a confidence level of 95% and degrees of freedom equal to 8, the t-score = 2.306

$$\text{Confidence interval} = 1100 \pm 2.306 * (30/3) \quad \text{Confidence interval} = [1076.94, 1123.06]$$

Q: A diet pill is given to 9 subjects over six weeks. The average difference in weight (follow up — baseline) is -2 pounds. What would the standard deviation of the difference in weight have to be for the upper endpoint of the 95% T confidence interval to touch 0?

$$\begin{aligned} \text{Upper bound} &= \text{mean} + \text{t-score} * (\text{standard deviation}/\sqrt{\text{sample size}}) \\ &= -2 + 2.306 * (s/3) \\ 2 &= 2.306 * s / 3 \\ s &= 2.601903 \end{aligned}$$

Therefore the standard deviation

Q: In a study of emergency room waiting times, investigators consider a new and the standard triage systems. To test the systems, administrators selected 20 nights and randomly assigned the new triage system to be used on 10 nights and the standard system on the remaining 10 nights. They calculated the nightly median waiting time (MWT) to see a physician. The average MWT for the new system was 3 hours with a variance of 0.60 while the average MWT for the old system was 5 hours with a variance of 0.68. Consider the 95% confidence interval estimate for the differences of the mean MWT associated with the new system. Assume a constant variance. What is the interval? Subtract in this order (New System — Old System).

[See here for full tutorial on finding the Confidence Interval for Two Independent Samples.](#)

$$(\bar{x}_1 - \bar{x}_2) \pm t S_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}$$

Use the t-table with degrees of freedom = n_1+n_2-2

Confidence Interval = mean \pm t-score * standard error (see above)

mean = new mean — old mean = 3—5 = -2

t-score = 2.101 given df=18 (20—2) and confidence interval of 95%

$$S_p = \sqrt{\frac{(n_1-1)s_1^2 + (n_2-1)s_2^2}{n_1+n_2-2}}$$

standard error = $\text{sqrt}((0.62^2 * 9 + 0.682^2 * 9) / (10 + 10 - 2)) * \text{sqrt}(1/10 + 1/10)$
standard error = 0.352

confidence interval = [-2.75, -1.25]

Q: To further test the hospital triage system, administrators selected 200 nights and randomly assigned a new triage system to be used on 100 nights and a standard system on the remaining 100 nights. They calculated the nightly median waiting time (MWT) to see a physician. The average MWT for the new system was 4 hours with a standard deviation of 0.5 hours while the average MWT for the old system was 6 hours with a standard deviation of 2 hours. Consider the hypothesis of a decrease in the mean MWT associated with the new treatment. What does the 95% independent group confidence interval with unequal variances suggest vis a vis this hypothesis? (Because there's so many observations per group, just use the Z quantile instead of the T.)

Assuming we subtract in this order (New System — Old System):

$$(\bar{x}_1 - \bar{x}_2) \pm z S_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}$$

Use Z table for standard normal distribution



mean = new mean — old mean = 4–6 = -2

z-score = 1.96 confidence interval of 95%

$$SE(\bar{x}_1 - \bar{x}_2) = S_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}$$

$$S_p = \sqrt{\frac{(n_1-1)s_1^2 + (n_2-1)s_2^2}{n_1+n_2-2}}$$

st. error = $\sqrt{(0.5^2*99+2^2*99)/(100+100-2)} * \sqrt{1/100+1/100}$

standard error = 0.205061 lower bound = $-2 - 1.96 * 0.205061 = -2.40192$

upper bound = $-2 + 1.96 * 0.205061 = -1.59808$

confidence interval = [-2.40192, -1.59808]

Q: There's one box — has 12 black and 12 red cards, 2nd box has 24 black and 24 red; if you want to draw 2 cards at random from one of the 2 boxes, which box has the higher probability of getting the same color? Can you tell intuitively why the 2nd box has a higher probability

The box with 24 red cards and 24 black cards has a higher probability of getting two cards of the same color. Let's walk through each step.

This means that in the deck with 12 reds and 12 blacks, there's now 11 reds and 12 blacks. Therefore your odds of drawing another red are equal to $11/(11+12)$ or $11/23$.

In the deck with 24 reds and 24 blacks, there would then be 23 reds and 24 blacks. Therefore your odds of drawing another red are equal to $23/(23+24)$ or $23/47$.

Since $23/47 > 11/23$, the second deck with more cards has a higher probability of getting the same two cards.

Q: Give an example where the median is a better measure than the mean

When there are a number of outliers that positively or negatively skew the data.

Q: Given two fair dices, what is the probability of getting scores that sum to 4? to 8?

There are 4 combinations of rolling a 4 (1+3, 3+1, 2+2): $P(\text{rolling a 4}) = 3/36 = 1/12$

There are combinations of rolling an 8 (2+6, 6+2, 3+5, 5+3, 4+4): $P(\text{rolling an 8}) = 5/36$

If the given distribution is a right-skewed distribution, then the mean should be greater than 30, while the mode remains to be less than 30.

Q: You're about to get on a plane to Seattle. You want to know if you should bring an umbrella. You call 3 random friends of yours who live there and ask each independently if it's raining. Each of your friends has a 2/3 chance of telling you the truth and a 1/3 chance of messing with you by lying. All 3 friends tell you that "Yes" it is raining. What is the probability that it's actually raining in Seattle?

You can tell that this question is related to Bayesian theory because of the last statement which essentially follows the structure, "What is the probability A is true **given** B is true?" Therefore we need to know the probability of it raining in London on a given day. Let's assume it's 25%.

$P(A) = \text{probability of it raining} = 25\%$ $P(B) = \text{probability of all 3 friends say that it's raining}$ $P(A|B) = \text{probability that it's raining given they're telling that it is raining}$ $P(B|A) = \text{probability that all 3 friends say that it's raining given it's raining} = (2/3)^3 = 8/27$

Step 1: Solve for P(B) $P(A|B) = P(B|A) * P(A) / P(B)$, can be rewritten as $P(B) = P(B|A) * P(A) + P(B|\text{not } A) * P(\text{not } A)$ $P(B) = (2/3)^3 * 0.25 + (1/3)^3 * 0.75 = 0.25 * 8/27 + 0.75 * 1/27$



Therefore, if all three friends say that it's raining, then there's an 8/11 chance that it's actually raining.

If you want more data science interview questions and answers to prep with, you can find more [here!](#)

Thanks for Reading!

If you made it to the end, congrats! I hope you found this useful in refreshing and patching up your statistics knowledge. I know there's a lot to remember, but the more often you use it, the less likely you'll lose it.

As always, I wish you the best in your data science endeavors. If you liked this article, I'd appreciate it if you gave me a follow! :)

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