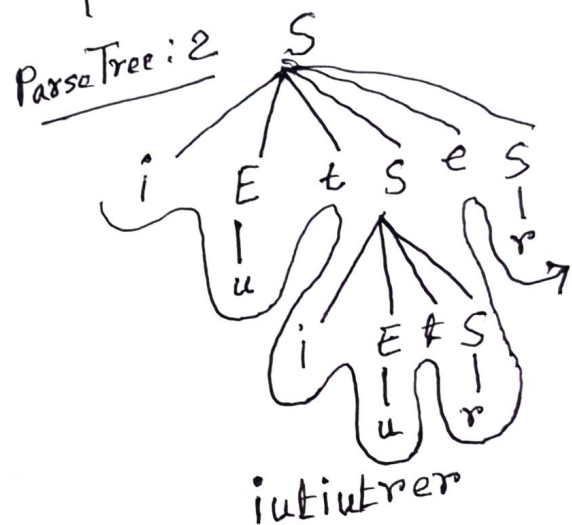
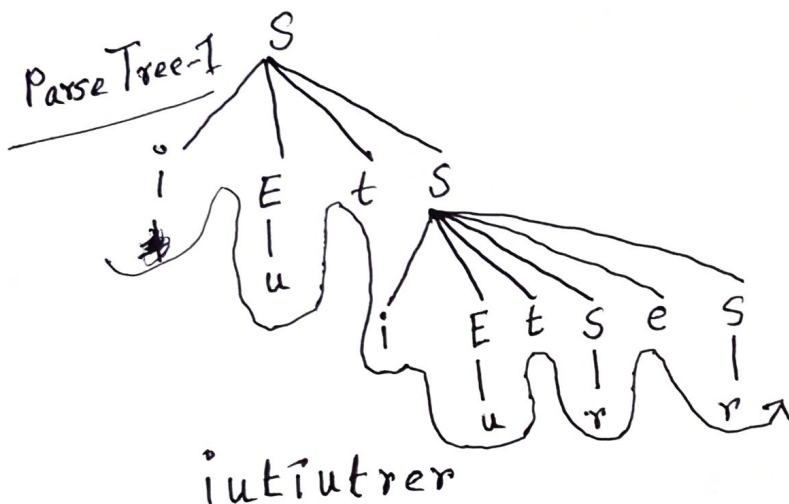


1. a) G1:

$S \rightarrow iEtS$
 $S \rightarrow iEtSeS$
 $S \rightarrow r$
 $E \rightarrow (E)$
 $E \rightarrow \text{true } u$
 $E \rightarrow \text{false } f$

String: iutiutrer

Statement: S
 Expression: E
 if: i
 then: t
 return: r
 else: e
 true: u
 false: f



There are two parse trees for the same string "iutiutrer".
Therefore, Grammar G1 is ambiguous.

b) Re-locatable machine code: A hypothetical machine code with logical addressing.

Absolute machine code: A real machine code or byte code with physical addressing.

Example:

MOV a, R1
 ADD #2, R1
 MOV R1, b

Assembly code

0001	01	00	00000000*
0011	01	10	00000010
0010	01	00	00000100*

Re-locatable machine code

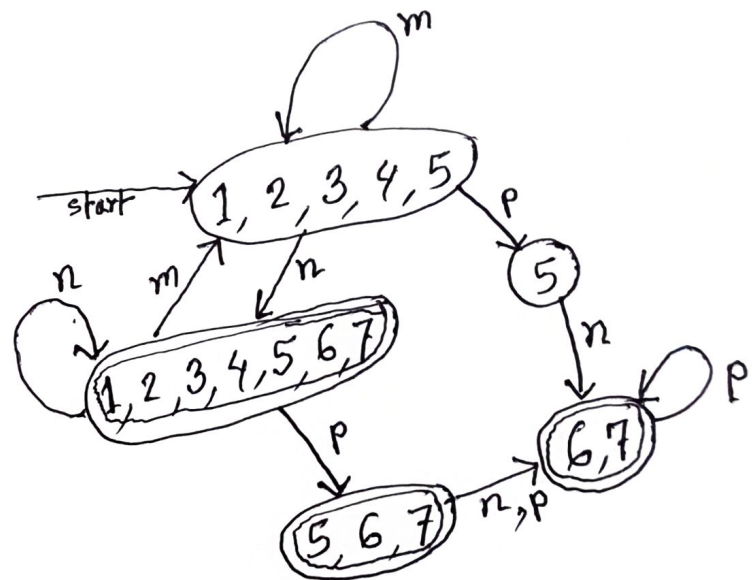
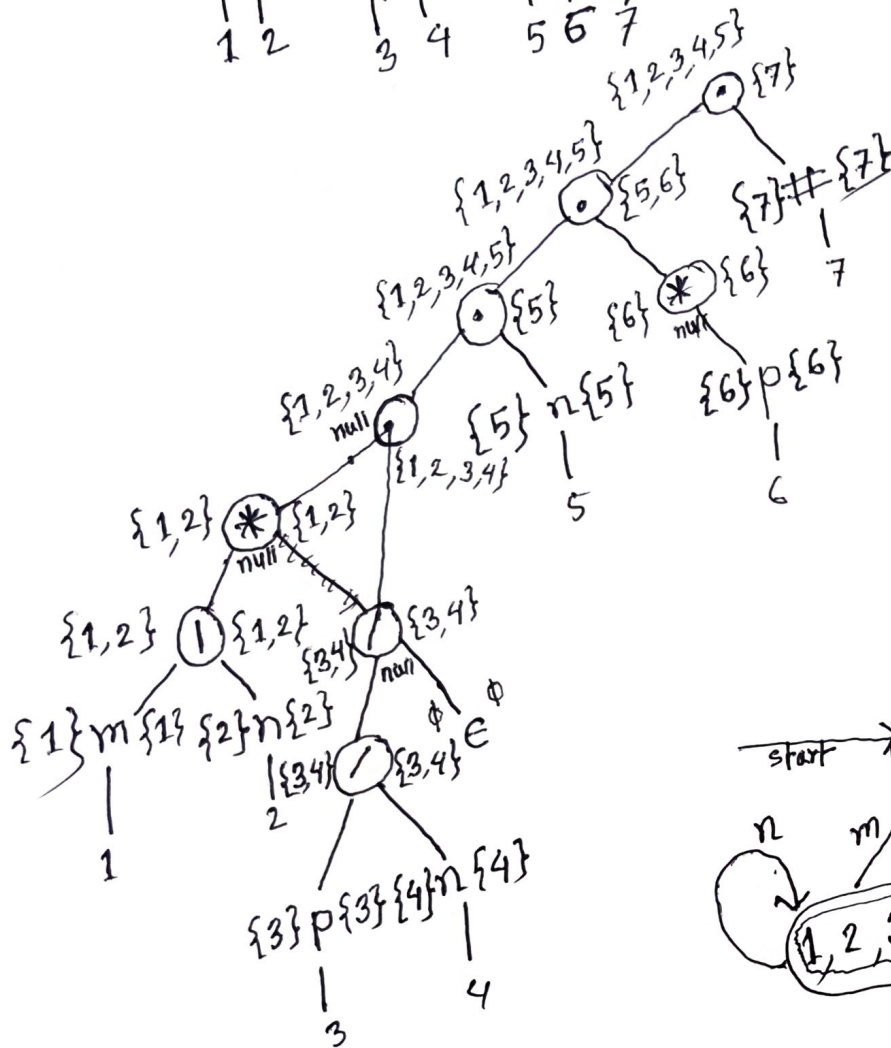
considering address of
'a' and 'b' are '0'
and '4' respectively.

0001	01	00	00001111
0011	01	10	00000010
0010	01	00	00010011

Absolute machine code
considering offset
value b = 00001111

2. RE: $(m|n)^* (p|n|\epsilon) n p^*$

ARE: $(m|n)^* \cdot (p|n|\epsilon) \cdot n \cdot p^* \cdot \#$



DFA

Symbol	Position Number	Followpos
m	1	1, 2, 3, 4, 5
n	2	1, 2, 3, 4, 5
p	3	5
n	4	5
n	5	6, 7
p	6	6, 7
#	7	—

3.(a)

G2:

$D \rightarrow TL$
 $T \rightarrow \text{int} \mid \text{float}$
 $L \rightarrow \text{id}, L \mid \epsilon$

\Downarrow

$D \rightarrow TL$
 $T \rightarrow \text{int} \mid \text{float}$
 $L \rightarrow \text{id} L'$
 $L' \rightarrow , L \mid \epsilon$

Left Factored Grammar

Declaration : D
 Type : T
 VariableList : L
 identifier : id

(b)

	FIRST	FOLLOW
$D \rightarrow TL$	{int, float}	{ $\$$ }
$T \rightarrow \text{int} \mid \text{float}$	{int, float}	{id}
$L \rightarrow \text{id} L'$	{id}	{ $\$$ }
$L' \rightarrow , L \mid \epsilon$	{, , ϵ }	{ $\$$ }

(c)

	int	float	id	,	$\$$
D	$D \rightarrow TL$	$D \rightarrow TL$			
T	$T \rightarrow \text{int}$	$T \rightarrow \text{float}$			
L			$L \rightarrow \text{id} L'$		
L'				$L' \rightarrow , L$	$L' \rightarrow \epsilon$

LL(1) parse tree

$F_1(D) = F_1(TL)$
 $= F_1(T)$
 $= \{\text{int}, \text{float}\}$
 $F_1(T) = \{\text{int}, \text{float}\}$
 $F_1(L) = F_1(\text{id} L')$
 $= \{\text{id}\}$
 $F_1(L') = \{, , \epsilon\}$
 $F_0(D) = \{\$ \}$
 $F_0(T) = F_1(L) = \{\text{id}\}$
 $F_0(L) = F_0(D) \cup F_0(L')$
 $= \{\$ \} \cup \{\text{id}\}$
 $= \{\$, \text{id}\}$
 $F_0(L') = F_0(L)$
 $= \{\$ \}$

(d)

stack	input	Output
$\$D$	int id, id, id \$	
$\$LT$	int id, id, id \$	$D \rightarrow TL$
$\$L \text{int}$	int id, id, id \$	$T \rightarrow \text{int}$
$\$L$	id, id, id \$	Drop int
$\$L' \text{id}$	id, id, id \$	$L \rightarrow \text{id} L'$
$\$L'$, id, id \$	Drop id
$\$L,$, id, id \$	$L' \rightarrow , L$
$\$L$	id, id \$	Drop ,

stack	input	Output
$\$L' \text{id}$	id, id \$	$L \rightarrow \text{id} L'$
$\$L'$, id \$	Drop id
$\$L,$, id \$	$L' \rightarrow , L$
$\$L$	id \$	Drop ,
$\$L' \text{id}$	id \$	$L \rightarrow \text{id} L'$
$\$L'$	\$	Drop id
$\$$	\$	$L' \rightarrow \epsilon$
		Accept