

Kalibrot Tutorial



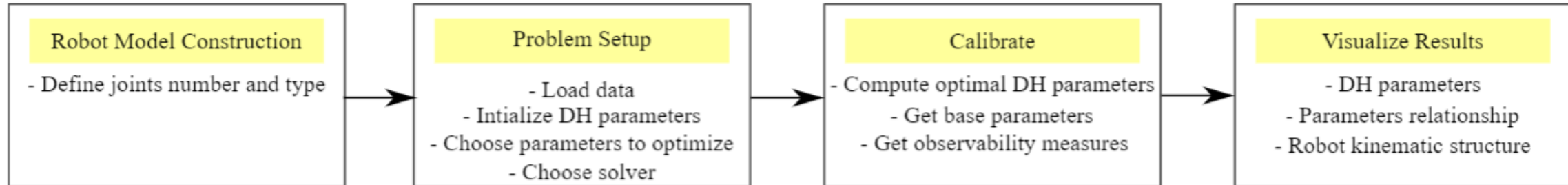
Kalibrot is an **open-source Matlab package** for **robot kinematic calibration**.

- At the moment, Kalibrot focuses only on **estimation of DH parameters** of any robotic structure.
- It provides **two solvers** for the calibration:
 - *Pinv* solver, for traditional calibration based on jacobian pseudoinversion
 - *QP* solver, for calibration with additional bounds on the DH parameters
- It is based on a **fast iterative process** to compute **analytically** the derivatives of the calibration cost function.
- Provides useful **information about the identifiability** of the parameters and the **accuracy of their estimation**.
- **Allows for visualization** of the calibration results and of the calibrated robot kinematic structure.

Kalibrot Framework



Kalibrot consists of a **simple workflow** to facilitate the process of robot calibration.



Kalibrot Code Setup 1/2

Setup robot object

```
function Kalibrot_Calibration
%% Robot model
T_init = eye(4,4);
n_joints = 6;
types = 'rrprrr';

Robot = RobotKinematics(n_joints, types, T_init,[]);
```

Load collected data

```
%% Load measurements
load 'P_m_stanford_3'
load 'Q_stanford_3'

%number of measurements
m = length(P_m);
```

Set DH parameters
bounds (min and max)

```
%% Intializations
% DH param limits for each link. 1 = min
% in R^nx4 [d1 thetal a1 alpha1];...[dn thetan an alphan]
Limits(1:n_joints,1:4,1) = ...
[0.7 -pi/2 0 -pi/2;
1.3 -pi 0 -pi/2;
-0.1 -pi/2 -0.1 -pi/2;
0.3 -pi/2 0 -pi/2;
-0.1 -pi/2 -0.1 -pi/2;
0.05 -pi/2 0 -pi/2];

Limits(1:n_joints,1:4,2) = ...
[1.2 pi/2 0.1 pi/2;
1.7 pi 0.5 pi/2;
0.1 pi/2 0.1 pi/2;
0.7 pi/2 0.1 pi/2;
0.1 pi/2 1 pi/2;
0.3 pi/2 0.1 pi/2];
```

Intial DH parameters
guess

```
% initial estimates
%d,theta,a,alpha
DH = ...
[0.9 -pi/2 0.1 -pi/2;
1.35 pi 0.05 -pi/2;
0 0 0 0;
0.3 -pi/2 0.05 pi/2;
0 -pi/2 0.7 -pi/2;
0.05 0 0 0];
```

Class for **kinematics computation**.
It also allows to compute the cost **function derivatives**



Parameters
selection matrix (0 or 1)

```
%parameters selection. 0 = no optimize, 1 = optimize
w_p = [1 1 1 1;
       1 1 1 1;
       1 1 1 1;
       1 1 1 1;
       1 1 1 1;
       1 1 1 1];
```

Choose what **parameters**
to optimize for.

Cartesian components and
weight matrix

```
%motion directions: x,y,z,qx,qy,qz,qw
dim = [1,2,3,4,5,6,7];
%weight matrix for motion direction
W = [1*ones(length(1),m);
     1*ones(length(1),m);
     1*ones(length(1),m);
     1*ones(length(1),m);
     1*ones(length(1),m);
     1*ones(length(1),m);
     1*ones(length(1),m)];
P_m = P_m(dim,:);
```

Choose what **components**
to utilize and what weight
to assign to each one.

Set options for solvers
and visualization

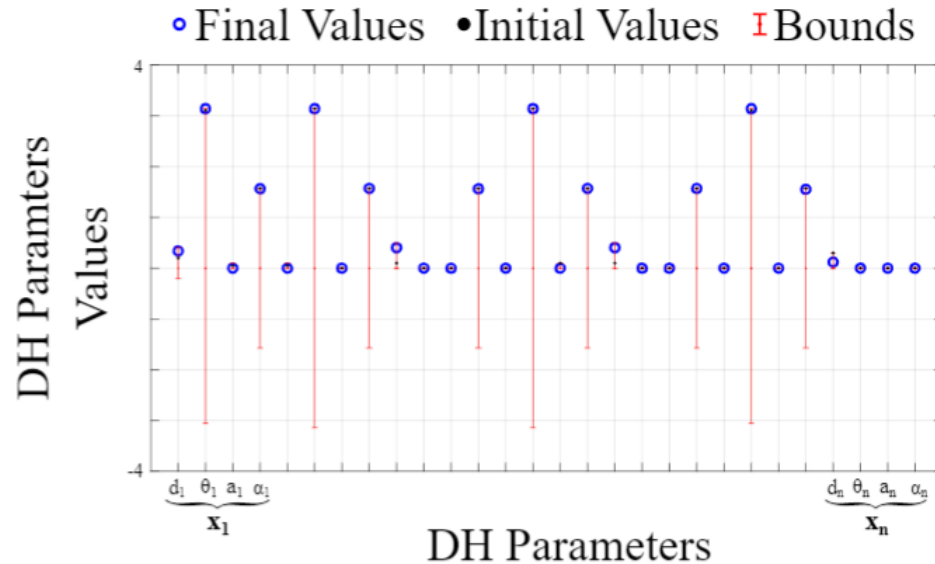
```
%Solver setup
options.solver = "pinv";
options.damping = 1e-03;
options.Visualize{1} = true;
options.Visualize{2} = [0,0,1,0,0,0]';
```

Solve calibration problem

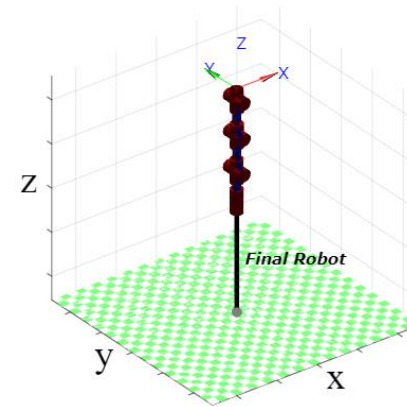
```
[DH_params_pinv,P_pinv,W_pinv,Info_pinv] = Calibrate(Robot,dim,P_m,Q,DH,W,w_p,Limits,options);
```

If the visualization layer is enabled, Kalibrot plots:

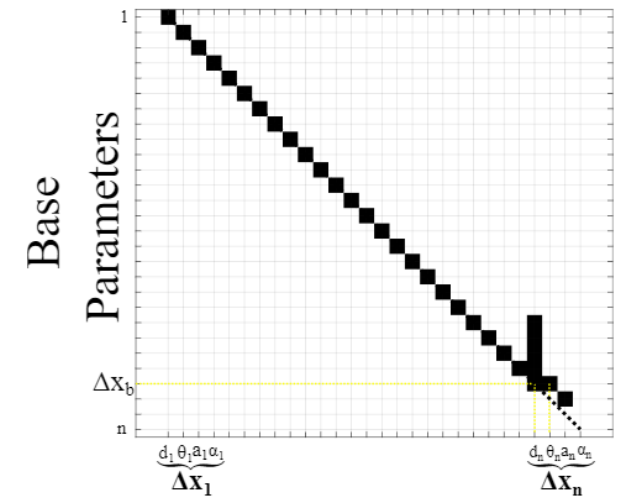
1) Calibrated DH parameters



2) Calibrated kinematic structure



3) Parameters identification matrix



The parameters on the diagonal can be identified completely and independently from the others. The black squares indicate if the parameter can be identified only in linear combination with others or not.

