

# AI

## EXPERIMENT NO-02

Aim:

Implement water jug problem using BFS or DFS (uniformed search)

Theory:

Problem statement  $\rightarrow$

In water jug problem in Artificial Intelligence we are<sup>m</sup> provided with two jugs. One having the capacity to hold 3 gallons of water and other has capacity to 4 gallons. There is no other measuring equipment available and jugs also do not have any kind of marking on them. So the agents task here is to fill 4 gallon jug with 2 gallon of water by only these two jugs and no other material. Initially both our jugs are empty.

To solve this problem following set of rules were proposed  $\hookleftarrow$

Prediction rules for solving the water jug problem. Here set  $x$  denotes the 4 gallon jug and  $y$  denotes 3 gallon jug

Sr NO	Initial state	condition	Final state	Description of action
1	$(x, y)$	if $x < 4$	$(4, y)$	fill 4 gallon jug full
2	$(x, y)$	if $y < 3$	$(x, 3)$	full 3 gallon jug full
3	$(x, y)$	if $x > 0$	$(x.d, y)$	Pour some from 4 gallon
4	$(x, y)$	if $y > 0$	$(x, y.d)$	Pour some from 3 gallon

- 5)  $(x, y)$  if  $x > 0$   $(0, y)$  Empty 4 gallon
- 6)  $(x, y)$  if  $y > 0$   $(4, y - (4 - x))$  Pour some water from 3 gallon jug to full 4 gallon jug.
- 7)  $(x, y)$  if  $(x + y) < 7$   $(4, y - (4 - x))$  Pour some water from 3 gallon to full 4 gallon jug.
- 8)  $(x, y)$  if  $(x + y) < 7$   $(x - (3 - y), y)$  Pour some water from 4 gallon jug to full 3 gallon
- 9)  $(x, y)$  if  $x + y < 4$   $(x + y, 0)$  Pour all water from 3 gallon to 4 gallon jug
- 10)  $(x, y)$  if  $x + y < 3$   $(0, y + x)$  Pour all water from 4 gallon jug to 3 gallon jug.


To solve Problem in minimum number of moves following set of rules in given resp. sequences should be preferred.

Solution

Sr NO	4 gallon jug contents	3 gallon jug contents	Rule followed
1	0 gallon	0 gallon	Initial State
2	0 gallon	3 gallon	Rule no 2
3	3 gallon	0 gallon	Rule no 9
4	3 gallon	3 gallon	Rule no 2
5	4 gallon	2 gallon	Rule no 1
6	0 gallon	2 gallon	Rule no 5
7	2 gallon	0 gallon	Rule no 9

on reaching the 7 attempt we reach a state whis is our goal State. Therefore at three - State we have solved our problem.  
 Conclusion: Thus we have successfully solved the Problem of water jug & implemented it using prolog language.

```
1 member(X,[X|_]).
2 member(X,[Y|Z]):-member(X,Z).
   Singleton variables: [Y]
3
4 move(X,Y,_):-X==2,Y==0,write('done'),!.
5 move(X,Y,Z):-X<4,\+member((4,Y),Z),write("fill 4 jug"),nl,move(4,Y,[(4,Y)|Z]).
6 move(X,Y,Z):-Y<3,\+member((X,3),Z),write("fill 3 jug"),nl,move(X,3,[(X,3)|Z]).
7 move(X,Y,Z):-X>0,\+member((0,Y),Z),write("pour 4 jug"),nl,move(0,Y,[(0,Y)|Z]).
8 move(X,Y,Z):-Y>0,\+member((X,0),Z),write("pour 3 jug"),nl,move(X,0,[(X,0)|Z]).
9 move(X,Y,Z):-P is X+Y,P>=4,Y>0,K is 4-X,M is Y-K,\+member((4,M),Z),write("pour from 3jug to 4jug"),nl,move(4,M,[(4,M)|Z]).
10 move(X,Y,Z):-P is X+Y,P>=3,X>0,K is 3-Y,M is X-K,\+member((M,3),Z),write("pour from 4jug to 3jug"),nl,move(M,3,[(M,3)|Z]).
11 move(X,Y,Z):-K is X+Y,K<4,Y>0,\+member((K,0),Z),write("pour from 3jug to 4jug"),nl,move(K,0,[(K,0)|Z]).
12 move(X,Y,Z):-K is X+Y,K<3,X>0,\+member((0,K),Z),write("pour from 4jug to 3jug"),nl,move(0,K,[(0,K)|Z]).
```

 `move(0,0,[(0,0)]).`



 Singleton variables: [Y]

fill 4 jug  
fill 3 jug  
pour 4 jug  
pour 3 jug  
fill 4 jug  
pour from 4jug to 3jug  
pour 3 jug  
pour from 4jug to 3jug  
fill 4 jug  
pour from 4jug to 3jug  
pour 3 jug  
done  
true

Next 10 100 1,000 Stop

?- `move(0,0,[(0,0)]).`