	emand Forecasting: By using past data, it may predict demand for various car models, assisting manufacturers and dealerships in heduling production and inventories. **Rature Importance:** By assisting sellers in their marketing plans and customers in their decision-making, linear regression can product on how various features affect a vehicle's popularity or price. **Bijectives of the Project:** **Region of predictive modeling is to create a linear regression model that, using historical data and a vehicle's features, can reliably timate a car's price.
Da an As rai Th just Infau Bu bo	timate a car's price. arket insight: To examine patterns and trends in the used automobile market and offer insights into the variables influencing car appliantly and prices. at Preprocessing: To show that one is capable of cleaning and preparing a real-world dataset so that it is ready for modeling an alysis. assessment and Improvement: To assess the linear regression model's performance and look into new methods or information the ise the model's precision and applicability. Be automobile sector requires precise price forecasts and market data to help firms and consumers make informed decisions. This stiffies those previous aims. Inpact and Contribution: formed Decision Making: The initiative can assist consumers in making knowledgeable selections when purchasing or disposing tomobiles by offering precise pricing forecasts and market insights. Insiness Strategy: By modifying their inventory, pricing plans, and marketing initiatives, dealerships and manufacturers may be absort sales and customer satisfaction. Barket Understanding: Gaining a better understanding of the used car market through the project's identification of trends and riables affecting supply and demand might be beneficial. Eademic Contribution: The project can advance knowledge in the field of data science and its applications in the automobile sec
D Th da co lev an Th ag to-	Pataset Overview: The project can advance knowledge in the field of data science and its applications in the automobile second commenting the methodology and results. Pataset Overview: The primary information, which comes from MarketCheck, is an extensive list of used cars available in both the US and Canada. It go illy data from more than 65,000 dealer websites over a period of more than eight years. Every entry in the collection offers mprehensive details about specific vehicle listings, encompassing characteristics such as year, make, model, trim, histories at the vel, and more. This vast data collection provides a detailed picture of the automotive business by highlighting consumer trends, to dindustry-influencing economic variables. Ource and Acquisition: The dataset was obtained from MarketCheck, a reliable automobile industry source renowned for its comprehensive and current data gregation. MarketCheck gathers this data by regularly scanning more than 65,000 dealer websites, guaranteeing an accurate and date picture of the market. The data can be viewed on MarketCheck's website or on websites like Kaggle, where it is identified as flarketCheck's Automotive Data." It is available for public examination. Pataset Characteristics:
•	 Size: With daily updates, the dataset contains a significant amount of data spanning eight years of automotive inventories. Althe the precise number of records isn't stated, it's advised to choose a subset of fewer than 10,000 entries for quicker processing at that the amount is reasonable. Structure: The data is organized in CSV format and consists of multiple files that most likely relate to various parts of the inventincluding dealer information, VIN histories, and listings. Data Types: Both categorical and numerical data are present in the dataset. Year, price, kilometers, and engine size are example numerical data; make, model, trim, body style, vehicle type, drivetrain, transmission, and fuel type are examples of category date. Missing Values: The dataset is expected to have missing values and imperfections, making it ideal for practicing data preproced techniques.
Proass Maan Daato Ree	edictive Modeling: A robust basis for developing a predictive model for automobile prices is provided by the multitude of inform sociated with automotive history and specifications. arket Insight: In line with the goal of comprehending market dynamics, the vast data set spanning more than eight years permits alysis and market insight. ata Preprocessing Practice: The dataset provides a useful example for implementing data cleaning and preprocessing technique its flaws and missing values. all-World Application: The dataset is a great example of applying data science in a useful, industry-relevant setting since it capture complexity and variety of the actual world.
im fr im fr	<pre>coad the America and Canada Dataset mport pandas as pd mport numpy as np com scipy import stats mport seaborn as sns mport matplotlib.pyplot as plt com sklearn.linear_model import LinearRegression com sklearn.preprocessing import StandardScaler, MinMaxScaler com sklearn.model_selection import train_test_split com sklearn.metrics import mean_absolute_error, mean_squared_error, r2_score com sklearn.preprocessing import RobustScaler com statsmodels.stats.outliers_influence import variance_inflation_factor com statsmodels.tools.tools import add_constant Load the CSV file into a Pandas DataFrame E_canada = pd.read_csv(r'C:\Users\moham\Desktop\Sem 3-1\Data Science\Midterm\Vehicle Data Predcistion E_america = pd.read_csv(r'C:\Users\moham\Desktop\Sem 3-1\Data Science\Midterm\Vehicle Data Predcistion</pre>
P De an Ca	vehicle_type - Might be redundant if similar to body type, but can be useful in some contexts. drivetrain - Important, as it can affect vehicle performance and price. transmission - Significant, as it influences driving experience and value. fuel_type - Important, especially with varying fuel economy and performance. engine_size - Affects performance and, consequently, price. engine_block - Might provide some insight, but often less critical than other features. zip,seller_name,street,state,id - might not be as precise as needed for a model. ropping columns Dropping the less useful columns from both datasets canada = df_canada.drop(columns=['zip', 'seller_name', 'street', 'state', 'id', 'vin', 'stock_no', 'engamerica = df_america.drop(columns=['zip', 'seller_name', 'street', 'state', 'id', 'vin', 'stock_no', 'emoving Irrelevant Features: You dropped columns that were less relevant to your analysis, such as 'zip', 'seller_name', 'vin', 'stock_no', and 'engine_block'. This helped focus the dataset on features likely to influence car prices and other relevant incomes. Elter the datasets Filter the datasets for vehicles from 2015 to 2022
df df Fil ma acc H # mi pr pr	E_canada = df_canada[(df_canada['year'] >= 2015) & (df_canada['year'] <= 2022)] E_america = df_america[(df_america['year'] >= 2015) & (df_america['year'] <= 2022)] Itering Data: Filtered the dataset for vehicles from the years 2015 to 2022. This step ensured the data was not only relevant and anageable for your analysis but also represented the most recent trends and conditions in the used car market, which are crucial curate predictive modeling and market insight. Andling the NaN Values Display the number of missing values in each column ("Missing values = df_canada.isnull().sum() ("Missing values in Canada") ("Int ("Missing values[missing_values > 0]) ("Int ("************************************
mi pr pr Mi pr mo tr bo ve dr tr fu en ci dt	Display the number of missing values in each column ssing_values = df_america.isnull().sum() cint('Missing_values[missing_values > 0]) ssing_values in Canada cice
primorthoved true cidt In # dfdf Ref. #	ssing values in America fice 56538 les 6186 del 425 film 1037 dy type 2354 thicle_type 3246 fivetrain 1051 ansmission 942 tel_type 4072 gine_size 12647 ty 1519 ype: int64 Impute missing values with the mean of each column Impute missing values for 'miles' and 'engine_size' with the mean of each column in the Canada datase [canada['miles'].fillna(df_canada['miles'].mean(), inplace=True) [canada['engine_size'].fillna(df_canada['engine_size' with the mean of each column in the America datase [canada['engine_size'].fillna(df_canada['engine_size'].mean(), inplace=True) Impute missing values for 'miles' and 'engine_size' with the mean of each column in the America datase [america['miles'].fillna(df_america['miles'].mean(), inplace=True) eplacing missing values with the most frequent value Define the categorical columns for which you want to impute missing values ttegorical_columns = ['model', 'trim', 'body_type', 'vehicle_type', 'drivetrain', 'transmission', 'fue
#for the property # min property # m	For Canada *** column in categorical_columns: *** Calculate the mode (the most common value) mode_value = df_canada[column].mode()[0] *** Replace missing values with the mode df_canada[column].fillna(mode_value, inplace=True) For America *** column in categorical_columns: *** Calculate the mode (the most common value) mode_value = df_america[column].mode()[0] *** Replace missing values with the mode df_america[column].fillna(mode_value, inplace=True) ***andling Missing Values: Identified and filled missing values in the 'miles' and 'engine_size' columns with the mean of each column tegorical variables like 'model', 'trim', 'body_type', etc., replaced missing values with the most frequent value (mode). This approa liped maintain data integrity and avoid biases that could arise from dropping rows with missing values. This is a critical step in da eprocessing, especially when the goal is to maintain the integrity of the dataset and ensure robust analysis and modeling. **isplaying the number of missing values in each column after Handling NaN Values **Display the number of missing values in each column integrity of the dataset and ensure robust analysis and modeling. **inti (missing values in Canada')** rinti (missing values in each column inti (missing values in canada')** rinti (missing values of missing values in each column intimation in the number of missing values in each column intimation in the number of missing values in each column intimation in the number of missing values in each column in the number of missing values in each column in the number of missing values in each column in the number of missing values in each column in the number of missing values in each column in the number of missing values in each column in the number of missing values in each column in the number o
pr pr Miprodt ** Miprodt As a t	<pre>cint('Missing values in America') cint(missing_values[missing_values > 0]) cssing values in Canada cice</pre>
By wh	<pre>anada_train_set = df_canada[df_canada['price'].notnull()] anada_test_set = df_canada[df_canada['price'].isnull()] america Dataset merica_train_set = df_america[df_america['price'].notnull()] replitting our data this way, we are effectively creating a realistic scenario where our model's purpose is to predict prices for listin here they aren't initially available, mimicking a common use case for such models in the real world. andomly choosing 10000 data from each training set mada_train_set = canada_train_set.sample(n=10000) merica_train_set = america_train_set.sample(n=10000) merica_train_set_sample(n=10000) meric</pre>
# ca	### Calculate descriptive statistics for the Canadian dataset (anada_train_set.describe()) price miles year engine_size
Pr M M	Range: 4,330 to 488,888, indicating a mix of budget and luxury vehicles. Distribution: Mean (28,712) higher than median (24,792), suggesting a right-skewed distribution with some high-priced outlies:
# am	ngine Size:
Pi	18500.000000 17727.000000 2017.000000 1.800000 23314.000000 30626.500000 2018.000000 2.000000 75% 32488.500000 48136.000000 2019.000000 2.500000 Plax 387896.000000 485353.000000 2022.000000 7.300000 **Range: 2,000 to 387,896, showing a broad spectrum from very affordable to high-end vehicles. **Central Tendency: Mean price is 27,778 with a median of 23,314, indicating a right-skewed distribution with some expensive outliers. **Variability: Standard deviation of 17,107 suggests prices vary significantly across listings.
Ye	Range: 0 to 485,353 miles, from unused to extremely high-mileage vehicles.
•	Most Common Years: 50% of the cars are from 2017 to 2019, suggesting a dataset focused on newer used cars. ngine Size: Range: 0.6 to 7.3, indicating a mix from small economy cars to larger, more powerful vehicles.
# st va raig	Most Common Years: 50% of the cars are from 2017 to 2019, suggesting a dataset focused on newer used cars. ngine Size: Range: 0.6 to 7.3, indicating a mix from small economy cars to larger, more powerful vehicles.
# st va raig pr pr pr st Va Ra In	Most Common Years: 50% of the cars are from 2017 to 2019, suggesting a dataset focused on newer used cars. Ingine Size: Range: 0.6 to 7.3, indicating a mix from small economy cars to larger, more powerful vehicles. Typical Engine Size: Mean of 2.3 and median of 2.0, with most engines between 1.8 and 2.5, common for a wide range of convehicles. Measures of Spread Canada Dataset: Id dev price = np.std(canada train_set['price']) Ingine price = np.var(canada_train_set['price']) # Range as peak to peak If price = stats.igr(canada_train_set['price']) # Interquartile range Init("Standard Deviation of Price:", std_dev_price) Init("Wariance of Price:", variance_price) Init("Wariance of Price:", variance_price) Init("Interquartile Range of Price:", igr_price) Init("Interquartile Range of Price: 1719-774704344596 Iriance of Price: 484558.0 Interquartile Range of Price: 17095.0 Annada Dataset: Standard Deviation (17,919.77): Indicates a high variability in car prices. A larger standard deviation suggests prices are spre over a wider range. Variance (321,118,325.45): The high variance further confirms the significant spread in the data, reinforcing the presence of a range of car prices. Range (484,558): The substantial range indicates a significant difference between the cheapest and most expensive cars, suggest the dataset includes both budget and luxury vehicles.
# stata in prepression of the state of the s	Most Common Years: 50% of the cars are from 2017 to 2019, suggesting a dataset focused on newer used cars. Ingine Size: Range: 0.6 to 7.3, indicating a mix from small economy cars to larger, more powerful vehicles. Typical Engine Size: Mean of 2.3 and median of 2.0, with most engines between 1.8 and 2.5, common for a wide range of convehicles. Measures of Spread Canada: Datasec d, dev_price = np.std(canada_train_set['price']) traince_price = np.std(canada_train_set['price']) traince_pri
# state of proper State of the	Nost Common Years: 50% of the cars are from 2017 to 2019, suggesting a dataset focused on newer used cars. Ingine Size: Range: 0.6 to 7.3, indicating a mix from small economy can to larger, more powerful vehicles. Typical Engine Size: Mean of 2.3 and median of 2.0, with most engines between 1.8 and 2.5, common for a wide range of convehicles. Acassures of Spread Canada datasets Sandard Deviation of Tatasets, and early principles and acassured and principles Canada Deviation of Tatasets, and early principles and Canada datasets Sandard Deviation of Tatasets, and canada datasets Sandard Deviation (17,919.77): Indicates a high variability in car prices. A larger standard deviation suggests prices are spreadown and deviation of the canada datasets Sandard Deviation (17,919.77): Indicates a high variability in car prices. A larger standard deviation suggests prices are spreadown and deviation data, reinforcing the presence of a range of car prices. Sandard Deviation (17,919.77): Indicates a significant difference between the cheapest and most expensive cars, suggests includes both budget and luxury vehicles. Sandard Deviation (17,919.77): Indicates a significant difference between the cheapest and most expensive cars, suggests includes both budget and luxury vehicles. Interquartile Range (17,995): Most cars prices fall within a \$17,095 range, providing a more robust sense of the typical price gradual datasets. Interquartile Range (17,995): Most cars prices fall within a \$17,095 range, providing a more robust sense of the typical price gradual dataset days expensed by the presence of the typical price price in price in the vehicles. Sandard Deviation (17,106.89): Similar to the Canada dataset, this indicates a high variability in car
# svri pppp SVRI C # svri pppp SVRI A # svri ppp SV	Range 08 to 7.3. Indicating a risk from control economy can be larger, more powerful vehicles. Typical figures Size: Range 08 to 7.3. Indicating a risk from small economy can be larger, more powerful vehicles. Typical figures Size: Mean of 2.3 and median of 2.0, whin most engines between 1.6 and 2.5, common for a wide range of convenience. Power Discrete The state of Spread The state of Spread The state of Spread (Spread) The state of Spread (S
# state of proper state of the	Mean Common Name 50% of the contract from 2017 to 2018 augusting a diabase focused on reversitued and incompanies for the property of the contract of the cont
# staraign proper Starain #	More Common Name. 40% of the case or home 2017 to add 9 supporting a direct focused on recent used as a fingle Size. Begger CA (40.73 miles obey with from whether common are bringer, many present herbide). Proposition figures size there is 2.5 miles medium (20.5 miles medium) and the proposition of the extrement of an extrement of
# staraign proper Staraign pro	The state of the s
# starting proper Starting pro	in the common trans of Start discuss are from 20.2 to 200, aggregating and common transition to grade and common transition of the common transiti
# st varie proper St varie pro	The Management was 450 or interest on the Carponing of State (Inc.) Togging Size: Management of ST Fricking and term and carponing one burger men page to vide to the page 145 of ST Fricking and term and carponing one burger of State (Inc.) Management of ST Fricking and term and carponing one burger men page 145 of ST Fricking and
# st varied by the state of the	Figure State: It appears to the control of the con
# st v r i pr pr st v R in	Figure Size: Seguidated a final beautiful and a seguidate and
# st v r i pr pr st v R i f f # st v r i pr pr st v R i f f # st v r i pr pr st v R i f f # st v r i pr pr st v R i f f # st v r i pr pr st v R i f f # st v r i pr pr st v R i f f f f f f f f f f f f f f f f f f	Figure Size: Seguing
# strang proper state of the strangent proper state of the stra	The state of the s
# st	The second control of the control of
# star and a solution of the solution of the star and a solution of the sta	The control of the co
# Sland and the state of the st	Fig. 1. Company of the company of th

In [21]:	American Dataset The American market, represented by the blue bars, shows a consistent decrease in average car prices as mileage increases. The highest average price is noted in the '0-50k' miles category at approximately 27,500, indicating a strong preference for lower-mileage vehicles. As expected, the '200k-250k' miles category registers the lowest average price, roughly \$5,000, suggesting a significant drop in value as vehicles approach higher mileage thresholds. Canada Dataset The Canadian market graph, depicted in green, mirrors the pattern observed in the American market, with the '0-50k' miles category again showing the highest average price. However, the decline in price with increasing mileage appears less steep in Canada. Notably, the '200k-250k' miles category in Canada maintains a higher average price point than in America, hovering around 7,500. # Calculate the average price for each brand for Canada canada avg price per brand = canada train set.groupby('make') ['price'].mean().sort values(ascending=False)
	<pre>canada_avg_price_per_brand = canada_avg_price_per_brand.head(10) # Calculate the average price for each brand for America america_avg_price_per_brand = america_train_set.groupby('make')['price'].mean().sort_values(ascending=False) america_avg_price_per_brand = america_avg_price_per_brand.head(10) # Set up the matplotlib figure and axes fig, (ax1, ax2) = plt.subplots(1, 2, figsize=(14, 5)) # Plot the Canadian brand average prices canada_avg_price_per_brand.plot(kind='bar', ax=ax1, color='purple') ax1.set_title('Top 10 Brands by Average Resale Value in Canada') ax1.set_vlabel('Brand') ax1.set_ylabel('Average Resale Price (\$)') # Plot the American brand average prices america_avg_price_per_brand.plot(kind='bar', ax=ax2, color='orange') ax2.set_title('Top 10 Brands by Average Resale Value in America') ax2.set_xlabel('Brand')</pre>
	# Add a common heading (suptitle) for the entire figure fig.suptitle('Comparison of Top 10 Car Brands by Average Resale Value in America and Canada', fontsize=16) # Show the plots side by side for comparison plt.tight_layout(rect=[0, 0.03, 1, 0.95]) plt.show() Comparison of Top 10 Car Brands by Average Resale Value in America and Canada Top 10 Brands by Average Resale Value in Canada Top 10 Brands by Average Resale Value in America 350000 30000
In [22]:	The graph indicates that Rolls-Royce has the greatest average resale value in the Canadian market, followed by other high-end brands like Ferrari and Lamborghini. For example, Maserati has the lowest average resale value out of the top 10 mentioned brands. In terms of resale value, Rolls-Royce is ranked first on the American market chart, closely followed by Ferrari and Lamborghini. Of the top brands shown, Maserati has the lowest resale value, same like Canada. Overall, the two figures show that Maserati is at the bottom of the top 10 list, while luxury automobile manufacturers like Rolls Royce, Ferrari, and Lamborghini command the greatest resale values in both countries.
	# Set up the matplotlib figure and axes fig, (axl, ax2) = plt.subplots(1, 2, figsize=(14, 5)) # Plot the American brand counts america_brand_counts.plot(kind='bar', ax=axl, color='blue') axl.set_title('Top 10 Brands by Sales in America') axl.set_xlabel('Brand') axl.set_ylabel('Number of Cars Sold') # Plot the Canadian brand counts canada_brand_counts.plot(kind='bar', ax=ax2, color='red') ax2.set_title('Top 10 Brands by Sales in Canada') ax2.set_xlabel('Brand') ax2.set_ylabel('Number of Cars Sold') # Add a common heading (suptitle) for the entire figure fig.suptitle('Comparison of Top 10 Car Brands by Sales in America and Canada', fontsize=16) # Show the plots side by side for comparison plt.tight layout(rect=[0, 0.03, 1, 0.95])
	Comparison of Top 10 Car Brands by Sales in America and Canada Top 10 Brands by Sales in Canada Top 10 Bra
In [23]:	In the American graph, represented by blue bars, Ford leads in sales, followed by Toyota and Honda. while the Canadian graph, shown with red bars, also shows Ford as the leading brand in sales, with Nissan and Hyundai closely following. Both graphs display a dominance of Ford in the car market, with a general decrease in sales among the subsequent brands in the top 10 list. The presence of different brands and their order in the two countries indicate varying consumer preferences and market strengths. # Calculate the number of vehicles for sale each year for Canada canada_yearly_counts = canada_train_set['year'].value_counts().sort_index() # Calculate the number of vehicles for sale each year for America america_yearly_counts = america_train_set['year'].value_counts().sort_index() # Set up the matplotlib figure and axes fig, (ax1, ax2) = plt.subplots(1, 2, figsize=(14, 6)) # Plotting the trend for Canada canada_yearly_counts.plot(ax=ax1, color='purple') ax1.set title('Trend of Vehicles for Sale by Year in Canada')
	ax1.set_title('Trend of Vehicles for Sale by Year in Canada') ax1.set_xlabel('Year') ax1.set_ylabel('Number of Vehicles') # Plotting the trend for America america_yearly_counts.plot(ax=ax2, color='green') ax2.set_title('Trend of Vehicles for Sale by Year in America') ax2.set_xlabel('Year') ax2.set_ylabel('Number of Vehicles') # Add a common heading (suptitle) for the entire figure fig.suptitle('Trend of Number of Vehicles for Sale According to the Year Manufactured', fontsize=16) # Show the plots side by side for comparison plt.tight_layout(rect=[0, 0.03, 1, 0.95]) plt.show() Trend of Number of Vehicles for Sale According to the Year Manufactured Trend of Vehicles for Sale by Year in Canada Trend of Vehicles for Sale by Year in America
	2000 - 3000 - 2500 - 2500 - 2015 2016 2017 2018 2019 2020 2021 2022 - 2015 2016 2017 2018 2019 2020 2021 2022 - 2021 2021
In [24]:	The Canadian trend, represented by a purple line, peaks around 2018 with just under 2000 vehicles for sale, then shows a consistent decline through 2022. The American trend, depicted by a green line, demonstrates a significant spike in the number of vehicles for sale in 2019, reaching nearly 3000. Post-2019, there's a sharp decline, returning to levels similar to those seen in 2015 by 2022. import seaborn as sns import matplotlib.pyplot as plt import numpy as np # Dummy datasets for demonstration purposes # In practice, replace these with canada_train_set and america_train_set canada_train = pd.DataFrame(np.random.rand(10, 10), columns=[f'feature(i)' for i in range(10)]) america_train = pd.DataFrame(np.random.rand(10, 10), columns=[f'feature(i)' for i in range(10)]) # Set the aesthetic style of the plots sns.set_style('whitegrid') # Calculate the correlation matrices
	<pre>corr_matrix_canada = canada_train_set.corr() corr_matrix_america = america_train_set.corr() # Generate a mask for the upper triangle mask_canada = np.zeros_like(corr_matrix_canada, dtype=bool) mask_canada[np.triu_indices_from(mask_canada)] = True mask_america = np.zeros_like(corr_matrix_america, dtype=bool) mask_america[np.triu_indices_from(mask_america)] = True # Set up the matplotlib figure (adjust figsize to fit your needs) fig, ax = plt.subplots(1, 2, figsize=(30, 10)) # Draw the heatmaps sns.heatmap(corr_matrix_canada,</pre>
	<pre>linewidths=0.1, # Width of the lines that will divide each cell linecolor='white', ax=ax[0] # This specifies which subplot to draw the heatmap on) sns.heatmap(corr_matrix_america, cmap=sns.diverging_palette(20, 220, n=200), mask=mask_america, annot=True, center=0, fmt='.2f', linewidths=0.1, linecolor='white', ax=ax[1] # This specifies which subplot to draw the heatmap on) # Add titles to the heatmaps ax[0].set_title("Heatmap of Feature Correlations (Canada)", fontsize=20) ax[1].set_title("Heatmap of Feature Correlations (America)", fontsize=20)</pre>
	Heatmap of Feature Correlations (Canada) Heatmap of Feature Correlations (America)
In [25]: In [26]:	Build ML (Machine Learning) model Log Transformation canada_train_set['log_price'] = np.log1p(canada_train_set['price']) # log1p is used to handle log(0) america_train_set['log_price'] = np.log1p(america_train_set['price']) # log1p is used to handle log(0) Now the data has a new column 'log_price' created by applying the log1p function from NumPy to the 'price' column. This function computes the natural logarithm of 1 + the input value, which is useful for handling zero-values in the data.
In [27]: In [28]: In [146	<pre>Robust Scaling scaler = RobustScaler() canada_train_set['scaled_price'] = scaler.fit_transform(canada_train_set[['price']]) scaler = RobustScaler() america_train_set['scaled_price'] = scaler.fit_transform(america_train_set[['price']]) A RobustScaler object from a machine learning library (likely scikit-learn) is instantiated and then used to fit and transform the 'price' column of the data, storing the result in a new 'scaled_price' column. Canda Dataset from sklearn.preprocessing import LabelEncoder # List of categorical column names to encode</pre>
	<pre>categorical_columns = ['make', 'model','trim', 'body_type', 'fuel_type'] # Initialize the LabelEncoder le = LabelEncoder() # Store the label encoders in a dictionary label_encoders = {} for column in categorical_columns: # Fit and transform the data label_encoders[column] = LabelEncoder() canada_train_set[column] = label_encoders[column].fit_transform(canada_train_set[column]) # Print the unique values in the transformed column print(f"Unique values in '{column}': {canada_train_set[column].unique()}") # Print the first few rows of the DataFrame canada_train_set.head()</pre>
Out[146]:	price miles year make model trim body_type vehicle_type drivetrain transmission fuel_type engine_size city N 291430 10991.0 106766.0 2015.0 18 413 341 8 Car FWD Manual 7 1.600000 Victoriaville 111695 34700.0 20027.0 2020.0 14 135 469 14 Truck 4WD Automatic 7 2.000000 Barrie 356321 24839.0 80317.0 2017.0 19 293 401 15 Car 4WD Automatic 6 3.000000 Saint-eustache 128414 20995.0 88240.0 2015.0 9 401 4 14 Truck FWD Automatic 7 3.600000 Waterloo 19774 24988.0 47627.0 2018.0 17 72 257 14 Truck 4WD Automatic 7 2.722467 Magog The code snippet applies label encoding to transform categorical columns into numerical format within the canada_train_set DataFrame. This conversion is necessary for machine learning models that require numerical input. Each category within the specified columns is assigned a unique integer. The transformed dataset, with encoded categorical features, is then displayed by printing the first few rows.
111 [147	<pre>features = ['miles', 'year', 'engine_size', 'make', 'model', 'body_type', 'fuel_type', 'trim'] label = 'price' # The variable you're trying to predict # Prepare the dataa X = canada_train_set[features] # Your features (independent variables) y = canada_train_set[label] # Your label (dependent variable) # Initialize the model model = LinearRegression() # Fit the model model.fit(X, y) X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)</pre> The steps needed to prepare the data and train a linear regression model are described in this code snippet. The 'price' is predicted using features like'miles', 'year', 'engine_size', 'make', 'model', 'body_type', 'fuel_type', and 'trim'. The data is divided into training and test sets, **The steps needed to prepare the data and train a linear regression model are described in this code snippet. The 'price' is predicted using features like'miles', 'year', 'engine_size', 'make', 'model', 'body_type', 'fuel_type', and 'trim'. The data is divided into training and test sets, **The steps needed to prepare the data and train a linear regression model are described in this code snippet. The 'price' is predicted using features like'miles', 'year', 'engine_size', 'make', 'model', 'body_type', 'fuel_type', and 'trim'. The data is divided into training and test sets, **The steps needed to prepare the data and train a linear regression model are described in this code snippet. The 'price' is predicted using features like'miles', 'year', 'engine_size', 'make', 'model', 'body_type', 'fuel_type', and 'trim'. The data is divided into training and test sets, **The steps needed to prepare the data and train a linear regression model are described in this code snippet. The 'price' is predicted using features like' miles'. **The steps needed to prepare the data and train a linear regression model are described in this code snippet. **The steps needed to prepare the data and train a linear regression model are described in this code snipp
In [148	<pre>with the test set making up 20% of the total data, after the model has been initialized and fitted to the Canadian training set. The anticipated prices that are produced as a result of this split and the model training that follows are compared to the actual prices in the scatter plot. import matplotlib.pyplot as plt import seaborn as sns import numpy as np # Assuming 'model' is your trained Linear Regression model # Generate predictions on the test set y_pred = model.predict(X_test) # Create scatter plots to visualize predictions vs. actual values plt.figure(figsize=(12, 6)) # Scatter plot for a single feature vs. the target variable 'price' for feature in features: plt.subplot(2, 4, features.index(feature) + 1) plt.scatter(X_test[feature], y_test, label='Actual', color='blue', alpha=0.5)</pre>
	<pre>plt.scatter(X_test[feature], y_pred, label='Predicted', color='red', alpha=0.5) plt.vlabel('Price') plt.legend() plt.tight_layout() plt.show() # Plot a histogram of residuals (difference between actual and predicted values) residuals = y_test - y_pred plt.figure(figsize=(8, 6)) sns.histplot(residuals, bins=30, kde=True) plt.xlabel('Residuals (Actual - Predicted)') plt.ylabel('Frequency') plt.title('Residuals Distribution') plt.show() # Plot the predicted vs. actual prices plt.figure(figsize=(8, 6)) plt.scatter(y_test, y_pred) plt.xlabel('Actual Prices')</pre>
	plt.xlabel('Predicted Prices') plt.title('Actual vs. Predicted Prices') plt.title('Actual vs. Predicted Prices') plt.plot([min(y_test), max(y_test)], [min(y_test), max(y_test)], linestyle='', color='red', linewidth=2) plt.show() 400000 Actual Predicted Predicted 300000 100000 200000 100000 200000 100000 2016 2018 2020 2022 year 400000 Actual
	300000 8 200000 100000 100000 Residuals Distribution
	800 600 400 200
	-50000 0 50000 100000 150000 250000 300000 350000 Residuals (Actual - Predicted) Actual vs. Predicted Prices 400000 350000 250000 300000 350000
	The number of points along the line in the plot implies that, for lower-priced items, the model's predictions are fairly close to the actual
In [149	<pre>Pricing. Points that traverse farther from the line indicate how much the projections appear to differ from the actual pricing as the price rises. This might suggest that the model loses accuracy as prices rise. **Validation** # Holdout Validation (Train-Test Split) from sklearn.model_selection import train_test_split from sklearn.model_selection import Ridge from sklearn.linear_model import Ridge from sklearn.metrics import mean_absolute_error, mean_squared_error, r2_score import pandas as pd # Extracting features and label X = canada_train_set[features] y = canada_train_set[features] y = canada_train_set[label] # Split the actual data into training and testing sets X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)</pre>
	<pre># Initialize the Ridge regression model with regularization ridge_model = Ridge(alpha=2.90) # Consider tuning alpha using cross-validation # Fit the model on the training data ridge_model.fit(X_train, y_train) # Make predictions on the test data y_pred_test = ridge_model.predict(X_test) # Calculate evaluation metrics on the test data mae_test = mean_absolute_error(y_test, y_pred_test) mse_test = mean_squared_error(y_test, y_pred_test) r2_test = r2_score(y_test, y_pred_test) # Output the metrics print(f"Test Mean Absolute Error: {mae_test}") print(f"Test Mean Squared Error: {mse_test}") print(f"Test R-squared: {r2_test}")</pre>
	 Test Mean Absolute Error: 7853.60436671326 Test Mean Squared Error: 199493304.21837547 Test R-squared: 0.4208259683605481 Mean Absolute Error (MAE): This represents the average absolute difference between the actual values and the predictions made by the model. An MAE of 7,853.60 means that on average, the model's predictions are off by \$7,853.60 from the actual price. Mean Squared Error (MSE): Unlike the MAE, this metric squares the differences before averaging, which has the effect of giving more weight to larger errors. A high MSE, like 199,493,304.22, suggests that there are cases where the model's predictions are quite far from the actual values, considering that the error is squared. R-squared: This is the coefficient of determination, which measures the proportion of the variance in the dependent variable that is predictable from the independent variables. An R-squared of 0.4208 (or 42.08%) indicates that about 42% of the variability in the price can be explained by the model. While not low, this suggests that there is still a significant amount of variability that the model is not capturing.
In [150	<pre># Cross - Validation from sklearn.model_selection import cross_val_score # Initialize the Ridge regression model with an alpha value that needs to be tuned ridge_model = Ridge(alpha=1.0) # Perform 5-fold cross-validation # 'neg_mean_absolute_error' will return the negative of MAE, we will take the negative of the scores to make th cv_mae_scores = -cross_val_score(ridge_model, X_train, y_train, cv=5, scoring='neg_mean_absolute_error') # Perform 5-fold cross-validation for MSE # 'neg_mean_squared_error' will return the negative of MSE, we will take the negative of the scores to make the cv_mse_scores = -cross_val_score(ridge_model, X_train, y_train, cv=5, scoring='neg_mean_squared_error') # Perform 5-fold cross-validation for R^2 cv_r2_scores = cross_val_score(ridge_model, X_train, y_train, cv=5, scoring='r2') # Compute the mean of the scores for each metric mean_cv_mae = cv_mae_scores.mean() mean_cv_mse = cv_mse_scores.mean()</pre>
	mean_cv_r2 = cv_r2_scores.mean() # Output the mean cross-validation metrics print(f"Mean Cross-Validation Mean Absolute Error: {mean_cv_mae}") print(f"Mean Cross-Validation Mean Squared Error: {mean_cv_mse}") print(f"Mean Cross-Validation Mean Squared: {mean_cv_r2}") Mean Cross-Validation Mean Absolute Error: 7759.563259038448 Mean Cross-Validation Mean Squared Error: 181966197.21406287 Mean Cross-Validation R-squared: 0.4363831401525312 When opposed to utilizing a single train-test split, the new metrics show how well the regression model performs under cross-validation, a more reliable evaluation technique. In cross-validation, the dataset is divided into several sections, or "folds," and the model is trained on some of these folds before being assessed on the remaining fold. This procedure is iterated multiple times, using one fold as the test set each time, and reporting the average performance over all folds. Here's what the cross-validation metrics indicate: 1. Mean Cross-Validation Mean Absolute Error (CV MAE): The average MAE over the cross-validation folds is 7,759.56, which is
	slightly better than the single test split MAE of 7,853.60. This suggests the model, on average, has a consistent performance across different subsets of data, with an average error of approximately \$7,759.56 off from actual prices. 2. Mean Cross-Validation Mean Squared Error (CV MSE): The average MSE from the cross-validation is 181,966,197.21, which is lower than the single test split MSE of 199,493,304.22. A lower MSE indicates that the average of the squared differences between predicted and actual values is smaller across the cross-validation folds, pointing towards a more stable performance of the model across different subsets of the data. 3. Mean Cross-Validation R-squared (CV R²): The average R-squared value is slightly better in the cross-validation (0.4363 or 43.63%) compared to the single test split (0.4208 or 42.08%). This metric shows a small improvement, suggesting that the model's ability to explain the variance in the data is slightly better when evaluated across multiple folds. Feature engineering
In [176	<pre>from sklearn.model_selection import train_test_split from sklearn.linear_model import LinearRegression from sklearn.preprocessing import PolynomialFeatures from sklearn.metrics import mean_absolute_error, mean_squared_error, r2_score import pandas as pd X = canada_train_set[features] y = canada_train_set[label] # Split the data into training and testing sets X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42) poly = PolynomialFeatures(degree=3) X_train_poly = poly.fit_transform(X_train) X_test_poly = poly.transform(X_test) # Initialize the Linear Regression model model = LinearRegression()</pre>
	<pre># Fit the model with polynomial features model.fit(X_train_poly, y_train) # Make predictions on the test set y_pred = model.predict(X_test_poly) # Evaluate the model mae = mean_absolute_error(y_test, y_pred) mse = mean_squared_error(y_test, y_pred) r2 = r2_score(y_test, y_pred) # Output the evaluation metrics print(f"Mean Absolute Error: {mae}") print(f"Mean Squared Error: {mse}") print(f"R-squared: {r2}") # You can also visualize the predicted vs. actual values if needed # Plot the predicted vs. actual prices import matplotlib.pyplot as plt</pre>
	plt.figure(figsize=(8, 6)) plt.scatter(y_test, y_pred) plt.xlabel('Actual Prices') plt.ylabel('Predicted Prices') plt.title('Actual vs. Predicted Prices') plt.plot([min(y_test), max(y_test)], [min(y_test), max(y_test)], linestyle='', color='red', linewidth=2) plt.xlim(0, 90000) plt.ylim(0, 90000) plt.ylim(0, 90000) plt.show() Mean Absolute Error: 6649.551407961301 Mean Squared Error: 160333350.33476704 R-squared: 0.5345161418651052 Actual vs. Predicted Prices 90000 Actual vs. Predicted Prices
	70000 60000 30000 20000
	To increase the feature set of the training data for a machine learning model, the provided code uses polynomial feature engineering. Of the original features, it produces a third-degree polynomial transformation. The original features' cubes and squares, as well as their interactions up to the third degree, are produced via this method in order to create new features. Every dataset—training and test—is subjected to this processing. Using these additional polynomial characteristics, the linear regression model is then trained. The utilization of this method enables the linear model to encompass non-linear associations between the target variable and the features. On the test set, the model is then utilized to provide predictions. • Mean Absolute Error (MAE): 6649.55, indicating that the average prediction is approximately \$6649.55 off from the actual price.
	 Mean Squared Error (MSE): 16033350.33, showing the average squared difference between the predicted and actual prices is large, emphasizing the impact of large errors due to the squaring. R-squared: 0.5345, meaning that approximately 53.45% of the variance in the actual prices is explained by the model. Comparing these metrics with the earlier linear regression model without polynomial features, we observe: The MAE and MSE are lower than both the initial model and the cross-validation results, implying better predictive accuracy with polynomial features. The R-squared is higher, indicating that the polynomial model explains more variance than the linear model, making it a better fit for the data. The plot's data points suggest the model's predictions are relatively close to the actual prices, as many of the points cluster near the red dashed line, which represents perfect predictions. The accompanying text provides model evaluation metrics:
In [108	<pre>from sklearn.preprocessing import LabelEncoder # List of categorical column names to encode categorical_columns = ['make', 'model','trim', 'body_type', 'fuel_type'] # Initialize the LabelEncoder le = LabelEncoder() # Store the label encoders in a dictionary label_encoders = {} for column in categorical_columns: # Fit and transform the data label encoders(column) = LabelEncoder() america_train_set[column] = label_encoders(column].fit_transform(america_train_set[column]) # Print the unique values in the transformed column print(f"Unique values in '{column}': {america_train_set[column].unique()}")</pre>
Out[108]:	# Print the first few rows of the DataFrame america_train_set.head() price miles year make model trim body_type vehicle_type drivetrain transmission fuel_type engine_size city 581181 19785.0 85312.0 2017.0 16 70 164 14 Truck 4WD Automatic 12 1.5 Rochester 537361 14991.0 77127.0 2015.0 8 356 241 14 Truck 4WD Automatic 12 1.4 Allentown 945953 19500.0 24615.0 2018.0 30 228 434 15 Car FWD Manual 12 2.5 Mechanicsburg 90871 34955.0 11784.0 2019.0 26 242 31 14 Truck FWD Automatic 10 2.0 Kingsport 285054 21500.0 6025.0 2021.0 23 330 161 8 Car FWD Automatic 12 2.0 Cathedral City The code snippet applies label encoding to transform categorical columns into numerical format within the america_train_set DataFrame. This conversion is necessary for machine learning models that require numerical input. Each category within the specified
In [1]:	<pre>columns is assigned a unique integer. The transformed dataset, with encoded categorical features, is then displayed by printing the first few rows. # Identify features and labels features = ['miles', 'year', 'engine_size', 'make', 'model', 'body_type', 'fuel_type', 'trim'] label = 'price' # The variable you're trying to predict # Prepare the dataa X = america_train_set[features] # Your features (independent variables) y = america_train_set[label] # Your label (dependent variable) # Initialize the model model = LinearRegression() X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42) # Fit the model model.fit(X, y)</pre>
In [118	<pre>import seaborn as sns import numpy as np # Assuming 'model' is your trained Linear Regression model # Generate predictions on the test set y_pred = model.predict(X_test) # Create scatter plots to visualize predictions vs. actual values</pre>
	<pre>plt.figure(figsize=(12, 6)) # Scatter plot for a single feature vs. the target variable 'price' for feature in features: plt.subplot(2, 4, features.index(feature) + 1) plt.scatter(X_test[feature], y_test, label='Actual', color='blue', alpha=0.5) plt.scatter(X_test[feature], y_pred, label='Predicted', color='red', alpha=0.5) plt.ylabel(feature) plt.ylabel('Price') plt.legend() plt.tight_layout() plt.show() # Plot a histogram of residuals (difference between actual and predicted values) residuals = y_test - y_pred plt.figure(figsize=(8, 6)) sns.histplot(residuals, bins=30, kde=True) plt.xlabel('Residuals (Actual - Predicted)') plt.ylabel('Frequency')</pre>

