The Compound Pendulum

Example 1

A uniform rod of mass 10 kg and length 2.1m can swing freely in a vertical plane round a horizontal pin at one end. Form the equation of rotational motion for the oscillation about the vertical equilibrium position. If the rod swings through a small angle, find $MI = \frac{1}{3}(10)(1.01)^2 + (10)(1.05)^2$ the approximate period of oscillation.

$$7 = \frac{14.7}{7 = 10}$$

$$7 = \frac{14.7}{10}$$

$$7 = \frac{2\pi}{2} = 2.35$$

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Example 2

A pendulum is made of a strip of wood with a square board screwed to it at one end. It is hung over a nail by a small eye screwed into it at the other end. The wooden strip is 1.2 m long and has a mass of 0.5 kg. The board is 0.4m square and has a mass of 1.5 kg. Find the period when the pendulum makes small oscillations about the vertical.

$$(eiter of mas) = \underbrace{0.59(a.6) + 1.59(1)}_{2.9} = 0.9$$

$$M_{1} = \begin{bmatrix} \frac{1}{3} (9.5)(0.6)^{2} + 0.12 \\ + \frac{1}{3} (1.5)(0.2^{2} + 0.2^{2}) + (1.5)(1^{2}) \end{bmatrix}$$

$$= 1.78$$

$$= 2.9 (0.9 \sin 6) = 1.78 \phi$$
Example 3

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A disc of mass m and radius a performs small oscillations about a smooth horizontal axis which is tangential to the disc. Find the length of the equivalent simple pendulum.

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$$d_1 l_2 = \frac{1}{4} m a^2 = \frac{1}{4} m a^2$$

$$- mg (a sin \phi) = \frac{1}{4} m a^2 \phi$$

$$- g \phi = \frac{1}{4} a \phi$$

$$7 = 271 \sqrt{\frac{2}{4}g} = 1.9765$$

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$$1 = 271 \sqrt{\frac{2}{4}g}$$

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