# **Work and Energy**

- \*\*1 June 02 P1 Q17 C Work done by a gas,  $W = p \Delta V$
- \*\*2 June 02 P1 Q18 B Loss in g.p.e. = gain in k.e. + work done against friction, 50 kJ = gain in k.e. + 10 kJ

Hence gain in k.e. = 40 kJ. Since initial k.e. = 5 kJ, Hence final k.e. = 5 + 40 KJ

- \*3 Nov 02 P1 Q17 D Since speed is constant, hence k.e. is constant.
- \*\*4 Nov 02 P1 Q19 C 60% of g.p.e. is converted into k.e. Hence  $\frac{1}{2}$  mv<sup>2</sup> = 0.60 mgh
- \*\*5 June 03 P1 Q17 C Work is done to increase the g.p.e. = mgh where h is the vertical heigth. Hence work done = Wq
- \*\*6 June 03 P1 Q18 D Loss in k.e. = work done.  $\frac{1}{2}$  mv<sup>2</sup> = F.s For m and F constant,  $v^2 \propto s$
- \*\*7 Nov 03 P1 Q17 D Total work done = increase in k.e. + increase in g.p.e. Power = Work done / time
- \*\*8 June 04 P Q16 B
- \*\*9 June 04 P1 Q17 A k.e.  $E_k = \frac{1}{2} \text{ mv}^2$ . For car X,  $E_X = \frac{1}{2} (2m) (\frac{1}{2} v)^2$ For car Y:  $E_Y = \frac{1}{2} mv^2$ .
- \*\*10 June 04 P1 Q18 C. Work done = increase in g.p.e. = mgh
- \*\*11 Nov 04 P1 Q15 A Initial k.e.  $E = \frac{1}{2} \text{ mv}^2$ . Final k.e.  $4E = \frac{1}{2} \text{ m v}_2^2$
- \*\*12 Nov 04 P1 Q16 A Net work done = increase in k.e.. Hence Net force x distance = increase in k.e.

 $(90 - 50) \times 6.0 = increase in k.e.$ 

- \*\*13 Nov 04 P1 Q18 A Work done by force,  $W = F.s = (9.0 \times 10^3) \times 40$ . Increase in g.p.e. = mgh = Wh =  $20 \times 10^3 \times 12$ . Work done = heat dissipated + increase in g.pe.
- \*\*14 June 05 P1 Q15 B Speed constant, hence k.e. is constant. g.p.e. = mgh. Hence g.p.e.  $\propto$  h
- \*\*15 June 05 P1 Q17 B Increase in g.p.e. =  $mgh = (V\rho) gh = 0.50^3 x (2.0 x 10^3) x 9.81 x 3.0$
- \*\*16 Nov 05 P1 O14 C k.e. =  $\frac{1}{2}$  mv<sup>2</sup>
- \*\*\*17 Nov 05 P1 Q15 A g.p.e = mgh. G.p.e.  $\propto h$
- \*\*18 Nov 05 P1Q16 B Work done = increase in g.p.e. Increase in height =  $5.0 \sin 30^{\circ}$

#### \*19 Nov 06 P1 Q16 D

- \*\*20 June 06 Q17 D Same as June 03 P1 Q18
- \*\*\*21 June 06 P1 Q18 A gain in g.p.e. = mgh where h = vertical height
- \*\*22 Nov 06 P1 Q16 D g.p.e. =  $mgh = 80 \times 9.81 \times (2.5 \times 6)$
- \*\*23 Nov 07 P1 Q15 B Change in k.e. = initial k.e. final k.e.
- \*24 Nov 07 P1 Q16 C
- \*\*\*25 June 08 P1 Q18 B
- \*\*26 Nov 08 P1 Q15 A
- \*\*27 Nov 08 P1 Q16 A
- \*\*28 Nov 08 P1 Q17 C Conservation of energy:  $mgy = \frac{1}{2} mv^2$
- \*\*\*29 June 09 P1 Q15 B Initial g.p.e. =  $mg(\frac{1}{2} h)$ . Final g.p.e. =  $mg(\frac{1}{4} h)$

## Section B

- 1 June 02 P2 Q5(a) increase the height
  - (b) compress gas by pushing piston inwards to increase its temperature
  - (c) Expand or compress the gas
- 2 Nov 02 P2 Q4 (a) Work = force x displacement, and the displacement occurs in the direction of the force.
- (b) Work done to overcome the weight = W.  $\Delta h = mg \Delta h$ . Work done is converted into increase in g.p.e. Hence  $\Delta E_p = mg \Delta h$
- 3 Nov 05 P2 Q8 (a) Same Q2(a)
- (b)(i) k.e. increases with h fallen, but it increase at a decreasing rate until it reaches a constant value at h<sub>o</sub>. Hence its velocity increases with h at a decreasing rate until it attains a constant velocity called terminal velocity.
- (ii) A straight line, with negative gradient. At h = 0,  $E_p > \max E_k$ , and  $E_p = 0$  at  $h = h_0$
- 4 Nov 07 P2 Q3
  - 3 (a) (i) potential energy: stored energy available to do work B1 [1]
    - (ii) gravitational: due to height/position of mass OR distance from mass

      OR moving mass from one point to another

      elastic: due to deformation/stretching/compressing

      B1

      [2]

(b) (i) height raised = 
$$(61 - \{61 \cos 18\} =) 3.0 \text{ cm}$$
  
energy =  $(mgh = 0.051 \times 9.8 \times 0.030 =) 1.5 \times 10^{-2} \text{ J}$  A1 [2]

# **Power and Efficiency**

- \*1 June 02 P1 Q16 D Efficiency = ratio of output to input
- \*\*2 June 02 P1 Q19 D Apply  $P = F.v. 24 \times 10^3 = 600 \text{ v}$
- \*3 Nov 02 P1Q16 C
- \*\*4 Nov 02 P1 Q18
- \*5 June 03 P1 Q16 C
- \*6 Nov 03 P1 Q18 B Power = F.v where the force exerted by the boat is to overcome the frictional drag F.
- \*7 June 04 P1 Q15 D
- \*\*8 Nov 04 P1 Q17 B Power,  $P = F.v = F.\frac{s}{t}$
- \*\*\*9 June 05 P1 Q16 C power = rate of energy transfered = gradient of graph. For power maximum, gradient is maximum
- \*\*10 Nov 06 P1 Q17 A Total electrical energy supplied = 93 + 7 = 100 J
- \*\*11 Nov 06 P1 Q18 C Efficiency = output / input. Input =  $0.8 \times 0.8 \times 10^{3} \text{ I}$ ) =  $4.0 \times 10^{6}$
- \*12 June 07 P1 Q14
- \*\*13 June 08 P1 Q19
- \*\*14 Nov 08 P1 O18
- \*\*15 June 09 P1 Q14

#### **Section B**

- 1 Nov 06 P2 Q1 (a) (i) Same as 2(a)
  - (ii) power = rate of work done
  - (b) power  $P = \frac{W}{t} = \frac{F.s}{t} = F.v$
  - (c)(i) Average rate at which k.e. is supplied = average rate of increase in k.e.

= increase in k.e. / time = 
$$\frac{\frac{1}{2}mv^2 - 0}{t}$$
 =

(ii) Power P = F.v. For P constant,  $F \propto \frac{1}{v}$ 

As car accelerated, v increase, hence F decreases and acceleration decreases.

### 2 June 08 P2Q3

3 (a) (i) 
$$v^2 = 2as$$
  
 $1.2^2 = 2 \times a \times 1.9$   
 $a = 0.38 \text{ m s}^{-2}$ 
M1
A1 [2]

(ii) 
$$F = ma$$
  
=  $42 \times 0.38$  M1  
=  $16 \text{ N}$  A0 [1]

(b) 
$$power = Fv$$
 C1  
= 16 × 1.2  
= 19 W A1 [2]

(c) (i) component = 
$$42 \times 9.8 \times \sin 2.8$$
 C1  
=  $20.1 \text{ N}$  A1 [2]

(ii) accelerating force = 
$$20.1 - 16 = 4.1 \text{ N}$$
 C1 acceleration of trolley =  $4.1 / 42 = 0.098 \text{ m s}^{-2}$  C1 s =  $\frac{1}{2}at^2$  3.5 =  $\frac{1}{2} \times 0.098 \times t^2$  C1 t = 8.5 s A1 [4]

(d) either allows plenty of time to stop runaway trolley or speed of trolley increases gradually or trolley will travel faster B1 [1] (answer must be unambiguous when read in conjunction with question)