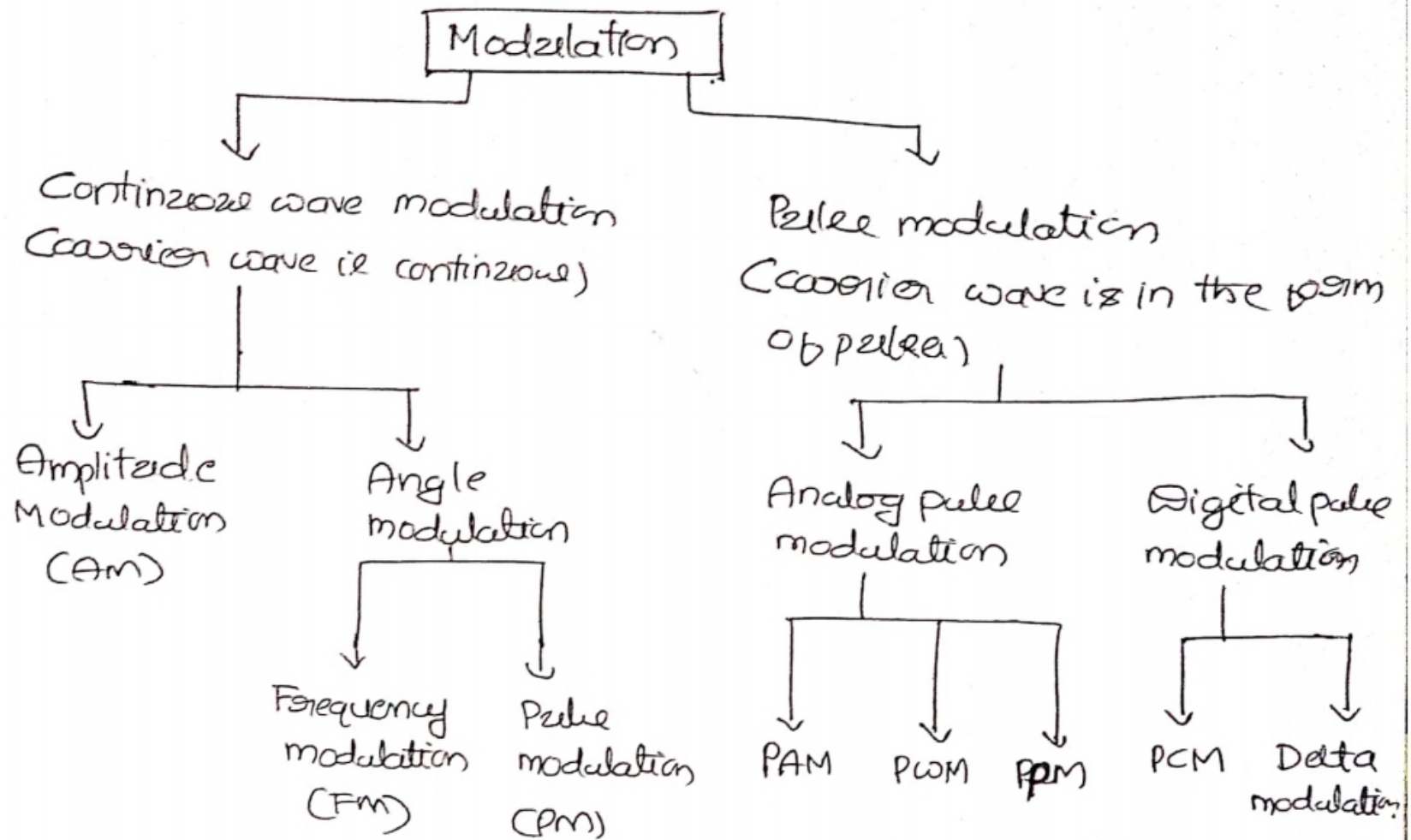
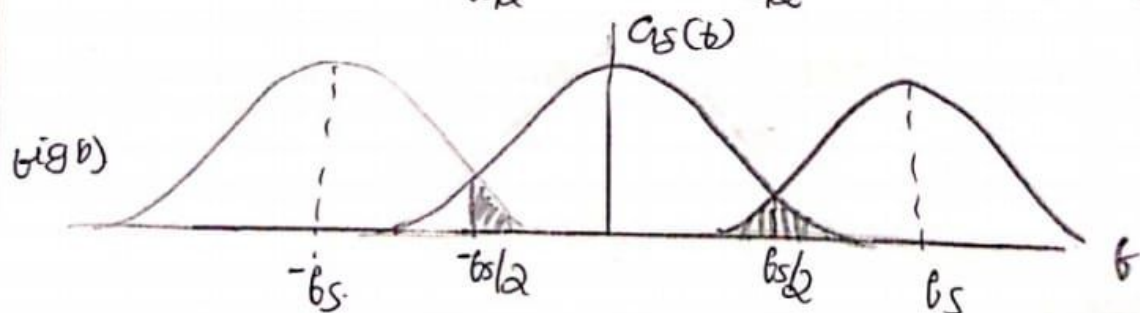
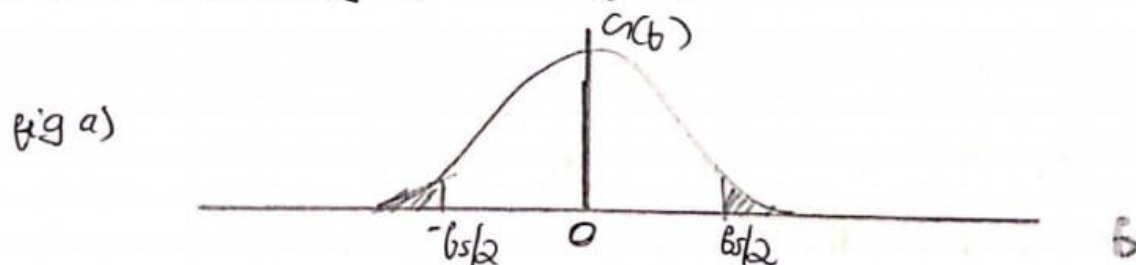


# Types of Modulation



## Signal Distortion in Sampling:

- \* In deriving sampling theorem, signal  $g(t)$  is assumed to be strictly band-limited, with no frequencies higher than  $\omega$ .
- \* However, a signal cannot be finite in both time and frequency.
- \* To be strictly band-limited,  $g(t)$  must have infinite duration for its spectrum.
- \* Practically, finite segment of the signal is considered, for which case the spectrum cannot be strictly bandlimited.
- \* When a signal of finite duration is sampled, an 'error' in reconstruction occurs as a result of sampling process.
- \* Consider a signal  $g(t)$  whose spectrum  $G(f)$  decreases with increasing frequency  $f$  without limit (fig a)



- \* Spectrum  $G_s(f)$  of discrete time signal  $g_s(t)$ , resulting from ideal sampling is shown (in fig b)
- $G_s(f)$  is the sum of  $G(f)$  and an infinite number of

frequency-shifted replicas of it.

\* Low-pass reconstruction filter is used with its passband extending from  $-b_s/2$  to  $b_s/2$ .

\* Undistorted version of original signal  $g(t)$  can not be obtained; Instead, portions of frequency-shifted replicas are folded over inside the desired spectrum.

i.e., high frequencies in  $G(b)$  are reflected into low frequencies in  $G_s(b)$ .

[Observe shaded areas of spectra in fig a & b]

\*\*\* The phenomenon of a high-frequency in the spectrum of the original signal  $g(t)$  seemingly taking on the identity of a lower frequency in the spectrum of the sampled signal  $g_s(t)$  is called 'aliasing' @ 'foldover'.

Due to this effect, information is inevitably lost in the sampling process.