

① Counting Sort

* Given Input Size is "n"

* Given Range is "k"

* it is not comparison based sorting

(1-5) value - 2 1 2 3 1 2 4

1	1 2
2	1 2 3
3	1
4	1
5	0

1122234

② Radix Sort ⇒

it is non comparison based algorithm.

Q.) 904, 46, 5, 74, 62, 1

904, 046, 005, 074, 062, 001 जो नम्बर सबसे

Sort ⇒
last digit ⇒001
062
904
074
005
046

Sort (10Place) ⇒

001
904
- 005
- 046
- 062
- 074001
005
046
062
074
904

finally Sort value

छड़ा होगा उसी
के वरावर
सब को कर
लेगे

③ Bucket Sort \Rightarrow non comparison based algorithm.

Bucket - Sort (A)

- 1) let $B(0 \dots n-1)$ be a new array.
- 2) $n = A.length$
- 3) for $i = 0$ to $n-1$
- 4) make $B[i]$ an empty list.
- 5) for $i = 1$ to n
- 6) Insert $A[i]$ into list $B[\lfloor nA[i] \rfloor]$
- 7) for $i = 0$ to $n-1$.
- 8) sort $B[i]$ with insertion sort.
- 9) concatenate the lists together $B[0], B[1], B[2], \dots, B[n-1]$ in order.

Q.1) 0.79, 0.13, 0.64, 0.39, 0.20, 0.89, 0.53, 0.42, 0.06, 0.94

0	0.06
1	.13
2	.20
3	.39
4	.42
5	.53
6	.64
7	.79
8	.89
9	.94

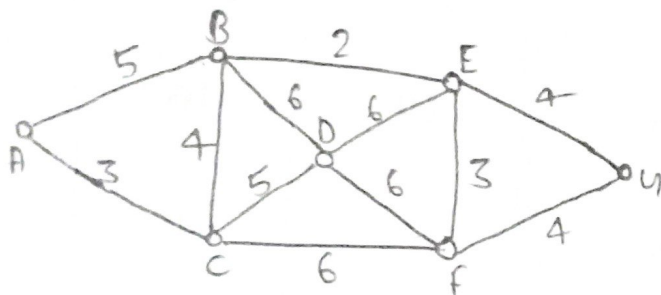
इशमलक के बाद जो Number होगा उसी के हिसाब से निखेंगे।

0.06	0.13	0.20	0.39	0.42	0.53	0.64	0.79	0.89	0.94
------	------	------	------	------	------	------	------	------	------

↓
This Value sort

Minimum Spanning tree

(2)



Solve

$0 \rightarrow \text{edge}$
 $(n-1)$

$$7 - 1 = (6)$$

① constraint min heap
with 12 edges

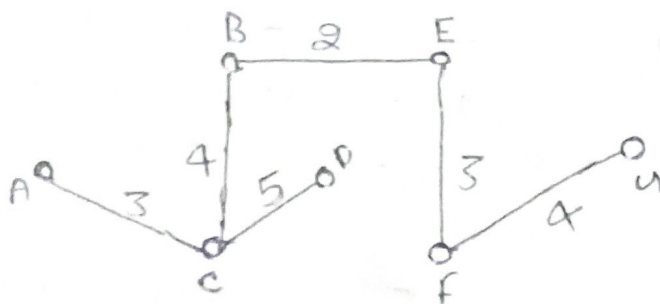
② Take one by one edge
and add in spanning
tree (cycle should
be not created)

Best case $(n-1)$ ed
worst case 12 edges

* Spanning tree

बनते समय (cycling
नहीं होनी चाहिए)

* सबसे पहले हम
minimum value
से शुरू करेंगे



Total cost of minimum tree = (21)

Fractional Knapsack Problem

Q.)

Object	Ob ₁	Ob ₂	Ob ₃
Profit	25	24	15
Weight	18	15	10
	1.3	1.6	1.5

Knapsack
Capacity

$$(m) = 20$$

$$\boxed{} 20$$

Solve

P/w

Both

	5
Ob ₂	15

5 * जो सबसे
होता है
की लंबाई

$$\frac{5 \times 15}{10} = 7.5$$

$$24 + 7.5 = 31.5$$

Ans

for $i = 1$ to n
calculate 'P/w'
sort object in
decreasing order
of P/w ratio

→ for $i = 1$ to n

if $m > 0$ and $w_i \leq m$

$$m = m - w_i,$$

$$P = P + P_i,$$

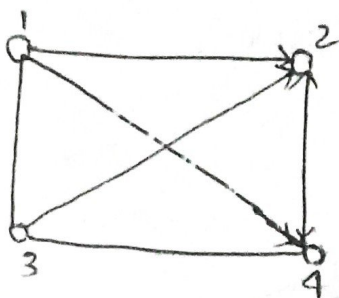
else break

if $(m > 0)$

$$P = P + P_i \left(\frac{m}{w_i} \right)$$

Travelling Salesman Problem

Q.)



	1	2	3	4
1	0	10	15	20
2	5	0	25	10
3	15	30	0	5
4	15	10	20	0

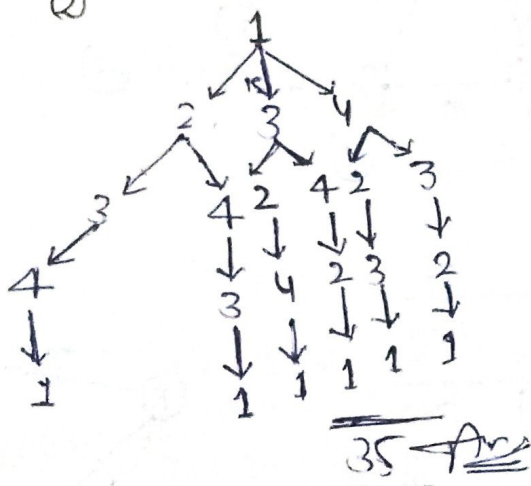
Solve * हम minimum Value से शुरू करेंगे हमेशा

①

1	
↓	10
2	
↓	10
4	
↓	20
3	
↓	15
1	55

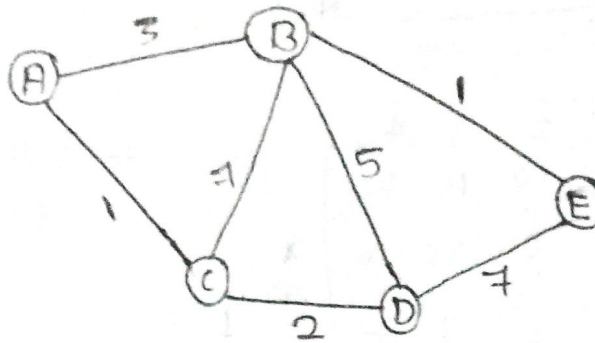
Correctly method

②

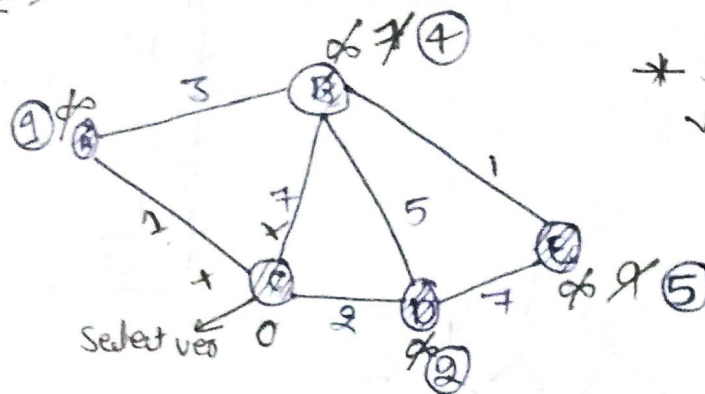


Dijkstra's Algorithm

Q) find the shortest path in the given weighted graph by Dijkstra algorithm.

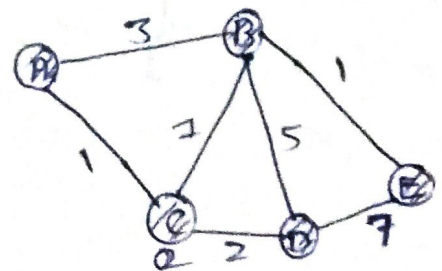


Solve \Rightarrow



* Select करें समय
vertices को हमेशा min में
लेते

select with	A	B	D	E
A	(1)*	7	2	∞
D		4	(2)	∞
B		(4)*		9
				(5)



$CA - CA \rightarrow C-A$
 $CB - CAB \rightarrow C-A-B$
 $CD - CD \rightarrow C-D$
 $CE - CABE \rightarrow C-A-B-E$