Codebook

MU_Codebenders

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Part1 → Number Theory

```
1. BigMod
   ll bigMod(ll n, ll k) {
       ll res=1;
       n %= MOD;
       while(k) {
           if(k\&1) res = (res*n)%MOD;
           n = (n*n) \% MOD;
           k >>= 1;
       return res;
   }
2. Sieve
   ll const M = 1e18;
   bitset<M> isPrime;
   void sieve(int n) {
       isPrime.set();
       isPrime[0] = isPrime[1] = 0;
       for(int i=2; i*i<=n; i++) {
           if(isPrime[i]) {
               for(int j=i*i; j<=n; j+=i) {</pre>
                    isPrime[j] = 0;
               }
           }
       }
   }
3. nCr (1)
   11 nCr(ll n, ll r) {
       11 p = 1, q = 1;
       if(r > n-r) r = n-r;
       if(r) {
           while(r) {
               p *= n; q *= r;
               11 x = gcd(p, q);
               p /= x; q /= x;
               n--; r--;
           }
       }
       else p = 1;
       return p;
   }
4. nCr(2)
   11 nCr(ll n, ll r) { // using bionomial coefficient
```

```
if(r > n-r) r = n-r;
       ll ans = 1;
       for(ll i=0; i<r; i++) {
           ans *= (n-i);
           ans /= (i+1);
       return ans;
   }
5. Divisors
   const 11 M = 1e7+5;
   vector<ll> V(M);
    void divisorCount() {
       for(ll i=1; i<=M; i++) {
           for(ll j=i; j<=M; j+=i) {</pre>
               V[j]++;
           }
       }
    }
6. Divisors of n
   vector<int> divisors
   void divisors(ll n) {
       for(int i=1; i*i <= n; i++) {
           if(n%i == 0) divisors.push_back(i);
           if(n/i != i) divisors.push_back(n/i);
7. Number of Common Divisors
   11 count_common_divisor(ll a, ll b) {
       11 n = __gcd(a, b);
       11 count = 0;
       for(ll i=1; i*i <= n; i++) {
           if(n%i == 0) {
               count += 2;
               if(i*i == n) count--;
           }
       }
       return count;
   }
8. Prime Fectorization
   ll primeFact(ll n) {
       set<ll> st;
       for(ll i=2; i*i<=n; i++) {
           if(n%i==0) {
               int count=0;
```

Part2 → Graph

```
1. DFS
```

```
void DFS(int st) {
    visited[st] = true;
    for (auto neighbor : graph[st]) {
        if (!visited[neighbor])
            DFS(neighbor);
    }
}
```

2. BFS

3. Shortest Path

```
vector<ll> g[M];
void bfs(ll src, vector<ll>&par, vector<ll>&dist) {
   queue<ll> q;
   q.push(src);
   dist[src] = 0;
   while(!q.empty()) {
        ll u = q.front();
        q.pop();
   }
}
```

```
for(auto v : g[u]) {
            if(dist[v] == inf) {
                 dist[v] = dist[u] + 1;
                 par[v] = u;
                 q.push(v);
            }
        }
    }
}
void solve() {
    ll v, e; cin >> v >> e;
    g->clear();
    for(ll i=0; i<e; i++) {</pre>
        11 u, v; cin >> u >> v;
        g[u].push_back(v);
        g[v].push_back(u);
    }
    vector<ll> dist(v+1, inf);
    vector<ll> par(v+1, -1);
    ll src = 1, dest = v;
    bfs(src, par, dist);
    vector<ll> path;
    11 curr = v;
    while(curr != -1) {
        path.push_back(curr);
        curr = par[curr];
    }
    if(dist[v] == inf) {
        cout << "Impossible\n"; return;</pre>
    }
    cout << dist[v] + 1 << endl;</pre>
    reverse(path.begin(), path.end());
    for(auto i : path) cout << i << " "; cout << endl;</pre>
}
```

4. Dijkstra

```
#include <bits/stdc++.h>
using namespace std;
#define mx 100123 // maximum number of nodes
#define infLL LLONG_MAX // define infinity as the largest possible value of
long long
typedef long long 11;
typedef pair<11, 11> pll;
vector<pll> adj[mx]; // adjacency list with weight
11 dist[mx]; // distance array
void dijkstra(int s, int n) {
    for (int i = 1; i <= n; i++) dist[i] = infLL; // initialize distances</pre>
to infinity
    dist[s] = 0; // initialize source distance to 0
    priority_queue<pll, vector<pll>, greater<pll>> pq; // min-heap
priority queue
    pq.push({0, s}); // push source node with distance 0
    while (!pq.empty()) {
        int u = pq.top().second; // node u
        11 curD = pq.top().first; // current distance to u
        pq.pop();
        if (dist[u] < curD) continue; // if current distance is not</pre>
optimal, continue
        // relax all neighbors
        for (auto p : adj[u]) {
            int v = p.first; // adjacent node v
            11 w = p.second; // weight of the edge from u to v
            if (curD + w < dist[v]) { // relax the edge</pre>
                dist[v] = curD + w;
                pq.push({dist[v], v}); // push the updated distance of v
            }
        }
    }
}
int main() {
    int n, m;
    cin >> n >> m; // input number of nodes and edges
    for (int i = 1; i <= m; i++) {
        int u, v, w;
        cin >> u >> v >> w; // input edges with weights
        adj[u].push_back({v, w}); // add edge from u to v with weight w
        adj[v].push_back({u, w}); // add reverse edge for undirected graph
    }
```

```
dijkstra(1, n); // run Dijkstra starting from node 1

// print the shortest distance from node 1 to all nodes
for (int i = 1; i <= n; i++) {
    if (dist[i] == infLL) cout << "-1 "; // unreachable node
    else cout << dist[i] << " "; // reachable node
}
cout << endl;
return 0;
}</pre>
```

Part3 → Utilities

1. Bit Manipulation

```
11 Set(11 num, 11 pos) {
    return num | (1LL << pos);
}

11 Clear(11 num, 11 pos) {
    return num & ~(1LL << pos);
}

11 Toggle(11 num, 11 pos) {
    return num ^ (1LL << pos);
}

bool Check(11 num, 11 pos) {
    return (bool)(num & (1LL << pos));
}</pre>
```

2. Direction

```
int dx4[] = {0, 0, -1, 1};
int dy4[] = {1, -1, 0, 0};
int dx8[] = {1, 1, 1, 0, 0, -1, -1, -1};
int dy8[] = {1, 0, -1, 1, -1, 1, 0, -1};
int dx_horse[] = {1, 1, -1, -1, 2, 2, -2, -2}
Int dy_horse[] = {2, -2, 2, -2, 1, -1, 1, -1}
```

Part4 → Geometry & Math

Formula:

• Triangle:

```
Area:
Using coordinates: A = 1/2 * |x1*(y2-y3)+x2*(y3-y1)+x3*(y1-y2)|
A = (b+h)/2 // b = base, h = height
Heron's formula:
A = sqrt(s*(s-a)*(s-b)*(s-c)) // s = (a+b+c)/2
Perimeter: (a+b+c)
```

Volume of a triangular prism: A * H // A = area of triangle, H = height of prism

- Distance between 2 point: $d = sqrt((x2-x1)^2 + (y2-y1)^2)$ Mid point: M = ((x1+x2)/2, (y1+y2)/2)
- Cylinder:

```
Area: A = 2 * pi * r * (r + h)
Volume: V = pi * r * r * h
```

Part5 → Segment Tree

1. Normal

```
vector<ll> arr;
vector<ll> tree;
void init(ll node, ll begin, ll end) {
    if(begin == end) {
        tree[node] = arr[begin]; return;
    }
    11 \text{ mid} = (begin + end) >> 1;
    init(node << 1, begin, mid);</pre>
    init((node << 1) + 1, mid + 1, end);
    tree[node] = tree[node << 1] + tree[(node << 1) + 1];</pre>
}
11 query(11 node, 11 begin, 11 end, 11 left, 11 right) {
    if(left > end || right < begin) return 0;</pre>
    if(left <= begin && right >= end) return tree[node];
    11 \text{ mid} = (begin + end) >> 1;
    11 sumL = query(node << 1, begin, mid, left, right);</pre>
    ll sumR = query((node \langle\langle 1\rangle + 1\rangle, mid + 1, end, left, right);
    return (sumL + sumR);
}
void update(ll node, ll begin, ll end, ll i, ll value) {
    if(i > end || i < begin) return;</pre>
```

```
if(i \leftarrow begin \&\& i \rightarrow end) {
            tree[node] = value; return;
       }
       11 \text{ mid} = (begin + end) >> 1;
       update(node << 1, begin, mid, i, value);</pre>
       update((node << 1) + 1, mid+1, end, i, value);</pre>
       tree[node] = tree[node << 1] + tree[(node << 1) + 1];</pre>
   }
   void solve() {
       11 n, q; cin >> n >> q;
       arr.resize(n+1); tree.resize(4*n);
       for(ll i=1; i<=n; i++) cin >> arr[i];
       init(1, 1, n);
       while(q--) {
            11 type; cin >> type;
            if(type == 1) {
                ll i, v; cin >> i >> v;
                update(1, 1, n, i, v);
            }
            else {
                ll l, r; cin >> l >> r;
                cout << query(1, 1, n, l, r) << endl;</pre>
            }
       }
   }
2. Lazy
   vector<ll> arr;
   vector<ll> tree;
   vector<ll> lazy;
   void shift(ll node, ll b, ll e) {
       if(lazy[node]) {
            tree[node] += ((e - b + 1) * lazy[node]);
            if(b != e) {
                lazy[node << 1] += lazy[node];</pre>
                lazy[(node << 1) + 1] += lazy[node];</pre>
            lazy[node] = 0;
       }
   }
   void init(ll node, ll b, ll e) {
```

```
if(b == e) {
        tree[node] = arr[b];
        return;
    }
    11 \text{ mid} = (b + e) >> 1;
    init(node << 1, b, mid); init((node << 1) + 1, mid + 1, e);</pre>
    tree[node] = tree[node << 1] + tree[(node << 1) + 1];</pre>
}
void update(ll node, ll b, ll e, ll i, ll j, ll value) {
    shift(node, b, e);
    if(e < i \mid \mid b > j) return;
    if(b >= i \&\& e <= j) {
        tree[node] += ((e - b + 1) * value);
        if(b != e) {
             lazy[node << 1] += value;</pre>
             lazy[(node << 1) + 1] += value;</pre>
        return;
    }
    11 \text{ mid} = (b + e) >> 1;
    update(node << 1, b, mid, i, j, value);</pre>
    update((node << 1) + 1, mid + 1, e, i, j, value);
    tree[node] = tree[node << 1] + tree[(node << 1) + 1];</pre>
}
11 query(11 node, 11 b, 11 e, 11 1, 11 r) {
    shift(node, b, e);
    if (e < 1 \mid | b > r) return 0;
    if (b >= 1 && e <= r) return tree[node];</pre>
    11 \text{ mid} = (b + e) >> 1;
    11 q1 = query(node << 1, b, mid, l, r);</pre>
    11 q2 = query((node << 1) + 1, mid + 1, e, l, r);
    return q1 + q2;
}
void solve() {
    11 n, q; cin >> n >> q;
    arr.resize(n+1); tree.resize(n*4); lazy.resize(n*4, 0);
    for(ll i=1; i<=n; i++) cin >> arr[i];
    init(1, 1, n);
```

```
while(q--) {
    ll t; cin >> t;
    if(t == 0) {
        ll i, j, v; cin >> i >> j >> v;
        update(1, 1, n, i, j, v);
    }
    else {
        ll l, r; cin >> l >> r;
        cout << query(1, 1, n, l, r) << endl;
    }
}</pre>
```

Part6 → DP

```
1. LIS
   void LIS() {
       int n; cin >> n;
       vector<int> V(n);
       for(auto &x : V) cin >> x;
       vector<int> lis;
       for(auto i : V) {
            auto it = lower_bound(lis.begin(), lis.end(), i);
           if(it != lis.end()) {
                *it = i;
           }
           else {
                lis.push_back(i);
           }
       cout << lis.size() << endl;</pre>
2. LCS
   const int Max = 1000 + 5;
   int dp[Max][Max];
   bool vist[Max][Max];
   string s, t;
   int n, m;
   int lcs(int i, int j)
   {
       if (i >= n \text{ or } j >= m)
       {
           return 0;
       }
       int &ret = dp[i][j];
       bool &vis = vist[i][j];
       if (vis)
```

```
{
        return ret;
    }
    vis = 1;
    int res = 0;
    if (s[i] == t[j])
        res = 1 + lcs(i + 1, j + 1);
    }
    else
        res = \max(lcs(i + 1, j), lcs(i, j + 1));
    }
    return ret = res;
string ans;
void solution(int i, int j)
{
    if (i >= n \text{ or } j >= m)
    {
        return;
    if (s[i] == t[j])
        ans += s[i];
        solution(i + 1, j + 1);
    }
    else
    {
        if (lcs(i + 1, j) > lcs(i, j + 1))
            solution(i + 1, j);
        }
        else
            solution(i, j + 1);
    }
}
int main()
    int T;
    cin >> T;
    for (int tc = 1; tc <= T; tc++)
        cin >> s >> t;
        n = s.size();
        m = t.size();
        memset(vist, 0, sizeof vist);
        int maxlen = lcs(0, 0);
        ans = "";
```

```
solution(0, 0);
cout << ans << '\n';
}
</pre>
```

Extra:

```
1. Subset:
   void solve() {
       11 n; cin >> n;
       vector<ll> V(n);
       for(auto &x : V) cin >> x;
           bool f = false;
       for(ll mask=0; mask<(1<<n); mask++) {</pre>
           vector<ll> temp;
           for(ll i=0; i<n; i++) {
                if(mask & (1<<i)) {
                    temp.pb(V[i]);
                }
           }
           for (auto &x : temp) {
               cout << x << " ";
           cout << endl;</pre>
       }
   }
2. Two pointer:
   void solve() {
       11 n, k; cin >> n >> k;
       vector<11> V(n);
       set<ll> st;
       for(auto &x : V) cin >> x;
       vector<pair<ll, ll>> pr;
       11 j = 0, i = 0, sum = 0, ans = 0;
       while(j < n) \{
           sum += V[j];
           if(j-i+1 == k) {
                pr.pb({sum, i});
           if(j-i+1 > k) {
               while(j-i+1 > k) {
                    sum -= V[i];
                    i++;
                }
               ans = max(sum, ans);
           }
```

```
j++;
       }
       cout << max(ans, sum) < endl;</pre>
3. Subarray sum:
   int main() {
     int n; cin >> n;
     int a[n];
     for (int i = 0; i < n; i++) {
        cin >> a[i];
     long long max_subarray_sum = -1e18;
     long long sum = -1e18;
     for (int i = 0; i < n; i++) {
        sum=max((long long)a[i],a[i]+sum); // max subarray sum ending at index i
        max_subarray_sum = max(max_subarray_sum, sum);
     }
     cout << max_subarray_sum << '\n';</pre>
     return 0;
   }
```