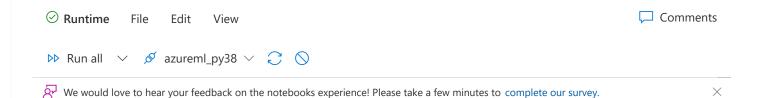


# Exercise - Experiment with more powerful regression models

10 minutes

Sandbox activated! Time remaining: 1 hr 10 min

You have used 4 of 10 sandboxes for today. More sandboxes will be available tomorrow.



# Regression - Experimenting with additional models

In the previous notebook, we used simple regression models to look at the relationship between features of a bike rentals dataset. In this notebook, we'll experiment with more complex models to improve our regression performance.

Let's start by loading the bicycle sharing data as a **Pandas** DataFrame and viewing the first few

```
# Import modules we'll need for this notebook
import pandas as pd
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
from sklearn.model_selection import train_test_split
import numpy as np
import matplotlib.pyplot as plt
%matplotlib inline
# load the training dataset
!wget https://raw.githubusercontent.com/MicrosoftDocs/mslearn-introduction-to-machine-le
bike_data = pd.read_csv('daily-bike-share.csv')
bike_data['day'] = pd.DatetimeIndex(bike_data['dteday']).day
numeric_features = ['temp', 'atemp', 'hum', 'windspeed']
categorical_features = ['season','mnth','holiday','weekday','workingday','weathersit', '
bike_data[numeric_features + ['rentals']].describe()
print(bike_data.head())
```

```
# Separate features and labels
         # After separating the dataset, we now have numpy arrays named **X** containing the feat
         X, y = bike_data[['season','mnth', 'holiday','weekday','workingday','weathersit','temp',
         # Split data 70%-30% into training set and test set
         X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.30, random_state=0
         print ('Training Set: %d rows\nTest Set: %d rows' % (X_train.s)
[1]
        59 sec
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                                                   0.160296
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                                                                        4
                 1 0.226957 0.229270 0.436957
                                                   0.186900
                                                                  82
    Training Set: 511 rows
    Test Set: 220 rows
```

Now we have the following four datasets:

- X train: The feature values we'll use to train the model
- y\_train: The corresponding labels we'll use to train the model
- **X\_test**: The feature values we'll use to validate the model
- y\_test: The corresponding labels we'll use to validate the model

Now we're ready to train a model by fitting a suitable regression algorithm to the training data

## **Experiment with Algorithms**

The linear-regression algorithm we used last time to train the model has some predictive capability, but there are many kinds of regression algorithm we could try, including:

- Linear algorithms: Not just the Linear Regression algorithm we used above (which is technically an Ordinary Least Squares algorithm), but other variants such as Lasso and Ridge.
- Tree-based algorithms: Algorithms that build a decision tree to reach a prediction.
- **Ensemble algorithms**: Algorithms that combine the outputs of multiple base algorithms to improve generalizability.

**Note**: For a full list of Scikit-Learn estimators that encapsulate algorithms for supervised machine learning, see the <u>Scikit-Learn documentation</u>. There are many algorithms from which to choose, but for most real-world scenarios, the <u>Scikit-Learn estimator cheat sheet</u> can help you find a suitable starting point.

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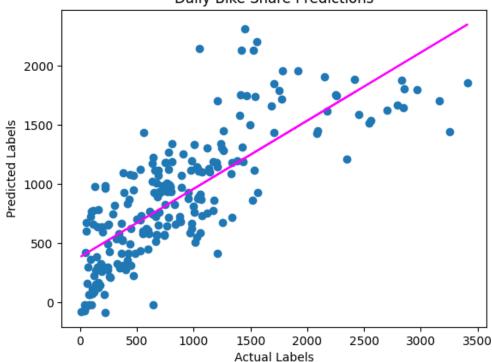
```
trom sklearn.linear_model import Lasso
         # Fit a lasso model on the training set
         model = Lasso().fit(X_train, y_train)
         print (model, "\n")
         # Evaluate the model using the test data
         predictions = model.predict(X_test)
         mse = mean_squared_error(y_test, predictions)
         print("MSE:", mse)
         rmse = np.sqrt(mse)
         print("RMSE:", rmse)
         r2 = r2_score(y_test, predictions)
         print("R2:", r2)
         # Plot predicted vs actual
         plt.scatter(y_test, predictions)
         plt.xlabel('Actual Labels')
         plt.ylabel('Predicted Labels')
         plt.title('Daily Bike Share Predictions')
         # overlay the regression line
         z = np.polyfit(y_test, predictions, 1)
         p = np.poly1d(z)
         plt.plot(y_test,p(y_test), color='magenta')
         plt.show()

√ 1 sec

[2]
```

MSE: 201155.70593338404 RMSE: 448.5038527519959 R2: 0.6056468637824488

#### Daily Bike Share Predictions



## Try a Decision Tree Algorithm

As an alternative to a linear model, there's a category of algorithms for machine learning that uses a tree-based approach in which the features in the dataset are examined in a series of evaluations, each of which results in a *branch* in a *decision tree* based on the feature value. At the end of each series of branches are leaf-nodes with the predicted label value based on the feature values.

It's easiest to see how this works with an example. Let's train a Decision Tree regression model using the bike rental data. After training the model, the following code will print the model

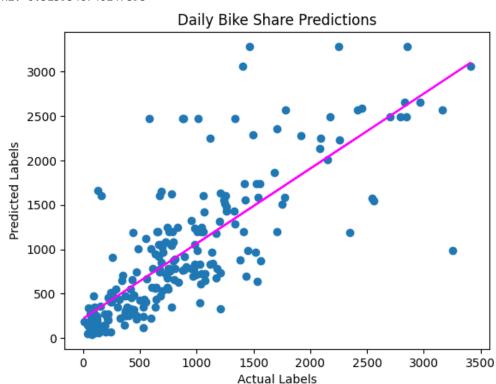
So now we have a tree-based model, but is it any good? Let's evaluate it with the test data.

```
# Evaluate the model using the test data
predictions = model.predict(X_test)
mse = mean_squared_error(y_test, predictions)
print("MSE:", mse)
rmse = np.sqrt(mse)
print("RMSE:", rmse)
r2 = r2_score(y_test, predictions)
print("R2:", r2)

# Plot predicted vs actual
plt.scatter(y_test, predictions)
plt.xlabel('Actual Labels')
```

```
plt.ylabel('Predicted Labels')
  plt.title('Daily Bike Share Predictions')
  # overlay the regression line
  z = np.polyfit(y_test, predictions, 1)
  p = np.poly1d(z)
  plt.plot(y_test,p(y_test), color='magenta')
  plt.show()
```

MSE: 241805.91818181818 RMSE: 491.737651783772 R2: 0.5259546740247898



The tree-based model doesn't seem to have improved over the linear model, so what else could we try?

### Try an Ensemble Algorithm

Ensemble algorithms work by combining multiple base estimators to produce an optimal model, either by applying an aggregate function to a collection of base models (sometimes referred to a *bagging*) or by building a sequence of models that build on one another to improve predictive performance (referred to as *boosting*).

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```
from sklearn.ensemble import RandomForestRegressor

# Train the model
model = RandomForestRegressor().fit(X_train, y_train)
print (model, "\n")

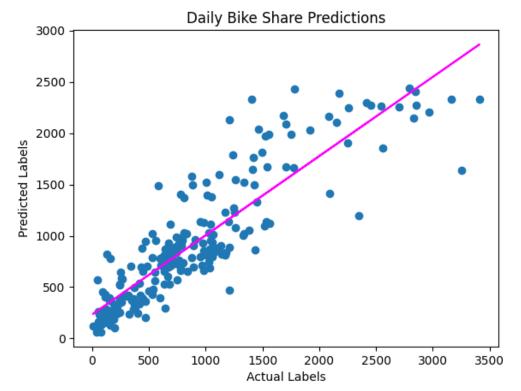
# Evaluate the model using the test data
predictions = model.predict(X_test)
mse = mean squared error(y_test_predictions)
```

```
print("MSE:", mse)
   rmse = np.sqrt(mse)
   print("RMSE:", rmse)
   r2 = r2_score(y_test, predictions)
   print("R2:", r2)
   # Plot predicted vs actual
   plt.scatter(y_test, predictions)
   plt.xlabel('Actual Labels')
   plt.ylabel('Predicted Labels')
   plt.title('Daily Bike Share Predictions')
   # overlay the regression line
   z = np.polyfit(y_test, predictions, 1)
   p = np.poly1d(z)
   plt.plot(y_test,p(y_test), color='magenta')
   plt.show()

√ 1 sec
```

MSE: 110297.43965181816 RMSE: 332.11058346854617 R2: 0.7837687922317003

[5]

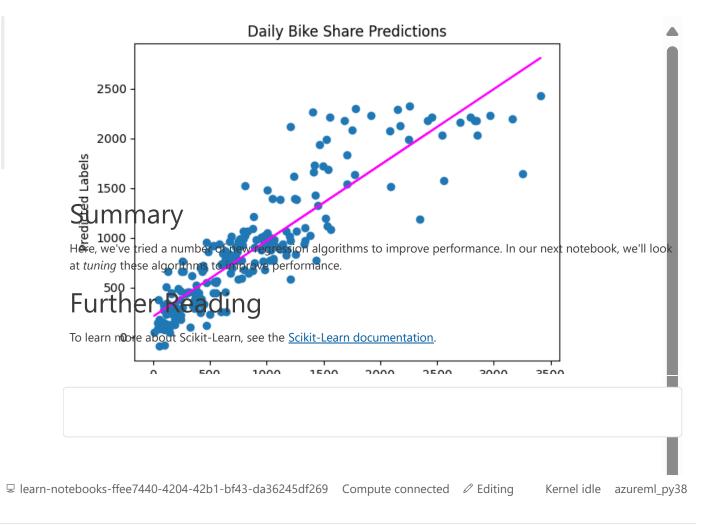


For good measure, let's also try a *boosting* ensemble algorithm. We'll use a Gradient Boosting estimator, which like a Random Forest algorithm builds multiple trees; but instead of building

The first of the f

# Train the model  $from \ sklearn.ensemble \ import \ Gradient Boosting Regressor$ # Fit a lasso model on the training set model = GradientBoostingRegressor().fit(X\_train, y\_train) print (model, "\n") # Evaluate the model using the test data predictions = model.predict(X\_test) mse = mean\_squared\_error(y\_test, predictions) print("MSE:", mse) rmse = np.sqrt(mse) print("RMSE:", rmse) r2 = r2\_score(y\_test, predictions) print("R2:", r2) # Plot predicted vs actual plt.scatter(y\_test, predictions) plt.xlabel('Actual Labels') plt.ylabel('Predicted Labels') plt.title('Daily Bike Share Predictions') # overlay the regression line z = np.polyfit(y\_test, predictions, 1) p = np.poly1d(z)plt.plot(y\_test,p(y\_test), color='magenta') plt.show() ✓ <1 sec</p> [6]

MSE: 103946.75217450749 RMSE: 322.4077421131625 R2: 0.7962189164386884



### Next unit: Improve models with hyperparameters

Continue >