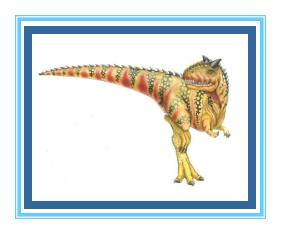
Chapter 5: Process Synchronization





Background

- Processes can execute concurrently
 - May be interrupted at any time due to context switch, partially completing execution
- Concurrent access to shared data may result in data inconsistency
- Maintaining data consistency requires mechanisms to ensure the orderly execution of cooperating processes

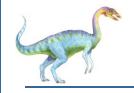




Illustrating the problem

- ☐ Revisit the Producer-Consumer problem
- Suppose we want to provide a solution that fills all the buffers.
- We can do so by having an integer counter that keeps track of the number of full buffers.
 - Initially, counter is set to 0.
 - It is incremented by the producer after it produces a new buffer and is decremented by the consumer after it consumes a buffer.





Producer





Consumer





Race Condition

☐ counter++ could be implemented as

counter-- could be implemented as

Consider this execution interleaving with "count = 5" initially:

```
S0: producer execute register1 = counter {register1 = 5}
S1: producer execute register1 = register1 + 1 {register1 = 6}
S2: consumer execute register2 = counter {register2 = 5}
S3: consumer execute register2 = register2 - 1 {register2 = 4}
S4: producer execute counter = register1 {counter = 6}
S5: consumer execute counter = register2 {counter = 4}
```





Race Condition

- Concurrent execution of parent process and child process may result in race condition
- Race condition: outcome of execution depends on the exact order in which the instructions (spread over multiple processes) get executed
- Need process synchronization to avoid race conditions





Critical Section Problem

- Consider system of n cooperating processes $\{p_0, p_1, \dots p_{n-1}\}$ that access shared data
- Each process has a critical section segment of code
 - Process may be modifying shared data (e.g., update common variables, updating table, writing file, etc.)
- Basic requirement:
 - While one process is executing in its critical section, no other process is allowed to execute in its critical section
- Critical section problem is to design a protocol to solve this





Critical Section

 \square General structure of process P_i

```
do {
    entry section
    critical section

exit section

remainder section
} while (true);
```

Each process must ask permission to enter critical section in entry section, may follow critical section with exit section, then remainder section





Solution to Critical-Section Problem

A correct to the critical section problem must satisfy these conditions:

- 1. Mutual Exclusion If process P_i is executing in its critical section, then no other processes can be executing in their critical sections (even if P_i is not assigned the CPU at this point of time)
- 2. Progress If no process is executing in its critical section and there exist some processes that wish to enter their critical section, then the selection of the processes that will enter the critical section next cannot be postponed indefinitely
- 3. Bounded Waiting A bound must exist on the number of times that other processes are allowed to enter their critical sections after a process P_i has made a request to enter its critical section and before that request is granted
 - Assume that each process executes at a nonzero speed
 - No assumption concerning relative speed of the n processes





Critical-Section Handling in OS

Two approaches depending on if kernel is preemptive or nonpreemptive

- ☐ Preemptive allows a process to be preempted while it is running in kernel mode
- Non-preemptive does not allow a process running in kernel mode to be preempted
 - Process runs until it exits kernel mode, blocks, or voluntarily yields CPU
 - Essentially free of race conditions in kernel mode
- ☐ Preemptive kernels require very careful design; more suitable for real-time systems





Solutions to the Critical Section Problem





Peterson's Solution

- An algorithmic (software-based) solution to the control section problem
- Restricted to two processes that alternate execution between their critical section and remainder section
- Assume that the load and store machine-language instructions are atomic; that is, cannot be interrupted
- ☐ The two processes share two variables:

```
int turn // usually initialized to 0Boolean flag[2] // initialized to both false
```

- ☐ The variable turn indicates whose turn it is to enter the critical section
- The flag array is used to indicate if a process is ready to enter the critical section. flag[i] = true implies that process P_i is ready





Algorithm for Process Pi

- •The variable turn indicates whose turn it is to enter the critical section
- •The flag array is used to indicate if a process is ready to enter the critical section. flag[i] = true implies that process P_i is ready





P₀

```
do{
                                do {
 flag[0] = true;
                                     flag[1] = true;
 turn = 1;
                                     turn = 0;
 while(flag[1] && turn == 1);
                                     while(flag[0] && turn == 0);
    critical section
                                             critical section
 flag[0] = false;
                                     flag[1] = false;
    remainder section
                                             remainder section
 } while (true);
                                 } while (true);
```

 P_1

- •The variable turn indicates whose turn it is to enter the critical section
- •The flag array is used to indicate if a process is ready to enter the critical section. flag[i] = true implies that process P_i is ready!





Peterson's Solution (Cont.)

- Provable that the three CS requirement are met:
 - 1. Mutual exclusion is preserved

```
P<sub>i</sub> enters CS only if:
```

```
either flag[j] = false Or turn = i
```

- 2. Progress requirement is satisfied
- 3. Bounded-waiting requirement is met





Problem with Peterson's Solution

- Modern computer architectures allow out-of-order execution
- There is no guarantee that Peterson's solution will work correctly on such architectures
- E.g., assume the first two statements before the inner while loop (marked in red below) execute out of order

```
P<sub>0</sub>

do{
    flag[0] = true;
    turn = 1;
    while (flag[1] && turn == 1);
    [critical section]
do{
    flag[1] = true;
    turn = 0;
    while (flag[0] && turn == 0);
    [critical section]
```





Problem with Peterson's Solution (cont.)

 For the following order of execution, both P0 and P1 may enter their critical section simultaneously

```
P1: turn = 0
```

P0: turn = 1

P0: flag[0] = true

P0: while (...); Comes out of while loop, since flag[1] is false

P0 enters critical section

P1: flag[1] = true

P1: while (...); Comes out of while loop, since turn is 1

P1 enters critical section





Synchronization Hardware

- Many systems provide hardware support for implementing the critical section code.
- All solutions to be discussed next based on idea of locking
 - Protecting critical regions via locks
- Uniprocessors could disable interrupts
 - Currently running code would execute without preemption
 - Generally too inefficient on multiprocessor systems
 - Operating systems using this not broadly scalable
- Modern machines provide special atomic hardware instructions
 - Atomic = non-interruptible
 - Either test memory word and set value
 - Or swap contents of two memory words





Solution to Critical-section Problem Using Locks

General structure of the solution





test_and_set Instruction

Definition:

```
boolean test_and_set (boolean *target)
{
    boolean rv = *target;
    *target = TRUE;
    return rv:
}
```

- 1. Executed atomically
- 2. Returns the original value of passed parameter
- 3. Set the new value of passed parameter to "TRUE".





test_and_set Instruction

Definition:

```
boolean test_and_set (boolean *target)
{
    boolean rv = *target;
    *target = TRUE;
    return rv:
}
```

- 1. For ease of explanation, we have abstracted the functionality of the TAS instruction as a C-like function
- 2. In practice, there can be a single low-level instruction
- 3. E.g., in MIPS, we can have a machine instruction such as

TAS R1,
$$O(1000)$$
 \longrightarrow $R1 = M[1000]$ $M[1000] = 1$





Solution using test_and_set()

- Shared Boolean variable lock, initialized to FALSE (indicates unlocked)
- Solution:





compare_and_swap Instruction

Definition:

```
int compare_and_swap(int *value, int expected, int new_value) {
   int temp = *value;

   if (*value == expected)
        *value = new_value;

   return temp;
}
```

- Executed atomically
- 2. Returns the original value of passed parameter "value"
- 3. Set the variable "value" the value of the passed parameter "new_value" but only if "value" =="expected". That is, the swap takes place only under this condition.





compare_and_swap Instruction

Definition:

```
int compare_and_swap(int *value, int expected, int new_value) {
   int temp = *value;

   if (*value == expected)
        *value = new_value;

   return temp;
}
```

- For ease of explanation, we have abstracted the functionality as a C-like function
- 2. In practice, there can be a single low-level instruction
- 3. E.g., in MIPS, we can have a machine instruction such as

```
CAS R1, R2, O(1000) \longrightarrow if (R1 == M[1000]) M[1000] = R2
```





Solution using compare_and_swap

- Shared integer "lock" initialized to 0
- Solution:

```
do {
    while (compare_and_swap(&lock, 0, 1) != 0)
    ; /* do nothing */
    /* critical section */
lock = 0;
    /* remainder section */
} while (true);
```





Bounded waiting requirement

- We discussed multiple requirements for any solution to the Critical Section Problem
 - Mutual Exclusion
 - Progress
 - Bounded Waiting
- The hardware solutions discussed till now satisfy Mutual Exclusion, but may not satisfy Bounded Waiting
- Next slide shows another algorithm using test_and_set() that satisfies all critical section requirements





Bounded-waiting Mutual Exclusion with test_and_set

```
do {
   waiting[i] = true;
   key = true;
   while (waiting[i] && key)
      key = test and set(&lock);
   waiting[i] = false;
   /* critical section */
   j = (i + 1) % n;
   while ((j != i) && !waiting[j])
      j = (j + 1) \% n;
   if (j == i)
      lock = false;
   else
      waiting[j] = false;
   /* remainder section */
} while (true);
```

How to show this algorithm satisfies all Critical Section requirements?

See details in book

