

Ans) (a) Average process size =  $S = 8\text{kbytes}$

\* Page Table entry size =  $K = 4\text{bytes}$

Page size =  $P\text{ bytes}$ .

Let avg internal fragmentation per segment =  $P/2$

Average number of pages per segment =  $S/P$

$$\therefore \text{Total overhead} = V = \frac{KS}{P} + \frac{P}{2}$$

To find  $P$  for min overhead,

$$\frac{dV}{dP} = 0 \Rightarrow P = \sqrt{2SK}$$

$$\therefore P = \left[ \sqrt{2(8000)(4)} \right] = \left[ 80\sqrt{10} \right]$$

$$\approx 80(3.14)$$

$$\approx 251.2$$

$$\approx \underline{\underline{251\text{ bytes}}}$$

$$\begin{array}{r} 314 \\ 8 \\ \hline 1.2 \end{array}$$

- (b) In second-chance page replacement algorithm, the candidate pages for removal are considered in a round robin manner. A page that has been accessed b/w consecutive considerations will not be ~~be~~ replaced. The page replaced is the one which has not been accessed since its last consideration in round robin manner.

eg:

② Virtual pages:

0	:	0000H	to	07FFH
1	:	0800H	to	0FFFH
2	:	1000H	to	17FFH
3	:	1800H	to	1FFFH
4	:	2000H	to	27FFH
5	:	2800H	to	2FFFH
6	:	3000H	to	37FFH
7	:	3800H	to	3FFFH

① 8500 = 2134H  $\rightarrow$  Virtual page 4  $\Rightarrow$  Memory address  
= 1934H

14000 = 36B0H  $\rightarrow$  Virtual page 6  $\Rightarrow$  Memory address  
= 06B0H

5000 = 1388H  $\Rightarrow$  Virtual page 2  $\Rightarrow$  Memory address  
= 0B88H

2100 = 0834H  $\Rightarrow$  Virtual page 1  $\Rightarrow$  page fault



A2 (a) i) Single level page table

$$AMAT = 0.85 (\text{TLB access} + \text{Main memory access}) \\ + 0.15 (0.98 * 2 * \text{Main memory} + 0.02 * \text{Page replacement Time})$$

$$= 0.85 (10 \text{ nsec} + 100 \text{ nsec}) + 0.15 (0.98 * 2 * 100 \text{ nsec} + 0.02 * 2 \text{ msec})$$

$$= 93.5 \text{ nsec} + 6029.4 \text{ nsec} = \underline{\underline{6.123 \text{ } \mu\text{S}}}$$

ii) Three level:

$$AMAT = 0.85 (\text{TLB} + \text{Main}) + 0.15 (0.98 * 4 * \text{Main} + 0.02 * \text{Page})$$

$$= 0.85 (10 \text{ nsec} + 100 \text{ nsec}) + 0.15 (0.98 * 4 * 100 \text{ nsec} + 0.02 * 2 \text{ msec})$$

$$= 93.5 \text{ nsec} + 6058.8 \text{ nsec} = \underline{\underline{6.152 \text{ } \mu\text{S}}}$$

b) (i) Lower bound = n

(ii) Upper bound = p

A3 (6) (i) FIFO

7	3	5	2	1	0	7	4	7
7	7 3	1 3 5	7 3 5 2	3 5 2 1	5 2 1 0	2 1 0 7	1 0 7 4	no page fault

1	2	0	2	6	3	4
no page fault	0 7 4 2	no page fault	no pf	7 4 2 6	4 2 6 3	no pf

1	5	2	7
2 6 3 1	6 3 1 5	3 1 5 2	1 5 2 7

Thus, a total of 15 page faults.

(ii)

7	3	5	2	1	0	7	4	7
7	7 3	7 3 5	7 3 5 2	1 3 5 2	5 2 1 0	2 1 0 7	1 0 7 4	no pf

1	2	2	0	2	6	3	4
no pf	<del>2</del> <del>4</del> <del>7</del> <del>5</del>	4 7 1 2	7 1 2 0	no pf	1 0 2 6	0 2 6 3	2 6 3 4

Date...../...../.....

Page.....

1	5	2	7
6	3	4	1
3	4	1	5
4	1	5	2
1	5	2	7

Thus, a total of 17 pf



A3

- (c) When there is no page fault, TLB hit & ~~EAT~~ TLB miss will be spent.  
 If there is page fault, we also need page swap time.

$$\text{Thus, EAT} = \text{No page fault} (\text{TLB hit} + \text{TLB miss}) \\ + \text{Page fault} (\text{TLB hit} + \text{TLB miss} + \text{Page swap time})$$

(Here, ~~TLB~~ Page fault = rate of page fault  
 $\therefore \text{No page fault} + \text{Page fault} = 1$ )  
 $\text{TLB hit} + \text{TLB miss} = \text{Access time TLB}$   
 $\text{Page swap time} = \text{Page fault service time.}$