

Assignment 1

Sujal - AI20BTECH11020

Download all python codes from

https://github.com/sujal100/Probability_and_Random_variable/tree/main/exercise_1/codes

and latex codes from

https://github.com/sujal100/Probability_and_Random_variable/blob/main/exercise_1/exercise_1_main_tex.tex

Now,

$$\Pr(\mathbf{E}) \cdot \Pr(\mathbf{F}) = \frac{1}{3} \cdot \frac{1}{2} = \frac{1}{6}$$

Since,

$$\Pr(\mathbf{E} \cap \mathbf{F}) = \Pr(\mathbf{E}) \cdot \Pr(\mathbf{F})$$

Therefore E and F are independent events.

1 PROBLEM

A die is thrown. If E is the event "the number appearing is a multiple of 3" and F be the event "the number appearing is even" then find whether E and F are independent ?

2 SOLUTION

Two event E and F are independent if

$$P(E \cap F) = P(E) \cdot P(F)$$

A die is thrown.

We know that the sample space is

$$\mathbf{S} = (1, 2, 3, 4, 5, 6)$$

Let two events be

E : the number appear is a multiple of 3 .

F : the number appearing is even.

$$E : (3, 6)$$

$$\Pr(\mathbf{E}) = \frac{2}{6} = \frac{1}{3}$$

$$F : (2, 4, 6)$$

$$\Pr(\mathbf{F}) = \frac{3}{6} = \frac{1}{2}$$

$E \cap F$ = the number appearing is even multiple of 3 = (3)

So,

$$\Pr(\mathbf{E} \cap \mathbf{F}) = \frac{1}{6}$$