

Signals and Systems Laboratory
Indian Institute of Technology Jammu
Experiment No.-4

Objective-

- a. Calculate the functions, $x[n]=\sin(2\pi fnT)$, $x[n]=\exp(-nT/5)$, etc. Write a DFT routine and calculate the DFT, $X[k]=\text{DFT}x[n]$. The FFT can be implemented in C/C++, Python, etc. Using the tools used in Lab 2, plot $x[n]$ and $X[k]$.
- b. Record your own voice and perform DFT and IDFT.

Apparatus- python+matplotlib, MS-Excel, LibreOffice-Calc, Matlab, Scilab, etc

Theory- Discrete Fourier Transform (DFT) is used for transforming discrete-time sequence $x(n)$ of finite length into discrete-frequency sequence $X(k)$ of finite length. It is very powerful tool for frequency analysis of discrete-time signals.

Mathematically, the DFT of discrete-time sequence $x(n)$ is denoted by $X(k)$, given by,

$$X(k) = \sum_{n=0}^{N-1} x(n).e^{-j2\pi kn/N}$$

here, $k = 0, 1, 2, \dots, N-1$. Since, this summation is taken for N points; it is called as N -point DFT.

Inverse Discrete Fourier Transform:

We can obtain discrete sequence $x(n)$ from its DFT. It is called as inverse discrete fourier transform (IDFT).

Mathematically, the IDFT is given by:

$$x(n) = \frac{1}{N} \sum_{k=0}^{N-1} X(k).e^{j2\pi kn/N}$$

here, $n = 0, 1, 2, \dots, N-1$. This is called as N -point IDFT.

Observations-

Result- DFT of two given signals have been computed and plotted using different tools-python, Matlab, Scilab.

Precautions:-

- Program must be written carefully to avoid errors.
- Programs can never be saved as standard function name.
- Commands must be written in proper format.