

Classification





Classification

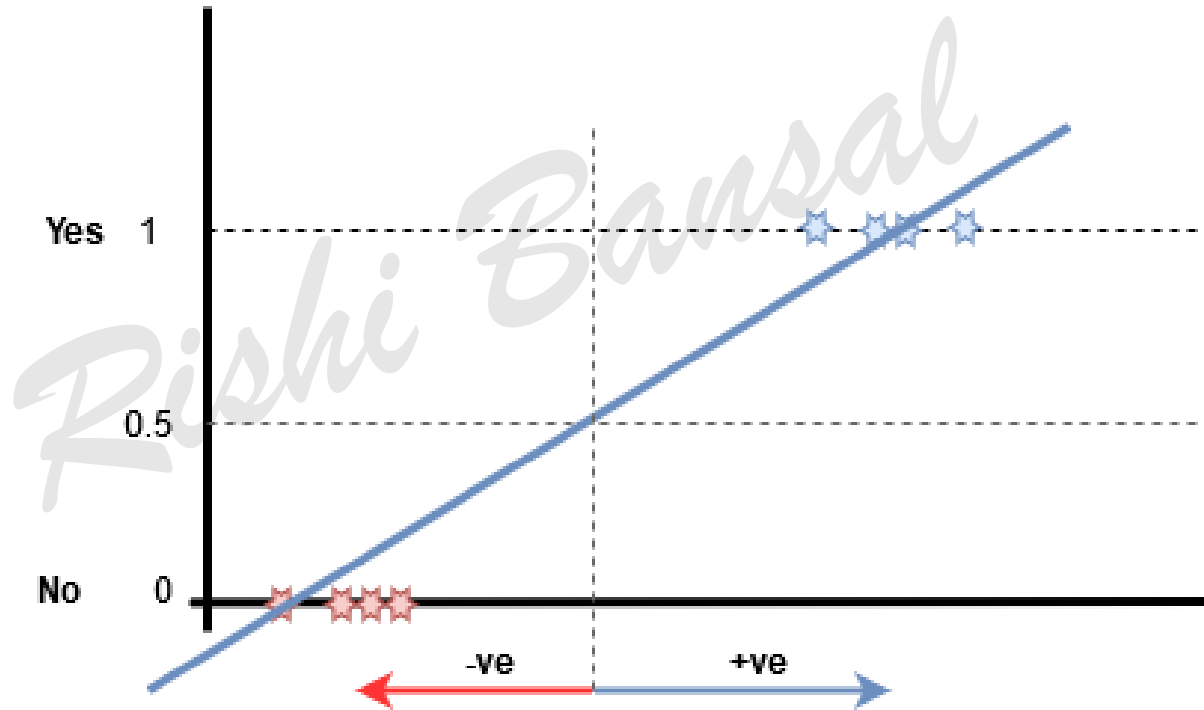
- A classification problem is when the output variable is a category, such as “red” or “blue” or “disease” and “no disease”

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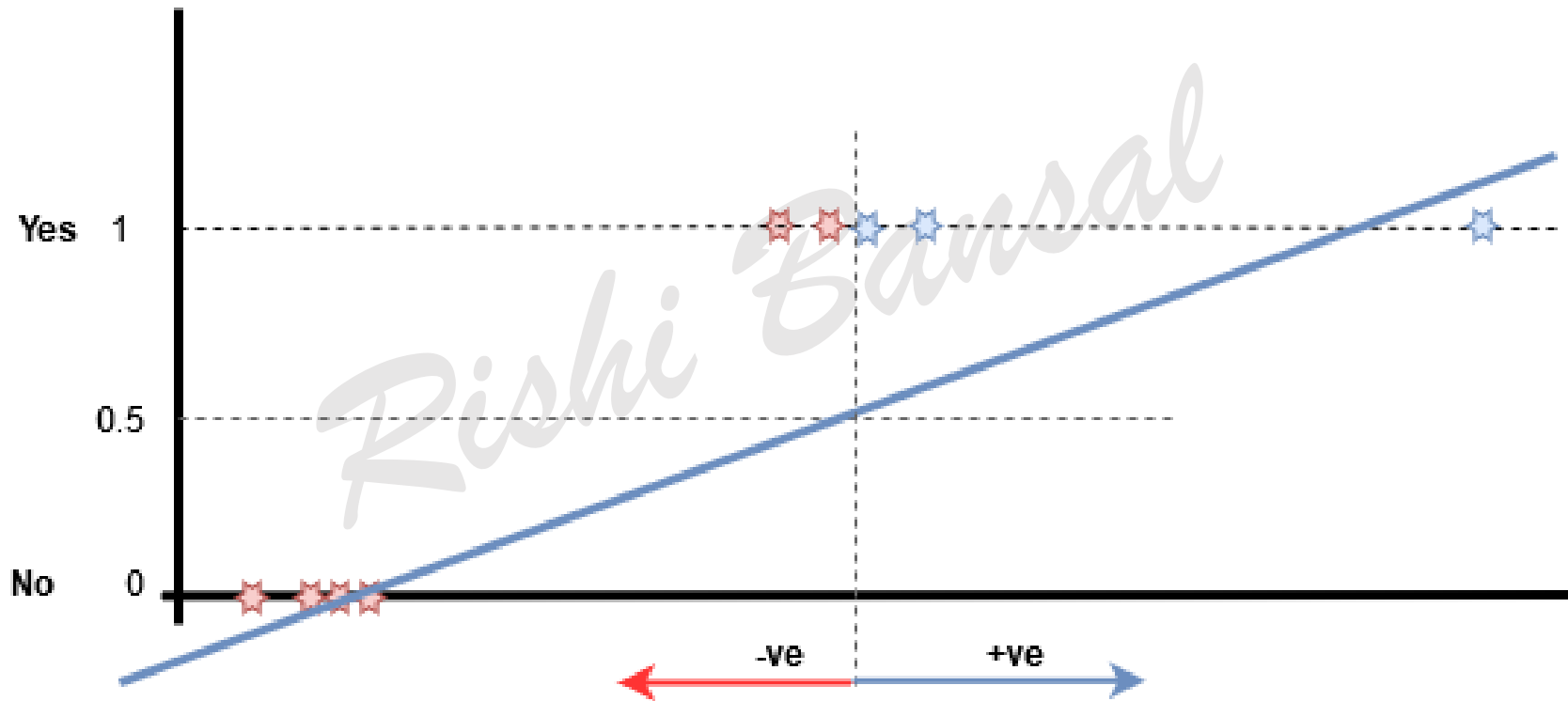
Issue with Linear Regression

Def: Suppose we need to decide whether on tumor size vs its malignancy. Since it is a classification problem, on plotting, all the values will lie on 0 and 1. And if we fit best found regression line, by setting the threshold at 0.5, it will give a descent result.



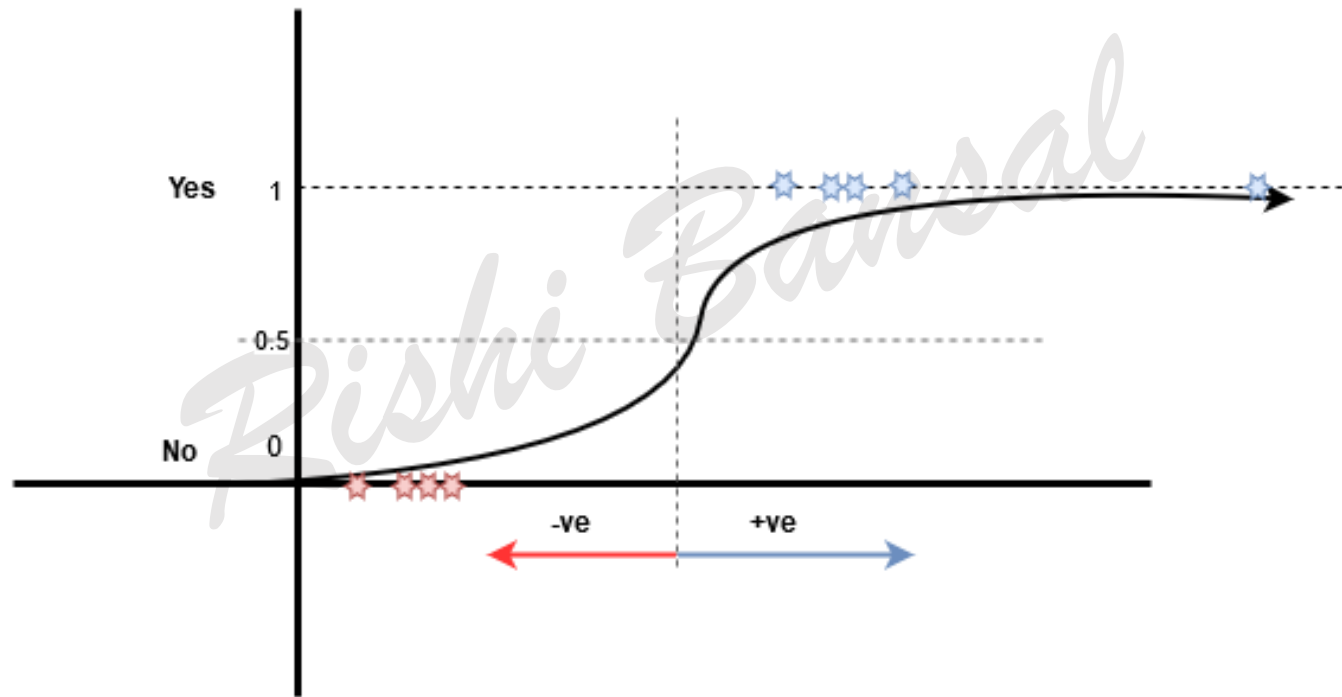
Issue with Linear Regression

- But if we have an outlier, it will go horribly wrong
- Because of one outlier, whole linear regression prediction is going wrong



Logistic Regression

- Logistic function is a Sigmoid function, which takes real value between zero and one.
- If we plot sigmoid function, the graph will be S curve. When there is an outlier, sigmoid function takes care of it.



Logistic Regression

- Linear regression assumes that the data follows a linear function
- Logistic regression models the data using the sigmoid function
- Linear R: $y = b_0 + b_1x$
- Sigmoid Func: input vector x has n features and we have a corresponding parameter θ_j for each feature x_j we can rewrite the logistic function as:

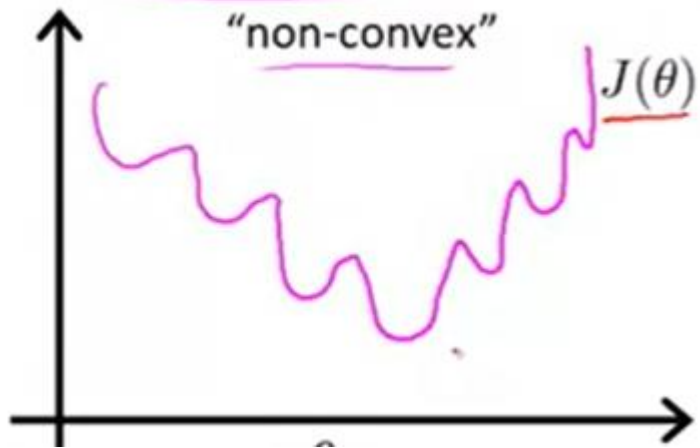
$$h_{\theta}(x) = \frac{1}{1 + e^{-\theta^T x}}$$

Cost Function

- Linear Regression

Cost function

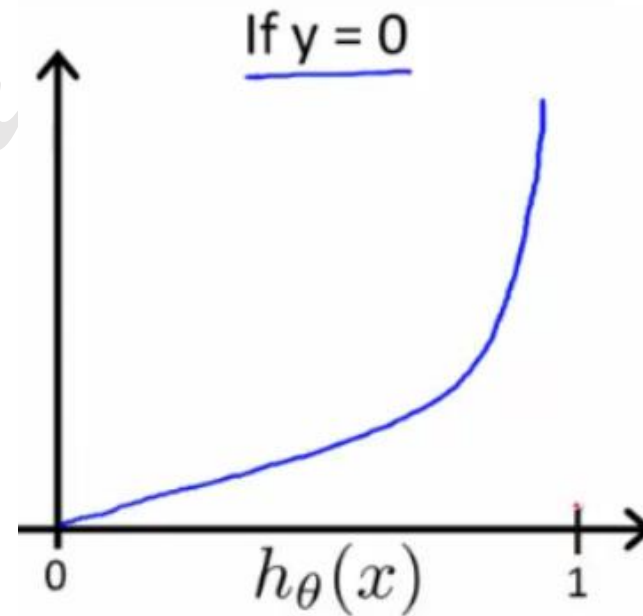
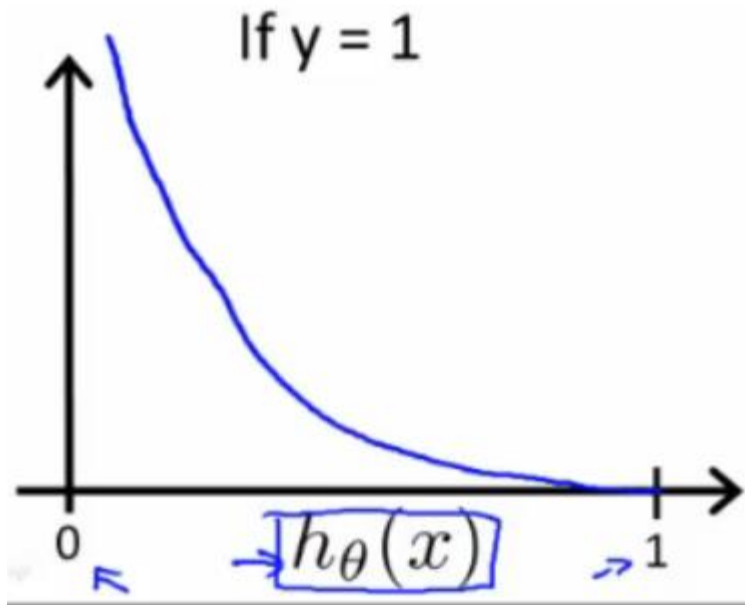
Linear regression: $J(\theta) = \frac{1}{m} \sum_{i=1}^m \frac{1}{2} (h_{\theta}(x^{(i)}) - y^{(i)})^2$



Cost Function

- $\text{Cost}(h_{\theta}(x), y) = \begin{cases} -\log(h_{\theta}(x)) & \text{if } y = 1 \\ -\log(1 - h_{\theta}(x)) & \text{if } y = 0 \end{cases}$

$$\text{Cost}(h_{\theta}(x), y) = -y \log(h_{\theta}(x)) - (1 - y) \log(1 - h_{\theta}(x))$$



Cost Function

- Cost Function:

$$J(\theta) = \frac{1}{m} \sum_{i=1}^m \text{Cost}(h_{\theta}(x^{(i)}), y^{(i)})$$

$$\text{cost}(h_{\theta}, (x), y) = -y \log(h_{\theta}(x)) - (1-y) \log(1 - h_{\theta}(x))$$

$$J(\theta) = -\frac{1}{m} \left[\sum_{i=1}^m y^{(i)} \log h_{\theta}(x^{(i)}) + (1 - y^{(i)}) \log (1 - h_{\theta}(x^{(i)})) \right]$$

Cross Validation

- Here we are influenced by Test Data
- Evaluate Training without Test Data



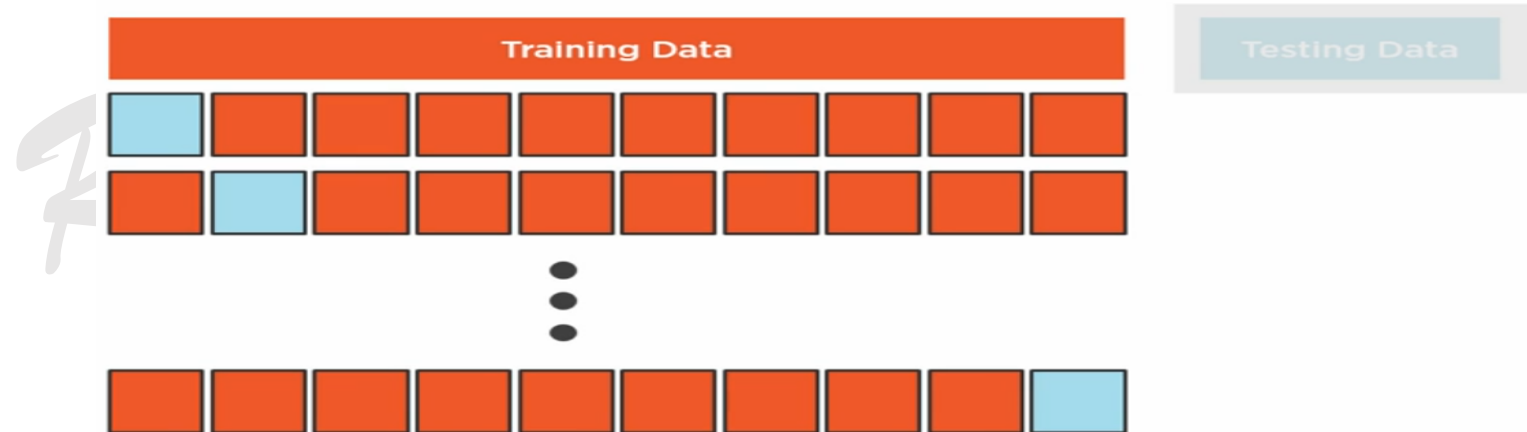
- Use Test data only for final test
- **Issue:**
- How do we choose the validation set?
- Enough data?
- Mitigate overfitting?



K – Fold Cross Validation

Steps:

- For each fold, determine best hyper parameter value
- Now take average best value of HP as model HP value
- This will provide HP value good for all set of data





Hyper-Parameters

- One which is set manually before learning process begins.
- Hyper-parameters are data dependent & many times need experiments to find the best
- GridSearch is used to find the best hyper-parameters
- hyperparameter is a parameter whose value is used to control the learning process

Examples:

- The learning rate for training a neural network.
- The C and sigma hyperparameters for support vector machines.
- The k in k-nearest neighbors.



Grid Search

- Grid-search is used to find the optimal hyperparameters of a model which results in the most 'accurate' predictions

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