

# Astrostatistics

Saturday, 28 January 2019

- Statistics Foundations
  - Ivezic Ch 4 “Classical Statistical Inference” & Ch 5 “Bayesian Statistical Inference”
  - F&B Ch 3 “Statistical Inference”
- Soon: Fitting Statistical Models to Astronomical Data
  - Hogg, Bovy & Lang. “Data analysis recipes: Fitting a model to data”.  
<https://arxiv.org/abs/1008.4686>

# Fitting Models to Astro Data

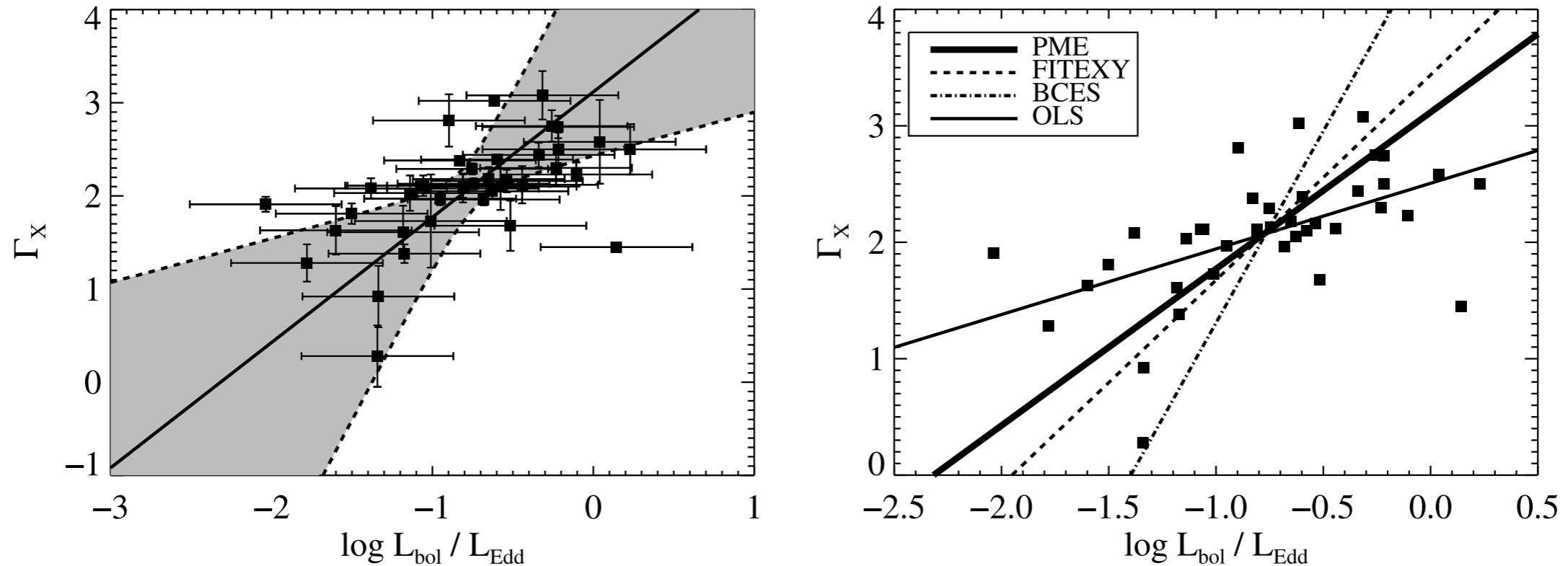


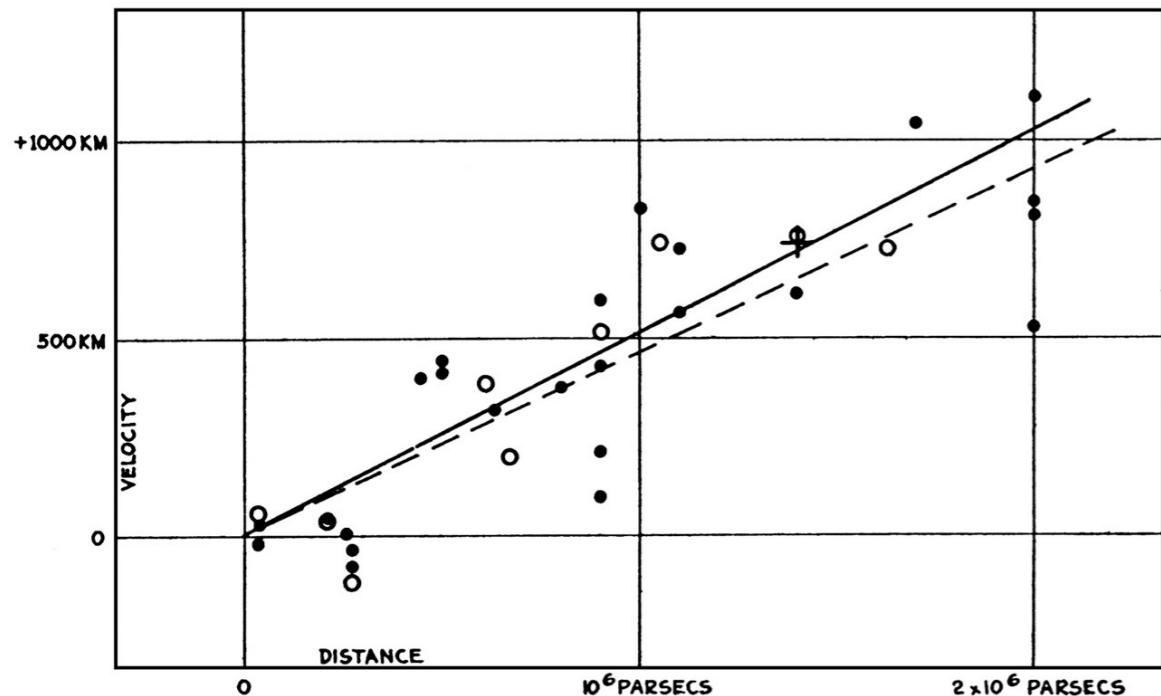
FIG. 10.—X-ray photon index  $\Gamma_X$  as a function of  $\log L_{\text{bol}} / L_{\text{Edd}}$  for 39  $z \lesssim 0.8$  radio-quiet quasars. In both plots, the thick solid line shows the posterior median estimate (PME) of the regression line. In the left panel, the shaded region denotes the 95% ( $2\sigma$ ) pointwise confidence intervals on the regression line. In the right panel, the thin solid line shows the OLS estimate, the dashed line shows the FITEXY estimate, and the dot-dashed line shows the BCES( $Y|X$ ) estimate; the error bars have been omitted for clarity. A significant positive trend is implied by the data.

Modelling heteroskedastic, correlated measurement errors in both  $y$  and  $x$ , intrinsic scatter, nondetections, selection effects

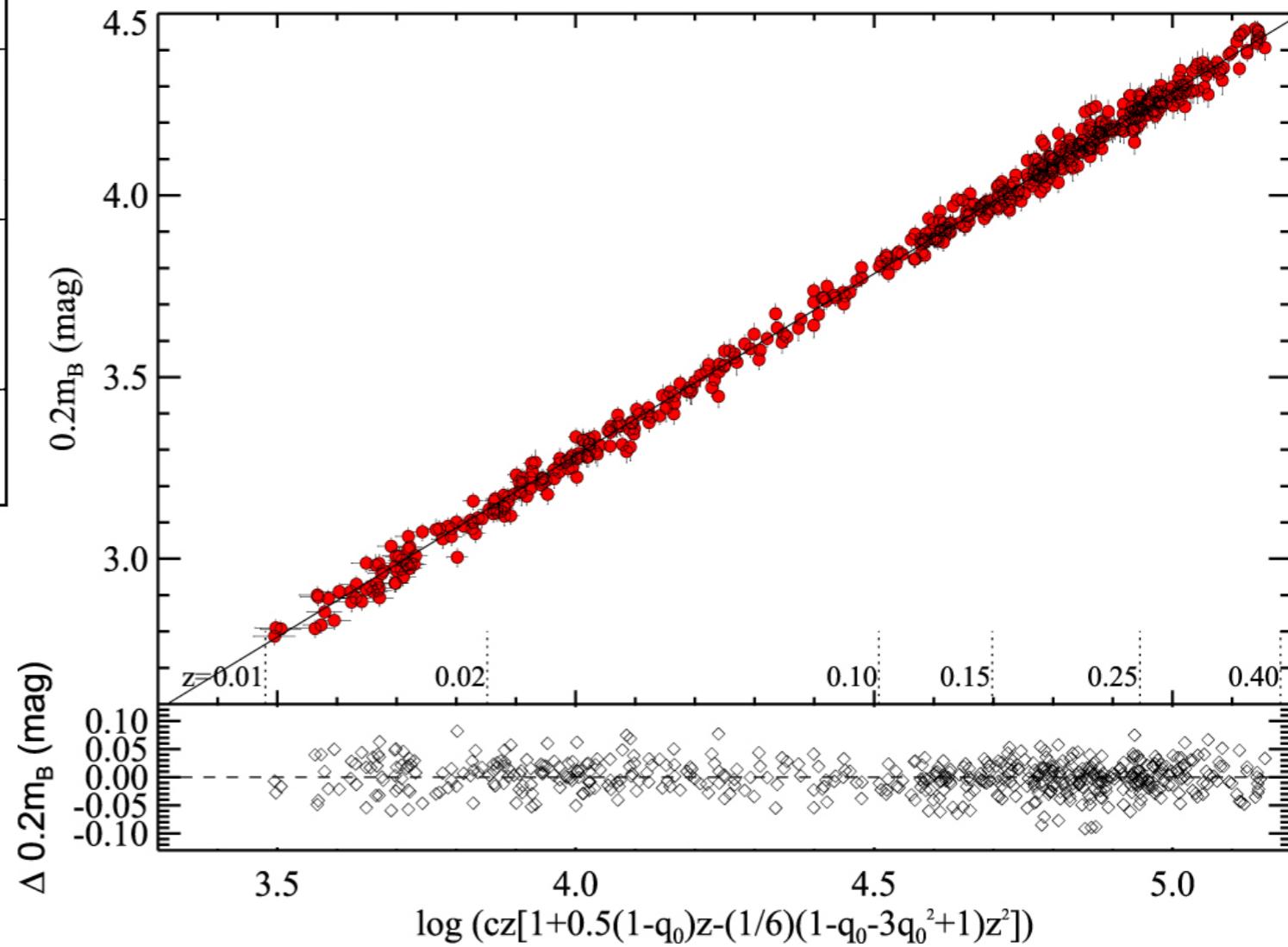
B. Kelly et al. 2007, “Some Aspects of Measurement Error in Linear Regression of Astronomical Data.” The Astrophysical Journal, 665, 1489

# Hubble Constant

$$\text{Distance} = H_0 \times \text{velocity}$$



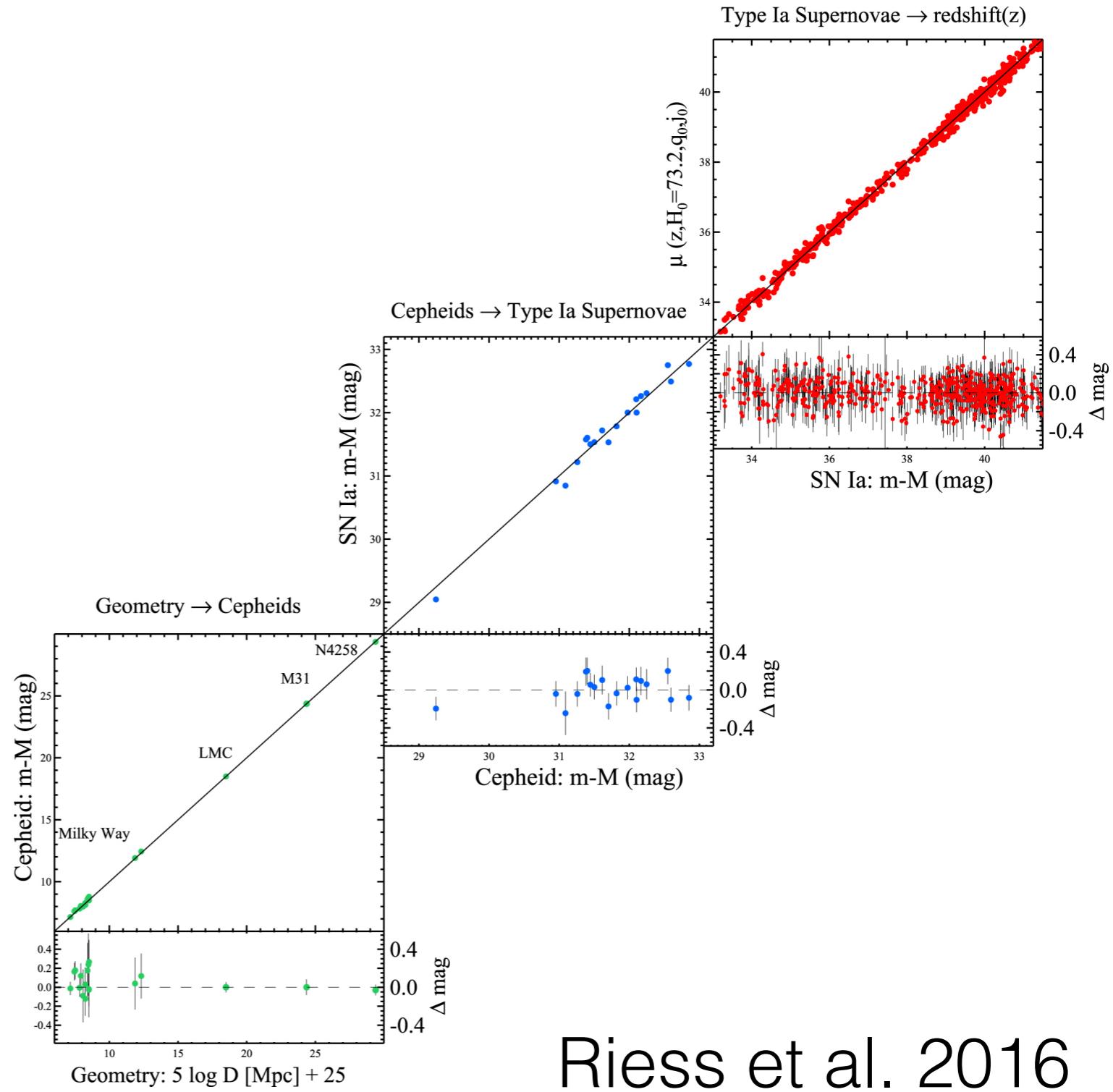
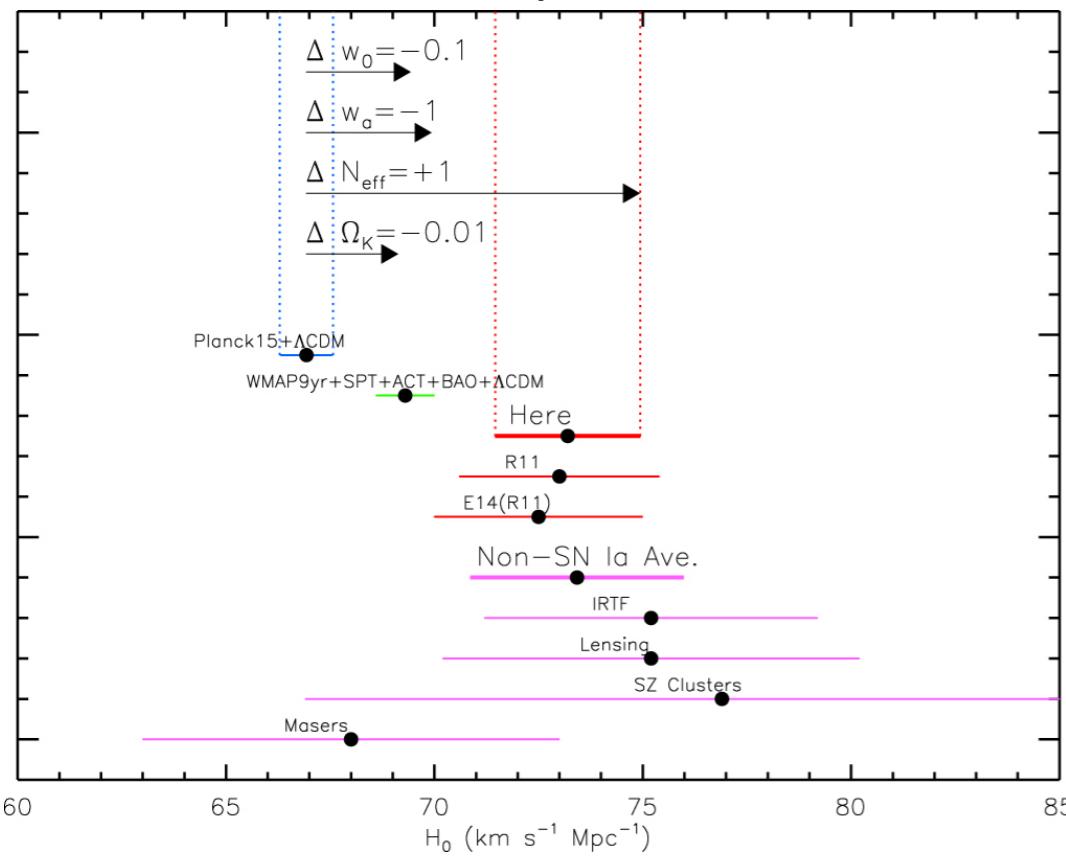
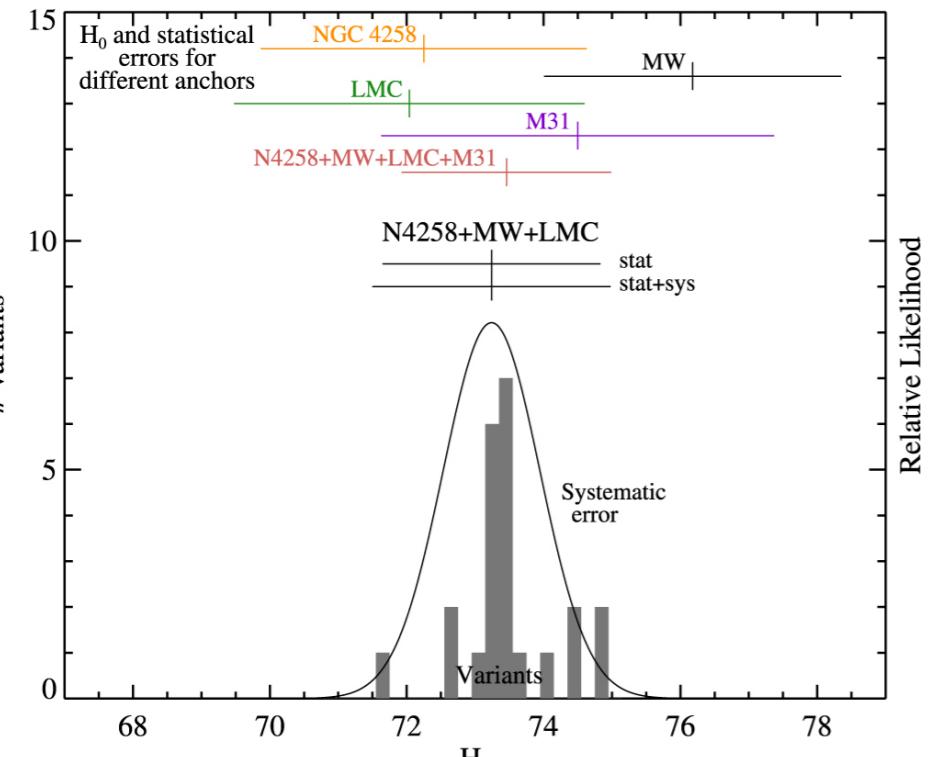
Hubble (1929)



Riess et al. 2016

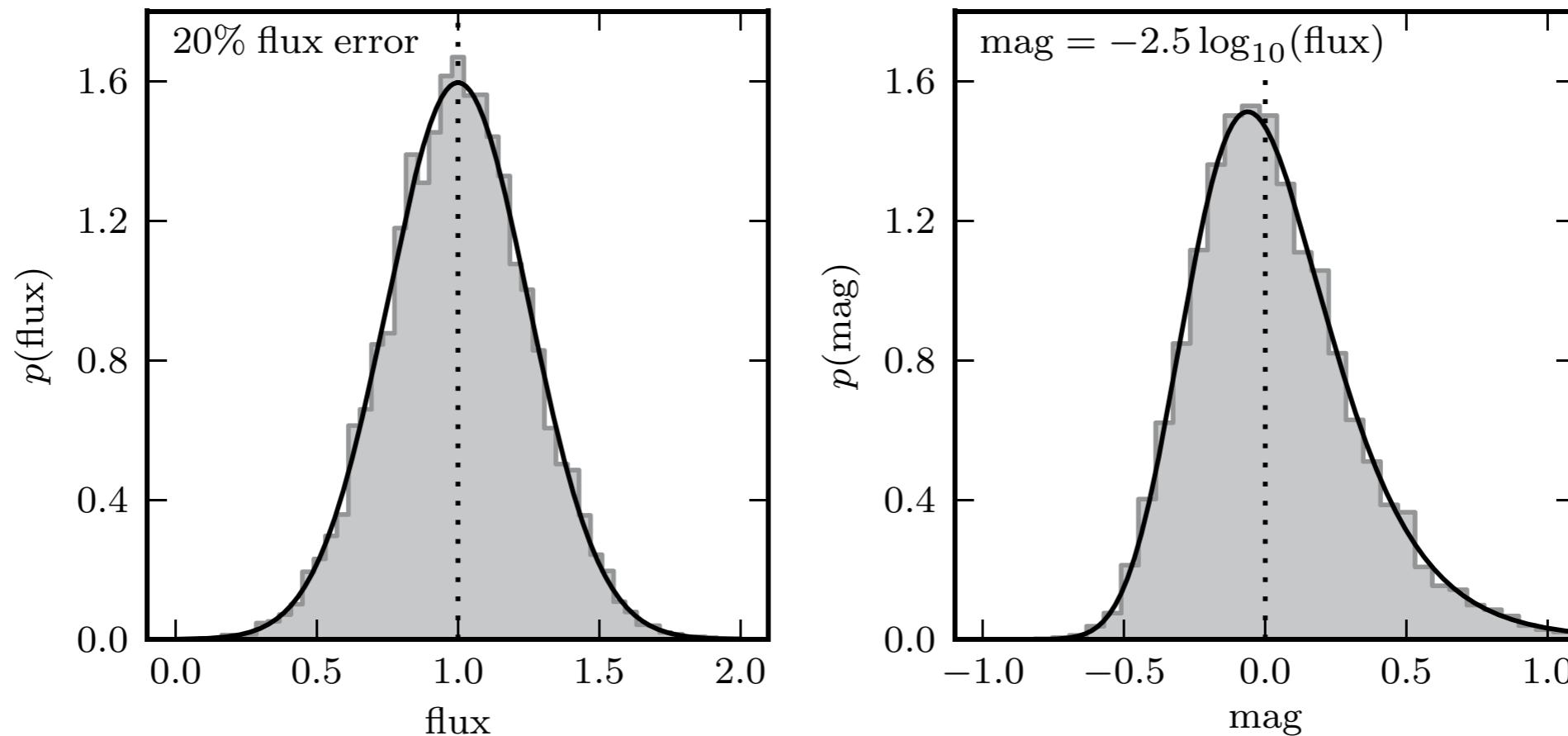
# Hubble Constant

Distance =  $H_0 \times \text{velocity}$



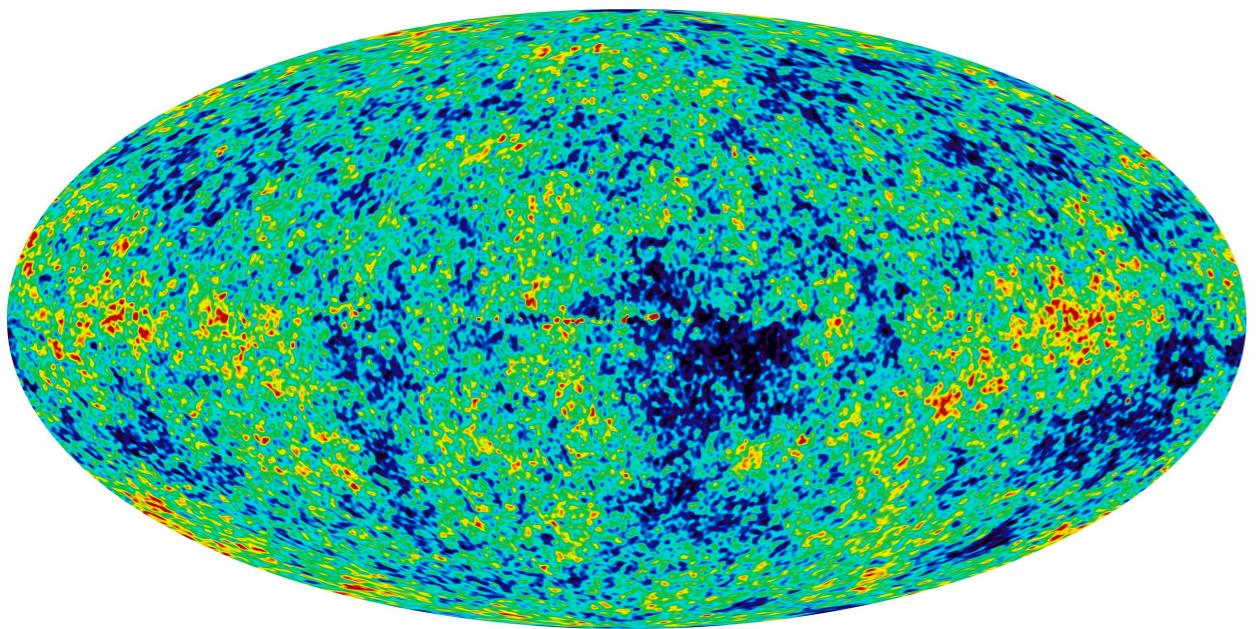
Riess et al. 2016

# Shortcomings of Propagation of Error

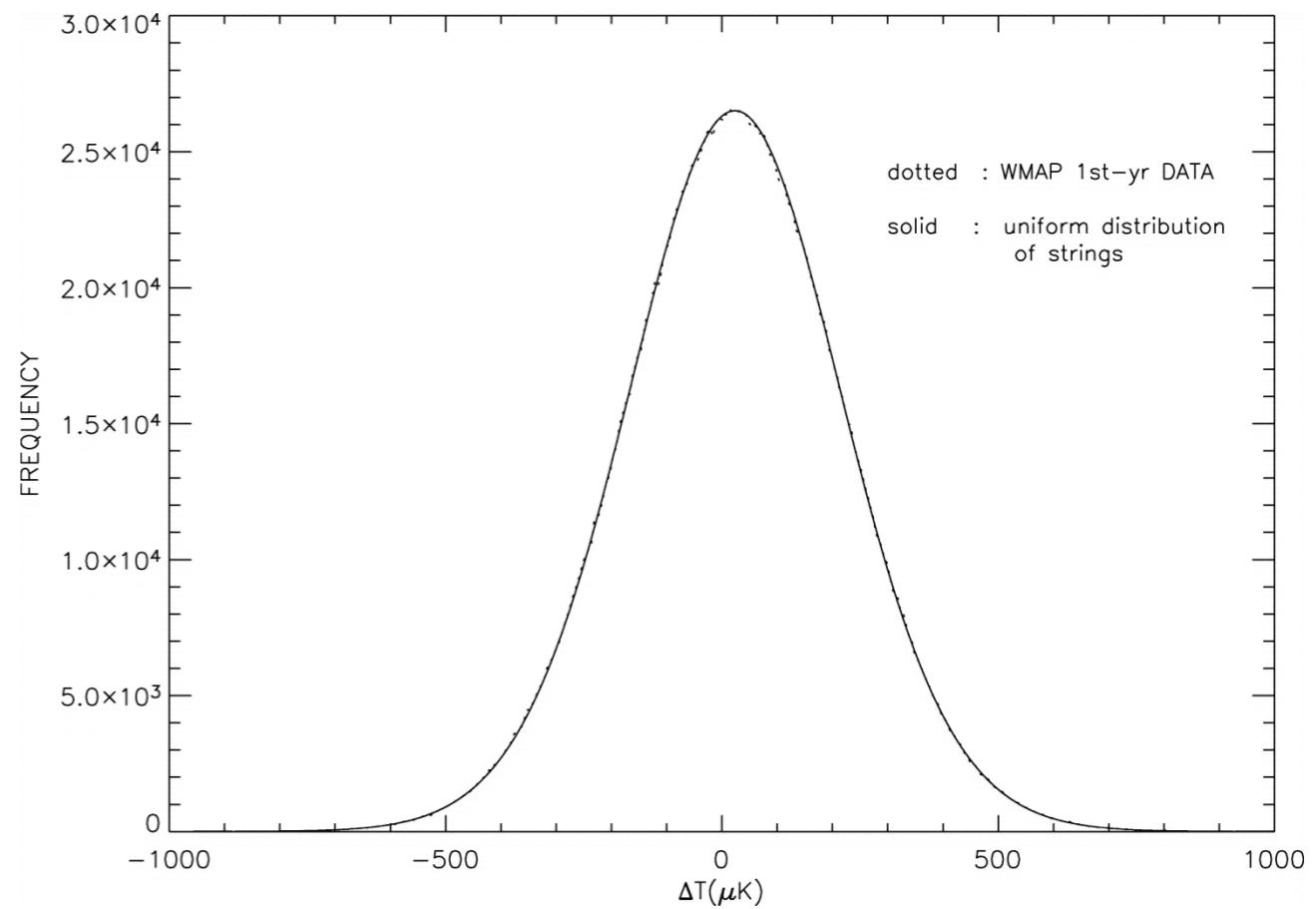


**Figure 3.5.** An example of Gaussian flux errors becoming non-Gaussian magnitude errors. The dotted line shows the location of the mean flux; note that this is not coincident with the peak of the magnitude distribution.

# Cosmic Microwave Background



WMAP of the sky



Gaussian distribution of temperatures at each pixel