

**PROGRAM** 1a. Computation of N point DFT of a given sequence and to plot magnitude and phase spectrum (Using inbuilt function).

**MATLAB  
CODE**

```
clc;
clear all;

xn = input('Enter the input sequence x(n): ');
N = length(xn);
n=0:1:N-1;
k=0:1:N-1;

Xk = fft(xn,N);
disp('Xk: ');
disp(Xk);
mag_Xk = abs(Xk);
disp('magnitude values of Xk: ');
disp(Xk);
ang_Xk = angle(Xk);
disp('phase values of Xk: ');
disp(Xk);

subplot(3,1,1);
stem(n,xn);
title('input sequence x(n)')
xlabel('----> n');
ylabel('----> xn');

subplot(3,1,2);
stem(k,mag_Xk);
title('Magnitude response of X(k)');
xlabel('----> k');
ylabel('----> |Xk|');

subplot(3,1,3);
stem(k,ang_Xk);
title('Phase response of X(k)');
xlabel('----> k');
ylabel('----> phase of X(k)');
```

**Result:** Enter the input sequence x(n):

```
[1 2 3 4 5 6 7 8]
X(k):
36.0000 + 0.0000i
-4.0000 + 9.6569i
-4.0000 + 4.0000i
-4.0000 + 1.6569i
-4.0000 + 0.0000i
-4.0000 - 1.6569i
```

-4.0000 - 4.0000i  
-4.0000 - 9.6569i

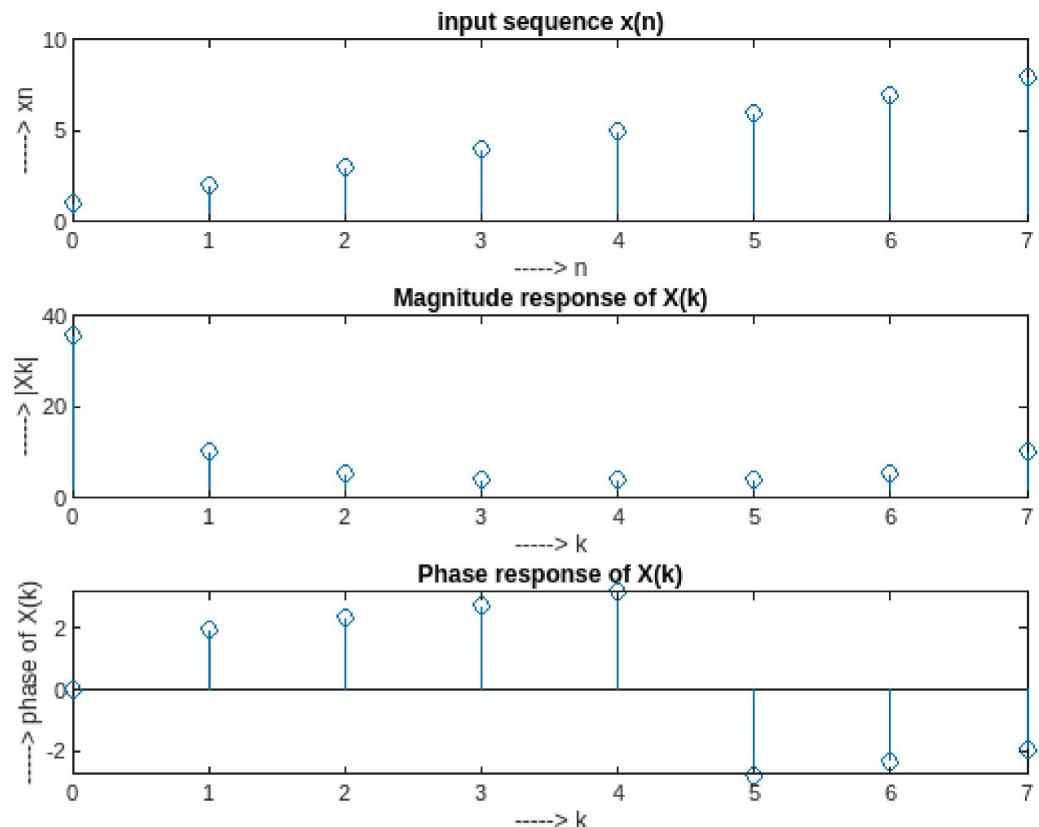
**magnitude values of X<sub>k</sub>:**

36.0000 10.4525 5.6569 4.3296 4.0000 4.3296 5.6569 10.4525

**phase values of X<sub>k</sub>:**

0 1.9635 2.3562 2.7489 3.1416 -2.7489 -2.3562 -1.9635

**Graph:**



**PROGRAM 1b. Computation of N point DFT of a given sequence and to plot magnitude and phase spectrum (Without Using inbuilt function).**

**TITLE:**

**MATLAB**

**CODE**

```
clc;
clear all;
```

```
xn = input('Enter the input sequence x(n): ');
N = length(xn);
```

```
Xk = zeros(1,N);

for k=0:N-1
    for n=0:N-1
        Xk(k+1) = Xk(k+1)+xn(n+1)*exp((-i)*2*pi*k*n/N);
    end;
end
```

```
disp('X(k):');
```

```

disp(Xk);
mag_Xk = abs(Xk);
disp('magnitude values of Xk: ');
disp(mag_Xk);
ang_Xk = angle(Xk);
disp('phase values of Xk: ');
disp(ang_Xk);

n=0:N-1;
k=0:N-1;
subplot(3,1,1);
stem(n,xn);
title('input sequence x(n)')
xlabel('----> n');
ylabel('----> xn');

subplot(3,1,2);
stem(k,mag_Xk);
title('Magnitude response of X(k)');
xlabel('----> k');
ylabel('----> |Xk|');

subplot(3,1,3);
stem(k,ang_Xk);
title('Phase response of X(k)');
xlabel('----> k');
ylabel('----> phase of X(k)');

```

**Result:** Enter the input sequence x(n):

```

[1 2 3 4 5 6 7 8]
X(k):
36.0000 + 0.0000i
-4.0000 + 9.6569i
-4.0000 + 4.0000i
-4.0000 + 1.6569i
-4.0000 + 0.0000i
-4.0000 - 1.6569i
-4.0000 - 4.0000i
-4.0000 - 9.6569i

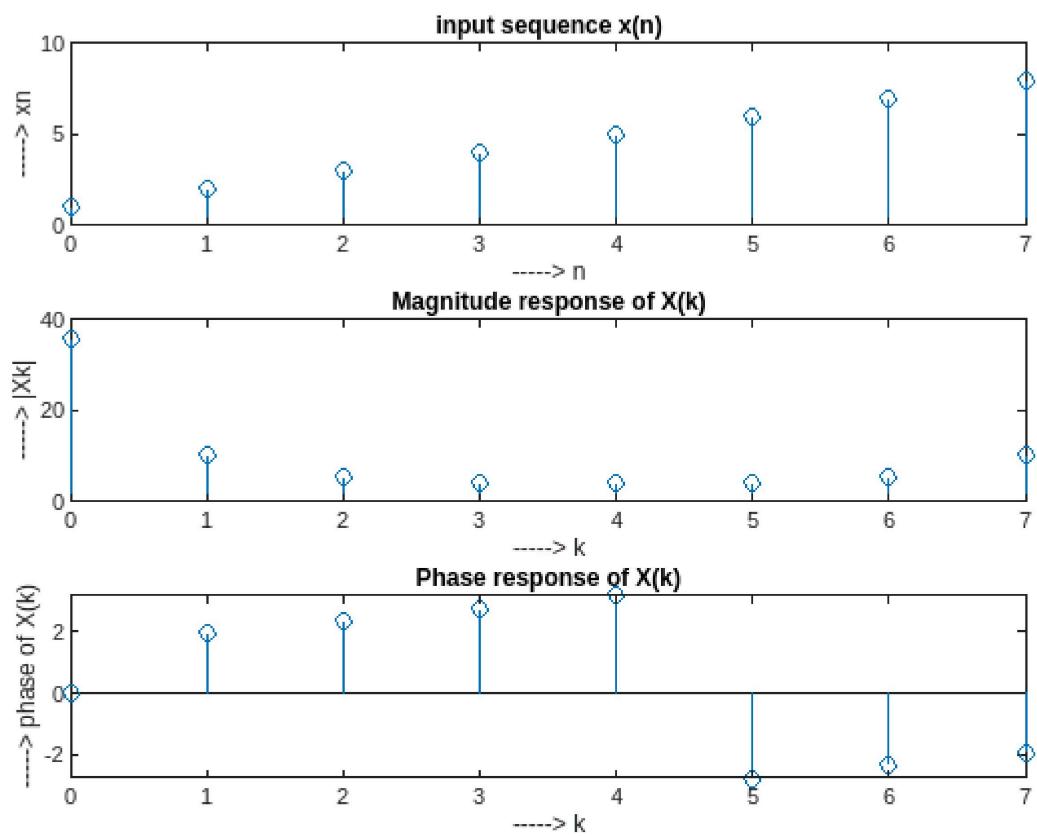
```

**magnitude values of Xk:**

36.0000 10.4525 5.6569 4.3296 4.0000 4.3296 5.6569 10.4525

**phase values of Xk:**

0 1.9635 2.3562 2.7489 3.1416 -2.7489 -2.3562 -1.9635

**Graph:**

**PROGRAM 2a. Matlab code to Linear and Circular convolution of given sequences.****TITLE:**

```

clc
clear;

MATLAB x=input('Enter the input signal x(n): ');
CODE h=input('Enter the impulse response h(n): ');
N = max(length(x),length(h));

y1=conv(x,h);
disp('The Linear convolution of x(n) and h(n) is : ')
disp(y1);

y2=cconv(x,h,N);
disp('The circular convolution of x(n) and h(n) is : ')
disp(y2);

subplot(4,1,1);
stem(0:length(x)-1, x);
title('input sequency x(n)');
xlabel('---->n');
ylabel('----> x(n)')

subplot(4,1,2);
stem(0:length(h)-1, h);
title('Impulse Response h(n)');
xlabel('---->n');
ylabel('----> h(n)')

subplot(4,1,3);
stem(0:length(y1)-1, y1);
title('Linear Convolution ');
xlabel('---->n');
ylabel('----> y(n)');

subplot(4,1,4);
stem(0:length(y2)-1, y2);
title('Circular Convolution ');
xlabel('---->n');
ylabel('----> y(n)');

```

**Result:**

```

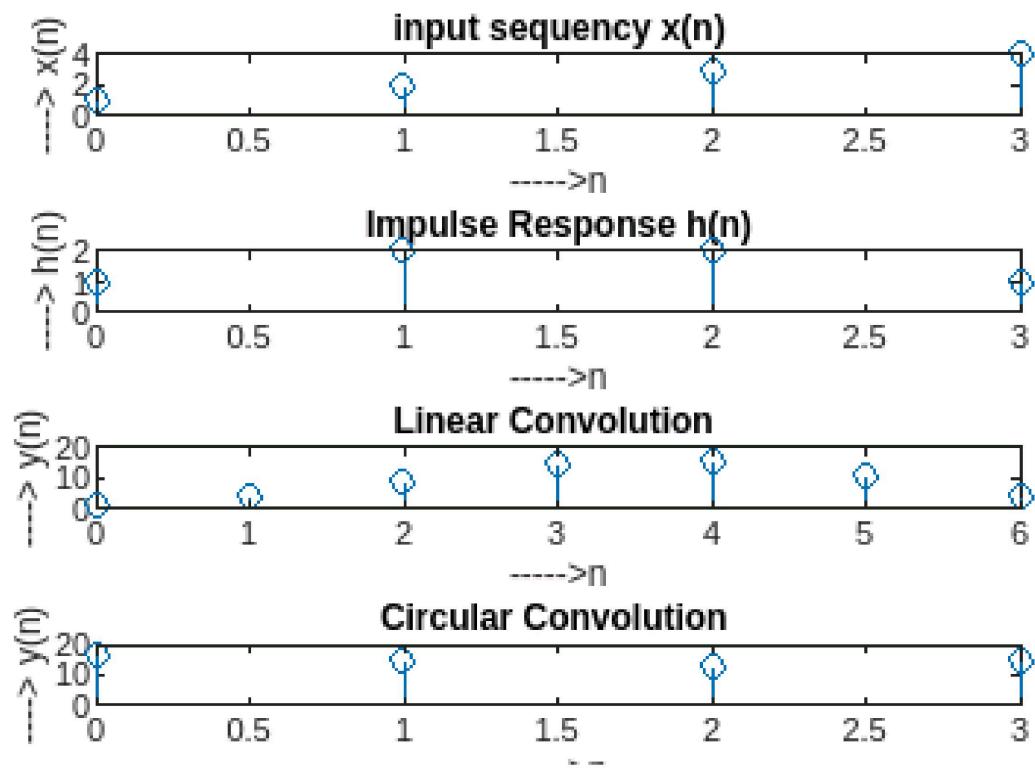
Enter the input signal x(n):
[1 2 3 4]
Enter the impulse response h(n):
[1 2 2 1]
The Linear convolution of x(n) and h(n) is :
1      4      9      15     16     11      4

```

```

The circular convolution of x(n) and h(n) is :
17      15      13      15

```

**Graph:**

**PROGRAM 2a. Matlab code to Verify the Properties of Linear convolution.****TITLE:**

```
clc
clear;
```

**MATLAB**

```
CODE x=input('Enter the input signal x(n): ');
h1=input('Enter the impulse response h1(n): ');
h2=input('Enter the impulse response h2(n):');
```

```
%Commutative Property: x(n) * h(n) = h(n) * x(n)
```

```
LHS1 = conv(x,h1);
RHS1 = conv(h1,x);
disp('LHS: ');
disp(LHS1);
disp('RHS: ');
disp(RHS1);

if(LHS1 == RHS1)
    disp('Commutative Property Verified');
else
    disp('Commutative Property Not Verified');
end
```

```
%Distributive Property: x(n) * [h1(n)+h2(n)] = [x(n) * h1(n)] + [x(n) * h2(n)]
```

```
LHS2 = conv(x,(h1+h2));
RHS2 = conv(x,h1) + conv(x,h2);
disp('LHS: ');
disp(LHS2);
disp('RHS: ');
disp(RHS2);

if(LHS2 == RHS2)
    disp('Distributive Property Verified');
else
    disp('Distributive Property Not Verified');
end
```

```
%Associative Property: [ x(n) * h1(n) ] * h2(n) = x(n) * [ h1(n) ] * h2(n)
```

```
LHS3 = conv(conv(x,h1),h2);
RHS3 = conv(x, conv(h1,h2));
disp('LHS: ');
disp(LHS3);
disp('RHS: ');
disp(RHS3);

if(LHS3 == RHS3)
    disp('Associative Property Verified');
else
    disp('Associative Property Not Verified');
end
```

**Result:**Enter the input signal  $x(n)$ :

[1 2 1]

Enter the impulse response  $h1(n)$ :

[1 2 2]

Enter the impulse response  $h2(n)$ :

[2 1 1]

LHS:

1      4      7      6      2

RHS:

1      4      7      6      2

Commutative Property Verified

LHS:

3      9      12      9      3

RHS:

3      9      12      9      3

Distributive Property Verified

LHS:

2      9      19      23      17      8      2

RHS:

2      9      19      23      17      8      2

Associative Property Verified

**PROGRAM 3. MATLAB PROGRAM TO FIND LINEAR CONVOLUTION USING DFT AND IDFT**

**TITLE:**

<b>MATLAB</b>	<pre> clc; clear all;  CODE      xn = input('Enter the input sequence x(n): '); hn = input('Enter the impulse response h(n): '); N = length(xn)+length(hn)-1  Xk = fft(xn,N); Hk = fft(hn,N);  Yk = Xk.* Hk  yn = ifft(Yk.');  disp('yn: '); disp(yn);  subplot(3,1,1); stem(0:length(xn)-1, xn); xlabel('----&gt; n'); ylabel('----&gt; x(n)'); title('input sequence x(n)');  subplot(3,1,2); stem(0:length(hn)-1, hn); xlabel('----&gt; n'); ylabel('----&gt; h(n)'); title('impulse response h(n)');  subplot(3,1,3); stem(0:length(yn)-1, yn); xlabel('----&gt; n'); ylabel('----&gt; y(n)'); title('Linear convolution y(n)'); </pre>
---------------	---

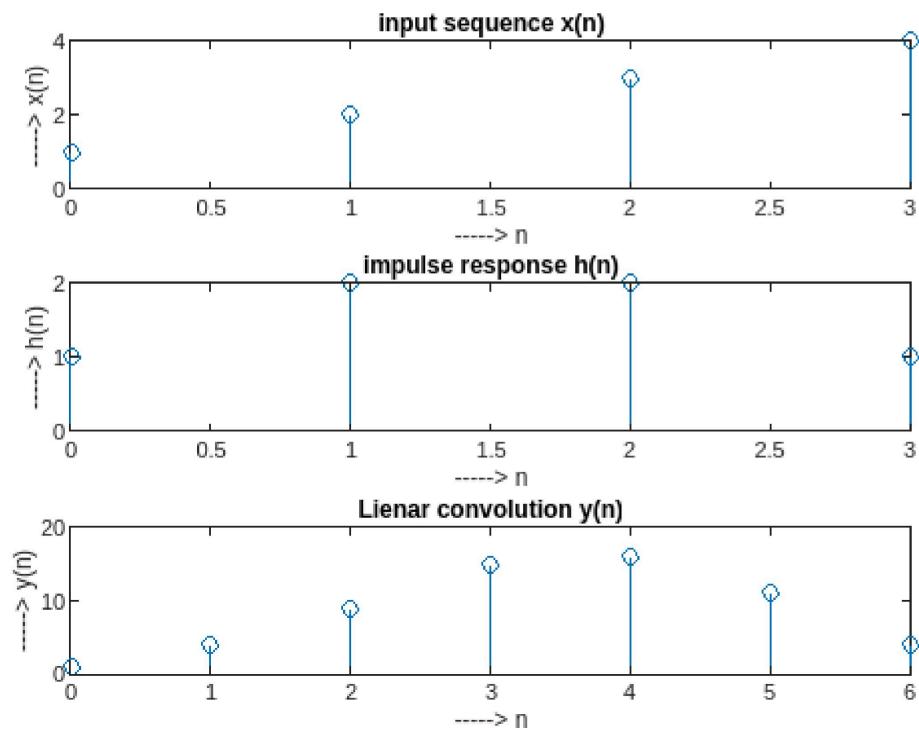
**Result:**

```

Enter the input sequence x(n):
[1 2 3 4]
Enter the impulse response h(n):
[1 2 2 1]

yn:
1.0000
4.0000
9.0000
15.0000
16.0000
11.0000
4.0000

```

**Graph:**

**PROGRAM 4. MATLAB PROGRAM TO FIND CIRCULAR CONVOLUTION USING DFT AND IDFT****TITLE:**

```

clc;
clear all;

MATLAB xn = input('Enter the input sequence x(n): ');
CODE hn = input('Enter the impulse response h(n): ');
N = max(length(xn),length(hn))

Xk = fft(xn,N);
Hk = fft(hn,N);

Yk = Xk.* Hk

yn = ifft(Yk.');

disp('yn: ');
disp(yn);

subplot(3,1,1);
stem(0:length(xn)-1, xn);
xlabel('----> n');
ylabel('----> x(n)');
title('input sequence x(n)');

subplot(3,1,2);
stem(0:length(hn)-1, hn);
xlabel('----> n');
ylabel('----> h(n)');
title('impulse response h(n)');

subplot(3,1,3);
stem(0:length(yn)-1, yn);
xlabel('----> n');
ylabel('----> y(n)');
title('Circular convolution y(n)');

```

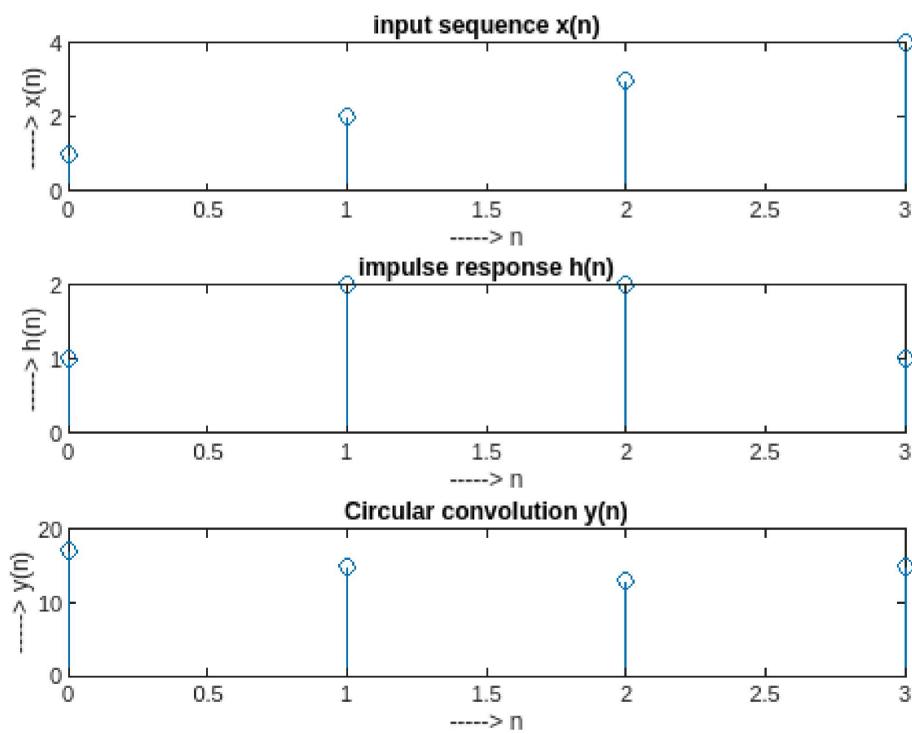
**Result:** Enter the input sequence x(n):  
[1 2 3 4]  
Enter the impulse response h(n):  
[1 2 2 1]

yn:

```

17
15
13
15

```

**Graph:**

**PROGRAM 5A. MATLAB PROGRAM FOR linearity Property Verification****TITLE:** DFT{ a1\*x1(n) + a2\*x2(n) } = a1\*X1(k) + a2\*X2(k)

```

clc;
clear all;

MATLAB x1n = input('x1(n): ');
CODE x2n = input('x2(n): ');
N = max(length(x1n), length(x2n));
a1 = input('a1: ');
a2 = input('a2: ');

% code for DFT{ a1*x1(n) + a2*x2(n) }
yn = a1*x1n + a2*x2n;
LHS = fft(yn,N);
disp('LHS : ')
disp(LHS.);

% code for a1*X1(k) + a2*X2(k)
X1k = fft(x1n,N);
X2k = fft(x2n,N);
RHS = a1*X1k + a2*X2k;
disp('RHS : ')
disp(RHS.);

if LHS == RHS
    disp('Linearity Property Verified');
else
    disp('Linearity Property not Verified');
end

```

**Result:** Enter the input sequence x(n):  
[1 2 3 4]  
Enter the impulse response h(n):  
[1 2 2 1]

yn:  
17  
15  
13  
15

**PROGRAM 5B. Matlab Program for Circular Time Shift Property****TITLE:**  $DFT(x((n-m))N) = e(-j*2*pi*m*k)*X(k)$ **MATLAB  
CODE**

```

clc;
clear all;

xn = input('xn: ');
N = length(xn);
m = 4;
yn = circshift(xn,[0,m]);

LHS = int32(fft(yn,N));
disp('LHS: ');
disp(LHS.);

Xk = fft(xn,N);
RHS = zeros(1,N);
for k=0:N-1
    RHS(k+1) =int32(exp(-2*pi*i*m*k/N)*Xk(k+1));
end
disp('RHS');
disp(RHS.);

if LHS == RHS
    disp('The circular Time Shift Property verified');
else
    disp('The circular Time Shift property not Verified')
end

```

**Result:**

xn:  
[1 2 3 4]  
LHS:  
10 + 0i  
-2 + 2i  
-2 + 0i  
-2 - 2i

RHS  
10.0000 + 0.0000i  
-2.0000 + 2.0000i  
-2.0000 + 0.0000i  
-2.0000 - 2.0000i

The circular Time Shift Property verified

**PROGRAM 5C. Matlab Program for Circular Frequency Shift Property****TITLE:** DFT{e(j\*2\*pi\*m\*n)\*x(n)} = X((k-m))N

```
%Circular freq shift Property
%DFT{e(j*2*pi*m*n)*x(n)} = X((k-m))N
```

**MATLAB****CODE**

```
clc;
clear all;

xn = input('xn: ');
N = length(xn)
m = 2
yn = zeros(1,N)
for n=0:N-1
    yn(n+1)=exp(2*pi*i*n*m/N)*xn(n+1);
end
LHS = int32(fft(yn,N));
disp('LHS: ');
disp(LHS.');

RHS = fft(xn,N)
RHS = int32(circshift(RHS,[0 m]));
disp('RHS: ');
disp(RHS.');

if LHS == RHS
    disp('The circular Frequency Shift Property verified');
else
    disp('The circular Frequency Shift property not Verified')
end
```

**Result:**

xn:  
[1 2 3 4]

LHS:

```
-2 + 0i
-2 - 2i
10 + 0i
-2 + 2i
```

RHS =

```
10.0000 + 0.0000i -2.0000 + 2.0000i -2.0000 + 0.0000i -2.0000 -
2.0000i
```

RHS:

```
-2 + 0i
-2 - 2i
10 + 0i
-2 + 2i
```

The circular Frequency Shift Property verified

**PROGRAM 6. Matlab Program for Parsvels theorem verification (Energy Verification)****TITLE:****MATLAB**    clc;**CODE**    clear all;

```
xn = input('xn: ');
N = length(xn);

LHS = 0;
for n=0:N-1
    LHS = LHS + (abs(xn(n+1)).*abs(xn(n+1)));
end

RHS = 0;
Xk = fft(xn,N);
for k=0:N-1
    RHS = RHS + (abs(Xk(k+1)).*abs(Xk(k+1)));
end
RHS = RHS/N;

disp('RHS:');
disp(RHS);
disp('LHS:');
disp(LHS);

if LHS == RHS
    disp('The Parsvels Theorem verified');
else
    disp('The Parsvels Theorem not Verified')
```

**Result:** [1 2 3 4]

RHS:

30

LHS:

30

The Parsvels Theorem verified

**PROGRAM** 7. Design and implementation of IIR (Butterworth) low pass filter to meet given specifications.  
**TITLE:** Passband attenuation  $\leq 1.25\text{db}$ , stopband attenuation  $\geq 15\text{db}$  fpass=200Hz, fstop=300Hz  
 fsample=2KHz

**MATLAB**

**CODE**

```

clc;
clear all;

%given specifications
Ap=1.25;As=15;
fpb=200; fsb=300; fs = 2000;

%to find Order(N) and cutoff frequency (fc)
fpbn = fpb /(fs/2); fsbn = fsb /(fs/2);

[N,fc]=buttord(fpbn,fsbn,Ap,As);
disp('order of the filter is =');
disp(N);
disp('cutoff frequency is = ');
disp(fc*fs/2);

%to compute frequency response of an IIR digital filter
[b,a]=butter(N,fc);
[H,f] = freqz(b,a,256,fs);

subplot(3,1,1);
plot(f,abs(H));
title('frequency response of Low Pass Filter');
xlabel('----->frequency in Hz');
ylabel('----->Magnitude');

%filtering operation on input singal having frequency 10Hz,100Hz,500Hz
n = 0:1/fs:0.1;
s1=5*sin(2*pi*10*n);
s2=5*sin(2*pi*100*n);
s3=5*sin(2*pi*500*n);

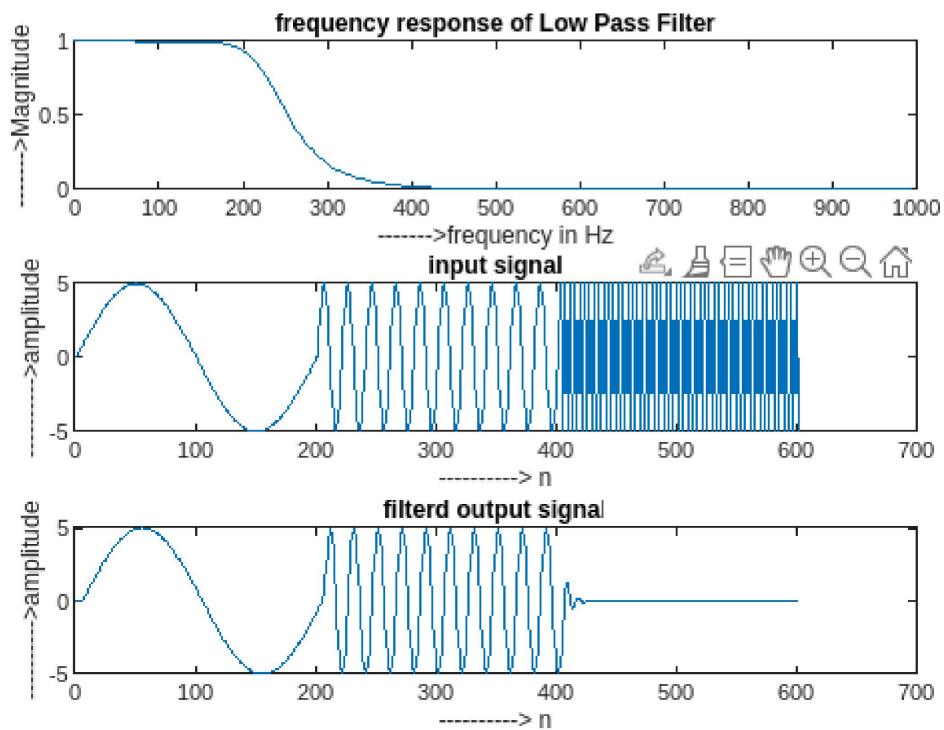
x = [s1 s2 s3];
subplot(3,1,2);
plot(x);
title('input signal');
xlabel('-----> n');
ylabel('----->amplitude');

y = filter(b,a,x);
subplot(3,1,3); plot(y);
title('filterd output signal');
xlabel('-----> n');
ylabel('----->amplitude')

```

**Result:** order of the filter is =  
 6

cutoff frequency is =  
232.9175

**Graph:**

**PROGRAM** 8. Design and implementation of IIR (Butterworth) High pass filter to meet given specifications. *Passband attenuation  $\leq 1.25\text{db}$ , stopband attenuation  $\geq 15\text{db}$  fpass=300Hz, fstop=200Hz fsample=2KHz*

**MATLAB**

**CODE**

```

clc;
clear all;

%given specifications
Ap=1.25;As=15;
fpb=300; fsb=200; fs = 2000;

%to find Order(N) and cutoff frequency (fc)
fpbn = fpb /(fs/2); fsbn = fsb /(fs/2);

[N,fc]=buttord(fpbn,fsbn,Ap,As);
disp('order of the filter is =');
disp(N);
disp('cutoff frequency is = ');
disp(fc*fs/2);

%to compute frequency response of an IIR digital filter
[b,a]=butter(N,fc, 'high');
[H,f] = freqz(b,a,256,fs);

subplot(3,1,1);
plot(f,abs(H));
title('frequency response of High Pass Filter');
xlabel('----->frequency in Hz');
ylabel('----->Magnitude');

%filtering operation on input singal having frequency 10Hz,100Hz,500Hz
n = 0:1/fs:0.1;
s1=5*sin(2*pi*10*n);
s2=5*sin(2*pi*100*n);
s3=5*sin(2*pi*500*n);

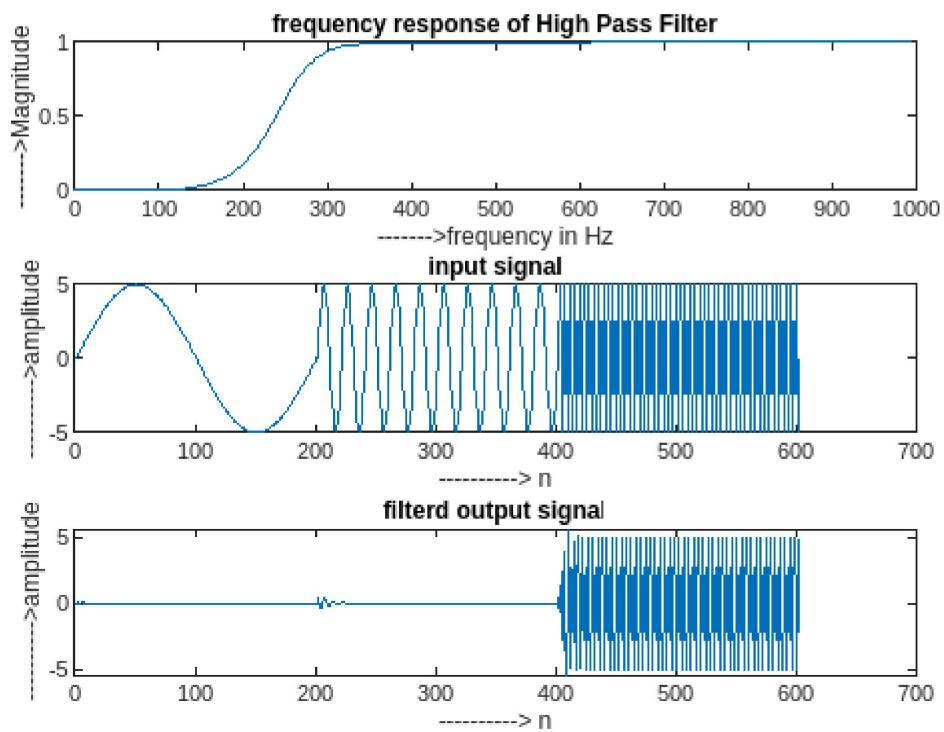
x = [s1 s2 s3];
subplot(3,1,2);
plot(x);
title('input signal');
xlabel('-----> n');
ylabel('----->amplitude');

y = filter(b,a,x);
subplot(3,1,3); plot(y);
title('filtered output signal');
xlabel('-----> n');
ylabel('----->amplitude')

```

**Result:** order of the filter is =  
6

cutoff frequency is =  
259.6729

**Graph:**

**PROGRAM** 9. Design and implementation of FIR Low pass filter to meet given specifications.  
**TITLE:**  $f_{pass}=100\text{Hz}$ ,  $f_{stop}=200\text{Hz}$   $f_{sample}=2\text{KHz}$ , hamming window

**MATLAB CODE**

```

clc;
clear all;
wpa=input('Enter passband edge frequency in Hz');
wsa= input('Enter stopband edge frequency in Hz');
ws1= input('Enter sampling frequency in Hz');

%Calculate transmission BW,Transition band tb,order of the filter
wpd=2*pi*wpa/ws1;
wsd=2*pi*wsa/ws1;
tb=wsd-wpd;
N=ceil(6.6*pi/tb) ;
wc=(wsd+wpd)/2;

%compute the normalized cut off frequency
wc=wc/pi;

%calculate & plot the window
hw=hamming(N+1);
stem(hw);
title('Fir filter window sequence- hamming window');

%find h(n) using FIR
h=fir1(N,wc,hamming(N+1));

%plot the frequency response
figure(2);
[m,w]=freqz(h,1,128);
mag=20*log10(abs(m));
plot(ws1*w/(2*pi),mag);
title('Fir filter frequency response');
grid;

```

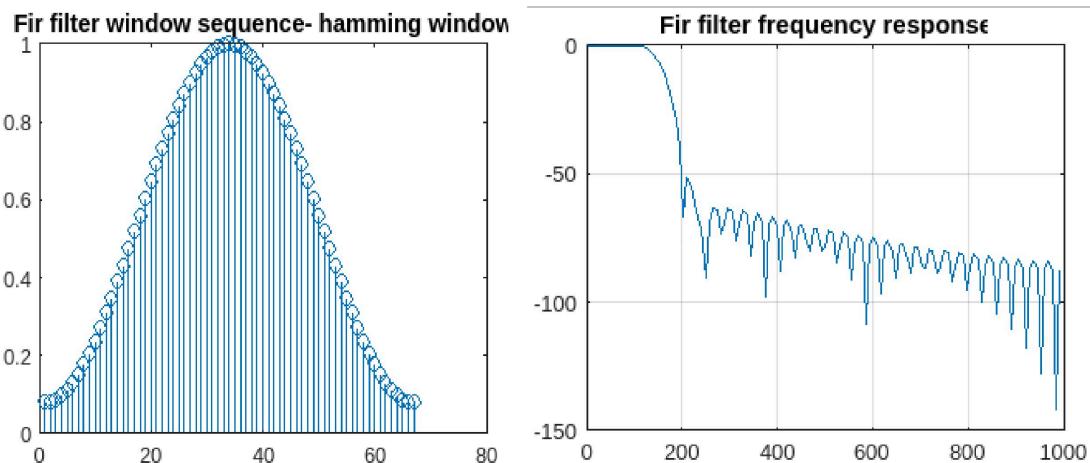
**Result:**

```

Enter passband edge frequency in Hz
100
Enter stopband edge frequency in Hz
200
Enter sampling frequency in Hz
2000

```

**Graph:**



**PROGRAM 10. Design and implementation of FIR High pass filter to meet given specifications.**

**TITLE:** *fpass=200Hz, fstop=100Hz fsample=2KHz, hamming window*

**MATLAB CODE**

```

clc;
clear all;
wpa=input('Enter passband edge frequency in Hz');
wsa= input('Enter stopband edge frequency in Hz');
ws1= input('Enter sampling frequency in Hz');

%Calculate transmission BW,Transition band tb,order of the filter
wpd=2*pi*wpa/ws1;
wsd=2*pi*wsa/ws1;
tb=wpd-wsd;
N=ceil(6.6*pi/tb) ;
wc=(wsd+wpd)/2;

%compute the normalized cut off frequency
wc=wc/pi;

%calculate & plot the window
hw=hamming(N+1);
stem(hw);
title('Fir filter window sequence- hamming window');

%find h(n) using FIR
h=fir1(N,wc,'high');

%plot the frequency response
figure(2);
[m,w]=freqz(h,1,128);
mag=20*log10(abs(m));
plot(ws1*w/(2*pi),mag);
title('Fir filter frequency response');
grid;
```

**Result:**

```

Enter passband edge frequency in Hz
200
Enter stopband edge frequency in Hz
100
Enter sampling frequency in Hz
2000
```

