## A: Record and display signal

Traditionally sample rate is set by analog (or physical) low-pass filters

Choosing to use 2013 13" Macbook Pro // Bose Headphones as a recording platform of convenience. Sticking to default sampling rates, can later decimate if desired. Standard 3.5 mm audio connector, so assuming the Mac handles all active conditioning. Not using the "noise-cancelling" mode on the headphone, because I bet this geometry would cause... unique... problems with the algorithms. May be interesting to try later though.



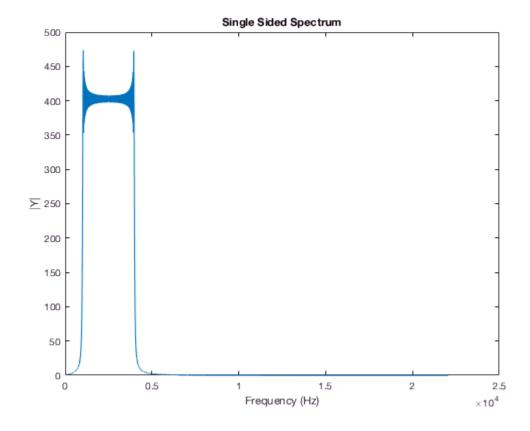
For replicability, let's also generate the sound using Matlab. Let's try an LFM chirp. We now have further unknowns (system record and

Max audio-settings, 24-bit, 96 kHz

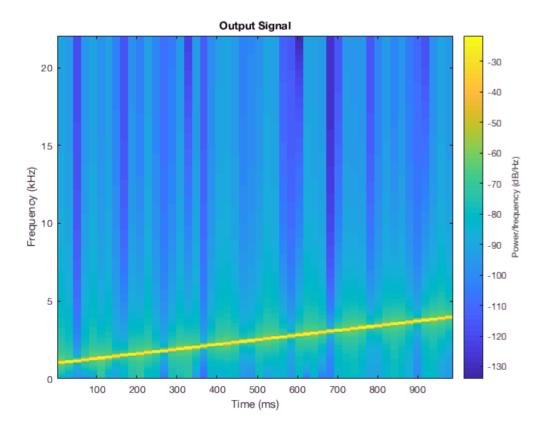
Note one speaker on my mac is broken, I believe only a tweeter is functional

#### Verifying output signal

```
Y = fftshift(abs(fft(y)));
Y = Y(round(length(Y)/2):end); % Round signal if odd length
f = linspace(0, fSampleOut/2, length(Y));
plot(f, Y); xlabel('Frequency (Hz)'); ylabel('|Y|'); title('Single Sided Spectrum');
```



```
windowLength = 20E-3.*fSampleOut;
dftLength = windowLength;
spectrogram(y, windowLength, round(0.01*windowLength), dftLength, fSampleOut, 'yaxis')
%ylabel('Frequency (Hz)'); xlabel('Time (s)');
title('Output Signal');
```



# Generate and record signal

Start speaking.

```
tic;
while toc < 2
    sound(y, fSampleOut); pause(signalTime.*0.9);
end
audioData{1, 1} = getaudiodata(recObj{1,1});</pre>
```

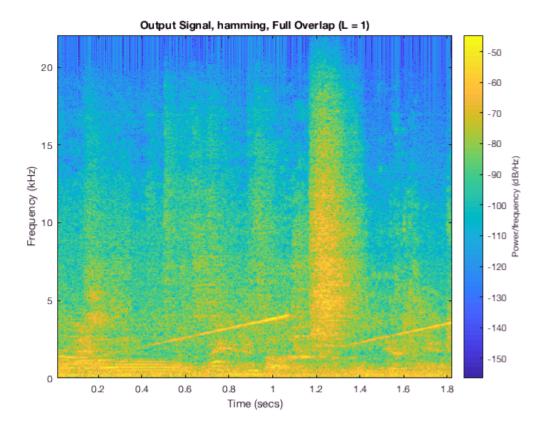
## Signal Processing on Recorded signal

```
y = audioData{1,1};
windowLength = 20E-3.*inputSampleRates(1);
unitWindow = ones(windowLength, 1);
dftLength = windowLength;
```

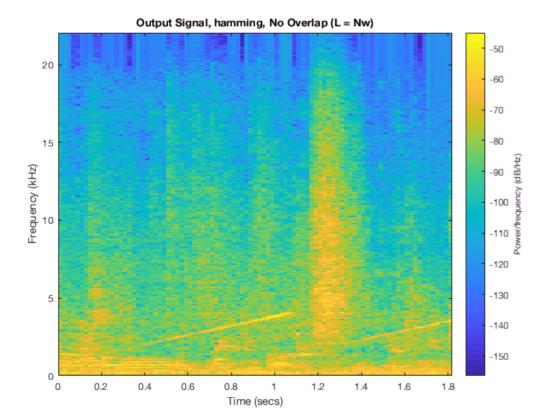
The following spectrograms compare the overlap (L) and window properties

- Hamming vs unit-step
- Full overlap (L=1) vs. no overlap

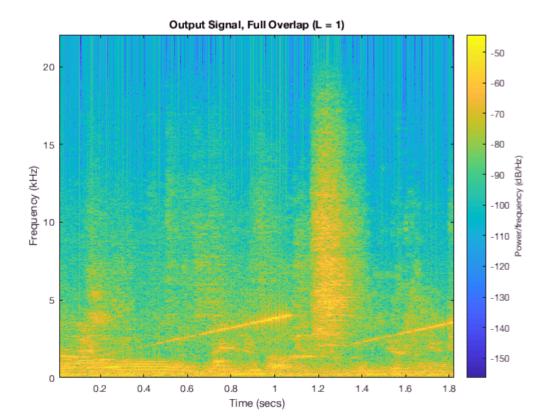
```
figure;
[fbs.ham.s, fbs.ham.w.fbs, fbs.ham.t] = spectrogram(y, windowLength, windowLength-1, dftLength)
spectrogram(y, windowLength, windowLength-1, dftLength, inputSampleRates(1), 'yaxis'); % For off sylabel('Frequency (Hz)'); xlabel('Time (s)');
title('Output Signal, hamming, Full Overlap (L = 1)');
```



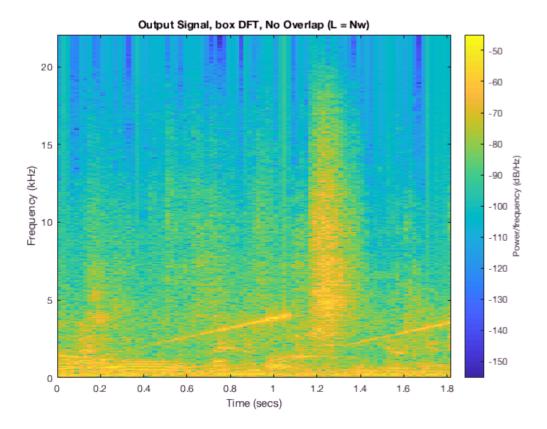
```
figure;
[gfbs.ham.s, gfbs.ham.w.fbs, gfbs.ham.t] = spectrogram(y, windowLength, 0, dftLength, inputSaspectrogram(y, windowLength, 0, dftLength, inputSampleRates(1), 'yaxis');
%ylabel('Frequency (Hz)'); xlabel('Time (s)');
title('Output Signal, hamming, No Overlap (L = Nw)');
```



```
[fbs.UnitStep.s, fbs.UnitStep.w.fbs, fbs.UnitStep.t] = spectrogram(y, unitWindow, windowLengts
spectrogram(y, unitWindow, windowLength-1, dftLength, inputSampleRates(1), 'yaxis');
%ylabel('Frequency (Hz)'); xlabel('Time (s)');
title('Output Signal, Full Overlap (L = 1)');
```



```
figure;
[gfbs.UnitStep.s, gfbs.UnitStep.w.fbs, gfbs.UnitStep.t] = spectrogram(y, unitWindow, 0, dftLegspectrogram(y, unitWindow, 0, dftLength, inputSampleRates(1), 'yaxis');
%ylabel('Frequency (Hz)'); xlabel('Time (s)');
title('Output Signal, box window, No Overlap (L = Nw)');
```



We observe more frequency blurring with the unit step (sharp increases at the start of signal).

We observe a smoother signal with more overlap (computing fft for every point.

#### Implimenting GFBS Method

First, we must verify the GFBS conditions are satisfied.

L is defined by window overlap...

Number of overlapped samples, specified as a positive integer.

- If window is scalar, then noverlap must be smaller than window.
- If window is a vector, then noverlap must be smaller than the length of window.

M is defined by the DFT length. We have purposefully set these parameters equal so that we have critical sampling in at least one case.

The critically sampled case / unit step makes it very simple to reconstruct using f[n] = 1/w[n] = w[n]

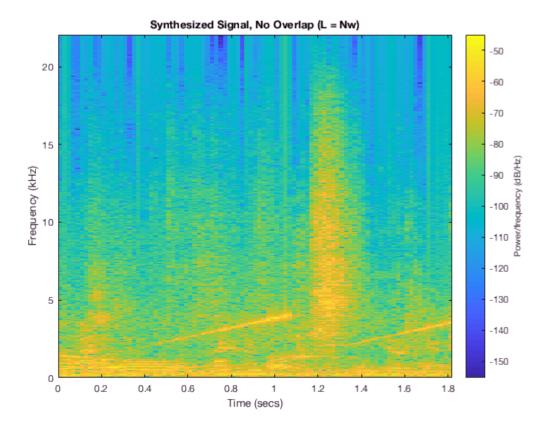
```
j = sqrt(-1);
[M, L] = size(gfbs.UnitStep.s);
Nw = M; % Critically sampled
sum1 = zeros(1, length(y));
exponentialPart = @(k) (exp(j.*(2.*pi.*(k-1)./M) .* (0:(Nw-1)) ));
% for i = 1:length(dtftDims(2))
%%% f[n-iL] == for all 0, i ~= 0
```

```
tempSum = zeros(1, M);
%%% IMPLIMENT THIS USING FFT %%%
for ll = 1:floor(length(y)/windowLength)
   indices = ((ll-1)*windowLength+1):((ll)*windowLength) ;
   temp
          = zeros(1,M);
   tempNew = zeros(1,M);
   for k = 1:(M) % Matlab arrays start at 1
       tempNew = (gfbs.UnitStep.s(k,ll).* exponentialPart(k)); % .*(n - iL);
            = temp+tempNew;
       tempNew = zeros(1, M);
   end
   sum1(indices) = temp;
end
sum1 = (1./M).* sum1;
fprintf('HOLY SH*T IT WORKED, only took %01.0f seconds... wowzers', toc)
```

HOLY SH\*T IT WORKED, only took 90 seconds... wowzers

#### **Analyze Results**

```
disp('Test for numerical errors, max of real, imag');
Test for numerical errors, max of real, imag
% This test seems kind of hand-wavy
fprintf('Real component is %01.1f orders of magnitude above imaginary', log10(max(real(sum1)))
Real component is 12.7 orders of magnitude above imaginary
if log10(max(real(sum1))/max(imag(sum1))) < 10</pre>
    disp('Signal may not be real (Synthesis algorithm is incorrect)');
end
sound(real(sum1)./max(real(sum1)), inputSampleRates(1));
spectrogram(real(sum1),
                           unitWindow,
                                                              dftLength, inputSampleRates(1), 'c
                                          0,
                   window shape overlap (0 = none), fSamples, signal sample rate,
                                                                                          frequer
            signal
% ylabel('Frequency (Hz)'); xlabel('Time (s)');
title('Synthesized Signal, No Overlap (L = Nw)');
```



Trust me, they sound really similar... Compare synthesized signal spectrogram w/ Box Window, no overlap